1) A transformer manufacturer claims that the efficiency of one of its core products is at least 0.925. 25 power transformers were tested at full load current and the results were $\bar{x} = 0.9134$ and s = 0.04117. Test the following hypotheses using the *p*-value approach and state whether you would reject or fail to reject the null hypothesis at

 α = 0.05. Are the manufacturer's claims reasonable?

 H_0 : $\mu = 0.925$

 H_1 : μ < 0.925

M<30, of is unknown;

so use distribution

 $\frac{1}{5} = \frac{\overline{X} - N_0}{5/\sqrt{n}} = \frac{0.9134 - 0.925}{0.04117/\sqrt{25}}$

b=-1.409 (A)

P-value (lower one-sided)

+0

from T-table, 25-1 = 24 degrees of freedom

 $t_{0.05,24} = 1.318$ t_{20}

0° 0,05 < P < 0.10

fuil to reject

@ U=0,05

(17)

6

3

2) At Yellow Springs Brewery and Above Ground Pools, it is well-known that under-filled cans are required to be taken home and consumed by YSB employees for the safety and well-being of the community. During a recent midnight canning session, twelve out of 144 cans had to be removed from the premises. Chris Hutson says this is too many and wants the number of under-filled cans to be less than 10%. Jon Vanderglas suspects sabotage!!! Test the following hypotheses on the proportion of rejected cans using the fixed-significance level approach @ $\alpha = 0.05$ and state whether you would reject or fail to reject H_0 . Should Jon Vanderglas get a life?

Ho: p = 0/40 0.05

H1: p> 0/10 0.05

70 = X-MP0 VMP0 (1-70)

= 12 - 144.05 $\sqrt{144.05(1-.05)}$

Zo = 1.835 (1)

Critical value: Za = Zo.05 = 1,645 (1)

- Zd Zo

Zo > Zx; oo reject to (+1) 3) Joe Tritschler's cars over the years have usually either burned or leaked oil. His '70 Coupe DeVille burned oil with confusing inconsistency. He reckoned that a standard deviation of more than 100 miles between quarts was cause for concern, so he bought a case of 12 quarts of oil and determined that the mean number of miles between quarts was 472 miles with a sample standard deviation of 119 miles. Jon Vanderglas suspects sabotage!!! Test the following hypotheses at $\alpha = 0.05$:

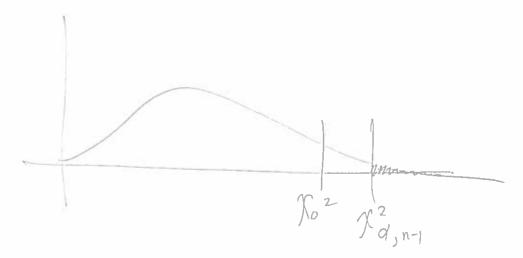
 H_0 : $\sigma = 100$ H_1 : $\sigma > 100$

$$\sqrt{N_0^2 = \frac{(N-1)^2}{80^2}} = \frac{11 \cdot 119^2}{100^2} = 15.5771$$

table)

Critical value (upper one-sided):

$$\chi^2$$
 χ^2
 χ^2



No 2 XX, n-1

of fail to reject the (t)