

Steady-State: $\dot{m} = \sum_{in} m - \sum_{out}$

- ① closed mass change \times work \vee heat \checkmark
- ② open mass change \checkmark work \vee heat \checkmark
- ③ isolated mass change \times work \times heat \times

Intensive property: P, T, V, u, h, s, x

Extensive property: V, U, H, S

Process: transformation between 2 states

★ The change between properties is independent of the process

只与状态相关.

Closed system \rightarrow Lagrangian View \rightarrow particle tracking / control mass 质量不变.
mass enclosed by a boundaryOpen system \rightarrow Eulerian View \rightarrow control volume. 质量移动
volume enclosed by a boundary.Pressure. ① Gage pressure: $P_{\text{gage}} = P_{\text{absolute}} - P_{\text{atmosphere}}$ ② Vacuum pressure: $P_{\text{vacuum}} = P_{\text{atmosphere}} - P_{\text{absolute}}$ Temperature. $T^{\circ}\text{C} = 1.8T\text{K}$ $T^{\circ}\text{C} = T\text{K} - 273.15$ $T^{\circ}\text{F} = 1.8T\text{C} + 32$ $T^{\circ}\text{F} = T^{\circ}\text{C} + 459.67$ Specific Volume $v = \frac{V}{m} = \frac{1}{P}$ Quality (x) $x = \frac{m_{\text{vapor}}}{m_{\text{total}}}$

Equilibrium: Isolate a system from all surroundings and let it settle to a uniform state - equilibrium state

T 不变 w 不变 m

Quasi-Equilibrium: $t_{\text{eq}} \ll t_p$ \leftarrow 整个过程相对时间 \Rightarrow Always equilibrium

到达平衡的时间

Work: Done by a system on its surroundings.

 $W_{\text{ext}} = \int p dV$ Ideal Gas: $pV = nRT \Rightarrow pV = RT$

↑ specific volume

Work Model: $F=x$ $W = \int F dx$ $\downarrow A$ $W = \int dA$ \downarrow $p-V$ $W = \int p dV$

First Law of Thermodynamics.

Energy is Conserved.

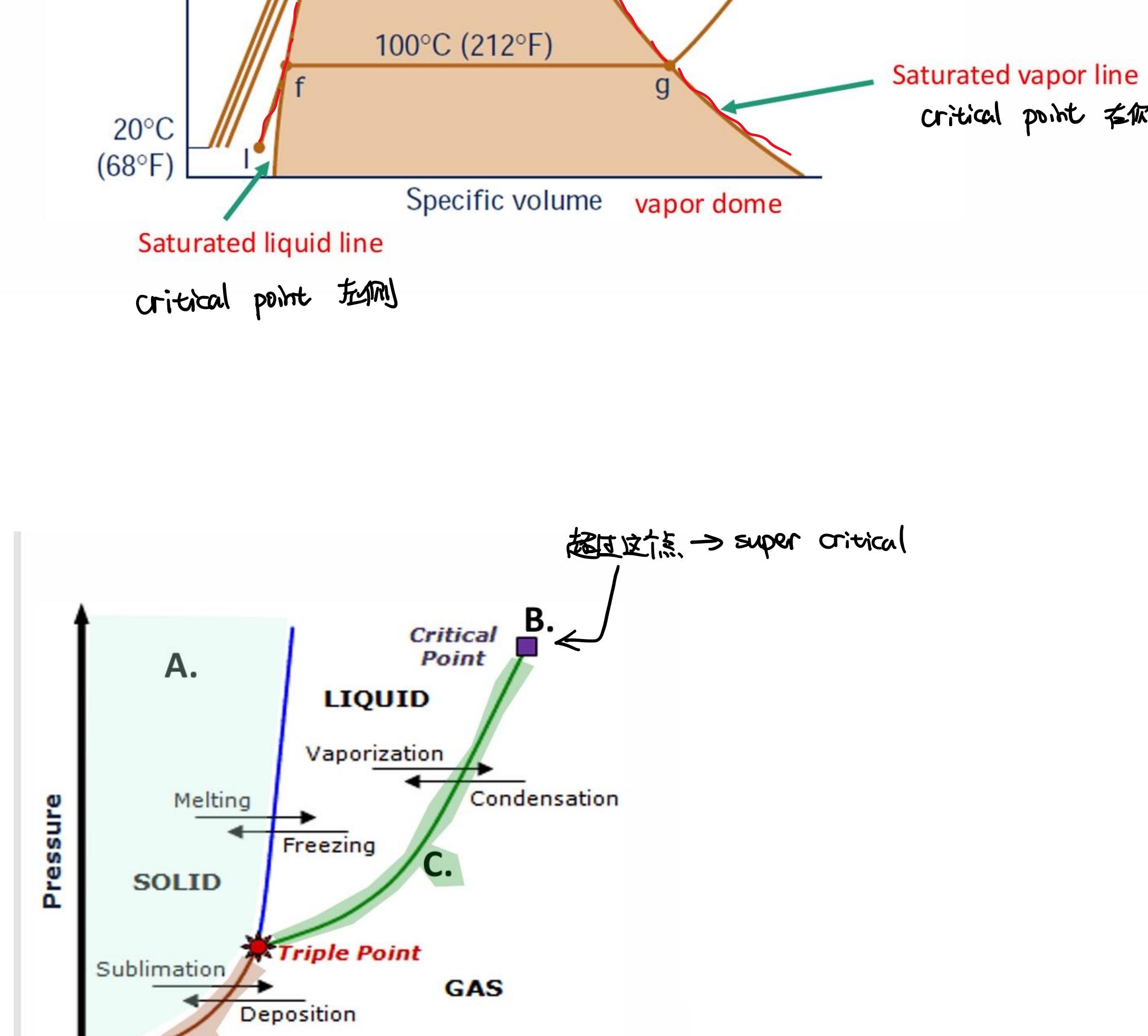
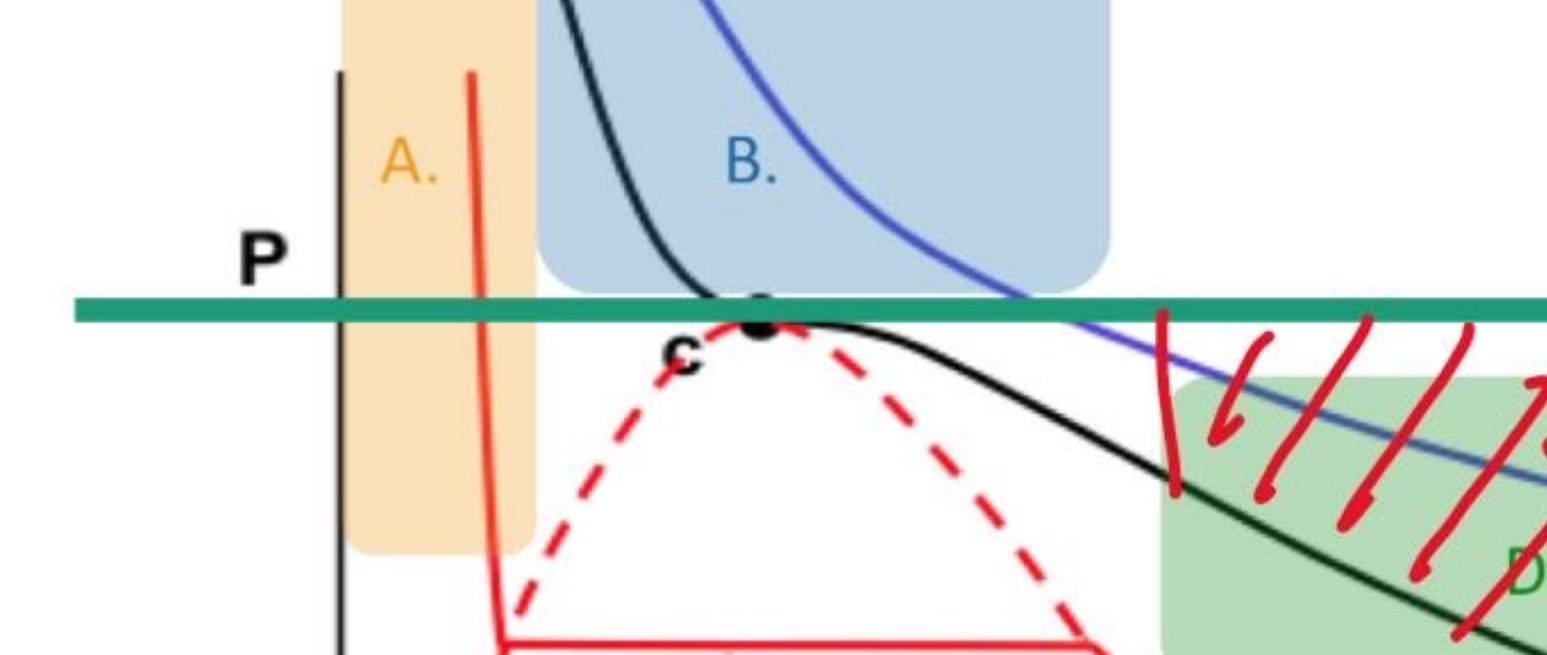
Closed system: $Q_{\text{in}} - W_{\text{ext}} = E_2 - E_1 = \Delta E + \Delta E + \Delta U$

pure: 只有-种物质 Simple: 只有-种形式 to work. Compressible: Only work from compression.

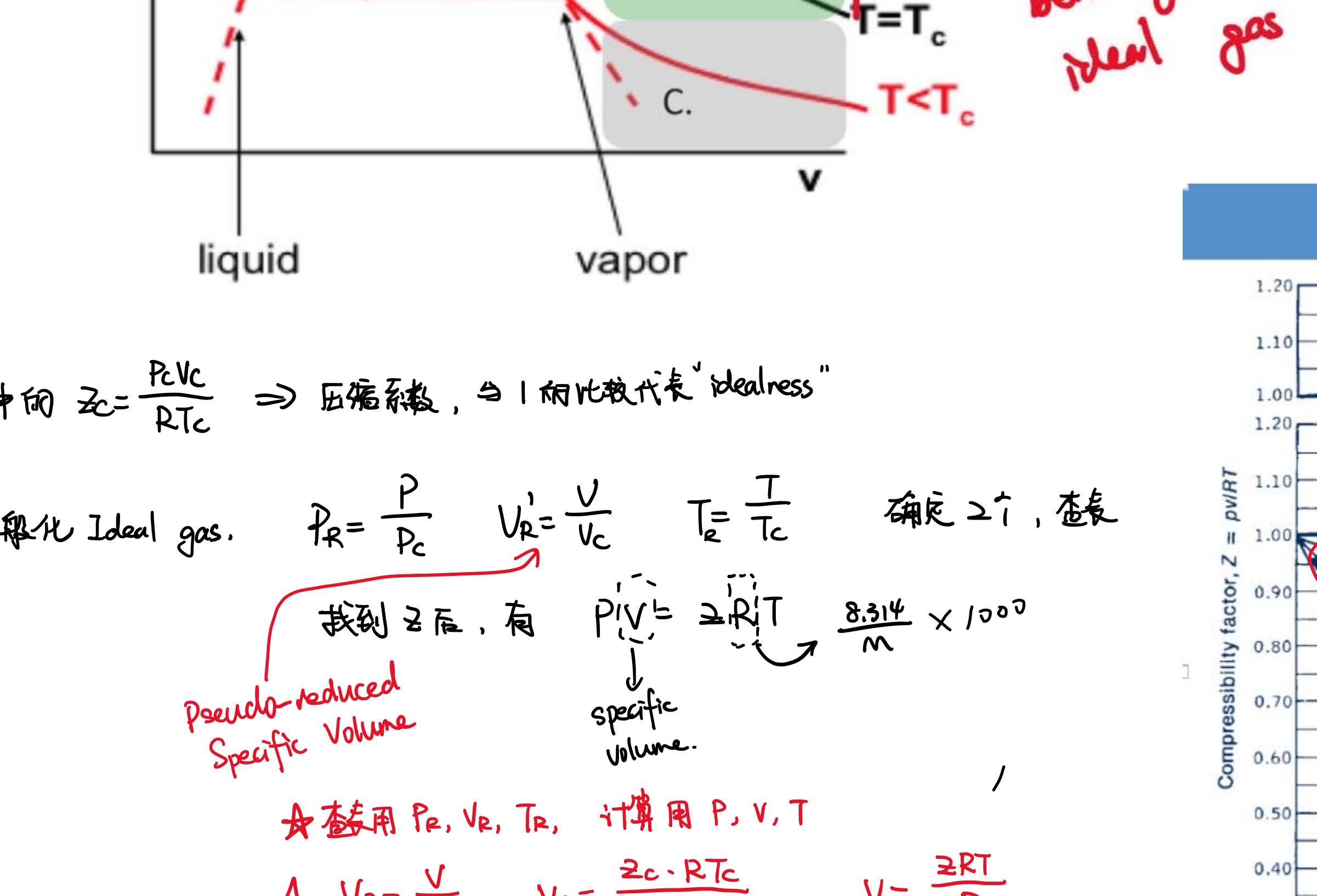
材料 特定长高, 体积 V

$$V = \frac{m_{\text{liquid}}}{m} V_f + \frac{m_{\text{vapor}}}{m} V_g$$

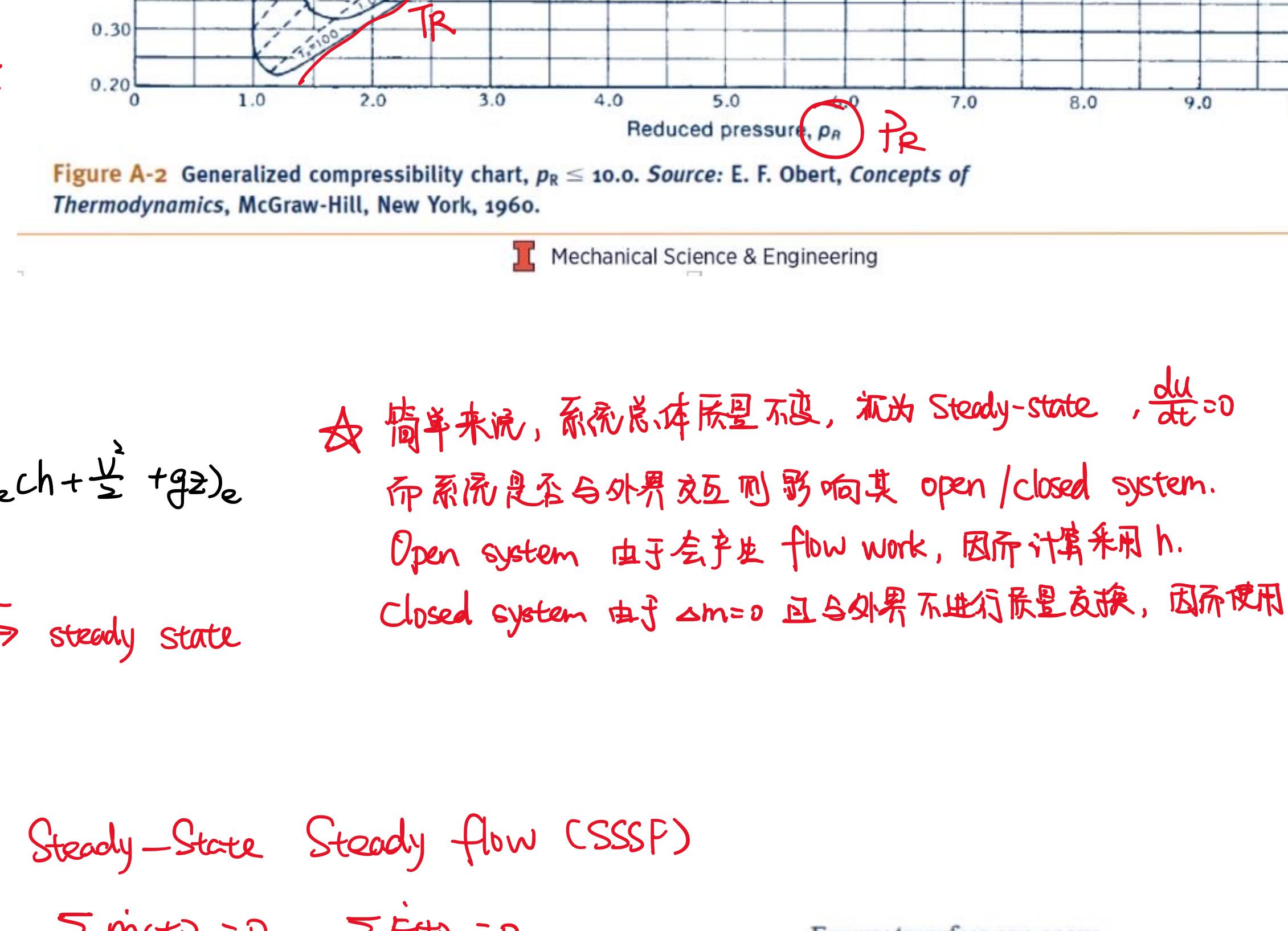
$$= (1-x) V_f + x V_g$$

Usually, for $p < p_c$ and $T > T_c$, ideal gas assumption is reasonable.

most likely to find component behavior like ideal gas

表中固 $Z = \frac{PcVc}{RTc} \Rightarrow$ 压缩系数, 与1相比越大越"ideality"一般化 Ideal gas. $P_R = \frac{P}{P_c} \quad V_R = \frac{V}{V_c} \quad T_R = \frac{T}{T_c}$ 确实 2个, 查表找到后, 有 $P/V = Z R T$ Pseudo-reduced Specific Volume \downarrow $\frac{P}{V} = \frac{Z}{R} \cdot T$ ★ 适用 P_c, V_c, T_c , 计算用 P, V, T

$$\star, V_R = \frac{V}{V_c} \quad V_c = \frac{Z_c \cdot R T_c}{P_c}, \quad V = \frac{Z}{R} \cdot T$$

Hence $V_R = \frac{Z}{Z_c} \cdot \frac{T}{T_c}$ 因此此处假设 T_c, P_c, V_c 为根据条件
因此 $Z_c = 1$ (T_c, P_c 查表)Figure A-2 Generalized compressibility chart, $p_c = 10.0$. Source: E. F. Obert, Concepts of Thermodynamics, McGraw-Hill, New York, 1960.

Mechanical Science & Engineering

1st Law of Thermodynamics

① For Macroscopic Control Volume

$$E_2 - E_1 = Q_{\text{in}} - W_{\text{ext}} + m_i (h_i + \frac{V_i^2}{2} + gz_i) - m_e (h_e + \frac{V_e^2}{2} + gz_e)$$

② For closed system

closed system \rightarrow steady state

$$U_2 - U_1 = \Delta U = Q - W$$

③ For open system

$$\frac{dU}{dt} = (Q - W) + \sum m_i h_i - \sum m_e h_e$$

If steady state, then $\frac{dU}{dt} = 0$ ★ 简单来说, 热流总体质呈不变, 为 Steady-state, $\frac{dU}{dt} = 0$

而系统是否与外界交互则影响其 open / closed system.

Open system 由于会产生产 flow work, 因而计算采用 h .Closed system 由于 $\Delta m = 0$ 且与外界不进行质互交换, 因而使用 u .

power cycle.

Turbine: 漩轮机 \rightarrow 输出功. 出来的气体是 Saturated-vaporPressure \downarrow Velocity \uparrow ★ 由于进/出的温差不同,
导致速度 \uparrow 与出 turbine 后由于温度升高而造成向体积膨胀
会影响其运动速度.Natural Gas turbine
velocity could decrease.

Assumptions for turbine analysis

① Steady state \rightarrow Adiabatic boundaries. ($\dot{Q}=0$)② Equilibrium states at inlet & outlet ($T_{in} = T_{out}$)

③ Mass average velocity adequate for calculation.

④ No heat loss $\rightarrow \Delta P.E$ could be negligible. ★ P.E 不忽略.

★ Steady-State Steady flow (SSSF)

$$\sum m_i v_i = \sum m_e v_e$$

Energy transfers can occur by heat and work

$$Inlet i: \dot{m}_i, \dot{V}_i, \dot{h}_i, \dot{P}_i, \dot{T}_i$$

$$Exit e: \dot{m}_e, \dot{V}_e, \dot{h}_e, \dot{P}_e, \dot{T}_e$$

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