Names: Philipp Köhler, Alexander Bespalow a) $f(x) = \left(\frac{x^2}{\log(x)} + c\right) \cdot \left(\frac{x^2}{\log(x)} - c\right)$ $a(x) = \left(\frac{x^2}{\log(x)} + c\right)$ $b(x) = \left(\frac{x^2}{\log(x)} - c\right)$ c(x)= x2 Log(x) $\frac{\partial f(x)}{\partial x} = \frac{\partial f(x)}{\partial a(x)} \frac{\partial a(x)}{\partial c(x)} \left(\frac{\partial c(x)}{\partial x^2} \right) \frac{\partial x^2}{\partial x} + \frac{\partial c(x)}{\partial \frac{1}{(x)}} \frac{\partial f_{-}(x)}{\partial f_{-}(x)} \frac{\partial f_{-}(x)}{\partial x} \right)$ $+ \frac{3 f(x)}{3 f(x)} \frac{3 f(x)}{3 f(x)} \left(\frac{3 f(x)}{3 f(x)} \frac{3 f(x)}{3 f(x)} \right) \frac{3 f(x)}{3 f(x)} \frac{$ $= \left(\frac{\partial f(x)}{\partial a(x)} \frac{\partial a(x)}{\partial c(x)} + \frac{\partial f(x)}{\partial b(x)} \frac{\partial c(x)}{\partial c(x)}\right) \left(\frac{\partial c(x)}{\partial c(x)} \frac{\partial x^2}{\partial x} + \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial x} + \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} + \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} + \frac{\partial c(x)}{\partial c(x)} + \frac{\partial c(x)}{\partial c(x)} + \frac{\partial c(x)}{\partial c(x)} \frac{\partial c(x)}{\partial c(x)} + \frac{\partial$ x = 3 , c = 5 x2 = 9 , ((x) = (3) = 1,1 c(2) = = = 8,2 a(3) = 3 + 5 = 13, 1 , b(3) = 3 - 5 = 3,2 f(3) = 42 ,7 2 /. (x) = L. (x) = 6 (3) = 11 $\frac{3 \cdot (x)}{3 \cdot (x)} = x^2 = 9$ Aren't you just evaluating the chain rule here? $\frac{\int c(x)}{\partial x^{2}} = \frac{1}{A(x)} = 0,9$ $\frac{1}{A(x)} = \frac{1}{A(x)} = 0,9$ 2 17,2 a(v) = a(3) 213 2

```
3 f(x) = 6(x)
3 a(x) | 5(y) = 6(3) 2 3, 2 6
                                  2 7, 2
                       6(4)=6(3)= 32
                           3,2.1+13,2.1).(0,5.6+9.(-0,8). = 452
         X . 3 . C . 5
In this case and by hand symbolic differentiation is carrier becase a lot of annotation
disappear
```

1 Reverse Mode Automatic Differentiation

d)

d)

```
import torch
   x = torch.tensor(3.0, requires_grad=True)
   c = torch.tensor(5.0, requires_grad=True)
   f1 - x^{**}2
   f2 = torch.log(x)
   f3 - f1 / f2
   f4 - f3 + c
   f5 - f3 - c
   output = f4 * f5
   output.backward()
   dx = x.grad
   dc - c.grad
   print(f"Derivative with respect to x: {dx}")
   print(f"Derivative with respect to c: {dc}")
Derivative with respect to x: 48.756893157958984
```

Derivative with respect to c: -10.0

solution is different from calculated x with 0.5 distance, which is due to the rounding of intermediate steps in the calculation by hand.

is the momentum that smooths the gradient of with the Lynesperameter B . [0,1]

it reduces the gradient for steep gradients

The division of (1-18)t) and (1-18)t) countracts the initialization

lias towards O.

$$\frac{\hat{n}^4}{\sqrt{\hat{v}^2} + c} = \frac{g}{\sqrt{g^2} + c} = \frac{g}{|g|} = 2ign(g)$$

c) m'= (1-/3) g7 , v1= (1-2)(g1)2

$$\frac{h^{2}}{\sqrt{b^{2}} + E} = \frac{\beta(1-\beta)}{|1-\beta^{2}|} \frac{1}{3} + \frac{(1-\beta)}{|1-\beta^{2}|} \frac{1}{3}$$

$$\sqrt{\frac{(1-x^2)}{(1-x^2)}} \left(\frac{1}{g^2}\right)^2 + \frac{1-x^2}{(1-x^2)} \left(\frac{1}{g^2}\right)^2 + \frac{1-x^2}{(1-x^2)} \left(\frac{1}{g^2}\right)^2 + \frac{1}{(1-x^2)} \left(\frac{1}{g^2}\right)^2 + \frac{1}{(1-x^2$$

Smaller initial learning rates in the instial steps (learning rate wormap) can solve this issue of the dominating sign (g).

e) Adam has an adaptive learningrate Murefore L2 regularization is not the same as weight decay. In the case of SGD it would be. In Adam the regularization is varied by the adaptive learningrate with heads to inconsistency and less

predictable behaviour. The weight decay is preferred.

```
a) marpooling Kernel k= 2, with tride 5= 2, padding p= 0
      convolution Kernel k= 3 , with While s= 1, padding p= 1
        recuptive field +
              rood = r:n + (k-1) jump , jump out = jump in s
                                                                                          general formula:
                                                                                          r_= 1 + E TT s; (k;-1)
        instial: ro = 1 , jump = 1
        Coav 1: r = r + (k-1). jump.
                                                          Imap = Juap . 5
                                                                                        3 Receptive Field of VGG16
                         = 1 + (3 - 1) . 1
                                                                                           arch = [0,0,1,0,0,1,0,0,1,0,0,1,0,0,1,0,0,1]
                                                          jump = 1 . 1 = 1
                       r_1 = 3 + (3 - 1) \cdot 1 = 5
       Conv 2:
                       r_3 = 5 + (2 - 1) \cdot 1 = 6
                                                          jump = 1.2=2
       map. 7:
                                                                                               print("not known Layer")
                                                          jumpy - 1 . 1 = 2
                       r = 6 + (3 - 1) · 1 = 10
       Conv. 3:
       Conv. 4:
                                                          jumps . 1 . 1 = 2
                       rg = 10 + (3 - 1) · 1 = 14,
                                                          jump = 2.2 = 4
                       rc = 14 + (2 - 1) · 2 = 16
        map. 2.
                                                           Perfect
                       r-1= 212
     Perans is conv layer = # Filters. [ # input channels. Kernel size + 1 ]. filters are used
     normod as params
                                                                                 b)
                                  # inputs . Housputs + # outputs
     Paramy in FC layer =
                                                                                    def conv_param(filters, inp_chan, k):
                                                                                      return filters * (inp_chan * k +1)
                                                                                    def fc_param(inputs, outputs):
     First Layer:
                                                                                      return inputs * outputs + outputs
                                                                                    layers_conv - [[64,3,3],[64,64,3],[128,128,3],
                      64. (3.3+1) = 640
                                                                                             [128,128,3],[256,256,3],[256,256,3],
                                                                                             [256,256,3],[512,512,3],[512,512,3],
                                                                                             [512,512,3],[512,512,3],[512,512,3],
                                                                                             [512,512,3]]
                    # perem = 64 . (64.3 +1) = 72 352
     1. Layer:
                                                                                    conv_params - 0
                                                                                    for layer in layers_conv:
                                                                                      conv_params +- conv_param(*layer)
                                                                                    layers tc = [[7"7"512,4096],[4096,4096],[4096,1000]]
     * Adal porams = 123
                                   066
                                            66 4
                                                                                    fc params = 0
                                                                                    for layer in layers_fc:
                                                                                      fc_params += fc_param(*layer)
     # fc param
                      - 123
                                   6 42
                                                                                    print(f'# total params: {fc_params+conv_params}")
                                                                                    print(f"# fc params: {fc params}")
                                                                                    print(f"# conv params: (conv_params)")
                                            808
                                                                                   print(f"ratio: {conv_params/fc_params}")
                                   423
                # conv porom
                                                                                 # total params: 129066664
                                  = 0,044
                                                                                 # fc params: 123642856
                                                                                 # conv params: 5423808
                                                                                 ratio: 0.043866731774620284
```