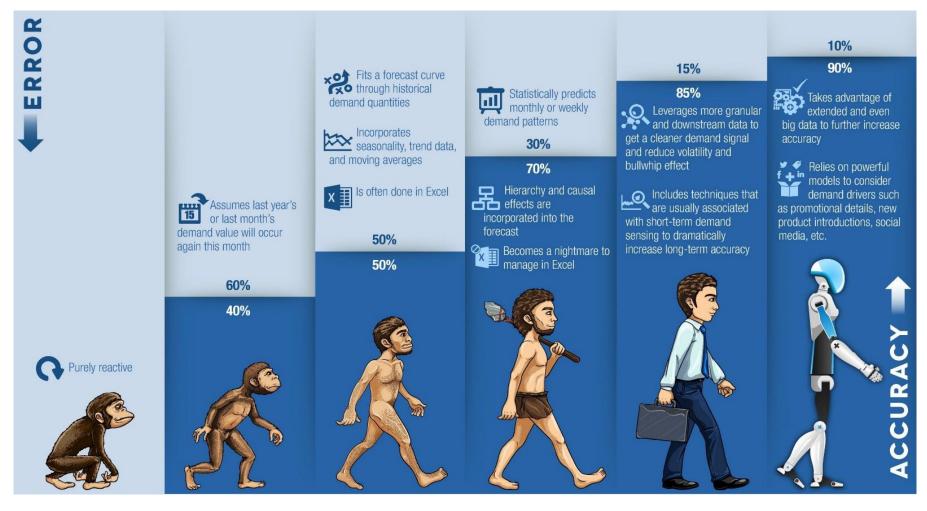


## Lecture 3

Introduction To Machine Learning

Astakhov Anton



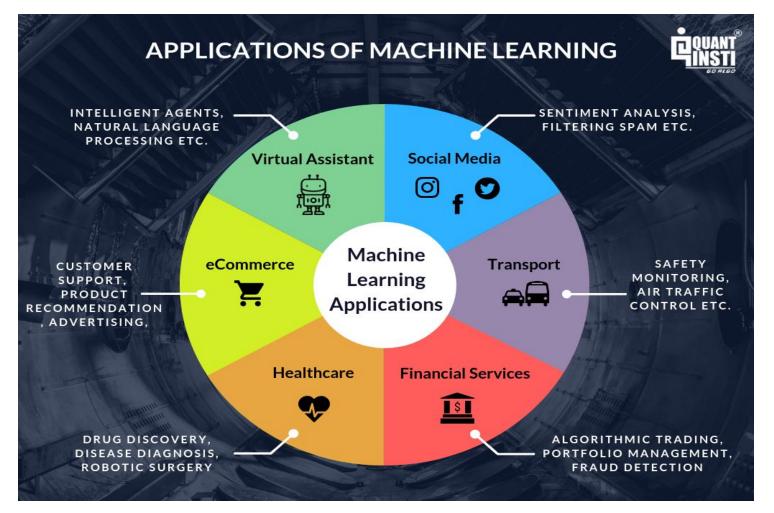
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## Lecture plan

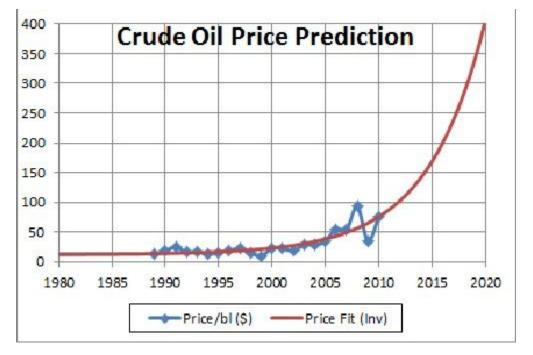
- 1. Application
- 2. Process
- 3. Types
- 4. Short history
- 5. Tools

# Application of Machine Learning

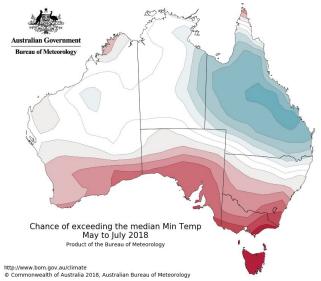


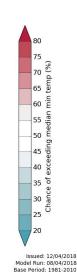


https://www.quantinsti.com/wp-content/uploads/2018/10/Applications-of-Machine-Learning-1024x768.png



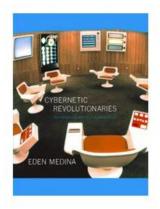


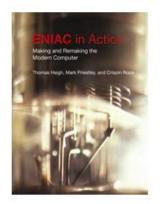




#### We Have Recommendations for You

Sign in to see personalized recommendations

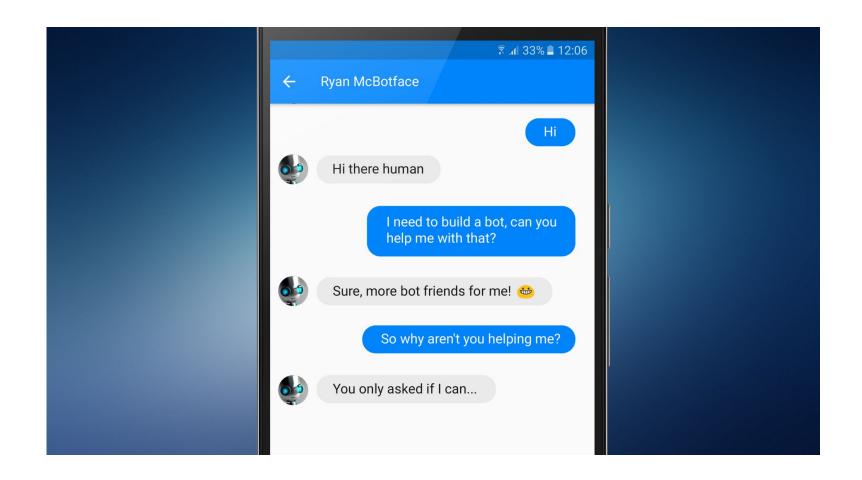


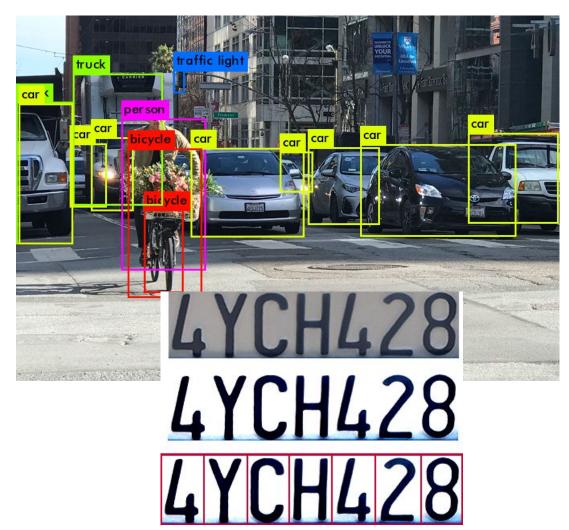




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rusprofile
russianpost
ruski
rusbase
rusline
russia study











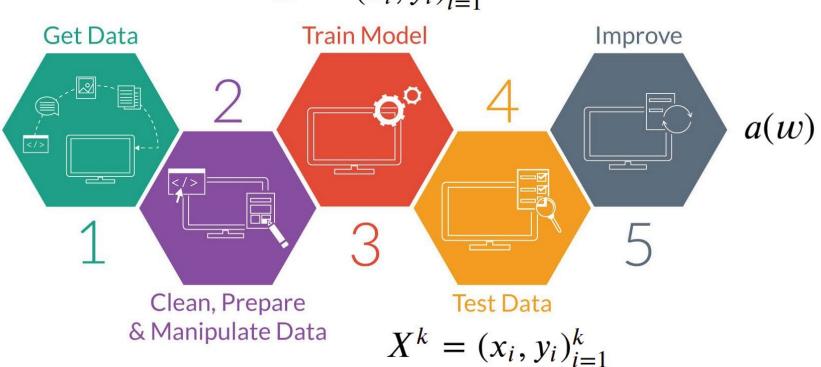
# Process of Machine Learning





- *X* the set of the objects
- ullet Y the set of the answers to these objects
- $a: X \to Y$  decison function
- $X^{l} = (x_{i}, y_{i})_{i=1}^{l}$  the data for training
- $X^k = (x_i, y_i)_{i=1}^k$  the data for testing
- $x_i \in \mathbb{R}^n$  where n the number of features
- $y_i \in R$
- w the parameters of the model
- Q(a(w), X) the loss function on objects X

$$X^{l} = (x_{i}, y_{i})_{i=1}^{l}$$



CATEGORY	RANGE		
Excellent (28% of people)	750 - 850		
Good (10% of people)	700 - 749		
Fair (16% of people)	650 - 699		
Poor (32% of people)	550 - 649		
Very Poor (14% of people)	350 - 549		

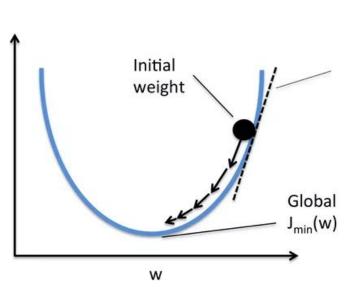
- 1. Gender
- 2. Family income
- 3. Work experience
- 4. Credit history
- 5. Age
- 6. The level of education
- 7. Profession
- 8. Place of residence
- 9. Property Owned

$$Q(a(w), X^l) = \frac{1}{l} \sum_{i=1}^{l} L(a(w), x_i),$$
  
where  $L(a(w), x_i)$  - the loss function on the object  $x_i$ .

$$L(a(w), x_i) = [a(x_i) \neq y_i]$$
 - indicator(for classification)

 $L(a(w), x_i) = (a(x_i) - y_i)^2$  - quadratic error(for regression)

 $L(a(w), x_i) = |a(x_i) - y_i|$  - absolute error(for regression)



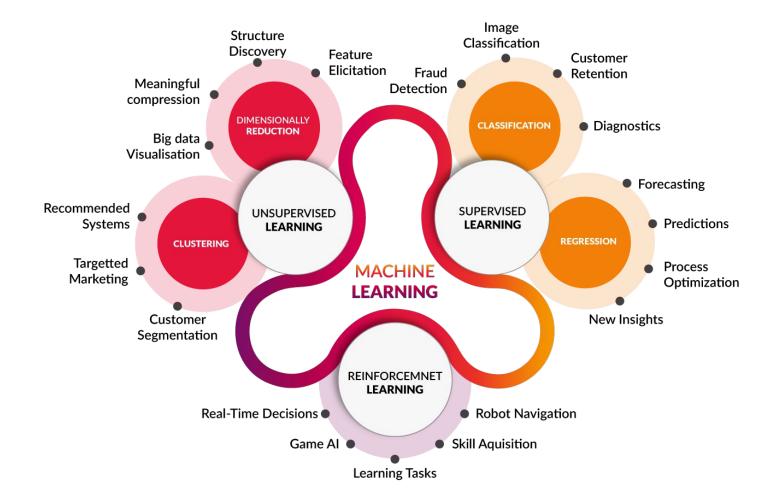


$$Q(a(w), X) = \frac{1}{l} \sum_{x} L(a(w), x)$$

$$Q(a(w), X^k) \gg Q(a(w), X^l)$$
 - overfitting

# Types of Machine Learning





# **Short history of Machine Learning**





#### 1950

Alan Turing created a test to check if a machine could fool a human being into believing it was talking to a machine.

#### 1957

First neural network for computers (the perceptron) was invented by Frank Rosenblatt, which simulated the thought processes of the human brain.

#### 1979

Students of Stanford University, California, invented the Stanford Cart which could navigate and avoid obstacles on its own.

#### 2002

A software library for Machine Learning, named Torch is first released.



#### 1952

The first computer learning program, a game of checkers, was written by Arthur Samuel.

#### 1967

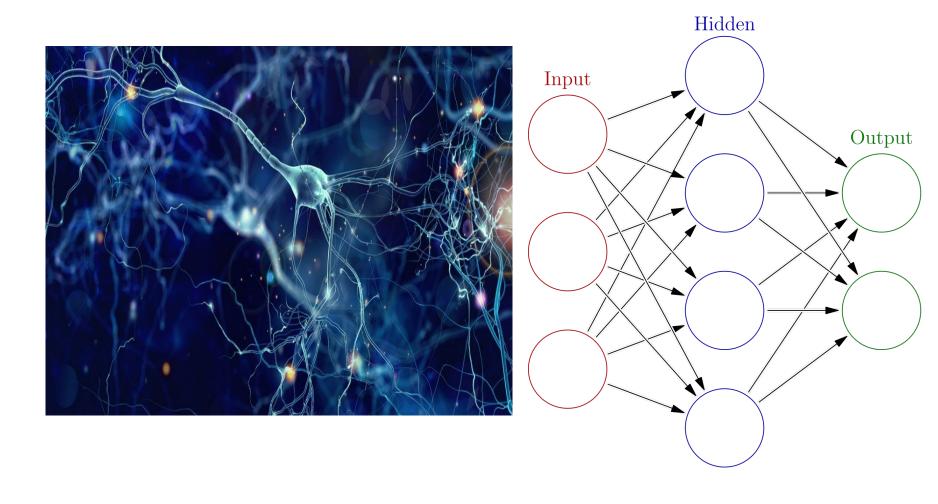
The Nearest Neighbor Algorithm was written.

#### 1997

IBM's Deep Blue beats the world champion at Chess.

#### 2016

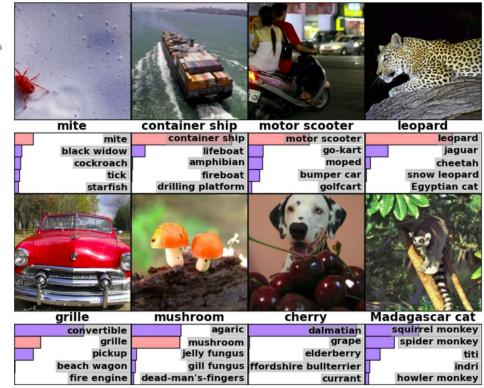
AlphaGo algorithm developed by Google DeepMind managed to win five games out of five in the Chinese Board Game Go competition.

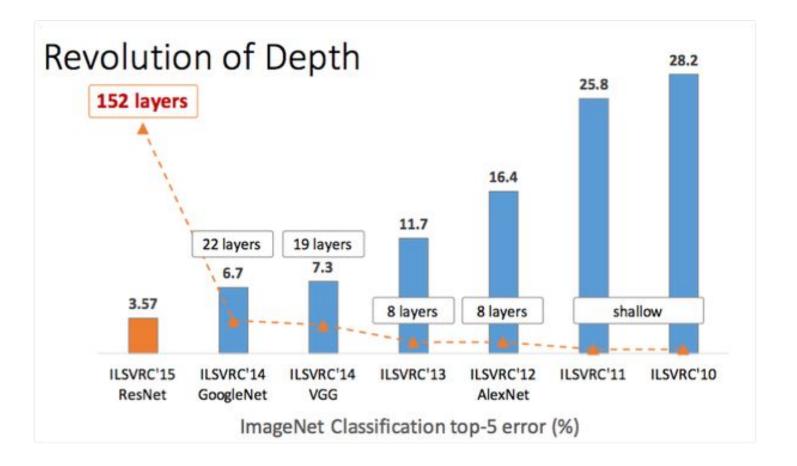


### ImageNet Challenge



- 1,000 object classes (categories).
- Images:
  - 1.2 M train
  - 100k test.

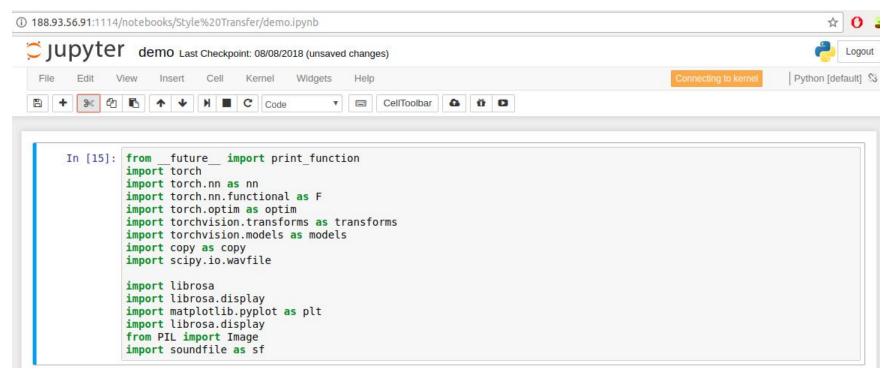




## Tools

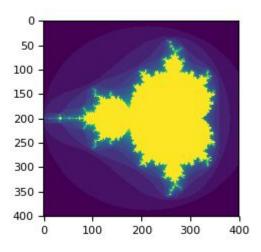


### Jupyter notebook



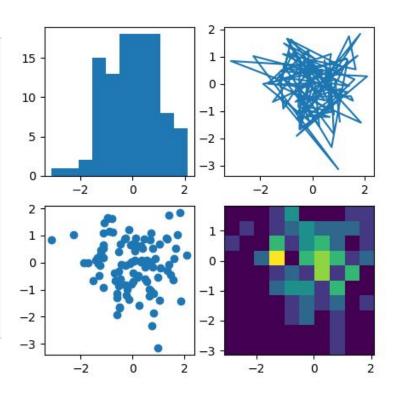
### NumPy

```
>>> import numpy as np
>>> import matplotlib.pyplot as plt
>>> def mandelbrot( h,w, maxit=20 ):
        """Returns an image of the Mandelbrot fractal of size (h,w)."""
       y,x = np.ogrid[-1.4:1.4:h*1j, -2:0.8:w*1j]
       c = x+y*1j
       7 = C
. . .
        divtime = maxit + np.zeros(z.shape, dtype=int)
        for i in range(maxit):
. . .
            z = z^{**}2 + c
           diverge = z*np.conj(z) > 2**2
                                                    # who is diverging
           div now = diverge & (divtime==maxit) # who is diverging now
           divtime[div now] = i
                                                 # note when
            z[diverge] = 2
                                                  # avoid diverging too much
        return divtime
>>> plt.imshow(mandelbrot(400,400))
>>> plt.show()
```



### Matplotlib

```
import matplotlib.pyplot as plt
import numpy as np
np.random.seed(19680801)
data = np.random.randn(2, 100)
fig, axs = plt.subplots(2, 2, figsize=(5, 5))
axs[0, 0].hist(data[0])
axs[1, 0].scatter(data[0], data[1])
axs[0, 1].plot(data[0], data[1])
axs[1, 1].hist2d(data[0], data[1])
plt.show()
```

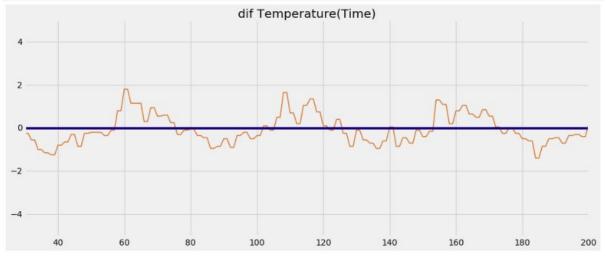


#### Test Data.head(1)

### **Pandas**

	Id	Consumption	Temperature	Time	DailySeasonality	WeeklySeasonality
5183	5183	4317.386273	14.75	5183	47	191

```
plt.figure(figsize=(15, 6))
plt.plot(Learn_Data_Temp.Time, Learn_Data_Temp.Temperature,color='peru',linewidth=1.7)
c=Learn_Data_Temp.Time
plt.xlim(30,200)
plt.ylim(-5,5)
plt.plot(c,-9.88869197*10**(-7)*c-1.46170425*10**(-3), color='navy')
plt.title("dif Temperature(Time)")
plt.show()
```



# PYTORCH

#### **Neural Machine Translation in Linear Time**

Nal Kalchbrenner Lasse Espeholt Karen Simonyan Aäron van den Oord Alex Graves Koray Kavukcuoglu Google Deepmind, London UK

nalk@google.com

#### **Abstract**

We present a novel neural network for processing sequences. The ByteNet is a one-dimensional convolutional neural network that is composed of two parts, one to encode the source sequence and the other to decode the target sequence. The two network parts are connected by stacking the de-

