

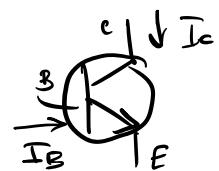
Introduction to Field - Effect Transistors

- like the BJT, the FET is a three-terminal device; but operates under a different principle!
- BJTs are bipolar devices because current flow depends on both holes and electrons; while FETs are unipolar devices whose current flow depends on either holes or electrons
- however, the real distinguishing factor that differentiates them:

BJT : current-controlled current device

$$I_C = \beta I_B$$

\downarrow \downarrow
Collector base
current current



FET : voltage-controlled current device

- drain current depends on electric field created by gate-to-source voltage

.. two principal types:

JFET (Junction Field Effect Transistor)

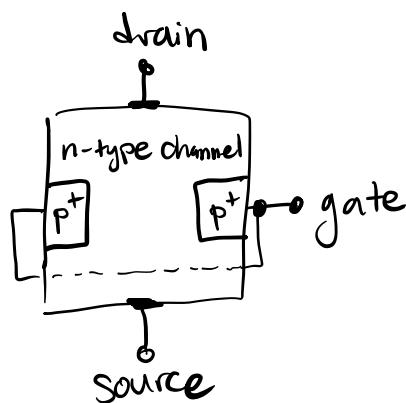
MOSFET (Metal Oxide Semiconductor
Field Effect Transistor)

- MOSFET has superseded the JFET and BJT in
many integrated circuit applications; but we'll
talk about JFETs first

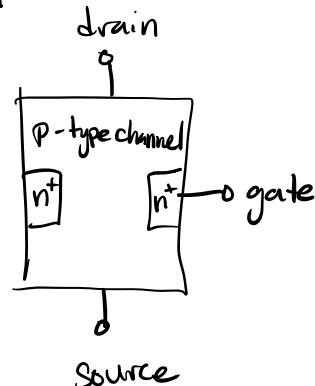
JFET

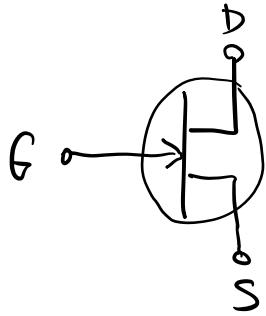
-- like NPN and PNP transistors, there are
two flavors:

n-channel

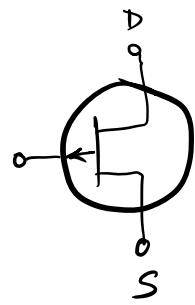


p-channel

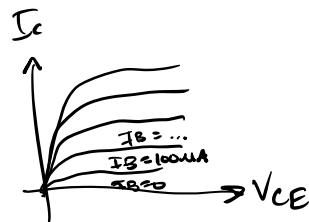




N-channel



P-channel

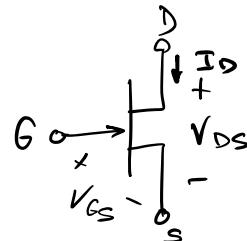
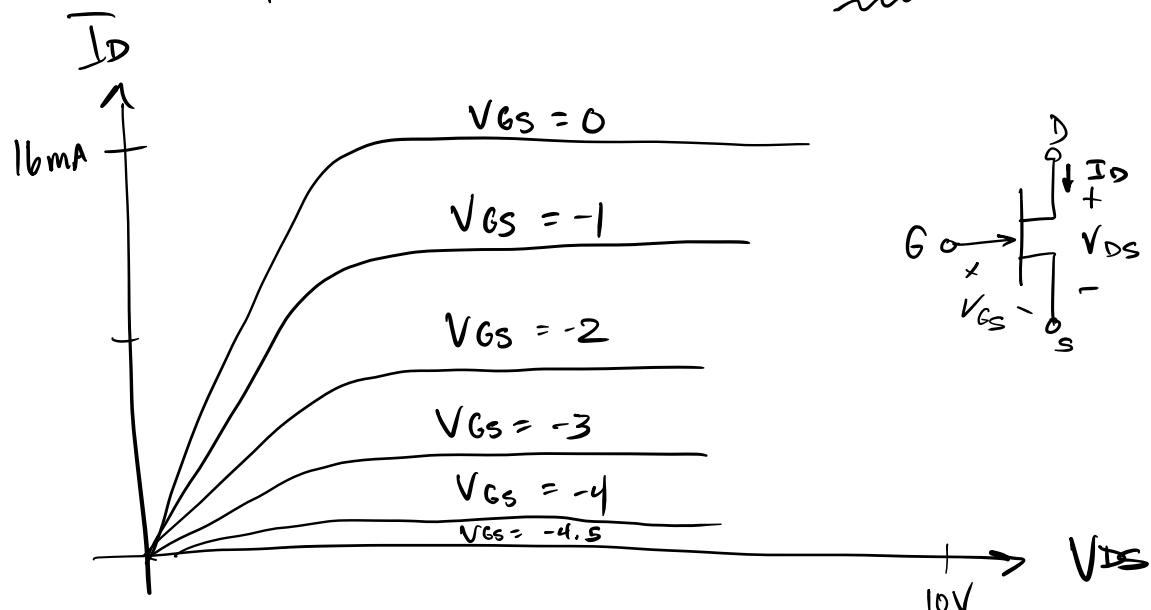


drain : analogous to collector

gate : analogous to base

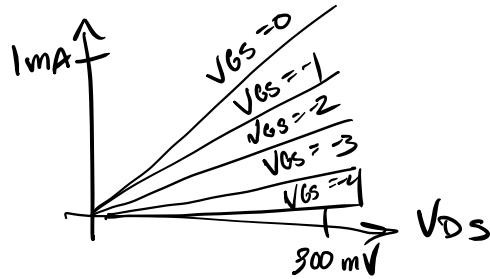
source : analogous to emitter

- ~ consider N-channel JFET curves for V_{DS} vs. I_D for different values of V_{GS} .



- ~ at first, they look superficially similar to BJT V_{CE} vs. I_C curves, but there are crucial differences!

- for starters: each curve is a different V_{GS} , not I_B !
- notice all values of V_{GS} are negative, stopping out at $\underline{V_{GS}=0}$.
 - thus, the gate-to-source p-n junction is always reverse-biased and there is no gate current!!! (Nice!)
- at low levels of V_{DS} , note that the slope of V_{DS} vs. I_D increases with increasing V_{GS} :



- since the slope $\frac{\Delta I_D}{\Delta V_{DS}}$ is equivalent to conductance or $\frac{1}{R}$, its reciprocal, R , decreases with increasing V_{GS}

- this is called the ohmic region and it may be used as a voltage-controlled resistance.
- audio compressors!

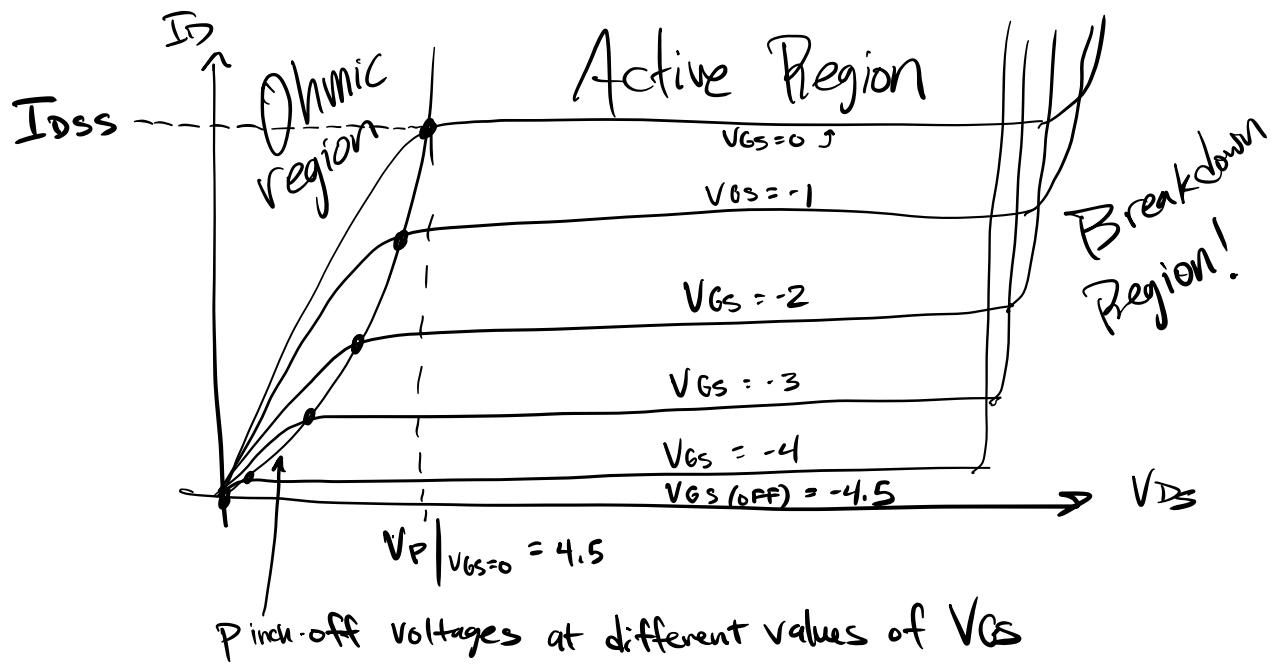
- at higher magnitudes of V_{DS} , the curves flatten and we enter the active region, in which I_D is nearly constant for a given V_{GS} .

- at $V_{GS} = 0$, the JFET is operating at its Maximum drain current called I_{DSS}
 "drain-source saturation current"

$$I_{DSS} = I_D \Big|_{V_{GS}=0}$$
- I_{DSS} is a parameter associated with a particular device
- as V_{GS} is made more negative, I_D decreases until the channel is totally depleted and $I_D = 0$
- this happens at the gate-to-source cut-off voltage, $V_{GS(\text{OFF})}$,

$$V_{GS(\text{OFF})} = V_{GS} \Big|_{I_D=0}$$
- it turns out that the value of V_{DS} at which the FET enters the active region is called the Pinch-off voltage $\underline{\underline{V_P}}$; and at $V_{GS} = 0$,

$$\underline{\underline{V_P}} = |V_{GS(\text{OFF})}|$$
- at lower values of V_{GS} , V_P is lower and the family of V_P values forms a parabolic locus



- the equation defining this parabola is called

Shockley's Equation :

$$I_D = I_{DSS} \left(1 - \frac{V_{GS}}{V_{GS(\text{OFF})}} \right)^2$$

- with I_{DSS} and $V_{GS(\text{OFF})}$ being constants, the Shockley equation tell us that there is a squared relationship between V_{GS} and I_D .

↑
important later!

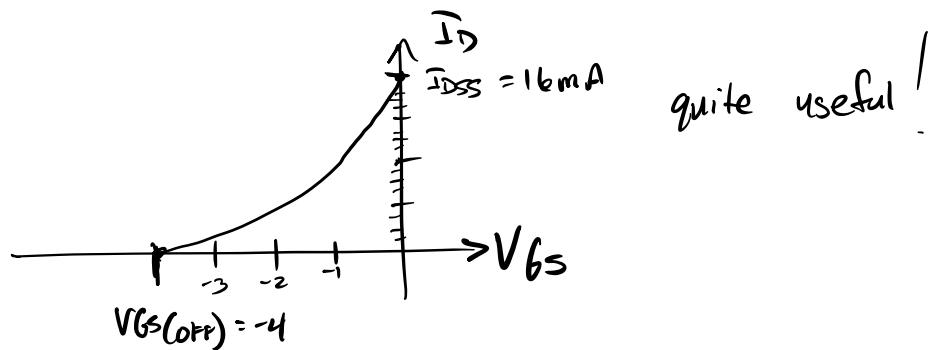
ex: a JFET has a known $I_{DSS} = 16 \text{ mA}$ and $V_{GS(\text{OFF})} = -4 \text{ V}$.

- determine I_D in the active region $\textcircled{2} V_{GS} = -2 \text{ V}$

$$I_D \Big|_{V_{GS}=-2} = 16 \left(1 - \frac{-2}{-4} \right)^2 = \underline{\underline{4 \text{ mA}}}$$

• Note that this is a little more complicated than the BJT with its $V_{BE} \sim 0.7V$!

• Another way of plotting Shockley's Equation:
transfer characteristics:



• for p-channel, V_{GS} is positive and V_{DS} is negative

ex: $I_{DSS} = 12\text{mA}$, $V_{GS(\text{off})} = +3.6V$, at $V_{GS} = 1.8V$:

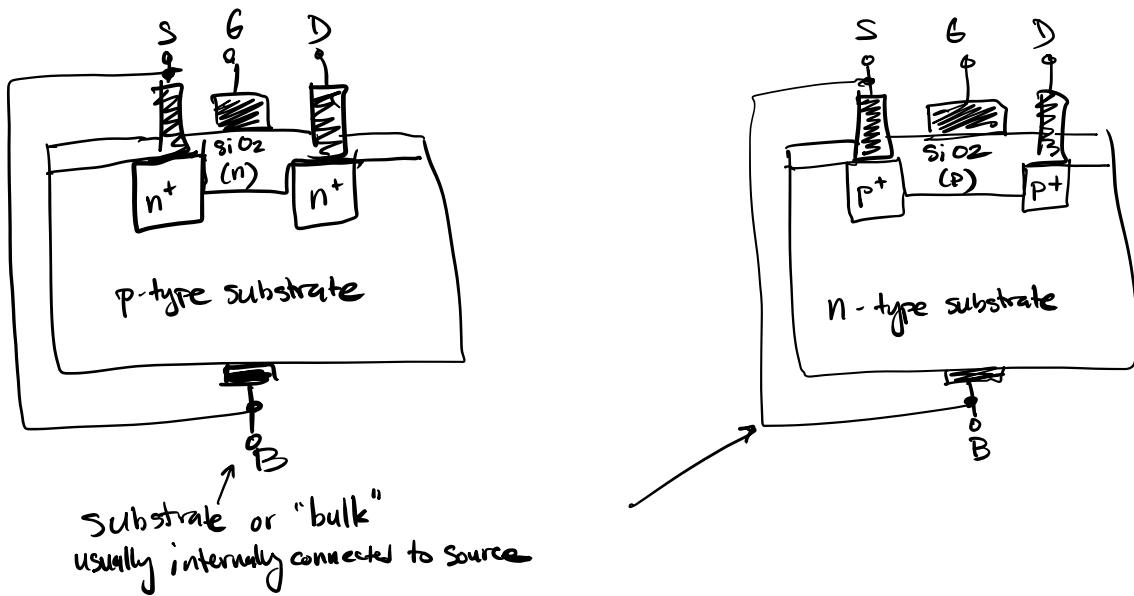
$$I_D = 12 \left(1 - \frac{+1.8}{+3.6} \right)^2 = \underline{\underline{3\text{mA}}}$$

• Note: important in circuit design to never let $V_{GS} > 0$ (for n-channel; $V_{GS} < 0$ for p-channel)

- doing so forward-biases V_{GS} , gate current flows, and damage is likely!

MOSFET

- ~ like JFETs, they come in n-channel and p-channel varieties
- ~ principal distinction: gate is insulated from channel by thin layer of SiO₂, eliminating gate current under all conditions

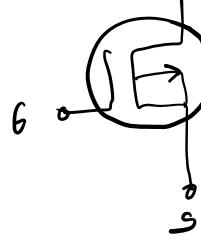
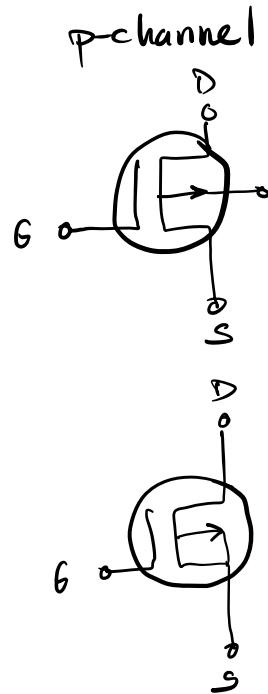
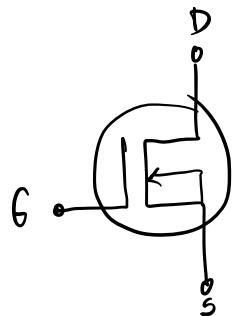
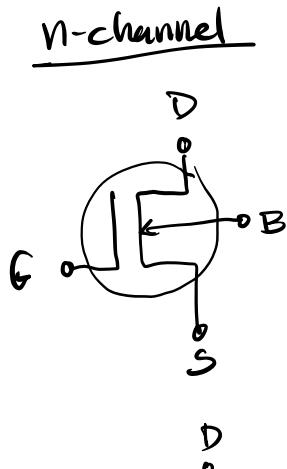


- ~ two types of MOSFETS :

depletion-type and enhancement-type
or D-MOS or E-MOS

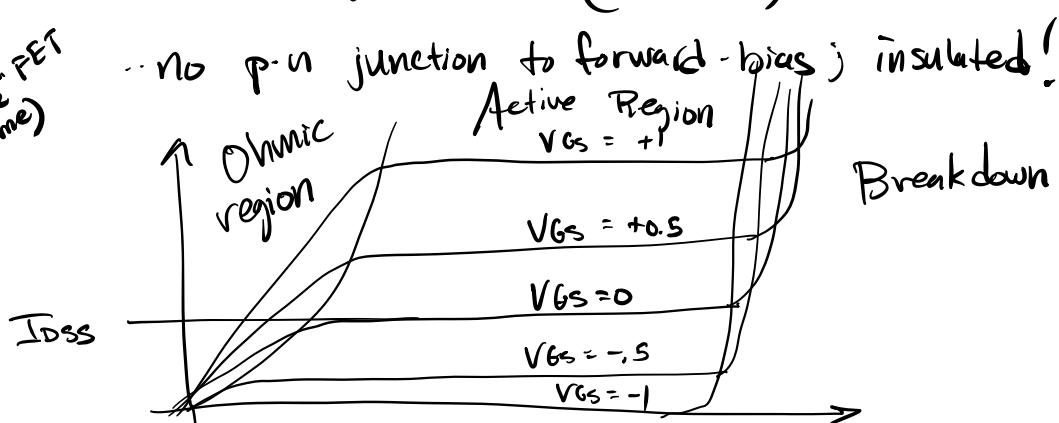
- we'll talk about D-MOS first.

D-MOS



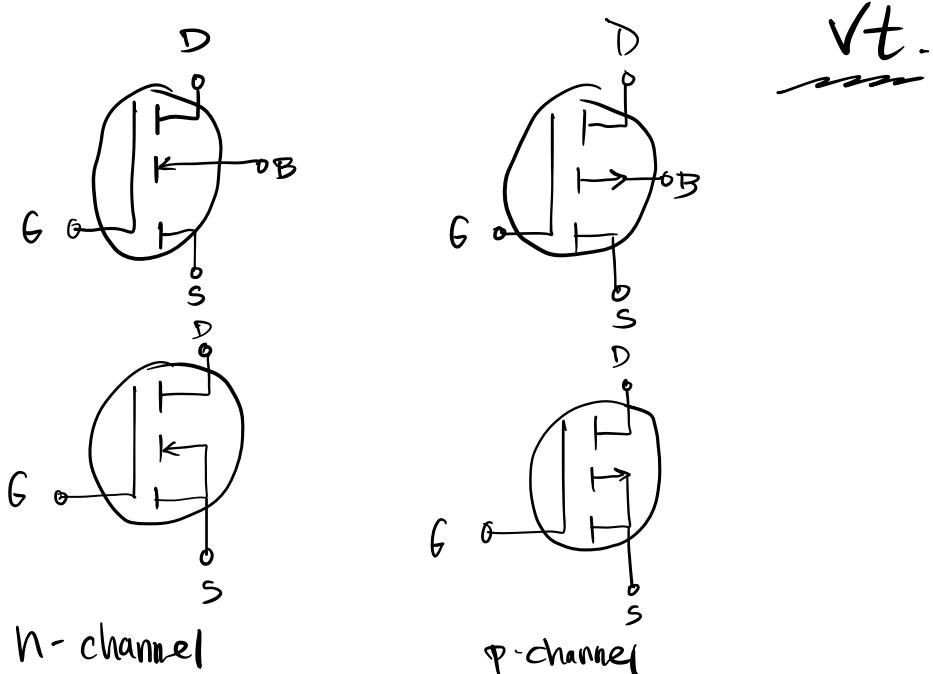
- depletion MOSFETs operate similarly to JFETs ;
similar curves , Shockley Equation, I_{DSS} and $V_{GS(OFF)}$
- however, unlike JFET , we may operate D-MOS
transistors with $V_{GS} > 0$ (n -channel ; $V_{GS} < 0$ for p -channel)

IGFET
("insulated-gate-FET")
(original name)



E-MOS

- rather than having a fixed current I_{DSS} at $V_{GS} = 0$ and a cutoff voltage $V_{GS(\text{off})}$ at which $I_D = 0$, E-MOS transistors have no current at $V_{GS} = 0$ and drain current will not flow until a positive value of V_{GS} is reached called the threshold voltage,

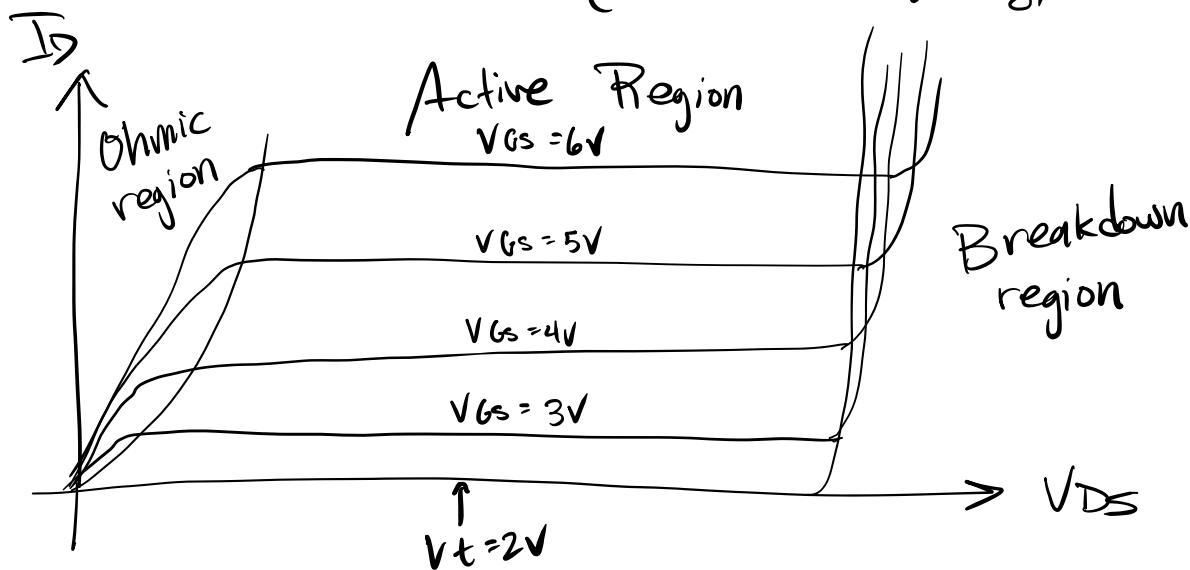


- as V_{GS} is increased past V_t , I_D increases.
- at low levels of V_{DS} : Ohmic region, just like JFET and D-MOS
- once V_{DS} is increased to the saturation voltage $V_{D(\text{sat})}$, where $V_{D(\text{sat})} = V_{GS} - V_t$, we enter the active region; same principle as pinch-off voltage in JFET and D-MOS.

- these saturation voltages at different values of V_{GS} form a parabolic locus whose equation is:

$$I_D = K (V_{GS} - V_t)^2 \quad \leftarrow \begin{matrix} \text{similar to} \\ \text{Shockley equation!} \end{matrix}$$

K : conductivity parameter of particular device
in $A/\sqrt{2}$ (related to device geometry/aspect ratio)



ex: n-channel enhancement MOSFET in active region

with $K = 1 \text{ mA}/\sqrt{2}$, $V_t = 2 \text{ V}$

- what is drain current @ $V_{GS} = 3.5 \text{ V}$?

$$I_D = 1 (3.5 - 2)^2 = \underline{\underline{2.25 \text{ mA}}}$$

- for p-channel E-MOS, V_{GS} and V_t are negative quantities;
thus, $I_D = K (|V_{GS}| - |V_t|)^2$