

Definimos los vectores

```
In[3]:= p = {5, 11, 17, 23}
q = {33, 30, 27, 24}
r = {1, -3, -7, -11}
u = {2 * Pi, a, 7 c, 1}
v = {b^2, a^(1/2), 8 (b - a), 4 Sin[2 Pi/7]}
w = {3 c / (7 b), 2 / (3 a), 15 / 13, 1}
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Out[3]= {5, 11, 17, 23}
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```
Out[4]= {33, 30, 27, 24}
```

```
Out[5]= {1, -3, -7, -11}
```

```
Out[6]= {2 π, a, 7 c, 1}
```

```
Out[7]= {b^2, sqrt(a), 8 (-a + b), 4 Cos[3 π/14]}
```

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Out[8]= {3 c / (7 b), 2 / (3 a), 15 / 13, 1}
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In[9]:= {3 c / (7 b), 2 / (3 a), 15 / 13, 1}
```

```
Out[9]= {3 c / (7 b), 2 / (3 a), 15 / 13, 1}
```

```
In[10]:= p + q // MatrixForm
          forma de matriz
```

```
Out[10]//MatrixForm=
```

$$\begin{pmatrix} 38 \\ 41 \\ 44 \\ 47 \end{pmatrix}$$

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In[11]:= \begin{pmatrix} 38 \\ 41 \\ 44 \\ 47 \end{pmatrix}
```

```
q - p // MatrixForm
          forma de matriz
```

```
Out[11]= {38, 41, 44, 47}
```

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Out[12]//MatrixForm=
```

$$\begin{pmatrix} 28 \\ 19 \\ 10 \\ 1 \end{pmatrix}$$

$$\text{In[13]:= } \begin{pmatrix} 28 \\ 19 \\ 10 \\ 1 \end{pmatrix}$$

p + q - r // MatrixForm
 [forma de matrici]

$$\text{Out[13]= } \{28, 19, 10, 1\}$$

Out[14]//MatrixForm=

$$\begin{pmatrix} 37 \\ 44 \\ 51 \\ 58 \end{pmatrix}$$

$$\text{In[15]:= } \begin{pmatrix} 37 \\ 44 \\ 51 \\ 58 \end{pmatrix}$$

$\alpha * p + \gamma * r$ // MatrixForm
 [forma de matrici]

$$\text{Out[15]= } \{37, 44, 51, 58\}$$

Out[16]//MatrixForm=

$$\begin{pmatrix} 5 \alpha + \gamma \\ 11 \alpha - 3 \gamma \\ 17 \alpha - 7 \gamma \\ 23 \alpha - 11 \gamma \end{pmatrix}$$

$$\text{In[17]:= } \begin{pmatrix} 5 \alpha + \gamma \\ 11 \alpha - 3 \gamma \\ 17 \alpha - 7 \gamma \\ 23 \alpha - 11 \gamma \end{pmatrix}$$

u - v // MatrixForm
 [forma de matrici]

$$\text{Out[17]= } \{5 \alpha + \gamma, 11 \alpha - 3 \gamma, 17 \alpha - 7 \gamma, 23 \alpha - 11 \gamma\}$$

Out[18]//MatrixForm=

$$\begin{pmatrix} -b^2 + 2 \pi \\ -\sqrt{a} + a \\ -8 (-a + b) + 7 c \\ 1 - 4 \cos \left[\frac{3 \pi}{14} \right] \end{pmatrix}$$

$$\text{In[19]:=} \begin{pmatrix} -b^2 + 2\pi \\ -\sqrt{a} + a \\ -8(-a + b) + 7c \\ 1 - 4\cos\left[\frac{3\pi}{14}\right] \end{pmatrix}$$

$\alpha * w - 3 u$ // MatrixForm

[\[forma de matrici\]](#)

$$\text{Out[19]=} \left\{ -b^2 + 2\pi, -\sqrt{a} + a, -8(-a + b) + 7c, 1 - 4\cos\left[\frac{3\pi}{14}\right] \right\}$$

Out[20]//MatrixForm=

$$\begin{pmatrix} -6\pi + \frac{3c\alpha}{7b} \\ -3a + \frac{2\alpha}{3a} \\ -21c + \frac{15\alpha}{13} \\ -3 + \alpha \end{pmatrix}$$

$$\text{In[21]:=} \begin{pmatrix} -6\pi + \frac{3c\alpha}{7b} \\ -3a + \frac{2\alpha}{3a} \\ -21c + \frac{15\alpha}{13} \\ -3 + \alpha \end{pmatrix}$$

$v / 2 - \beta * q$ // MatrixForm

[\[forma de matrici\]](#)

$$\text{Out[21]=} \left\{ -6\pi + \frac{3c\alpha}{7b}, -3a + \frac{2\alpha}{3a}, -21c + \frac{15\alpha}{13}, -3 + \alpha \right\}$$

Out[22]//MatrixForm=

$$\begin{pmatrix} \frac{b^2}{2} - 33\beta \\ \frac{\sqrt{a}}{2} - 30\beta \\ 4(-a + b) - 27\beta \\ -24\beta + 2\cos\left[\frac{3\pi}{14}\right] \end{pmatrix}$$

$$\text{In[23]:=} \begin{pmatrix} \frac{b^2}{2} - 33 \beta \\ \frac{\sqrt{a}}{2} - 30 \beta \\ 4(-a + b) - 27 \beta \\ -24 \beta + 2 \cos\left[\frac{3\pi}{14}\right] \end{pmatrix}$$

$\alpha * w - \beta * v + \gamma * u$ // MatrixForm
 [forma de matri;

$$\text{Out[23]=} \left\{ \frac{b^2}{2} - 33 \beta, \frac{\sqrt{a}}{2} - 30 \beta, 4(-a + b) - 27 \beta, -24 \beta + 2 \cos\left[\frac{3\pi}{14}\right] \right\}$$

Out[24]//MatrixForm=

$$\begin{pmatrix} \frac{3c\alpha}{7b} - b^2 \beta + 2\pi \gamma \\ \frac{2\alpha}{3a} - \sqrt{a} \beta + a \gamma \\ \frac{15\alpha}{13} - 8(-a + b) \beta + 7c \gamma \\ \alpha + \gamma - 4 \beta \cos\left[\frac{3\pi}{14}\right] \end{pmatrix}$$

$$\text{In[25]:=} \begin{pmatrix} \frac{3c\alpha}{7b} - b^2 \beta + 2\pi \gamma \\ \frac{2\alpha}{3a} - \sqrt{a} \beta + a \gamma \\ \frac{15\alpha}{13} - 8(-a + b) \beta + 7c \gamma \\ \alpha + \gamma - 4 \beta \cos\left[\frac{3\pi}{14}\right] \end{pmatrix}$$

$$\text{Out[25]=} \left\{ \frac{3c\alpha}{7b} - b^2 \beta + 2\pi \gamma, \frac{2\alpha}{3a} - \sqrt{a} \beta + a \gamma, \frac{15\alpha}{13} - 8(-a + b) \beta + 7c \gamma, \alpha + \gamma - 4 \beta \cos\left[\frac{3\pi}{14}\right] \right\}$$

In[26]:=

In[27]:=

In[28]:= Dot[p, q]
 [producto escalar

Out[28]= 1506

In[29]:= Norm[r]
 [norma

Out[29]= $6\sqrt{5}$

In[30]:= $6\sqrt{5}$
 Norm[Pi * p]
 [norma [número p

Out[30]= $6\sqrt{5}$

Out[31]= $2\sqrt{241} \pi$

In[32]:=

$$2\sqrt{241} \pi$$

In[33]:=

In[34]:=

In[35]:=

In[36]:= **Dot[v, v] - Norm[v, 2]**

↳producto es... ↳norma

$$\text{Out[36]} = a + b^4 + 64 (-a + b)^2 + 16 \cos\left[\frac{3\pi}{14}\right]^2 - \sqrt{\text{Abs}[a] + \text{Abs}[b]^4 + 64 \text{Abs}[-a + b]^2 + 16 \cos\left[\frac{3\pi}{14}\right]^2}$$

In[113]:= **Norm[u + r, 1]**

↳norma

$$\text{Out[113]} = 11 + 2\pi + \text{Abs}[-3 + a] + \text{Abs}[-7 + 7c]$$

$$\text{Out[37]} = 11 + 2\pi + \text{Abs}[-3 + a] + \text{Abs}[-7 + 7c]$$

In[38]:=

In[39]:=

In[40]:=

In[41]:= **Norm[u + r, 2]**

↳norma

$$\text{Out[41]} = \sqrt{100 + (1 + 2\pi)^2 + \text{Abs}[-3 + a]^2 + \text{Abs}[-7 + 7c]^2}$$

In[42]:=

In[43]:= **Norm[u + r, 3]**

↳norma

$$\text{Out[43]} = \left(1000 + (1 + 2\pi)^3 + \text{Abs}[-3 + a]^3 + \text{Abs}[-7 + 7c]^3\right)^{1/3}$$

In[44]:=

In[45]:= **Cross[{5, 11, 17}, {3c/7b, 2/(3a), 15/13}]**

↳producto vectorial

$$\text{Out[45]} = \left\{ \frac{165}{13} - \frac{34}{3a}, -\frac{75}{13} + \frac{51bc}{7}, \frac{10}{3a} - \frac{33bc}{7} \right\}$$

In[46]:=

In[112]:= **Cross[{5, 11, 17}, {1, -3, -7}] × Cross[{2 * Pi, a, 7c}, {1, -3, -7}]**

↳producto vectorial

↳producto ve... ↳número pi

$$\text{Out[112]} = \left\{ -26(-7a + 21c), 52(7c + 14\pi), -26(-a - 6\pi) \right\}$$

In[48]:=

In[83]:= **vectorP[pi_] = {Pi * n, 6 + n, 11 + n, 42 + n, 96 + n}**

↳número pi

$$\text{Out[83]} = \{n\pi, 6 + n, 11 + n, 42 + n, 96 + n\}$$

In[50]:=

In[51]:=

In[52]:=

In[84]:= **Table**[**vectorP**[**pi**], {**n**, **1**, **67**, **2**}] // **TableForm**
| tabla | forma de tabl

Out[84]//TableForm=

π	7	12	43	97
3 π	9	14	45	99
5 π	11	16	47	101
7 π	13	18	49	103
9 π	15	20	51	105
11 π	17	22	53	107
13 π	19	24	55	109
15 π	21	26	57	111
17 π	23	28	59	113
19 π	25	30	61	115
21 π	27	32	63	117
23 π	29	34	65	119
25 π	31	36	67	121
27 π	33	38	69	123
29 π	35	40	71	125
31 π	37	42	73	127
33 π	39	44	75	129
35 π	41	46	77	131
37 π	43	48	79	133
39 π	45	50	81	135
41 π	47	52	83	137
43 π	49	54	85	139
45 π	51	56	87	141
47 π	53	58	89	143
49 π	55	60	91	145
51 π	57	62	93	147
53 π	59	64	95	149
55 π	61	66	97	151
57 π	63	68	99	153
59 π	65	70	101	155
61 π	67	72	103	157
63 π	69	74	105	159
65 π	71	76	107	161
67 π	73	78	109	163

In[54]:=

In[55]:=

In[56]:=

In[57]:=

In[58]:=

In[78]:= **vector**[**b_**] = {**E** * **n**, **6** + **n**, **11** + **n**, **42** + **n**, **96** + **n**}
| número e

Out[78]= {e n, 6 + n, 11 + n, 42 + n, 96 + n}

```

In[79]:= Table[vector[b], {n, 2, 66, 2}] // TableForm

```

[tabla

[forma de tabla

```

Out[79]//TableForm=

```

2 e	8	13	44	98
4 e	10	15	46	100
6 e	12	17	48	102
8 e	14	19	50	104
10 e	16	21	52	106
12 e	18	23	54	108
14 e	20	25	56	110
16 e	22	27	58	112
18 e	24	29	60	114
20 e	26	31	62	116
22 e	28	33	64	118
24 e	30	35	66	120
26 e	32	37	68	122
28 e	34	39	70	124
30 e	36	41	72	126
32 e	38	43	74	128
34 e	40	45	76	130
36 e	42	47	78	132
38 e	44	49	80	134
40 e	46	51	82	136
42 e	48	53	84	138
44 e	50	55	86	140
46 e	52	57	88	142
48 e	54	59	90	144
50 e	56	61	92	146
52 e	58	63	94	148
54 e	60	65	96	150
56 e	62	67	98	152
58 e	64	69	100	154
60 e	66	71	102	156
62 e	68	73	104	158
64 e	70	75	106	160
66 e	72	77	108	162

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In[61]:=

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In[87]:= pi = Table[vectorP[pi], {n, 1, 67, 2}]
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```
e = Table[vector[b], {n, 2, 66, 2}]
```

Out[87]= $\{\{\pi, 7, 12, 43, 97\}, \{3\pi, 9, 14, 45, 99\}, \{5\pi, 11, 16, 47, 101\}, \{7\pi, 13, 18, 49, 103\},$
 $\{9\pi, 15, 20, 51, 105\}, \{11\pi, 17, 22, 53, 107\}, \{13\pi, 19, 24, 55, 109\},$
 $\{15\pi, 21, 26, 57, 111\}, \{17\pi, 23, 28, 59, 113\}, \{19\pi, 25, 30, 61, 115\},$
 $\{21\pi, 27, 32, 63, 117\}, \{23\pi, 29, 34, 65, 119\}, \{25\pi, 31, 36, 67, 121\},$
 $\{27\pi, 33, 38, 69, 123\}, \{29\pi, 35, 40, 71, 125\}, \{31\pi, 37, 42, 73, 127\},$
 $\{33\pi, 39, 44, 75, 129\}, \{35\pi, 41, 46, 77, 131\}, \{37\pi, 43, 48, 79, 133\},$
 $\{39\pi, 45, 50, 81, 135\}, \{41\pi, 47, 52, 83, 137\}, \{43\pi, 49, 54, 85, 139\},$
 $\{45\pi, 51, 56, 87, 141\}, \{47\pi, 53, 58, 89, 143\}, \{49\pi, 55, 60, 91, 145\},$
 $\{51\pi, 57, 62, 93, 147\}, \{53\pi, 59, 64, 95, 149\}, \{55\pi, 61, 66, 97, 151\},$
 $\{57\pi, 63, 68, 99, 153\}, \{59\pi, 65, 70, 101, 155\}, \{61\pi, 67, 72, 103, 157\},$
 $\{63\pi, 69, 74, 105, 159\}, \{65\pi, 71, 76, 107, 161\}, \{67\pi, 73, 78, 109, 163\}\}$

```
Out[88]= {{2 e, 8, 13, 44, 98}, {4 e, 10, 15, 46, 100}, {6 e, 12, 17, 48, 102},
{8 e, 14, 19, 50, 104}, {10 e, 16, 21, 52, 106}, {12 e, 18, 23, 54, 108},
{14 e, 20, 25, 56, 110}, {16 e, 22, 27, 58, 112}, {18 e, 24, 29, 60, 114},
{20 e, 26, 31, 62, 116}, {22 e, 28, 33, 64, 118}, {24 e, 30, 35, 66, 120},
{26 e, 32, 37, 68, 122}, {28 e, 34, 39, 70, 124}, {30 e, 36, 41, 72, 126},
{32 e, 38, 43, 74, 128}, {34 e, 40, 45, 76, 130}, {36 e, 42, 47, 78, 132},
{38 e, 44, 49, 80, 134}, {40 e, 46, 51, 82, 136}, {42 e, 48, 53, 84, 138},
{44 e, 50, 55, 86, 140}, {46 e, 52, 57, 88, 142}, {48 e, 54, 59, 90, 144},
{50 e, 56, 61, 92, 146}, {52 e, 58, 63, 94, 148}, {54 e, 60, 65, 96, 150},
{56 e, 62, 67, 98, 152}, {58 e, 64, 69, 100, 154}, {60 e, 66, 71, 102, 156},
{62 e, 68, 73, 104, 158}, {64 e, 70, 75, 106, 160}, {66 e, 72, 77, 108, 162}}
```

```
In[90]:= e1 = Total[e[[All, 1]]]
```

1122 e

```
In[98]:= e2 = Total[e[[All, 2]]]
```

Out[98]= 1320

```
In[101]:  
e3 = Total[e[[All, 3]]]  
      |total  |todo
```

Out[101]= 1485


```

In[96]:= e4 = Total[e[[All, 4]]]
          total      todo
          e5 = Total[e[[All, 5]]]
          total      todo

Out[96]= 2508

Out[97]= 4290

In[102]:= p = Total[pi[[All, 1]]]
          total      todo

Out[102]= 1156  $\pi$ 

In[103]:= p2 = Total[pi[[All, 2]]]
          total      todo

Out[103]= 1360

In[104]:= p3 = Total[pi[[All, 3]]]
          total      todo

Out[104]= 1530

In[105]:= p4 = Total[pi[[All, 4]]]
          total      todo

Out[105]= 2584

In[106]:= p5 = Total[pi[[All, 5]]]
          total      todo

Out[106]= 4420

In[108]:= total = {e1 + p, e2 + p2, e3 + p3, e4 + p4, e5 + p5} // MatrixForm
          forma de matrici

Out[108]//MatrixForm=

$$\begin{pmatrix} 1122 e + 1156 \pi \\ 2680 \\ 3015 \\ 5092 \\ 8710 \end{pmatrix}$$


```