

HW #6

5.24:

1. For each vertex u in the element of V , find the minimum weight edge connecting to any single vertex not in V . Let this edge be $\text{minEdge}[u]$
 2. Create a graph $G' = G$ with every left vertex in V removed
 3. Compute a max flow T' of G' using Ford's
 4. for each u in the element of V , add u and $\text{minEdge}[u]$ to T' .
- Runtime is $O(|E| \log |V|)$

6.3:

$\text{maxEnding} = 0$

$\text{maxNow} = 0$

for i from 3 to n :

$\text{maxEnding} = \max(0, \text{maxEnding} + a[i])$

$\text{maxNow} = \max(\text{maxNow}, \text{maxEnding})$

return maxNow

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