

Lenses

Converging lenses

positive convex =

Diverging lenses



Thicker in the center than on the edge

Thicker on the edge than in the center

Ray optics describes light in terms of rays – light rays are lines showing the direction of passing light.

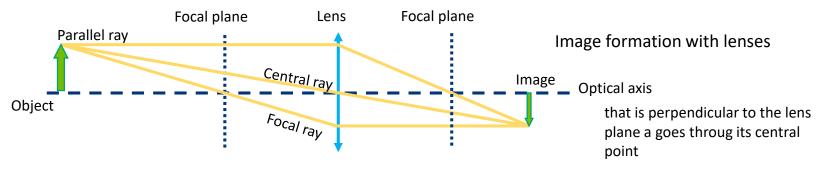
Light ray

Lenses refract the light rays.

Parallel rays passing through a positive lens converge to a focal point behind the lens.

Parallel rays passing through a negative lens diverge as if they were coming from a virtual focal point in front of it.

Parallel rays: all rays that are parallel to the optical axis will converge to a point behind the lens





Focal rays: all rays that pass through the focal point will be parallel to the optical axis after passing through the lens a

Central rays: in an approximation, the central rays will pass the lens without being refracted

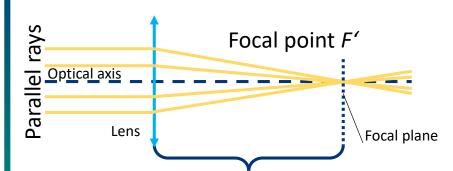
YOU SEE,

TOO



Positive Lenses

The image is...





inverted

same size real

Focal length f' (positive)

Positive lenses refract all rays that are parallel to the optical axis to a single point, which is called focal point.

inverted larger real

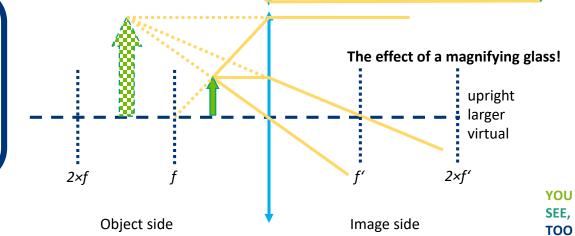
The magnifying glass, ...

Magnification of the magnifying glass

$$m = \frac{250 \, mm}{f'}$$









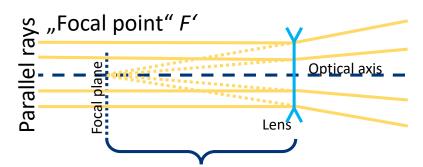
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Negative Lenses

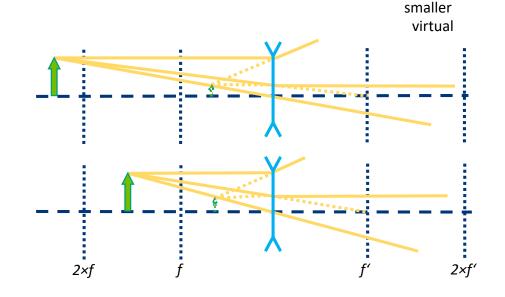
The image is always...

upright



Focal length f' (negative)

The negative lenses refract all rays of light parallel to the optical axis in such a way that it seems like they are coming from a single point in front of the lens.



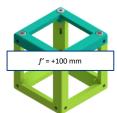
Object side

Image side





How does the image look like through different lenses?





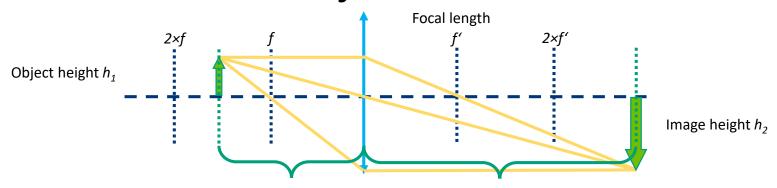


The correct text size

With the right lens held in the right distance, the text looks like it has the same size and orientation.



Projector



Distance s_1 of the object

Distance s_2 of the image

Lens Equation

$$\frac{1}{f'} = \frac{1}{s_1} + \frac{1}{s_2}$$

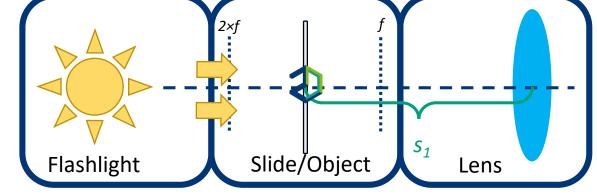
The image is not anywhere!

When imaging an object through a positive lens, the position and size of the image depend on the distance s₁ of the object from the lens and its focal length f'.

Magnification of the lens

$$m = \frac{s_2}{s_1} = \frac{h_2}{h_1}$$

 $m = \frac{s_2}{s_1} = \frac{h_2}{h_1}$ The image is not arbitrarily large!



Where is the image? What is the magnification?

- Change the distance of the lens
- Exchange the lens

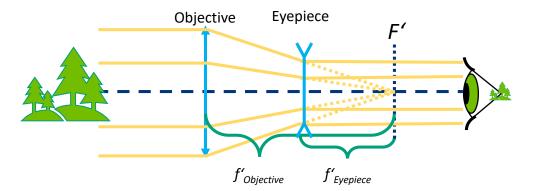


Galileian Telescope





$$m = \frac{f'_{Objective}}{f'_{Eyepiece}}$$

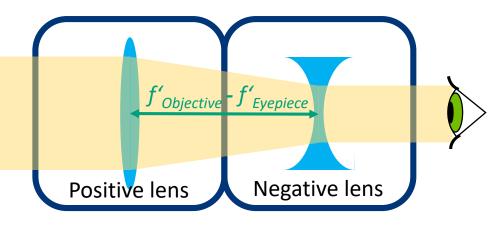


The image is virtual and upright

The field of view (FOV) is small

The telescope is an optical instrument that magnifies objects, which are far away.

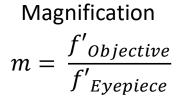




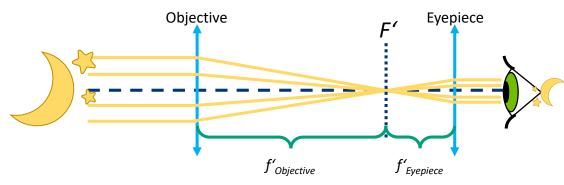


Keplerian Telescope



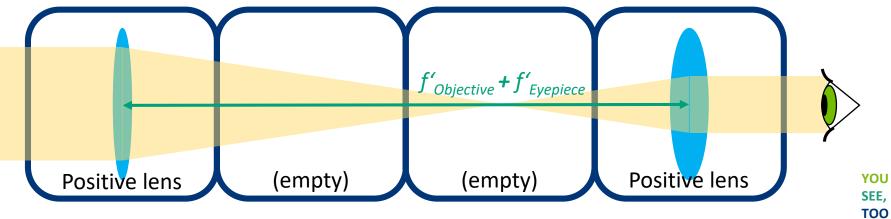


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The image is virtual and inverted

The field of view (FOV) is larger than with the Galilean telescope





The microscope is an optical instrument that makes it possible to see magnified images of objects that are too small to be seen by the naked eye.

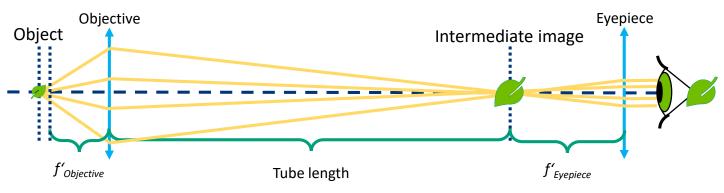
The image is...

in the intermediate image plane inverted larger real

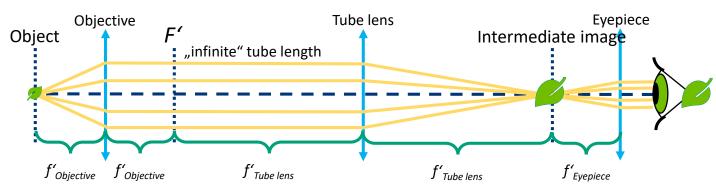
through the eyepiece
inverted
larger
virtual



Light microscope



Old or simple microscopes use objectives that are designed for a defined tube length and they form a real intermediate image in a given distance from the objective. The intermediate image is further magnified by the eyepiece. These microscopes are "finite" optical systems.



Newer microscopes use so-called "infinity" optics. In this case, the objective doesn't form any real intermediate image. The light rays are parallel after passing through the objective. At the end of the tube, which can be arbitrarily long, is a tube lens that forms the intermediate image, which is then again

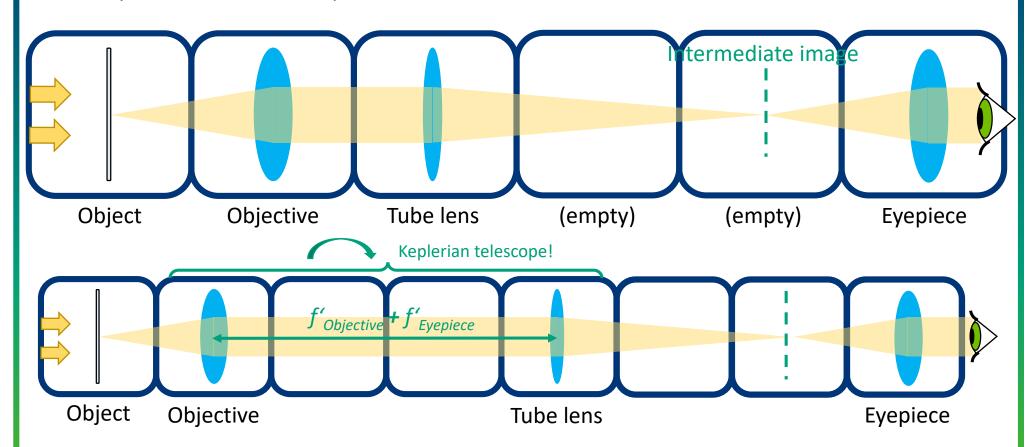
YOU further magnified by the eyepiece.

TOO



Light microscope

"Infinity-corrected" microscope



Magnification of the intermediate image



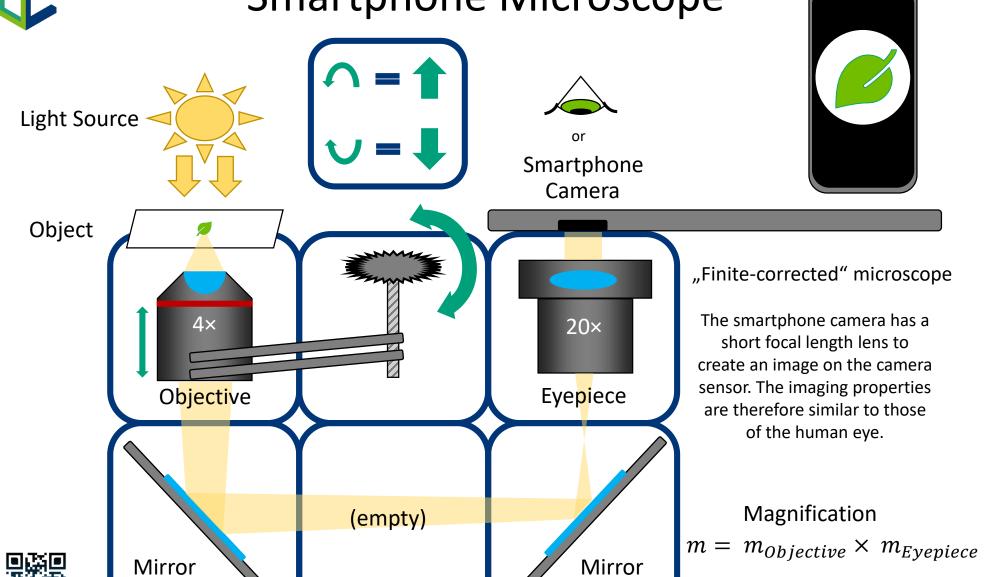
$$m = \frac{f'_{Tube\ lens}}{f'_{Objective}}$$

Total magnification

$$m = \frac{f'_{Tube\ lens}}{f'_{Objective}} \times \frac{250\ mm}{f'_{Eyepiece}}$$



Smartphone Microscope



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YOU SEE,

TOO