
Table of Contents

Module 19 Alex Yeoh Table 11	1
Chapter 7	2
42a	2
45	3
46	3
49	4
68	5
70	6
72	6
73	7
Chapter 8 no clue if any in this section is correct	7
5	7
45	8
56	9
68	10
Chapter 16 probably also all wrong	11
16	11
48	11
61	12
66	12
misc extra questions	13
7.59	13
7.69	14
8.39	15
8.71	16
16.81	17

Module 19 Alex Yeoh Table 11

```
sympref('FloatingPointOutput',true);
```

Chapter 7

42a

```
clear all
syms vo s vin t
vo = solve((vo-vin)/2+vo/4+vo*3*s, vo)
H(s) = simplify(vo/vin)
V(t) = ilaplace(H(s)*12/s)
subs(V(t),t,200)
```

$vo =$

$$(2*vin)/(12*s + 3)$$

$H(s) =$

$$2/(12*s + 3)$$

$V(t) =$

$$8 - 8*exp(-0.2500*t)$$

```
ans =  
  
8.0000
```

45

```
clear all  
syms va vo vs s t  
[va,vo] = solve((va-vs)/20000+va/40000+(va-vo)/10000,(vo-  
va)/10000+vo*3e-6*s,va,vo)  
H(s) = vo/vs  
V(t) = ilaplace(H(s)*30/s)  
  
va =  
  
(2*vs*(1.1068e+18*s + 3.6893e+19))/(7.7476e+18*s + 1.1068e+20)  
  
vo =  
  
(7.3787e+19*vs)/(7.7476e+18*s + 1.1068e+20)  
  
H(s) =  
  
7.3787e+19/(7.7476e+18*s + 1.1068e+20)  
  
V(t) =  
  
20 - 20*exp(-14.2857*t)
```

46

```
clear all  
syms va vo is s t  
[va,vo] = solve(-is+va/6+(va-vo)/2,(vo-va)/2+vo*0.25*s,va,vo)  
H(s) = vo/is  
V(t) = ilaplace(H(s)*5/s)  
  
va =  
  
(3*is*(s + 2))/(2*s + 1)  
  
vo =
```

$$(6s)/(2s + 1)$$

$$H(s) =$$

$$6/(2s + 1)$$

$$V(t) =$$

$$30 - 30\exp(-0.5000t)$$

49

```
clear all
syms va v is s t
[va,v] = solve(-is+va/4+(va-v)/6,(v-v)/6+v*0.5*s,va,v)
H(s) = v/is
V(t) = ilaplace(H(s)*(2/s-2/s*exp(-1*s)))
```

```
unitstep = @(t) +(t>0);
clf
tmax = 10;
subplot(3,1,3)
fplot(@(t) 2*unitstep(t) - 2*unitstep(t-1) , [0,tmax])
hold on
fplot(V(t), [0,tmax]), grid
axis([0, tmax, 0, 3])
xlabel('t (seconds)'); ylabel('Volts')
```

$$va =$$

$$(4s(3s + 1))/(5s + 1)$$

$$v =$$

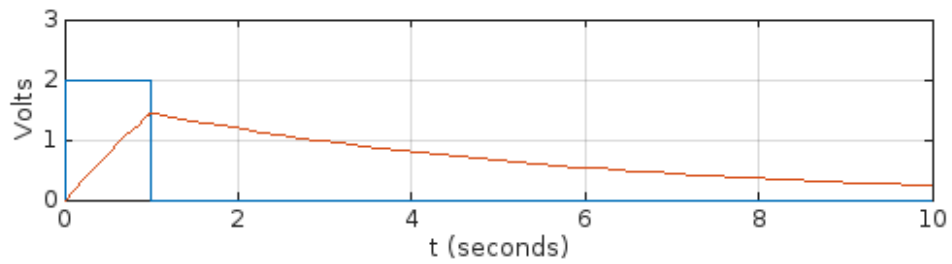
$$(4s)/(5s + 1)$$

$$H(s) =$$

$$4/(5s + 1)$$

$$V(t) =$$

$$8\text{heaviside}(t - 1)(\exp(0.2000 - 0.2000t) - 1) - 8\exp(-0.2000t) + 8$$



68

```
clear all
syms vo vs s t
vo = solve(vs/10000+(vs-vo)/10000,vo)
H(s) = vo/vs
V(t) = ilaplace(H(s)*4/s)
```

vo =

$2*vs$

$H(s) =$

$\frac{2}{s}$

$V(t) =$

8

70

```
clear all
syms vo vs s t
vo = solve(vs/20000+(vs-vo)*5e-6*s,vo)
H(s) = vo/vs
V(t) = ilaplace(H(s)*20e-3/s)

vo =

(2.7105e-19*(3.6893e+19*vs + 3.6893e+18*s*vs))/s

H(s) =

(2.7105e-19*(3.6893e+19*vs + 3.6893e+18*s*vs))/(s*vs)

V(t) =

0.2000*t + 0.0200
```

72

```
clear all
syms vo vi vs s t
vo = vs*(1/(10e-6*s))/(1/(10e-6*s)+10000)
H(s) = vo/vs
V(t) = ilaplace(H(s)*3/s)
vi = vs/(1/(10e-6*s)+10000)
Hi(s) = vi/vs
Vi(t) = ilaplace(Hi(s)*3/s)
% unsure how to do the v(0) = -2 part

vo =

(100000*vs)/(s*(100000/s + 10000))

H(s) =

100000/(s*(100000/s + 10000))

V(t) =

3 - 3*exp(-10*t)

vi =
```

```
vs/(100000/s + 10000)
```

```
Hi(s) =
```

```
1/(100000/s + 10000)
```

```
Vi(t) =
```

```
3.0000e-04*exp(-10*t)
```

73

```
clear all
syms vo vs s t
vo = solve(-vs/(10000+1/(20e-6*s))-vo/20000,vo)
H(s) = vo/vs
V(t) = ilaplace(H(s)*4/s)
% unsure how to do the v(0) = 1 part
```

```
vo =
```

```
-(2*s*vs)/(s + 5)
```

```
H(s) =
```

```
-(2*s)/(s + 5)
```

```
V(t) =
```

```
-8*exp(-5*t)
```

Chapter 8 no clue if any in this section is correct

5

```
clear all
syms v i va is s t
[va,v,i] = solve(-is+va/4+va*0.25*s+(va-v)/s,(v-va)/s+v/6,va/4==i,va,v,i)
H(s) = v/is
Hi(s) = i/is
V(t) = ilaplace(H(s)*4/s)
```

```

I(t) = ilaplace(Hi(s)*4/s)

va =

(4*is*(s + 6))/(s^2 + 7*s + 10)

v =

(24*is)/(s^2 + 7*s + 10)

i =

(is*(s + 6))/(s^2 + 7*s + 10)

H(s) =

24/(s^2 + 7*s + 10)

Hi(s) =

(s + 6)/(s^2 + 7*s + 10)

V(t) =

6.4000*exp(-5*t) - 16*exp(-2*t) + 9.6000

I(t) =

0.2667*exp(-5*t) - 2.6667*exp(-2*t) + 2.4000

```

45

```

clear all
syms v i is s t
[v,i] = solve(-is+v/2+v*0.5*s+v/s,v/s==i,v,i)
H(s) = v/is
Hi(s) = i/is
V(t) = ilaplace(H(s)*4/s)
I(t) = ilaplace(Hi(s)*4/s)

v =

(2*is*s)/(s^2 + s + 2)

```

$i =$

$$(2is)/(s^2 + s + 2)$$

$H(s) =$

$$(2s)/(s^2 + s + 2)$$

$Hi(s) =$

$$2/(s^2 + s + 2)$$

$V(t) =$

$$6.0474 \exp(-0.5000t) \sin(1.3229t)$$

$I(t) =$

$$4 - 4 \exp(-0.5000t) (\cos(1.3229t) + 0.3780 \sin(1.3229t))$$

56

```
clear all
syms va vb i vin s t
[va,vb,i] = solve((va-vin)/6+(va-vb)/4+(va-vb)*s/25,(vb-va)*s/25+(vb-va)/4+vb/(s/4),(vb-va)/4==i,va,vb,i)
Hi(s) = i/vin
I(t) = ilaplace(Hi(s)*20/s)
```

$va =$

$$(4vin s^2 + 25vin s + 400vin)/(4s^2 + 121s + 1000)$$

$vb =$

$$(vin(4s^2 + 25s))/(4s^2 + 121s + 1000)$$

$i =$

$$-(100vin)/(4s^2 + 121s + 1000)$$

$Hi(s) =$

$$-100/(4s^2 + 121s + 1000)$$

$I(t) =$

$$2\exp(-15.1250*t)*(\cos(4.6081*t) + 3.2823*\sin(4.6081*t)) - 2$$

68

```
clear all
syms vs v s t
v = vs*(1/s)/(1/s+s+2)
H(s) = v/vs
V(t) = ilaplace(H(s)*1/s)

clf
tmax = 6;
fplot(V(t), [0,tmax]), grid
axis([0, tmax, 0, 1])
title('v(t)'); xlabel('t (seconds)'); ylabel('Volts')
% except this, I'm pretty sure about this one
```

$v =$

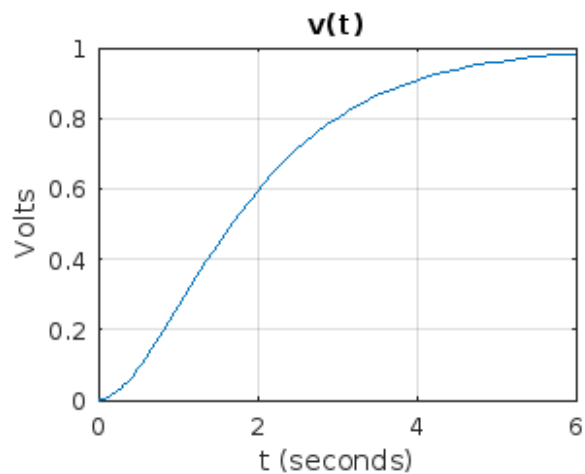
$$vs/(s*(s + 1/s + 2))$$

$H(s) =$

$$1/(s*(s + 1/s + 2))$$

$V(t) =$

$$1 - t*\exp(-t) - \exp(-t)$$



Chapter 16 probably also all wrong

16

```
clear all
syms vo i vin s t
[vo,i] = solve((vo-vin)/2+vo*s-4*i, (vin-vi)/2==i,vo,i)
H(s) = vo/vin
H(t) = ilaplace(H(s)*5/s)

vo =

(5*vin)/(2*s + 5)

i =

(s*vin)/(2*s + 5)

H(s) =

5/(2*s + 5)

H(t) =

5 - 5*exp(-2.5000*t)
```

48

```
clear all
syms vx vin s t
vx = solve((vx-vin)/10+vx*0.2*s+(vx-3*vx)/(0.25*s),vx)
H(s) = vx/vin
H(t) = ilaplace(H(s)*(5*10^(-2*t))/s)

vx =

(s*vin)/(2*s^2 + s - 80)

H(s) =

s/(2*s^2 + s - 80)

H(t) =
```

```
0.3950/10^(2*t)*exp(-0.2500*t)*sinh(6.3295*t)
```

61

```
clear all
syms va vo iin s t
[va,vo] = solve(-iin+va*0.5*s+(va-vo)/s,(vo-va)/s+vo/2+vo*s,va,vo)
H(s) = vo/iin
H(t) = ilaplace(H(s)*10/s)

va =

(2*iin*(2*s^2 + s + 2))/(2*s^3 + s^2 + 6*s + 2)

vo =

(4*iin)/(2*s^3 + s^2 + 6*s + 2)

H(s) =

4/(2*s^3 + s^2 + 6*s + 2)

H(t) =

20 - 120*symsum((0.5000*exp(t*root(z^3 + z^2/2 + 3*z + 1, z, k)))/(root(z^3 +
z^2/2 + 3*z + 1, z, k) + 3*root(z^3 + z^2/2 + 3*z + 1, z, k)^2 + 3), k, 1, 3)
- 20*symsum((0.5000*exp(root(z^3 + z^2/2 + 3*z + 1, z, k)*t)*root(z^3 + z^2/2
+ 3*z + 1, z, k))/(root(z^3 + z^2/2 + 3*z + 1, z, k) + 3*root(z^3 + z^2/2 +
3*z + 1, z, k)^2 + 3), k, 1, 3) - 40*symsum((0.5000*exp(t*root(z^3 + z^2/2 +
3*z + 1, z, k))*root(z^3 + z^2/2 + 3*z + 1, z, k)^2)/(root(z^3 + z^2/2 + 3*z
+ 1, z, k) + 3*root(z^3 + z^2/2 + 3*z + 1, z, k)^2 + 3), k, 1, 3)
```

66

```
clear all
syms vo vs s t
vo = solve(-vs/20000-vo*50e-6*s-vo/10000,vo)
H(s) = vo/vs
H(t) = ilaplace(H(s)*(3*10^(-5*t))/s)

vo =

-vs/(s + 2)

H(s) =
```

$$-1/(s + 2)$$

$$H(t) =$$

$$1.5000/10^{(5*t)}*exp(-2*t) - 1.5000/10^{(5*t)}$$

misc extra questions

7.59

```
clear all
syms Vin Va Vout s t
[Va, Vout] = solve((Va-Vin)/6 + Va/3 + Va/(4+1.5*s) == 0, ...
    Vout == Va*1.5*s/(1.5*s+4), Va, Vout)
%
H(s) = simplify(Vout/Vin)
% Define unitstep for plotting
unitstep = @(t) +(t>0);
clf
figure(59)
tmax = 4;
% The response to 18u(t)
vout(t) = ilaplace(H(s)*18/s)
fplot(@(t) 18*unitstep(t), [0,tmax])
hold on
fplot(vout(t), [0,tmax]), grid
axis([0, tmax, 0, 20])
legend('Vin', 'Vout')
title('Response to 18 u(t)'); xlabel('t (seconds)'); ylabel('Volts')
```

$$Va =$$

$$(0.1111*Vin*(3*s + 8))/(s + 4)$$

$$Vout =$$

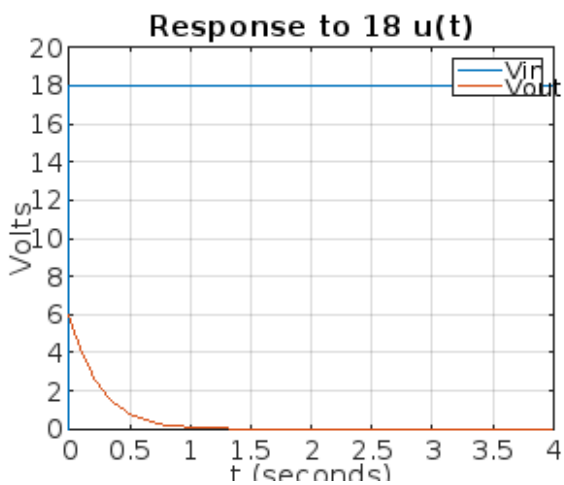
$$(0.3333*Vin*s)/(s + 4)$$

$$H(s) =$$

$$(0.3333*s)/(s + 4)$$

$$vout(t) =$$

$$6*exp(-4*t)$$



7.69

```
clear all
syms Vin Vout s t
Vout = solve((0-Vin)/10000 + (0-Vout)/120000 + (0-Vout)*s*25e-3 == 0, Vout) %
H(s) = simplify(Vout/Vin)
clf
figure(69)
tmax = 100000;
% Plot the input and output
vin(t) = ilaplace(4/s);
vout(t) = ilaplace(H(s)*(4/s))
fplot(vin(t), [0,tmax])
hold on
fplot(vout(t), [0,tmax]), grid
axis([0, tmax, -50, 5])
legend('Vin', 'Vout')
title('Response to 4 u(t)'); xlabel('t (seconds)'); ylabel('Volts')
```

$V_{out} =$

$$-(12*V_{in})/(3000*s + 1)$$

$$H(s) =$$

$$-12/(3000*s + 1)$$

$$v_{out}(t) =$$

$$48*\exp(-3.3333e-04*t) - 48$$

8.39

```
clear all
syms Vin60 Vin30 Va s t
Va = solve(Va/20 + (Va-Vin60)/30 + (Va-Vin30)/(s*0.25+(1/(0.5*s)))== 0, Va)
V(s) = (Va-Vin30)*(1/(0.5*s))/(s*0.25+(1/(0.5*s)))
% We could separate this via superposition, but going right to the answer: clf
figure(39)
tmax = 30;
% Find and plot the output
v(t) = ilaplace(subs(V(s),{Vin60,Vin30}, {60/s, 30/s}))
fplot(v(t), [0,tmax]), grid
axis([0, tmax, -10, 1])
title('v(t)'); xlabel('t (seconds)'); ylabel('Volts')
```

$$V_a =$$

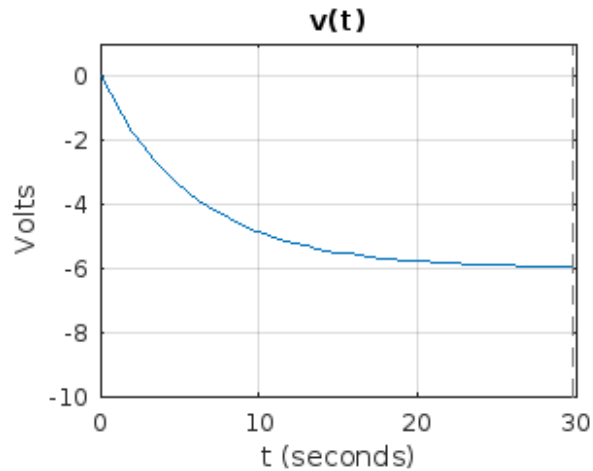
$$(2*V_{in60}*s^2 + 240*V_{in30}*s + 16*V_{in60})/(5*s^2 + 240*s + 40)$$

$$V(s) =$$

$$-(2*(V_{in30} - (2*V_{in60}*s^2 + 240*V_{in30}*s + 16*V_{in60})/(5*s^2 + 240*s + 40)))/(s*(0.2500*s + 2/s))$$

$$v(t) =$$

$$6*\exp(-24*t)*(cosh(23.8328*t) + 1.0070*sinh(23.8328*t)) - 6$$



8.71

```
clear all
syms Iin13 Vin39 Va Vb s t
[Va, Vb] = solve(Va/6 - Iin13 + (Va-Vb)*s*0.4 == 0, ...
Vb/20 + (Vb-Va)*s*0.4 + (Vb-Vin39)/(s+6) == 0, Va, Vb)
% We could separate this via superposition, but going right to the answer: clf
figure(71)
tmax = 30;
% Find and plot the output
v(t) = ilaplace(subs(Vb,{Iin13,Vin39}, {13/s, 39/s}))
fplot(v(t), [0,tmax]), grid
axis([0, tmax, 20, 70])
title('v(t)'); xlabel('t (seconds)'); ylabel('Volts')
```

$Va =$

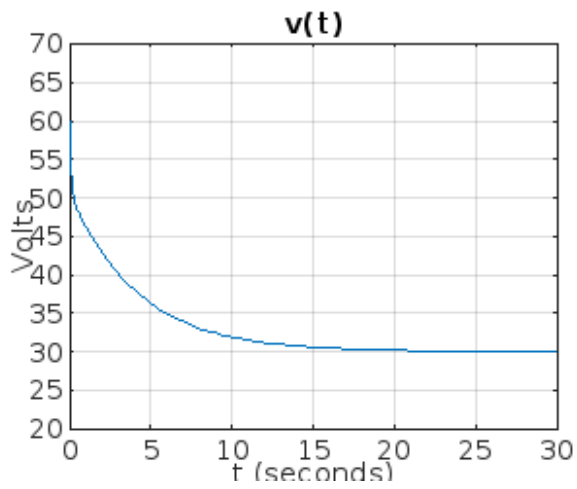
$$(30*(26*Iin13 + 49*Iin13*s + 8*Vin39*s + 8*Iin13*s^2))/(52*s^2 + 557*s + 130)$$

$Vb =$

$$(20*(5*Vin39 + 72*Iin13*s + 12*Vin39*s + 12*Iin13*s^2))/(52*s^2 + 557*s + 130)$$

$v(t) =$

$$30*\exp(-5.3558*t)*(cosh(5.1171*t) + 0.3777*sinh(5.1171*t)) + 30$$



16.81

```
clear all
syms r c l va io vin s
va = solve(-vin/r - va*c*s, va)
io = va/(l*s)
T(s) = io/vin
```

$va =$

$$-vin/(c*r*s)$$

$io =$

$$-vin/(c*l*r*s^2)$$

$T(s) =$

$$-1/(c*l*r*s^2)$$

Published with MATLAB® R2022b