# Artificial Intelligence

**Gregorics Tibor** 

### Information

#### Requirements

- Exam with a theoretical and practical parts: up to 60 points 50-60: excellent, 40-49: good, 30-39: satisfactory, 20-29: pass, 0-19: fail,
- o Final mark can be modified with the sum of the result of
  - short tests at the beginning of each lesson: up to 12 points
  - optional assignments week after week: up to 24 points

#### Contact

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### References

- □ Slides can be found in system canvas:
  - https://canvas.elte.hu/
- S. Russel, P. Norvig: Artificial Intelligence in Modern Approach, Panem-Prentice Hall, 2003.
- N. Nilsson: Principles of Artificial Intelligence, Springer-Verlag, 1982.
- N. Nilsson: Artificial Intelligence: a new synthesis, Morgan Kaufmann Publishers, 1998.
- E. Rich, K. Knigth: Artificial Intelligence, McGraw-Hill, 1991.

# **INTRODUCTION**

# 1. What is artificial intelligence(AI)?

#### **Strong AI**

Its aim is to reproduce the human intelligence with computers



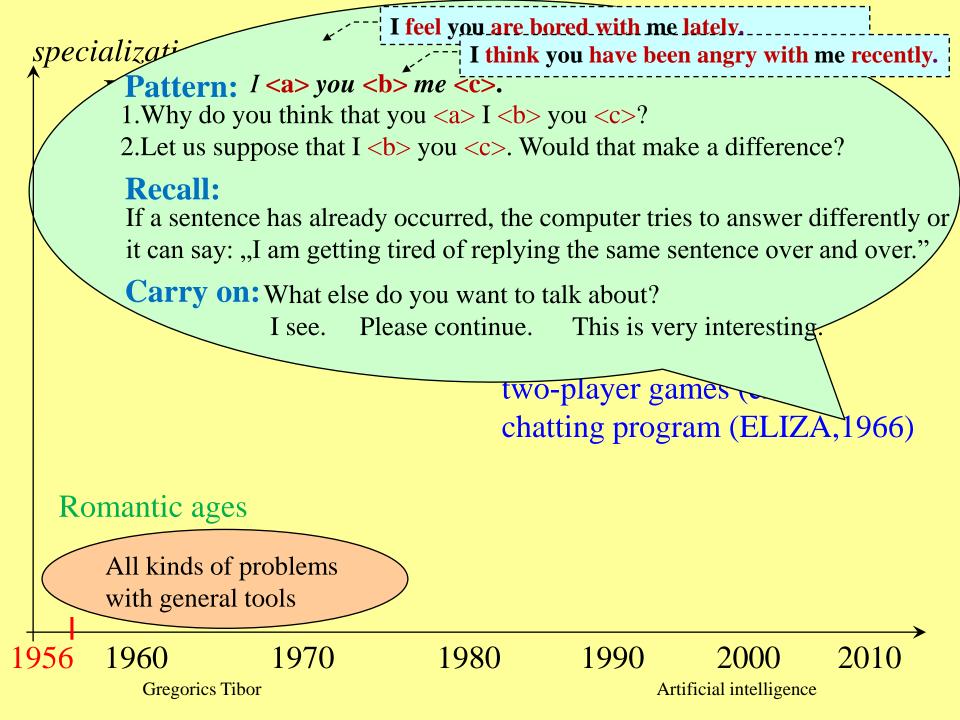
**Skepticism of AI** 

Computer cannot be more clever than human

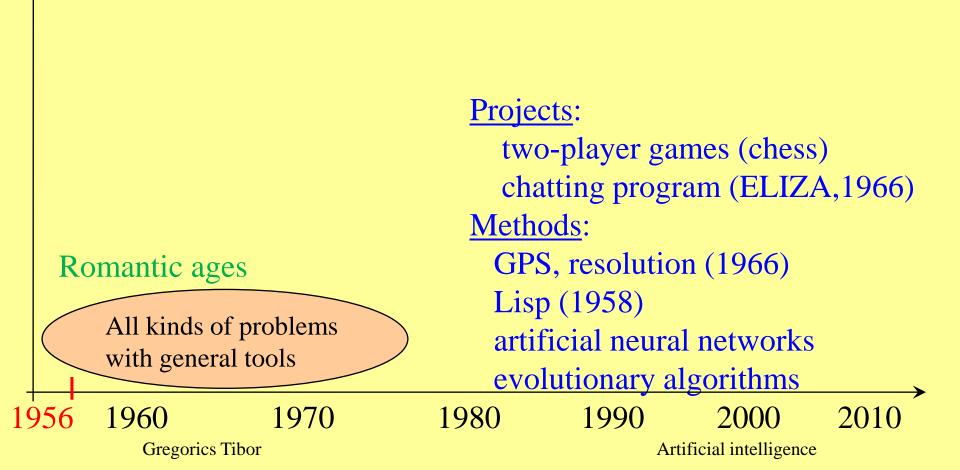
#### Weak AI

The artificial intelligence collects, develops and researches the principles and the methods that are useful to help the human mental activities with computers.

> AI is not a subarea of informatics but an intention to make computers solve interesting new problems which, at this moment, people do better.



specialization History



specialization History

Classical ages

Specialized methods on specialized problems

Romantic ages

All kinds of problems with general tools

**Projects:** 

SHRDLU (1972),

BACON, AM

DENDRAL (1969-78),

MYCIN(1976)

Methods:

heuristic search,

knowledge representation

Prolog

1960 1970

1980

1990

2000

2010

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Artificial intelligence

specialization History

Industrial ages

expert systems
knowledge based systems

Classical ages

Specialized methods on specialized problems

Romantic ages

All kinds of problems with general tools

Projects: XCON(1982),

PROSPECTOR (1979)

Methods:

shells (IDE)

knowledge-based technology

non-monotone reasoning

uncertainty management

1960 1970

1980

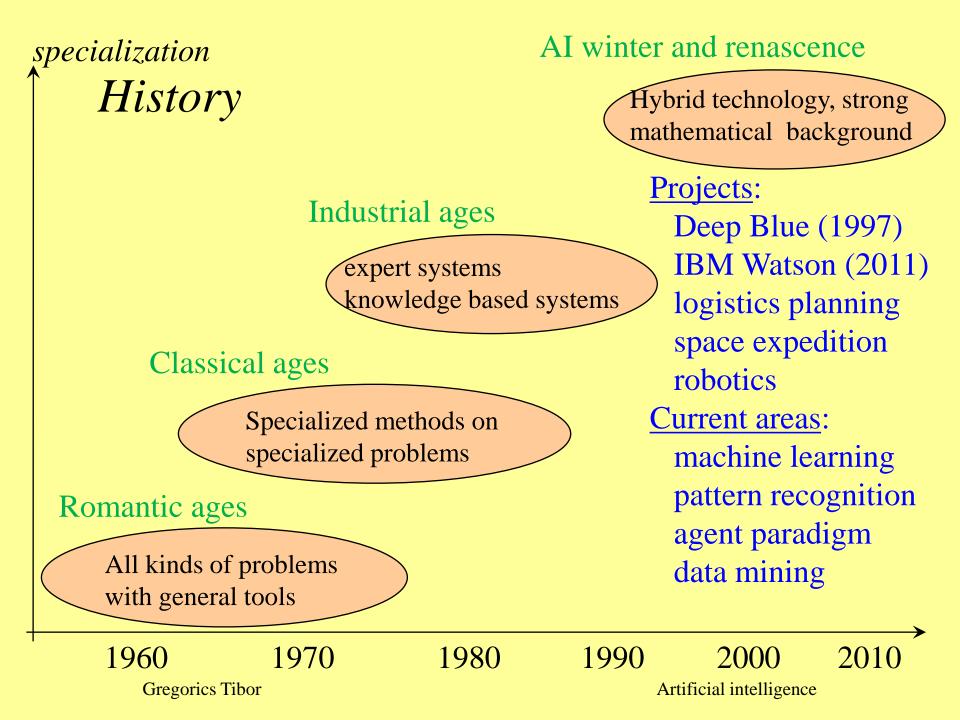
1990

2000

2010

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Artificial intelligence



## How can AI be recognised?

- □ Problems that are solved: difficult
  - Problem spaces of these problems are huge.
  - A traditional systematic search can not find the solution.
     Intuition and creativity (heuristics) is needed to avoid the combinatorial explosion.
- □ Behavior of the software: intelligent
  - Turing test vs. Chinese room\argument
- Methods of the software: special
  - modeling techniques for problems
  - effective heuristic algorithms
  - machine learning methods

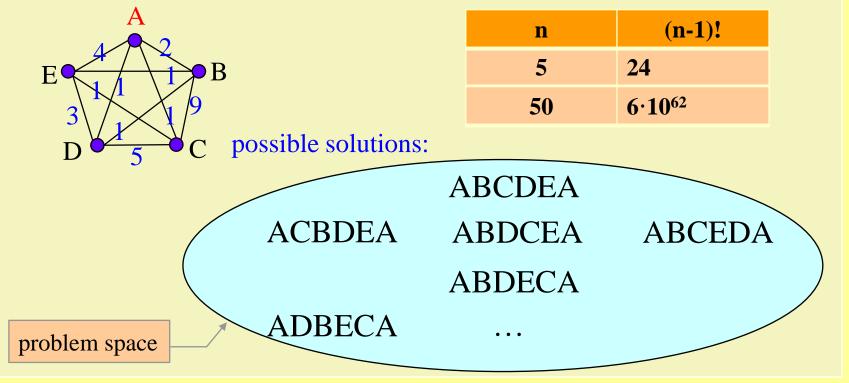
#### **Features of intelligent systems**

- language processing
- storing knowledge
- automatic reasoning
- learning
- + machine vision, acting



### Travelling salesman problem

The traveling salesman must visit every city in his territory exactly once and then return home covering the optimal total cost. (n cities and cost of each pair of cities are known)

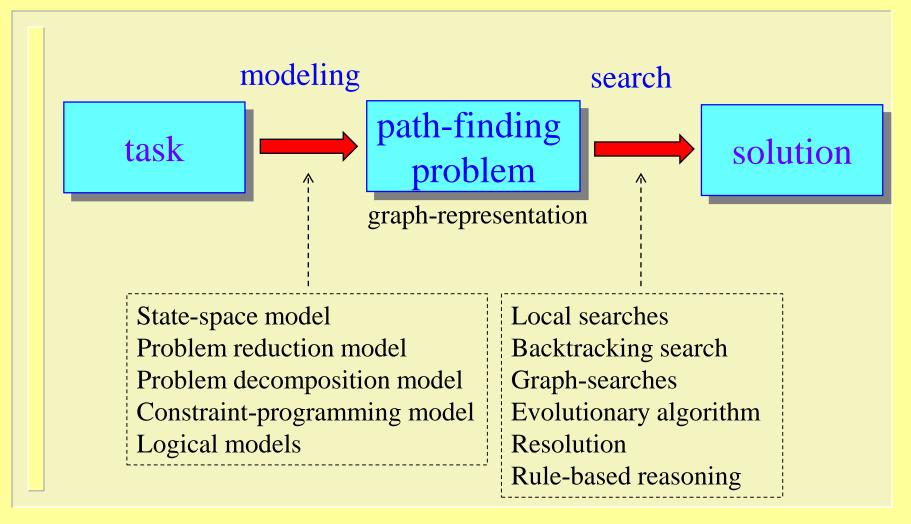




$$\begin{array}{c} x = ?, y = ?, z = ?, t = ? \\ x + y + z + t = 7.11 \\ x \cdot y \cdot z \cdot t = 7.11 \\ x, y, z, t \in \{1, ..., 708\} \\ x + y + z + t = 711 \\ x \cdot y \cdot z \cdot t = 711 \cdot 10^6 = 2^6 \cdot 3^2 \cdot 5^6 \cdot 79 \\ \end{array}$$

$$\begin{array}{c} x = 79 \\ x = 2 \cdot 79 \\ x = 79 \\ x = 2 \cdot 79$$

# 2. Modeling & Search



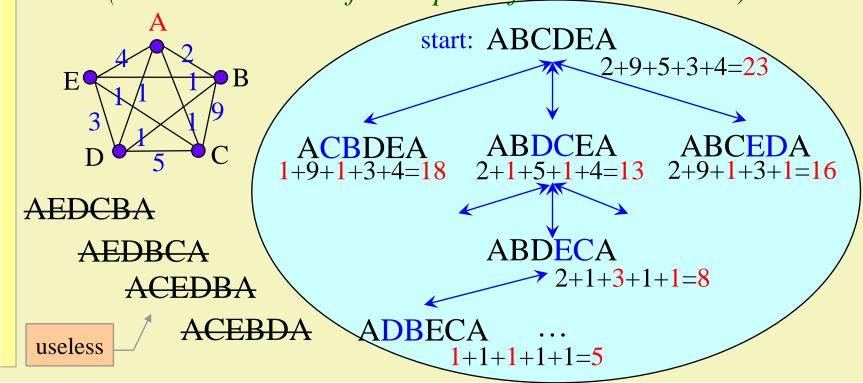
## What does the modeling focus on?

- □ *Problem space*: contains the possible answers.
- □ *Goal*: finding a correct answers (solutions).
- □ *Ideas that help the search*:
  - Restricting the problem space: feasible answers
  - Selecting an initial item of the problem space.
  - Defining neighborhood relationships between the items of the problem space:
    - It helps to go through the problem space systematically.
  - Ranking the currently available items of the problem space during its traversal



### Travelling salesman problem

The traveling salesman must visit every city in his territory exactly once and then return home covering the optimal total cost. (n cities and cost of each pair of cities are known)



### Path-finding problems

- Using an appropriate model, the problem space of a path-finding problem can be treated as an arc-weighted, directed graph, where the items of the problem space are symbolized by either nodes or paths. This graph might be infinite but the number of the outgoing arcs of one node is always finite, and there is a positive constant lower bound on the cost of the arcs ( $\delta$ -graph).
- □ In order to solve these problems either a special goal node or a path driving form a start node to any goal node must be found. (Sometimes the optimal path is needed.)

# Graph notations 1.

- nodes, arcs
- arc from *n* to *m*
- children of *n*
- parents of n
- directed graph
- finite outgoing arcs
- cost of arc
- $\delta$ -property ( $\delta \in \mathbb{R}^+$ )
- δ-graph

$$N, A \subseteq N \times N$$
 (infinite)

$$(n,m)\in A\ (n,m\in N)$$

$$\Gamma(n) = \{ m \in N \mid \exists (n, m) \in A \}$$

$$\pi(n) \in \Pi(n) = \{ m \in N \mid \exists (m,n) \in A \}$$

$$R=(N,A)$$

$$|\Gamma(n)| < \infty \ (\forall n \in \mathbb{N})$$

$$c:A \rightarrow \mathbb{R}$$

$$c(n,m) \ge \delta > 0 \quad \forall (n,m) \in A$$

directed, arc-weighted,  $\delta$ -property, finite outgoing arcs from a node

# Graph notations 2.

directed path

It is correct in spite of infinite number of paths since we have  $\delta$ -graphs.

If no path, it is infinite.

- length of a path
- cost of a path
- optimal cost
- optimal path

```
\alpha = (n, n_1), (n_1, n_2), ..., (n_{k-1}, m)
      = \langle n, n_1, n_2, ..., n_{k-1}, m \rangle
 n \longrightarrow^{\alpha} m, n \longrightarrow m, n \longrightarrow M (M \subset N)
 \{n \longrightarrow m\}, \{n \longrightarrow M\} (M \subset N)
c^{\alpha}(n,m) := \sum_{i} c(n_{i-1},n_{i})
c^*(n,m) := \min_{\alpha \in \{n \to m\}} c^{\alpha}(n,m)c^*(n,M) := \min_{\alpha \in \{n \to M\}} c^{\alpha}(n,m)
```

 $n \rightarrow^* m := \min_{\alpha} \{ \alpha \mid \alpha \in \{n \rightarrow m\} \}$ 

 $n \longrightarrow^* M := \min_{\alpha} \{ \alpha \mid \alpha \in \{n \longrightarrow M\} \}$ 

## Definition of graph-representation

- $\square$  All path-finding problems can be described with a graph-representation. It is a triple (R, s, T) where
  - -R=(N, A, c) is a  $\delta$ -graph (representation graph)
  - $-s \in N$  is the start node
  - $T \subseteq N$  is the set of goal nodes.
- □ Solution of the problem:
  - finding a goal node:  $t \in T$
  - finding a path  $s \to T$  or an optimal path  $s \to^* T$ directed path from s to one of the nodes of T

#### Search

- □ Only special path-finding algorithms can find solution path in a huge size graph.
  - It starts from the start node that is the first current node.
  - In each step it selects a new current node among the children of the previous current node(s) in nondeterministic way.
  - It can store the subpart of discovered part of the representation graph.
  - It stops when it detects the goal node.

### Search-system

#### **Procedure** Search-system

- 1. **DATA** := initial value
- 2. while ¬termination condition(DATA) loop
- 3. SELECT R FROM rules that can be applied
- 4. DATA := R(DATA)
- 5. endloop end

## Search-system

#### Procedure Search-system

1. DATA := initial value

#### global workspace

stores the part of knowledge acquired that is useful to preserve (*initial value*, *termination condition*)

2. while ¬termination condition(DATA) loop

3. **SELECT R FROM rules** that can be applied

- 4. DATA := R(DATA)
- 5. endloop

end

#### control strategy

selects an appropriate rule (general principle + heuristics)

searching rules

can change the content

of the workspace

(precondition, effect)

### Examination of search-system

- soundness
  - the answer is correct if the search terminates
- completeness
  - the search guarantees the solution if there exists a solution
- optimality
  - the search gives optimal solution
- □ time complexity
  - number of the iterations and running time of one iteration
- □ space complexity
  - size of the workspace