

ROBOOP  
A Robotics Object Oriented Package in C++  
version 1.31

Documentation

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make

or





Upgraded the matrix library to NEWMAT11 (beta) April 2006 enabling compilation under GNU g++ 4.1.s.









- Removed class `mlink`. DH and modified DH parameters are now included in `link`.
- Added `kine_pd()`.
- Created a new torque member function that allowed to have load on last link.
- Fixed bug in modified DH dynamics.
- Added a class `Quaternion`.
- Added the `pygogamrtest` to compare results with Peter Cogke MATLAB toolbox.
- Added member function `set_plot2d` to generate plots using the `Plot2d` class.
- Added utility class `IO_matrix_file` dealing with data files (not documented yet).

Revision 1 (2002/08/09) Moved the arrays of `ColumnVector` to the con-







source		the ROBOOP proTram source directory
CMakeLists	txt	Configuration file for CMake
robot	h	header file
cli	h	header file for CLI
config	h	

con  
pd\_

configuration files directory







## **irotk**

$\mathbf{yn}_i$

ReturnMatrix irotk(const Matrix & R);

Definition

Given a homogeneous transform matrix  $R$ , this function returns a column vector

$$\mathbf{k} \quad (2.5)$$

with  $\mathbf{k}$  a unit vector such that the  $3 \times 3$  rotation bloc of the matrix

$$\text{Rot}(\mathbf{k}, ) \quad (2.6)$$

is equal to the  $3 \times 3$  rotation bloc of the matrix  $R$ .

$\mathbf{e}_i \mathbf{n} \quad \mathbf{e}$

ColumnVector.

**irpy**

$$\mathbf{y}_{n_t} \quad (2.7)$$

ReturnMatrix irpy(const Matrix & R);

of the matrix

Definition

Given a homogeneous transform matrix R, this function returns a column vector





## **rotk**

**yn<sub>l</sub>**

ReturnMatrix rotk(const Real theta,  
const ColumnVector & k);

**Def<sub>l</sub> c<sub>l</sub> on**

**This function returns the matrix of a rotation of an angle theta around the vector**

**rpy**

$\mathbf{y}_n$

ReturnMatrix rpy(constColumnVector&a);

Definition

Giv a

**rotx, roty, rotz**

$\mathbf{yn}_t$

ReturnMatrix rotx(const Real alpha);



## 2.2 The Quaternion class

The Quaternion

## operators

`Quaternion`

```
Quaternion operator+(const Quaternion & q)const;  
Quaternion operator-(const Quaternion & q)const;  
Quaternion operator*(const Quaternion & q)const;  
Quaternion operator*(const ColumnVector & vec)const;  
Quaternion operator*(constReal c)const;  
Quaternion operator/(const Quaternion & q)const;  
Quaternion operator/(constReal c)const;
```

`Quaternion`

`Quaternion`

**conjugate and inverse**

$\mathbf{y}^{\mathbf{n}}_{\mathbf{t}}$







## quaternion time derivative

$\dot{y}_n$

```
Quaternion dot(const ColumnVector & w, const short sign)const;  
ReturnMatrix E(const short sign)const;
```

Definition

The quaternion time derivative is obtained from the quaternion

**unit and norm**



## Rotation matrices

**Omega,**

$\mathbf{yn}_t$







## Squad

`ynt`

```
Quaternion Squad(const Quaternion & p, const Quaternion & a,  
                 const Quaternion & b, const Quaternion & r,  
                 const Real t);
```

**Definition**

**Squad** stands for **Spherical Cubic Interpolation**. **Squad** is not a member

## Squad\_prime

yn<sub>t</sub>

```
Quaternion Squad_prime(const Quaternion & p, const Quaternion & a,  
                        const Quaternion & b, const Quaternion & q,  
                        const Real t);
```

Def<sup>§</sup> c<sup>′</sup> <sub>t</sub> on

## 2.3 The Robot and mRobot classes

The Robot and mRobot

**Table 2.1: The Link class data parameters**

--

$n_{\text{dof}} \times$

**constructors**

**get\_q, get\_qp, get\_qpp**

$\mathbf{y}_{\mathbf{n}_t}$

ReturnMatrix get\_q(void);







**inv\_kin** $\mathbf{y}_t$ 

```
ReturnMatrix inv_kin(const Matrix & Tobj, const int mj = 0);
ReturnMatrix inv_kin(const Matrix & Tobj, const int mj,
                    const int endlink, bool & converge);
```

## Decision

The inverse kinematic model is computed using a Newton-Raphson technique. If  $m_j = 0$ , it is used on the following [6]:

$${}^0T_n(q) = {}^0T_n(q + q) \quad {}^0T_n(q) T(q) = T_{oj} \quad (2.35)$$

$$T(q) = ({}^0T_n(q))^{-1}T_{oj} = I \quad \blacktriangle \quad (2.36)$$

 



inv\_kin\_



## **jacobian\_dot**

$\mathbf{y}_{n_t}$

ReturnMatrix jacobian\_dot(const int ref=0);

Definition

The manipulator Jacobian time derivative can be used to compute the end

**jacobian\_DLS\_inv**

$\mathbf{y}\mathbf{n}_t$









### 2.3.3 Dynamics

The robotics manipulator dynamic model is given by (see appendix A or [4])

$$= D(q) \ddot{q} + C(q, \dot{q}) + G(q) \quad (2.66)$$

## **inertia**

$\mathbf{y}_{n_t}$

ReturnMatrix inertia(const ColumnVector & q);

Definition

This function computes the robot inertia matrix  $\mathbf{D}(\mathbf{q})$ . A simplified RNE version computing

$$\mathbf{D}(\mathbf{q}) = \mathbf{D}(\mathbf{q}, \ddot{\mathbf{q}}) \quad (2.69)$$



**torque\_nby**

$y_{n_t}$

**G and C**

### 2.3.4 Linearized dynamics

Murray and Neuman [13] have developed an efficient recursive linearized Newton-Euler formulation that can be used to compute (see appendix A)

04d (U Rnd) d (RNd) PdT U Rd jT U Rd T Nd (26Nd) (S U RNd) ae

---





## **dqp\_torque**

$\mathbf{y}_{n_t}$

```
void dqp_torque(const ColumnVector & q,  
               const ColumnVector & qp,  
               const ColumnVector & dqp,  
               ColumnVector & torque,  
               ColumnVector & dtorque);
```

**Definition**

**This function computes**

$$\mathbf{S}_1(\mathbf{q}, \dot{\mathbf{q}}) \dot{\mathbf{q}} \quad (2.73)$$

$\mathbf{e}_{n_t} \mathbf{n} \quad \mathbf{e}$

**None** (torque **and** dtorque)

## dtau\_dq

$\mathbf{y}_{n_t}$

```
ReturnMatrix dtau_dq(const ColumnVector & q,
                     const ColumnVector & qp,
                     const ColumnVector & qpp);
```

Definition

This function computes

$$\frac{\partial^2 \mathcal{L}}{\partial \mathbf{q}^2} = \mathbf{S}_2(\mathbf{q}, \dot{\mathbf{q}}, \ddot{\mathbf{q}}) \quad (2.74)$$

$\mathbf{e}_{n_t} \mathbf{n} \quad \mathbf{e}$

Matrix

**dtau\_dqp**

$\mathbf{y} \mathbf{n}_t$

```
ReturnMatrix dtau_dqp(const ColumnVector & q,  
                      const ColumnVector & qp);
```

**perturb\_robot**





## 2.5 The Spl\_path class

Spl\_path uses three instances of the class Spl\_Cubic f986(28(21(o)0.0492351rc)-3120549(p)0.32898(a)0.

---









## 2.7 The Trajectory\_Select class

## **set\_trajectory**

$\mathbf{y}_{\mathbf{n}_t}$

```
void set_trajectory(const string & filename);
```









**torque\_cmd**

$\mathbf{y}_{\mathbf{n}_t}$

ReturnMatrix torque\_cmd(Robot\_basic & robot, const ColumnVector & qd,  
const ColumnVector & qpd);

$K_{\phi}$

## **2.10 The Computed\_torque\_method class**

The `Computed_torque_method` class deals with the well known computed

**torque\_cmd**

$\mathbf{y}_{\mathbf{n}_t}$

ReturnMatrix torque\_cmd(Robot\_basic & robot, const ColumnVector & qd,  
const ColumnVector & qpd);

**$K_d$ ,  $K_p$**

**$y_{n_t}$**

```
short set_Kp(const DiagonalMatrix & Kp);  
short set_Kd(const DiagonalMatrix & Kd);
```

**Definition**

These functions sets the joint position error gain matrix,  $K_p$



**torque**

$K_{pp}, K_{vp}, K_{po}, K_{vo}$

$yn_t$

```
void set_Kpp(const double Kpp);  
void set_Kvp(const double Kvp);  
void set_Kpo(const double Kpo);  
void set_Kvo(const double Kvo);
```

Declaration





## control

$\mathbf{y}_{n_t}$

```
short control(const ColumnVector & pdpp, const ColumnVector & pdp,  
              const ColumnVector & pd, const ColumnVector & wdp,  
              const ColumnVector & wd, const Quaternion & qd,  
              const ColumnVector & f, const ColumnVector & n,  
              const Real dt);
```

Decision





**get\_dof**

$\mathbf{y}_n$

int get\_dof();

Definition

This function return the degree of  $185(f)812(f)0.304362(r)-0.210368(e)-0.234986(e)-0.234986(d)0.331218$

## **set\_control**

yn<sub>t</sub>

void set\_control(const string & filename);

Def<sup>s</sup> c<sup>s</sup> t<sup>s</sup> on

**This function set the active controller.**

e<sub>t</sub> n e

**None**

## **2.14 The Stewart class**

Coming soon ... (based on [17]).







## **read**

$\mathbf{y}\mathbf{n}_t$

```
short read(const vector<Matrix> & data);
```

```
short read(const vector<Matrix> & data, const vector<string> & data_title);
```



Plot2d

## **addcommand**

yn<sub>l</sub>

void addcommand(const char \* gcom);

Def<sup>s</sup>c<sup>s</sup>ion<sub>l</sub>

## **addcurve**

$\mathbf{y}\mathbf{n}_t$

```
void addcurve(const Matrix & data,  
             const char * label = "",
```



## **gnuplot**

`gnuplot`

`void gnuplot(void);`

**Description**

This function calls `gnuplot` with the current content of the object.

`return`

**None**



## settitle

yn<sub>t</sub>

```
void settitle(const char * t);
```

Def<sup>s</sup> c<sup>s</sup> <sub>t</sub> on

This function sets the title of the graph to the strin(n)148210368(i)-0.248413(n)(r)57Tf Td2584.369(t)

## setxlabel

`ynt`

`void setxlabel (const char * t);`

Definition

t.

`et n e`

None

**setylabel**

$\mathbf{yn}_t$





## **set\_plot2d**

**yn<sub>t</sub>**

```
void set_plot2d(const char *title_graph, const char *x_axis_title,  
               const char *y_axis_title, const char *label, int type,  
               const Matrix &xdata, const Matrix &ydata,  
               int start_y, int end_y);
```

```
void set_plot2d(const char *title_graph, const char *x_axis_title,  
               const char *y_axis_title, const std::vector<char *> label,
```



## Reading and writing

`yn_t`

`short read_conf();`

`short write_conf(const string filename, const string file_title, const int space_between`

**Definition**

The member function `read`

`_conf` reads a configuration file (specified by constructor). The member function



## select

yn\_t

```
short select(const string section, const string parameter,  
             string & value) const;  
short select(const string section, const string parameter,  
             bool & value) const;  
short select(const string section, const string parameter,  
             short & value) const;  
short select(const string section, const string parameter,  
             int & value) const;  
short select(const string section, const string parameter,  
             double & value) const;  
short select(const string section, const string parameter,  
             float & value) const;
```

Definition

These member functions are used to assign to the variable `value` the value of the parameter `parameter` from section `section`.

return

Status, as a short int.

0 successful

SECTION\_OR\_PARAMETER\_DOES\_NOT\_EXIST

**add**

 $\mathbf{yn}_t$ 

```
void add(const string section, const string parameter,
        const string value);
void add(const string section, const string parameter,
        const bool value);
void add(const string section, const string parameter,
        const short value);
void add(const string section, const string parameter,
        const int value);
void add(const string section, const string parameter,
        const double value);
void add(const string section, const string parameter, const double value);
```







**pinv**



## **x\_prod\_matrix**

$y \mathbf{n}_t$

ReturnMatrix x\_prod\_matrix(const ColumnVector & x);

Definition

This function computes the cross product matrix  $S(x)$  of  $x$  such that  $S(x)y = x \times y$ .





Table 2.3: Quaternion class member functions

Quaternion	
+, -, *, /, =	







**Table 2.16:** Robot (and mRobot) class member functions

--	--

Table 2.17: Miscellaneous

---





SAMPLE CODE THAT MAKE THE BUG APPARENT:

## **Chapter 4**

## **Credits and**

## Chapter 5

# Bibliography

- [1] Jack C. K. Chou, "Quaternion kinematic and dynamic differential eq0.21036742(a)0.0492351(-)]TJ

- [11] M. W. Walker and D. E. Orin, "Efficient dynamic computer simulation of robotic mechanisms", *ASME Jour. of Dynamic Systems, Measurement, and Control*, vol. 104, pp. 205–211, 1982.

## **Appendix A**

# **Recursive Newton-Euler algorithms, DH notation**

In order to apply the RNE as presented in [13], let us define the following variables (referenced in the  $i^{\text{th}}$  coordinate frame if applicable):

**Initialize:**  $\mathbf{f}_{n+1} = \mathbf{n}_{n+1} = \mathbf{0}$ .

$$\dot{\mathbf{v}}_{ci} = \bar{\mathbf{v}}$$

**i**

$$\begin{aligned} \mathbf{F}_i &= m_i \mathbf{v}_{ci} \\ \mathbf{N}_i &= \mathbf{I}_{ci} \dot{\boldsymbol{\omega}}_i + \end{aligned} \tag{A.16}$$



## **Appendix B**

# **Recursive Newton-Euler**

- Backinitialization for





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