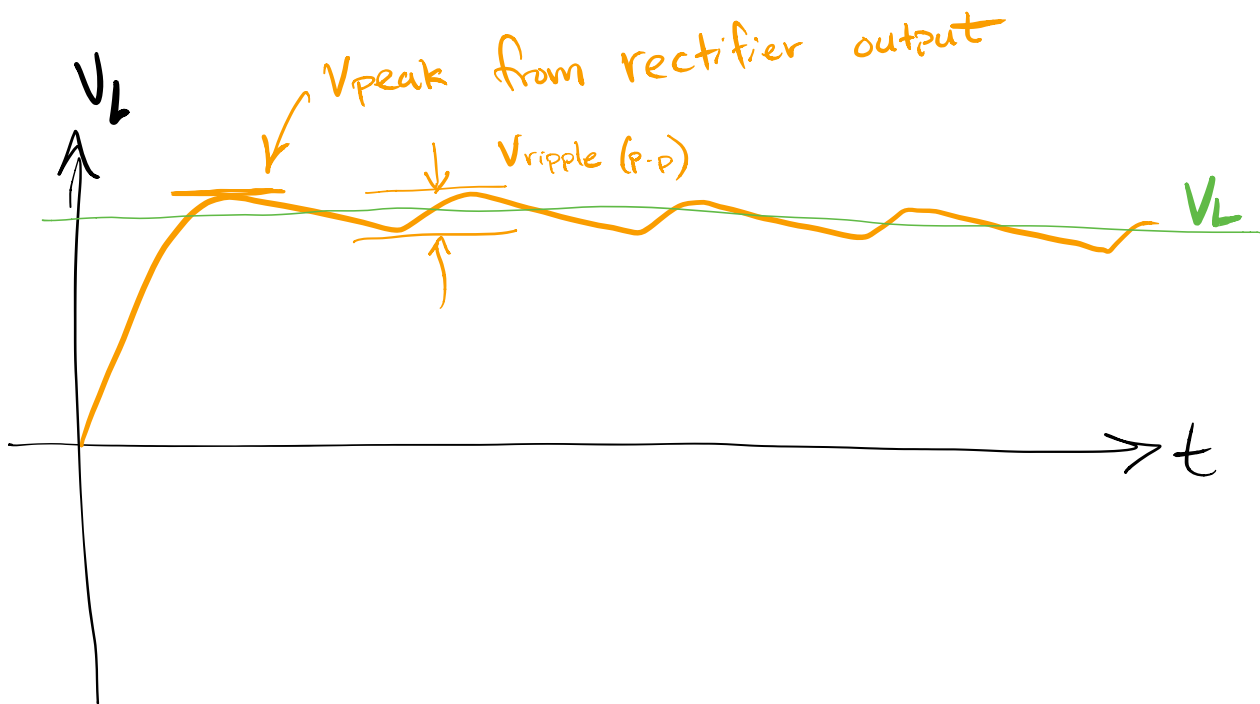
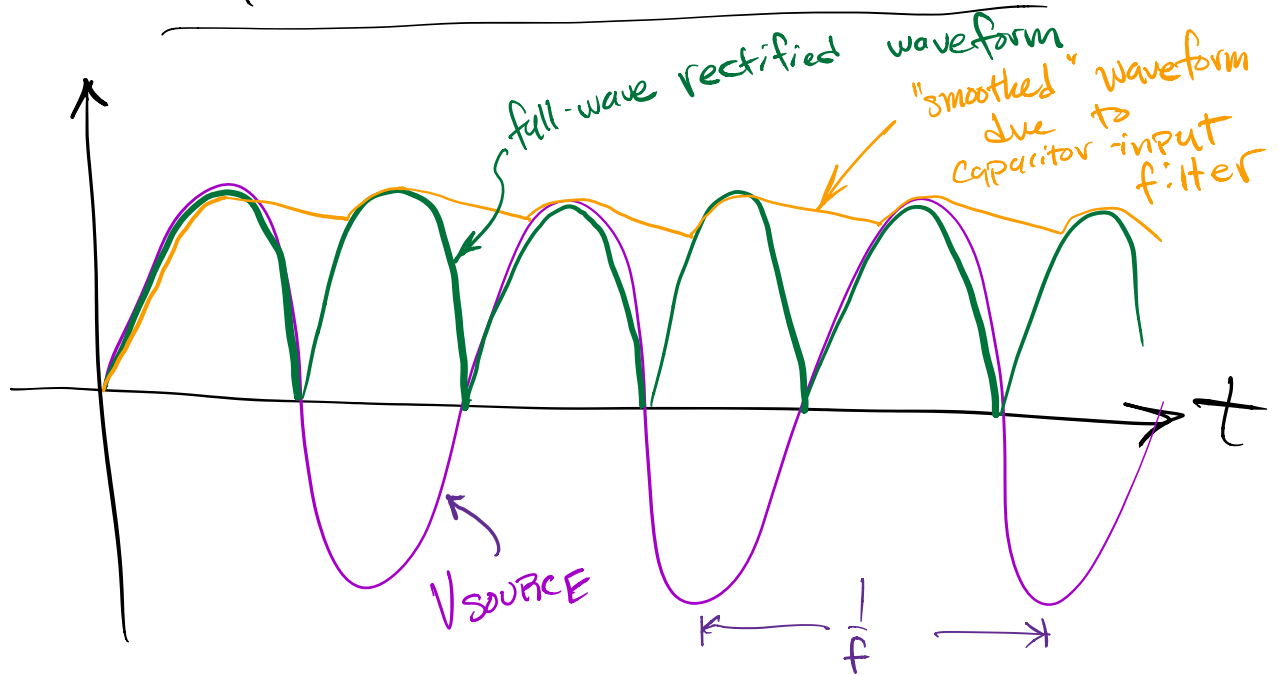


Capacitor-Input Filter



.. for capacitor-input filter, approximate formula for ripple voltage is:

$$V_{\text{ripple (p.p)}} = \frac{I_L}{2 f C}$$

where I_L = load current $\left(I_L = \frac{V_L}{R_L} \right)$

C = filter capacitor value

f = original frequency of source

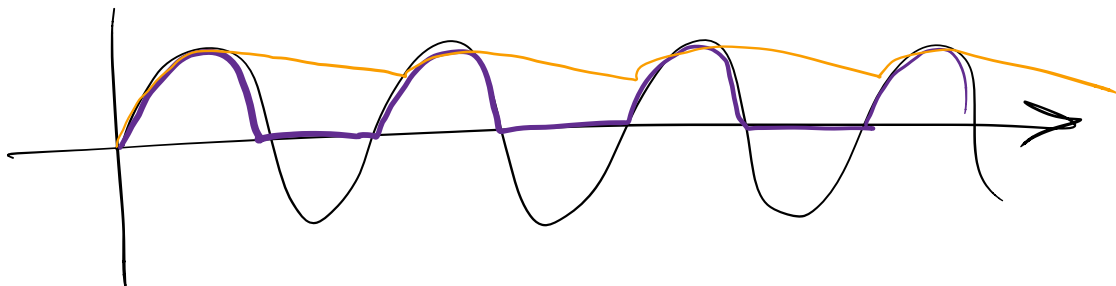
↳ 60 Hz in US,
50 Hz in many
parts of Europe,
etc..

.. Note: full-wave rectified waveform has fundamental frequency of 2f; often hear term "120 Hz ripple" or 100 Hz
... but f is the original line frequency

.. for half-wave rectifier :

$$V_{\text{ripple (p-p)}} = \frac{I_L}{fC}$$

.. twice the magnitude!



.. half-wave rectifiers seldom used in power supplies!

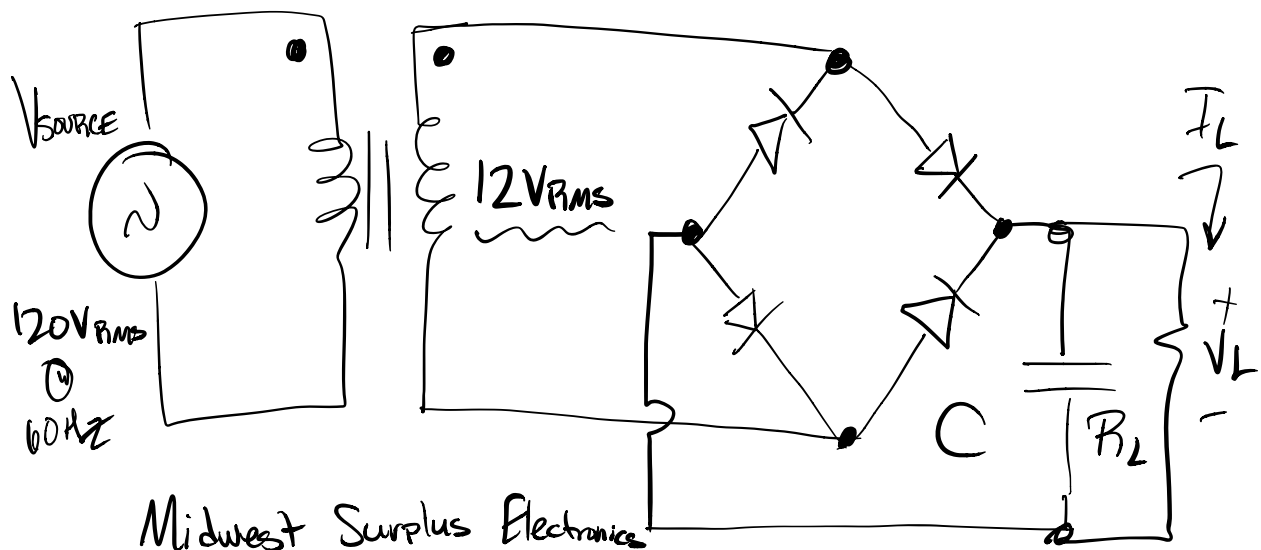
.. We call V_L the D.C. component

V_{ripple} the A.C. component

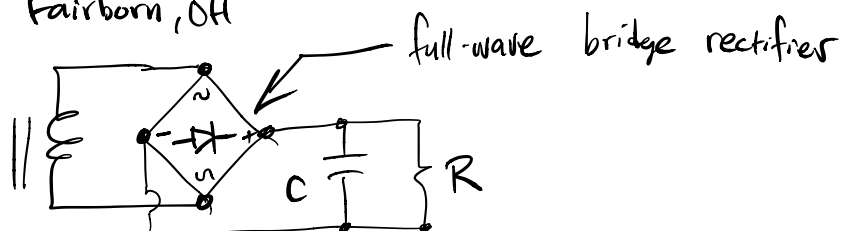
.. ideally, we want a perfect D.C. voltage and zero A.C. component; no ripple, no noise, etc.

.. usually try to further reduce V_{ripple} with more filtering or regulation → more later

ex: Draw a linear power supply using a stepdown transformer, full-wave bridge rectifier, and capacitor-input filter. Determine V_L and $V_{\text{ripple(p-p)}}$ if $C = 100 \mu\text{F}$, $V_s = 12 \text{ V}_{\text{RMS}}$, and $R_L = 200 \Omega$. Assume $V_{\text{SOURCE}} = 120 \text{ V}_{\text{RMS}} @ 60 \text{ Hz}$.



alt. symbol:



$$V_{\text{peak}} = V_s \sqrt{2} - 2 \cdot V_D$$

\uparrow
 "constant diode drop"
 $= 0.7 \text{ V}$ for Si

$$= 12 \sqrt{2} - 2 \cdot 0.7$$

$$= 15.57 \text{ V}_{\text{peak}}$$

∴ we need I_L in order to approximate ripple voltage; however, this requires V_L , which is $V_{\text{peak}} - \frac{1}{2} V_{\text{ripple}}$!!!

∴ let's assume $V_{\text{ripple}} \ll V_L$

$$\text{then } V_L \approx V_{\text{peak}}$$

$$I_L \approx \frac{V_{\text{peak}}}{R_L} = \frac{15.57}{200} = 0.07784 \text{ A}$$

or $\approx \underline{78 \text{ mA}}$

$$\therefore V_{\text{ripple}} = \frac{I_L}{2fC} \approx \frac{0.078}{2 \cdot 60 \cdot 100 \times 10^{-6}}$$

$$= 6.5 \text{ V}_{\text{P-P}}$$

.. way too high !!!

.. violates the assumption of $V_{\text{ripple}} \ll V_{\text{peak}}$

.. usually, max. permissible voltage is specified as a percentage of V_L , such as 1% or 5%.

.. try increasing C to 470 mF

$$\text{then } V_{\text{ripple}} = \frac{0.078}{2 \cdot 60 \cdot 470 \times 10^{-6}} = \underline{1.38 \text{ V}_{\text{P-P}}}$$

.. much better

.. $< 10\% V_L$

.. recalculate V_L :

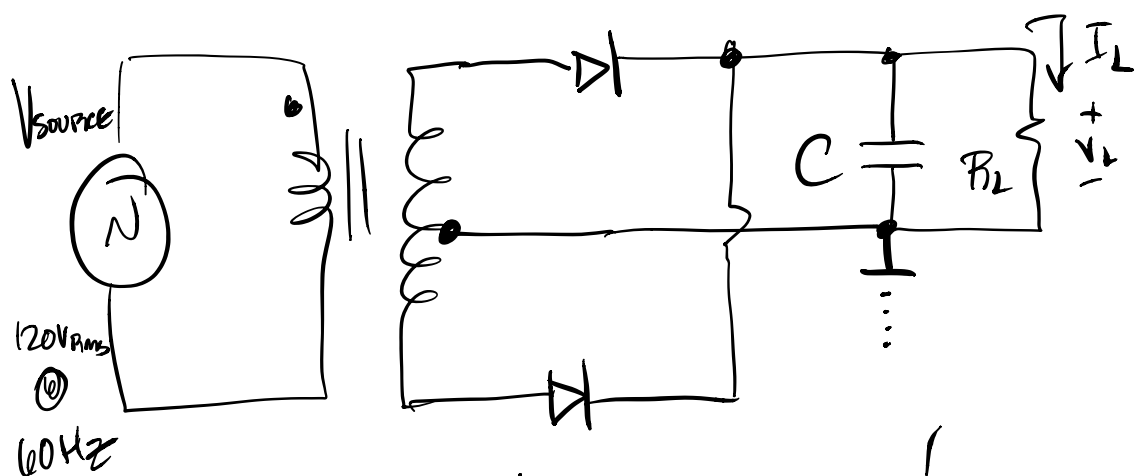
$$V_L = V_{\text{peak}} - \frac{1}{2} V_{\text{ripple}} = 15.57 - \frac{1}{2} (1.38) = \boxed{14.88 \text{ V}}$$

Side note: capacitors used for smoothing/filtering are usually electrolytic

→ tolerance is seldom $\pm 10\%$
usually worse!

→ usually only available in E6 values
 $\{10 \quad 15 \quad 22 \quad 33 \quad 47 \quad 68\}$

homework:



.. both Si diodes!

.. what type of rectifier is this?

.. is it half-wave or full-wave?

→ give E_b value!

.. determine V_{peak} and calculate C for

$< 5\%$ ripple if

$$I_L = 200 \text{ mA} \quad \text{and} \quad V_S = 350 - 0 - 350$$

V_{RMS}

$$\left(\text{meaning, } \frac{V_{ripple}}{V_L} < 5\% \right)$$

.. determine final V_L