

Model

We simulate the data considering two types of variables:

- ► Genotype (categorical variable)
- ► Temperature (numeric variable)

In the temperature variable, we apply a clustering process, such that

$$t = \prod_{j=1}^{J} \pi_j N(\mu_j, \sigma_j)$$

where π_j represents the weight of the j^{th} component, with $\sum_{j=1}^{J} \pi_j = 1$.



Model |2

$$y_i = g_{gen_i} + e_{env_i} + \epsilon_i$$
 where $i = 1, \ldots, n$, $gen_i = 1 \ldots, I$, $env_i = 1, \ldots, J$
$$g_i \sim N(\mu_g, \sigma_g^2)$$

$$e_j \sim N(\mu_e, \sigma_e^2)$$

$$\epsilon_i \sim N(0, \sigma^2)$$

$$t_i \sim N(\mu_{env_i}, \omega^2)$$

$$env_i \sim Cat(\pi_{1:J})$$
 $\mu_i \sim N(0, 100^2), \ \omega^2 \sim IG(\alpha, \beta), \ \pi \sim Dirichlet(1)$



Model 13

The configuration of our simulation was

- ► 6 genotypes
- 3 groups
- ▶ 60 observations
- ▶ Mean of the groups: -5,10,30.



Results |4

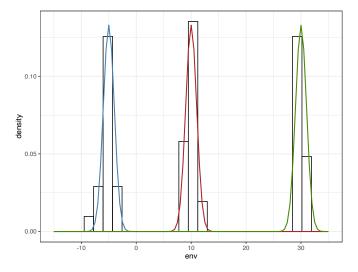


Figure: Temperature.



Results

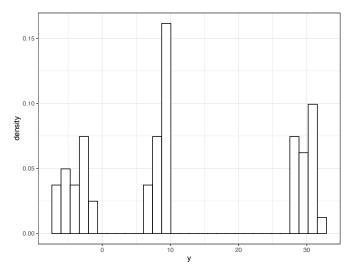


Figure: y.



Model

The configuration of the second simulation was

- 3 groups of genotypes
- ▶ 3 groups of enviroments
- ▶ 100 observations
- ▶ Mean of the groups (env): -5,10,30.
- ▶ Mean of the groups (gen): -1,0,1.



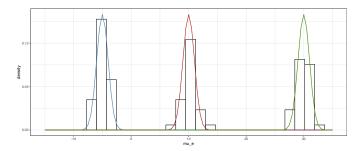


Figure: Temperature.



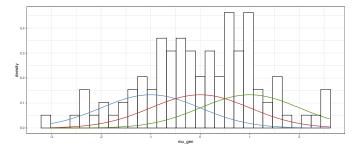


Figure: Temperature.



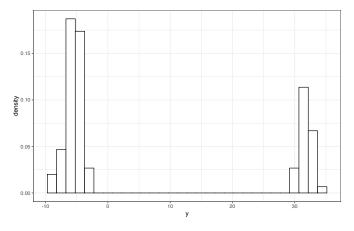


Figure: y.

