

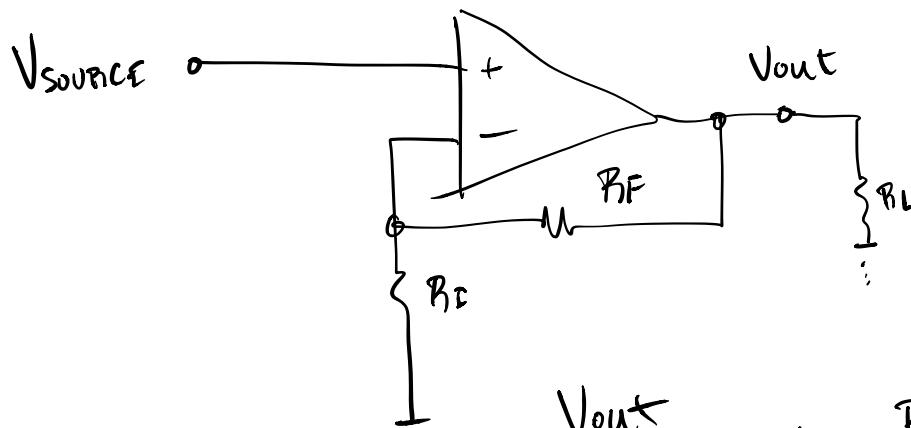
Homework: Design op-amp circuit that will achieve

a gain of 36

.. determine Max. V_{SOURCE} if $V_{CC} = \pm 12V$

.. determine min. R_L if $I_{AR(\max)} = \pm 40\text{ mA}$

.. gain of 36 implies non-inverting configuration ;
no negative sign !



$$\frac{V_{out}}{V_{SOURCE}} = 1 + \frac{R_F}{R_I} = 36$$

\uparrow
 $A_v \Rightarrow \text{gain}$

$$\therefore \frac{R_F}{R_I} = 35$$

~ choose $R_F = 10 \text{ k}\Omega$ ← $\text{k}\Omega$ range is good
for R_F ; won't load
op-amp too heavily

$$\therefore R_I = \frac{10k}{36}$$

$$= 285.7 \Omega$$

~ need standard value; nearest E24 value is

$$R_I = 300 \Omega$$

$$\left[\text{actual gain: } 1 + \frac{10k}{3k} = 3.33 (\text{ok}) \right]$$

~ if you need more precision, use E96 1% values!

$V_{CC} = \pm 12V$ means V_{out} may range

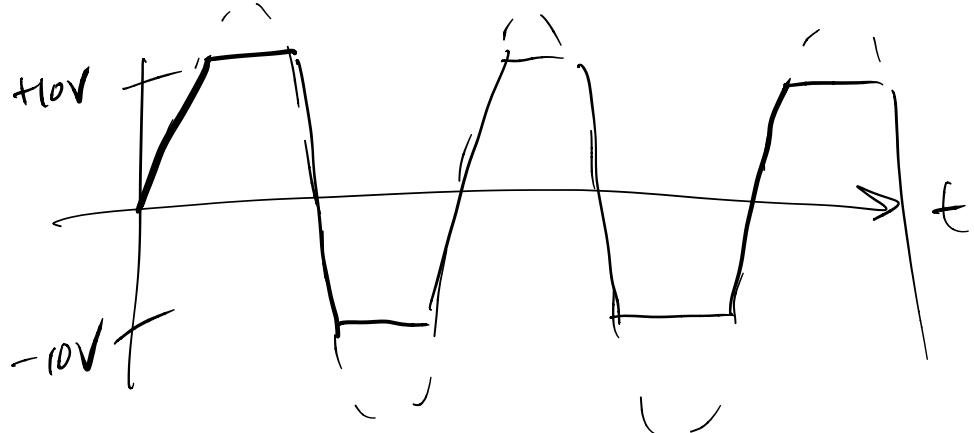
$$\pm (12 - 2) = \pm 10V$$

$$\therefore \text{max. positive } V_{source} = \frac{10}{36} = 0.2778$$

or 277.8 mV

$$\text{max. negative } V_{source} = \frac{-10}{36} = -\underline{277.8 \text{ mV}}$$

$\therefore V_{\text{SOURCE}}$, whether DC Voltage or peak AC voltage,
may range up to $\pm 277.8 \text{ mV}$.



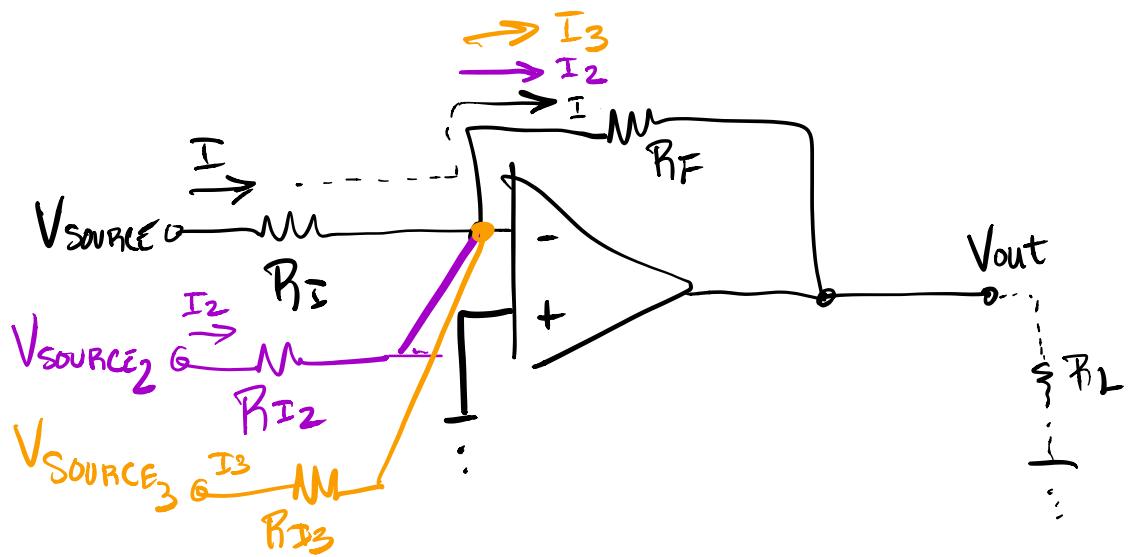
-- Max. output current $\pm 40 \text{ mA}$

$\therefore R_{L(\text{min.})} @ V_{\text{out}} = \pm 10 \text{ V} :$

$$R = \frac{V}{I} = \frac{10}{.04} = \underline{\underline{250 \Omega}}$$

Summing Amplifier

- starts w/ inverting configuration!



- We analyzed inverting amp by considering input current I to be required to flow R_F by KCL
- What if we add more inputs and thus more currents?
 - they all flow through R_F by KCL!

- $V_{in^+} = 0$ [it's grounded]
 - $V_{in^-} \approx 0$ ["virtual ground"]
- $(V_{in^+} = V_{in^-} \text{ for ideal op-amp})$

$$\therefore I_1 = \frac{V_{SOURCE_1} - 0}{R_{I1}}$$

virtual ground

$$I_2 = \frac{V_{SOURCE_2} - 0}{R_{I2}}$$

$$I_3 = \frac{V_{SOURCE_3} - 0}{R_{I3}}$$

④ $R_F:$ $\frac{0 - V_{out}}{R_F} = I_1 + I_2 + I_3$

$$V_{out} = -R_F (I_1 + I_2 + I_3)$$

$$V_{out} = -R_F \left(\frac{V_{SOURCE_1}}{R_{I1}} + \frac{V_{SOURCE_2}}{R_{I2}} + \frac{V_{SOURCE_3}}{R_{I3}} \right)$$

$$V_{\text{OUT}} = V_{\text{SOURCE}1} \left(\frac{-R_F}{R_{I_1}} \right) + V_{\text{SOURCE}2} \left(\frac{-R_F}{R_{I_2}} \right) \\ + V_{\text{SOURCE}3} \left(\frac{-R_F}{R_{I_3}} \right)$$

- if $R_{I_1} = R_{I_2} = R_{I_3} = R_I$

(not required, but common!)

then $V_{\text{OUT}} = \frac{-R_F}{R_I} \left(V_{\text{SOURCE}1} + V_{\text{SOURCE}2} + V_{\text{SOURCE}3} \right)$

- hence, summing amplifier
- Note: "Virtual ground" isolates the inputs!
 - avoids interaction between sources of different signal magnitudes and impedances

homework: design a circuit using ideal op-amps that achieves

$$V_{\text{out}} = 3V_A + 2V_B - 5V_C$$

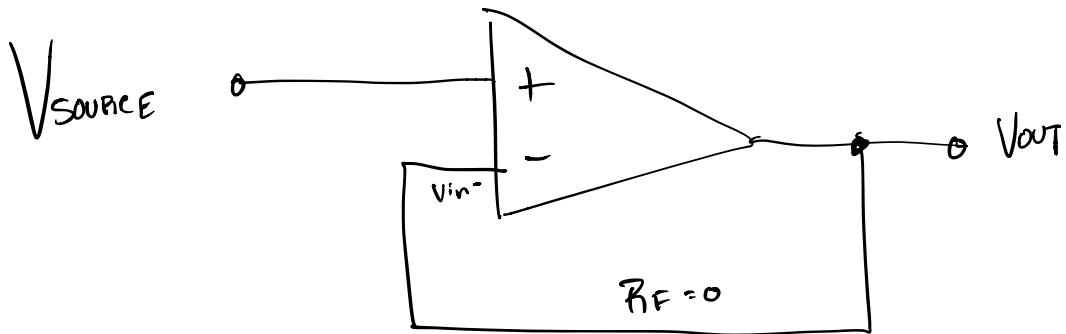
- .. use as few op-amps as possible
- .. sketch V_{out} if $V_A = 1V$ [D.C.]
 $V_B = 10mV$ [D.C.]
 $V_C = 50mV_{\text{P-P}}$ [sine, 1 kHz]

Unity-Gain Buffer (Non-Inverting)

- .. what if we took a non-inverting amplifier and made $R_F = 0$ and $R_I = \infty$?

$$A_V = \frac{V_{\text{out}}}{V_{\text{source}}} = 1 + \frac{R_F}{R_I} = 1 + \frac{0}{\infty} = 1$$

(hence, unity gain)



$$R_I = \infty \text{ (not there!)} \\$$

.. another way to analyze circuit:

$$\text{ideal op-amp: } V_{in^+} = V_{in^-}$$

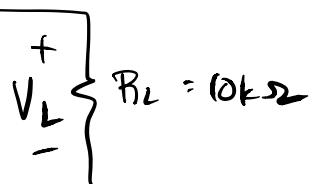
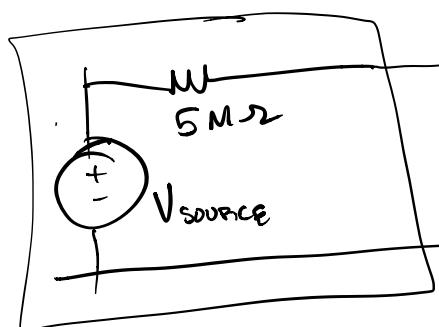
$$V_{source} = V_{in^+} = V_{in^-} = V_{out}$$

$$\therefore V_{source} = V_{out}$$

.. this circuit uses 100% negative feedback

.. often called "voltage follower" because output "follows" input

- What is it good for if it doesn't provide voltage gain ??
- buffer !
- remember, ideal op-amp has infinite input impedance due to zero input current, and zero output impedance; perfect voltage source
- what if we have a very sensitive source;
ex: piezoelectric transducer w/ $5\text{M}\Omega$ internal impedance and we must drive $10\text{k}\Omega$ load at input to computer sound card.



· terrible voltage divider !

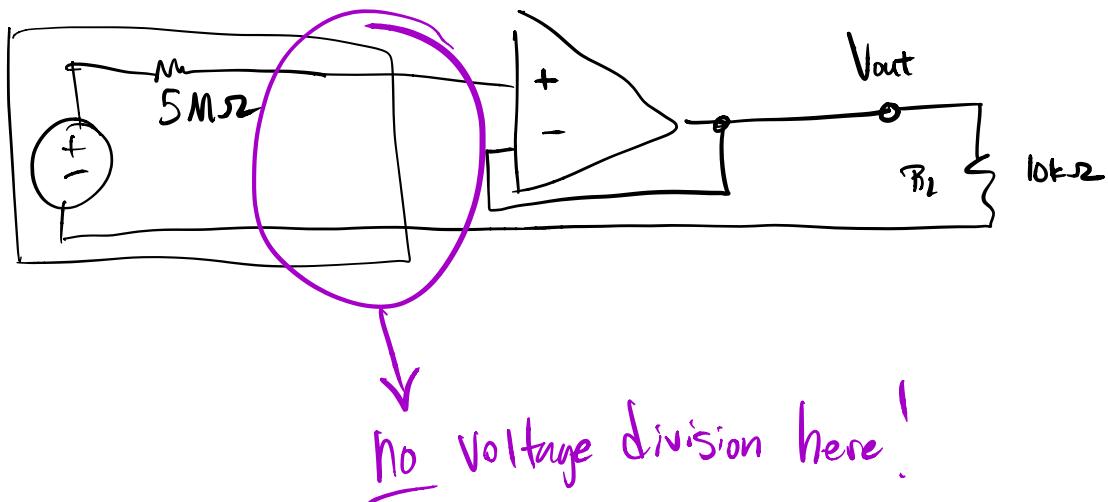
$$V_L = V_{\text{SOURCE}} \left[\frac{\frac{R_L}{R_L + R_{\text{int.}}}}{\frac{10k}{10k + 5M}} \right]$$

19.8% of our signal is gone!

$$20 \log_{10} 0.002 = -54 \text{ dB}$$

↑
terrible!

- insert unity-gain buffer:



[real op-amps like MA741 do have finite R_{in} ;
alternatives are available with $G\Omega$ input resistances!]

$$\therefore \underbrace{V_{in^+} = V_{source} = V_{out}}$$

· op-amp can easily drive $10k\Omega$
and possibly lower; just check output current