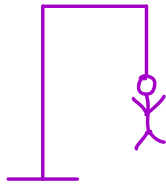




b a s e b a l l



m i n i v a n

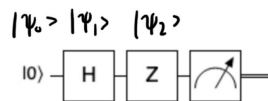
e s o u t

- Example:

$$|\psi_0\rangle = |0\rangle$$

$$|\psi_1\rangle = H|\psi_0\rangle = H|0\rangle = \frac{|0\rangle + |1\rangle}{\sqrt{2}}$$

$$|\psi_2\rangle = Z|\psi_1\rangle = Z\left(\frac{|0\rangle + |1\rangle}{\sqrt{2}}\right) = \frac{|0\rangle - |1\rangle}{\sqrt{2}}$$

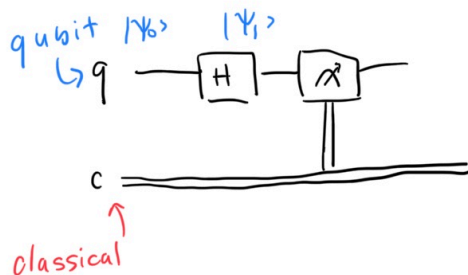


$$H: H|0\rangle = \frac{|0\rangle + |1\rangle}{\sqrt{2}}$$

$$H|1\rangle = \frac{|0\rangle - |1\rangle}{\sqrt{2}}$$

$$Z: Z|0\rangle = |0\rangle$$

$$Z|1\rangle = -|1\rangle$$

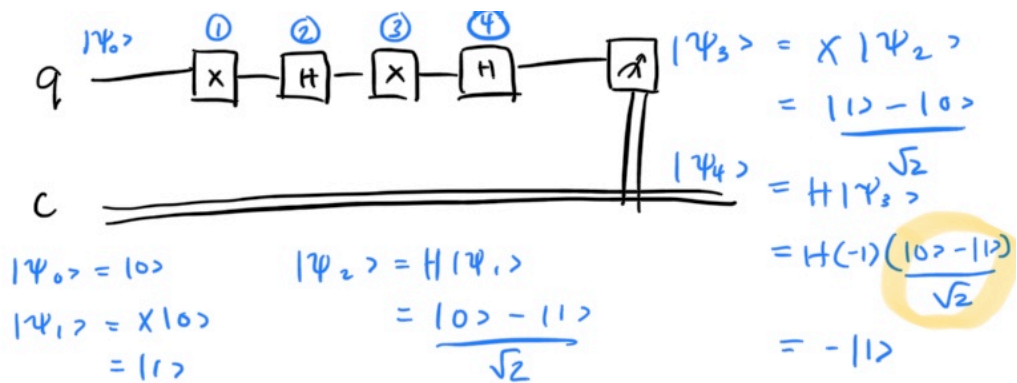


$$|\psi_0\rangle = |0\rangle$$

$$|\psi_1\rangle = \frac{|0\rangle + |1\rangle}{\sqrt{2}}$$

$$= \frac{1}{\sqrt{2}}|0\rangle + \frac{1}{\sqrt{2}}|1\rangle$$

$$|\alpha|^2 = \left(\frac{1}{\sqrt{2}}\right)^2 = \frac{1}{2} = |\beta|^2$$

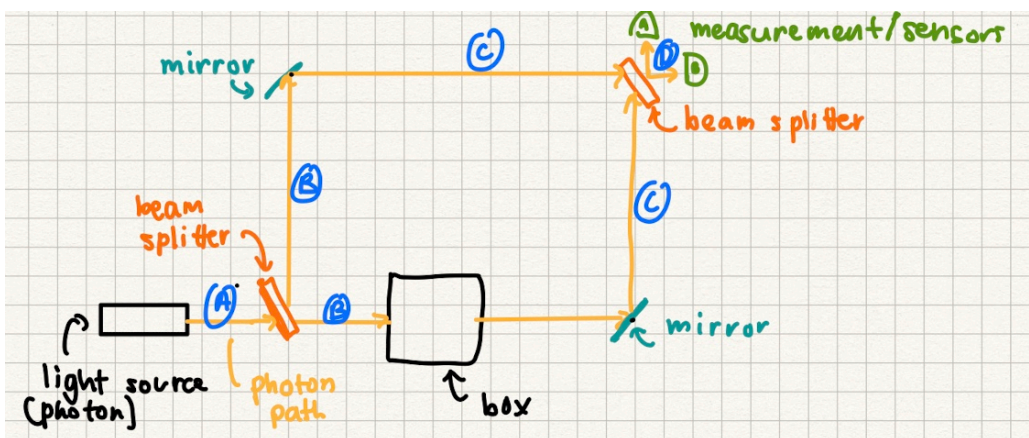


**Note: this didn't run properly during lecture -- the math here is correct (so we should have gotten 100% $|1\rangle$), but my python was having troubles :(

Challenge: Translate our puzzle from last week into a quantum circuit. Write it out using the circuit notation used in lecture, then code the circuit in python! If you're able to do this, I'll give out a prize of some sort

Recall: we made analogies between the quantum circuit and our set up -- use these to translate between the set up and the circuit

Quantum Circuit	Our Setup
Qubit	Photon.
$ 0\rangle$	$ \rightarrow\rangle$
$ 1\rangle$	$ \uparrow\rangle$
Hadamard (H)	Beam Splitter
Not (X) gate	Mirror.
Measurement Devices	$\triangle A$, $\triangle B$, Box



This was our set up (this is what you should translate into a quantum circuit) :

Send your answers to me on Discord or Email -- whichever you prefer :)

