## 75-APROX-biseccion-newton

## February 5, 2018

## Método de bisección

```
In [1]: def subint(f,a,b):
            if f(x=a)*f(x=b) > 0:
                return "ERROR: el intervalo no sirve para aplicar Bolzano"
            else:
                if f(x=a)*f(x=(a+b)/2) < 0:
                    return a,(a+b)/2
                elif f(x=(a+b)/2)*f(x=b) < 0:
                    return (a+b)/2,b
                elif f(x=(a+b)/2)== 0:
                    return "f tiene un cero en: %s" %str((a+b)/2)
                else:
                    return "ERROR"
In [2]: f(x)=x^2+0.0000001*x-1
In [3]: subint(f,0.0,2.0)
Out[3]: (0.00000000000000, 1.0000000000000)
In [4]: def iterador(f,a,b,e):
            while abs(a-b) > e:
                a,b = subint(f,a,b)
            return a,b,abs(a-b)
In [5]: iterador(f,0.0,2.0,0.000000001)
Out[5]: (0.999999949708581, 0.999999950639904, 9.31322574615479e-10)
In [6]: iterador(f,0.0,2.0,0.000000000000001)
Out[6]: (0.999999950000001, 0.999999950000002, 8.88178419700125e-16)
Método de Newton
In [19]: f(x)=x^2+0.0000001*x-1
         def newton(f,x0,epsilon,N,precision):
```

In [20]: newton(g,2.0,10^(-20),10^20,1000)-log(17).n(prec=1000)

R = RealField(prec=precision)

f1 = diff(f,x)

x0 = R(x0)

Out [20]: 3.94583165744370938381260154984375968358289028185609601208786496123323326110946376551

In [21]: newton(g,2.0,10^(-50),10^20,1000)-log(17).n(prec=10000)

In []: