

Dall esempio Precedente

$$F = \{ AD \rightarrow B, AD \rightarrow G, AG \rightarrow D, B \rightarrow D, B \rightarrow E, G \rightarrow C, G \rightarrow E \}$$

ALGORITMO

$$\gamma = \{ ADB, ADG, \cancel{AGD}, BD, BE, GC, GE \}$$

||

$$\gamma = \{ ADB, ADG, BD, BE, GC, GE \}$$
 OUTPUT ALGORITMO

DA SLIDE

①

given the following schema:

$R = (A, B, C, D, E, H)$

and the following set of functional dependencies:

$F = \{ AB \rightarrow CD, C \rightarrow E, AB \rightarrow E, ABC \rightarrow D \}$

1. verify that ABH is a key of R
2. knowing that ABH is the only key of R, verify that R is not in 3NF
3. find a minimal cover G of F
4. find a decomposition of R such that it preserves G and every schema in is in 3NF
5. find a decomposition of R such that it preserves G, has a lossless join and every schema in is in 3NF

1)

$$(ABH)^+_R = ABHCDE = R \Rightarrow ABH \in \text{SUPERCHIAVE}$$

POTREBBERO ESSERE I SOTTOSCHEMI DI ABH CHE SONO CHIAVE

MA NE A, NE B NE H COMPAGNO MAI A DX

⇓

ABH E' CHIAVE UNICA

2) Non  $B'$  in  $\Sigma A$  (ve di  $C \rightarrow E$ )  $\subset$  No SUPERCHAVE E NON PRIMO

3) CALCOLA COPERTURA MINIMA

$I^{\circ} f_{\Sigma}$

$$F = \{AB \rightarrow C, AB \rightarrow D, C \rightarrow E, AB \rightarrow E, ABC \rightarrow D\}$$

$\bar{I}^{\circ} f_{\Sigma}$

-  $AB \rightarrow C$

$$(A)_P^+ = A \neq C \quad \left. \begin{array}{l} (B)_P^+ = B \neq C \end{array} \right\} \text{Non POSSO SEMPLIFICARE}$$

$$(B)_P^+ = B \neq C$$

-  $AB \rightarrow D$

$$(A)_P^+ = A \neq D \quad \left. \begin{array}{l} (B)_P^+ = B \neq D \end{array} \right\} \text{Non POSSO SEMPLIFICARE}$$

$$(B)_P^+ = B \neq D$$

-  $AB \rightarrow E$  come sopra  $(A)_P^+ \subset (B)_P^+ \Rightarrow$  Non POSSO SEMPLIFICARE

-  $ABC \rightarrow D$

$$(AB)_P^+ = ABC(DE \supset D) \Rightarrow \text{POSSO SEMPLIFICARE}$$

$\Downarrow$

~~$ABC \rightarrow D$~~  MA  $AB \rightarrow D$  GIÀ LA HO  
QUINDI LA TOLGO

$$G = \{ AB \rightarrow C, AB \rightarrow D, C \rightarrow E, AB \rightarrow E \}$$

III<sup>a</sup> fase

$$- AB \rightarrow C \quad \text{verifico se } C \subseteq (AB)^+_{F-AB \rightarrow C}$$

$$(AB)^+_{F-AB \rightarrow C} = ABDE \not\subseteq C \Rightarrow \text{NON SEMPLIFICO}$$

$$- AB \rightarrow D$$

$$(AB)^+_{F-AB \rightarrow D} = ABCDE \not\subseteq D \Rightarrow \text{NON SEMPLIFICO}$$

$$- C \rightarrow E = C \not\subseteq E \Rightarrow \text{NON SEMPLIFICO}$$

$$(C)^+_{F-C \rightarrow E}$$

$$- AB \rightarrow E$$

$$(AB)^+_{F-AB \rightarrow E} = ABCDE \supseteq E \Rightarrow \text{POSSO SEMPLIFICARE}$$

CHILCUSA MINIMALE

$$\downarrow$$

$$G = \{ AB \rightarrow C, AB \rightarrow D, C \rightarrow E \}$$

4) CALCOLO DECOMPOSIZIONE IN 3NF

$$\delta = \{H, ABC, ABD, CE\}$$

AGGIUNGO ELEMENTI DI  $\delta$  che  
NON SONO IN  $G \Rightarrow H$

5) CALCOLO DECOMPOSIZIONE IN 3NF con Join Senza Perdita  
SE TROVO UN SOLO SCHEMA CHE CONTIENE UNA CHIAVE HA FATTO  
SENZA AGGIUNGO UNA CHIAVE

$$\delta = \{ABC, ABD, CE, ABH\}$$

given the following schema:

$$R = (A, B, C, D, E)$$

and the following set of functional dependencies:

$$F = \{AB \rightarrow C, B \rightarrow D, D \rightarrow C\}$$

1. check if R is in 3NF

2. if not, find a decomposition, such that:

- every schema of the decomposition is in 3NF,
- the decomposition preserves F,
- the decomposition has a lossless join

CERCO CHIAVE = ABE UNICA PERCHÉ A e B non AOX

1) NON IN 3NF PER  $D \rightarrow C$

2) Copertura Minimale

$$I^0 F = \{AB \rightarrow C, B \rightarrow D, D \rightarrow C\}$$

$\Downarrow$

-  $AB \rightarrow C$

$$(A)^+_F = A \neq C \}$$

SEMP.

$$(B)_F^+ = BDC \supset C$$

$$G = \{B \rightarrow C, B \rightarrow D, D \rightarrow C\}$$

III

$$- B \rightarrow C$$

$$(B)_F^+ = BCD \supset C \Rightarrow \text{tolgo}$$

$$G = \{B \rightarrow D, D \rightarrow C\}$$

$$- B \rightarrow D$$

$$(B)_F^+ = B \nmid C \Rightarrow \text{No smp}$$

$$- D \rightarrow C$$

$$(D)_F^+ = D \nmid C \Rightarrow \text{No smp}$$

$$G = \{B \rightarrow D, D \rightarrow C\}$$

4) 1° passo Aggiungo elementi di 2° in G

$$J = \{A, BD, DC, E\} \text{ presenza F ed in 3NF}$$

$$J = \{A, BD, DC, E, ABDE\} \text{ ANCHE con lossless join}$$

3)

given the relational schema  $R = ABCDEH$  and the set of functional dependencies:

$F = \{ D \rightarrow H, B \rightarrow AC, CD \rightarrow H, C \rightarrow AD \}$

- 1 determine the unique key of R
- 2 say why R with the set of functional dependencies F is not in 3NF
- 3 find a decomposition of R such that:
  - each schema in is in 3NF
  - preserves F
  - has a lossless join

1) BE

$$(B)_F^+ = ABCDH$$

$$(BE)_F^+ = ABCDEH \Rightarrow BE \text{ è CHIAVE } \in \text{ una } \text{ poiché } B \text{ e } E \text{ non } \text{ } \times$$

2) Non è in 3NF per  $D \rightarrow H$

3) Parto con la con. min

$$I^a F = \{ D \rightarrow H, B \rightarrow A, B \rightarrow C, CD \rightarrow H, C \rightarrow A, C \rightarrow D \}$$

$I^o$

$$\cancel{C \rightarrow H}$$

$$(D)_F^+ = DH \supset H$$

per eliminare C  $\Rightarrow D \rightarrow H$  ma già la ho

TUTTI GLI ALTRI NON LI CONTROLLO DOICHÉ SINGOLI

$$F = \{ D \rightarrow H, B \rightarrow A, B \rightarrow C, C \rightarrow A, C \rightarrow D \}$$

III

$$D \rightarrow H$$

$$(D)^+_{F-D \rightarrow H} = D \Rightarrow \text{non } \tau d G_0$$

$$B \rightarrow A$$

$$(B)^+_{F-B \rightarrow A} = B \cup A \supset A \Rightarrow \tau d G_0$$

$$G = \{D \rightarrow H, B \rightarrow C, C \rightarrow A, C \rightarrow D\}$$

$$B \rightarrow C$$

$$(B)^+_{F-B \rightarrow C} = B \Rightarrow \text{non } \tau d G_0$$

$$C \rightarrow A$$

$$(C)^+_{F-C \rightarrow A} = C \cup H \Rightarrow \text{non } \tau d G_0$$

$$C \rightarrow D$$

$$(C)^+_{F-C \rightarrow D} = C \cup A \quad \text{non } \tau d G_0$$

$$G = \{D \rightarrow H, B \rightarrow C, C \rightarrow A, C \rightarrow D\}$$

CEPC Deco

Attrib Co Em in 2 na in 6

$$\sigma = \{ E, DH, BC, CA, CD \} \text{ in 3NF}$$

$$\sigma = \{ E, DH, BC, CA, CD, BE \} \text{ 3NF \& losen zu}$$