



EE4011

Transceiver Architectures

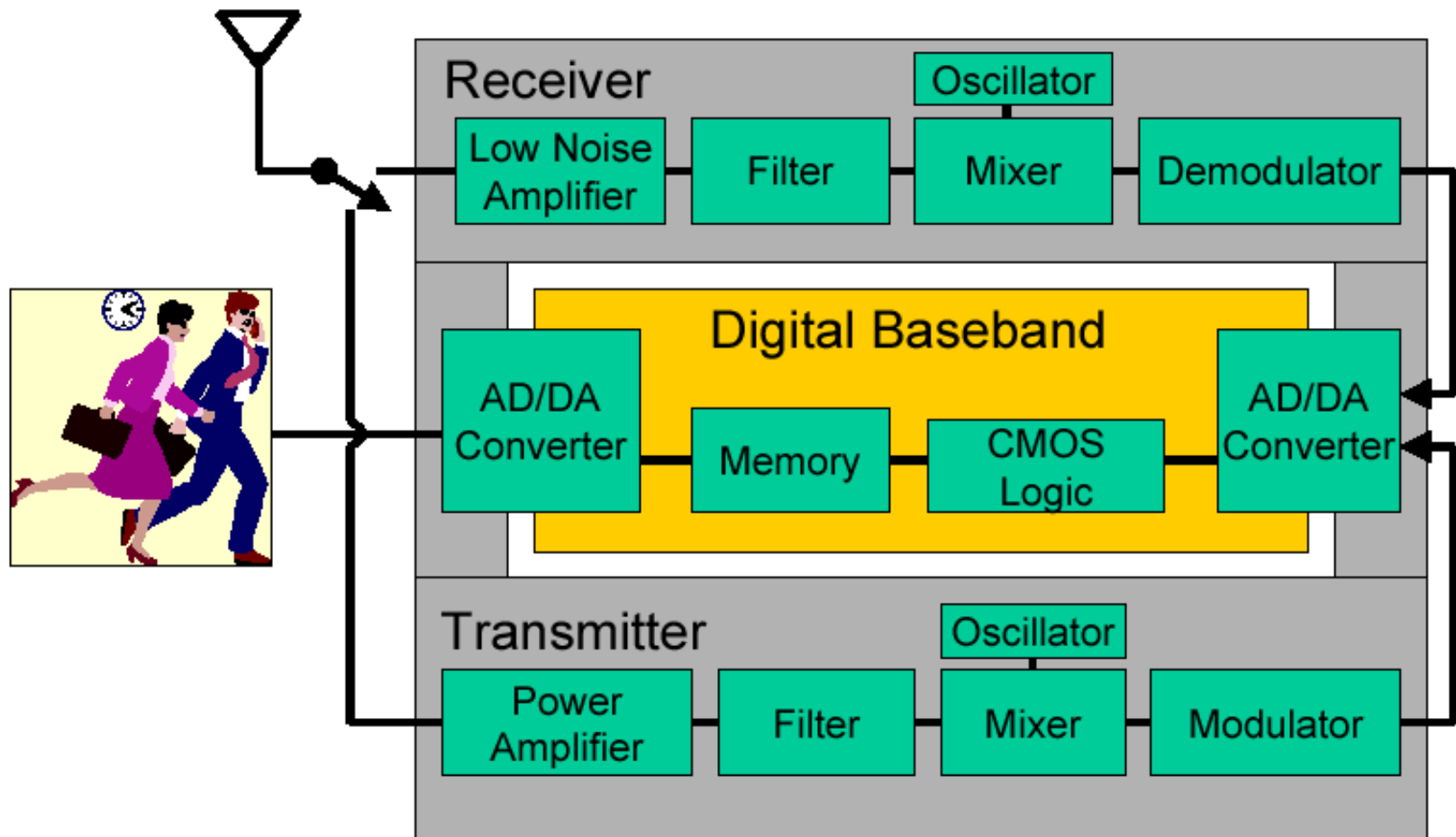
From Superhet
to
Direct Conversion

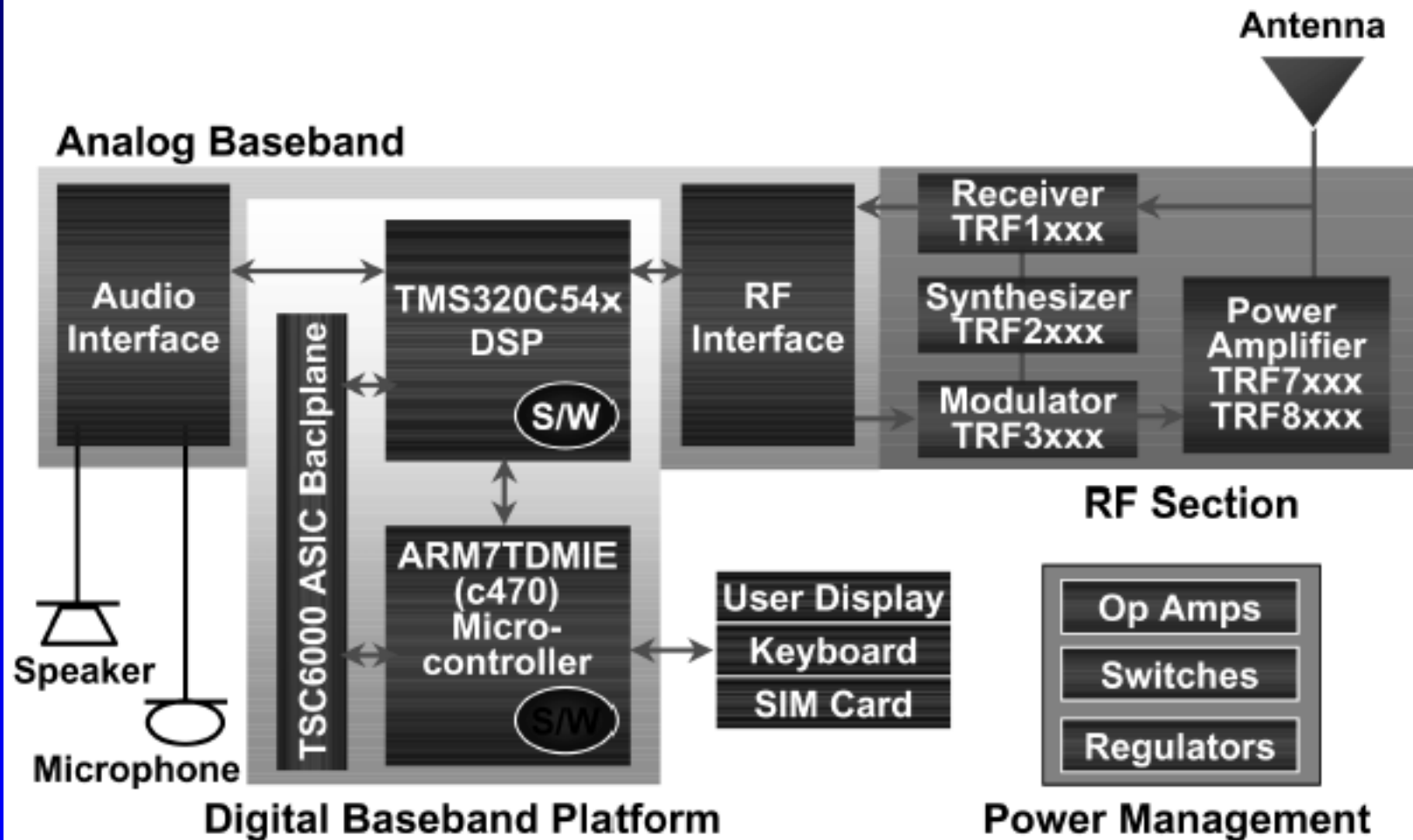
Transceivers

- λ Transmitter + Receiver (eg mobile phone)
- λ Common Antenna
- λ Functionally separate - but increasingly interdependent
- λ Level of integration increasing
- λ => “System on a Chip” SOC

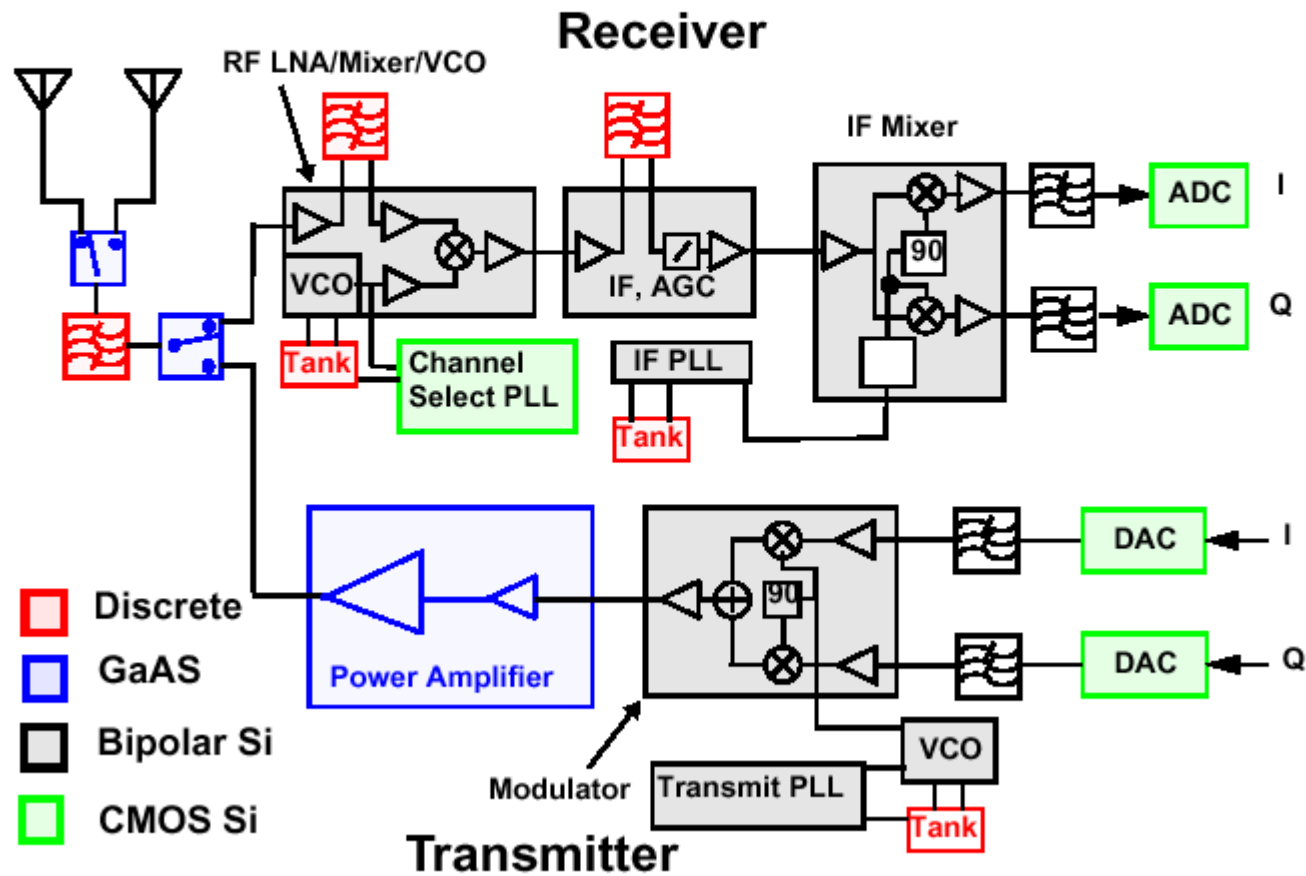


Application Example: Transceiver Design

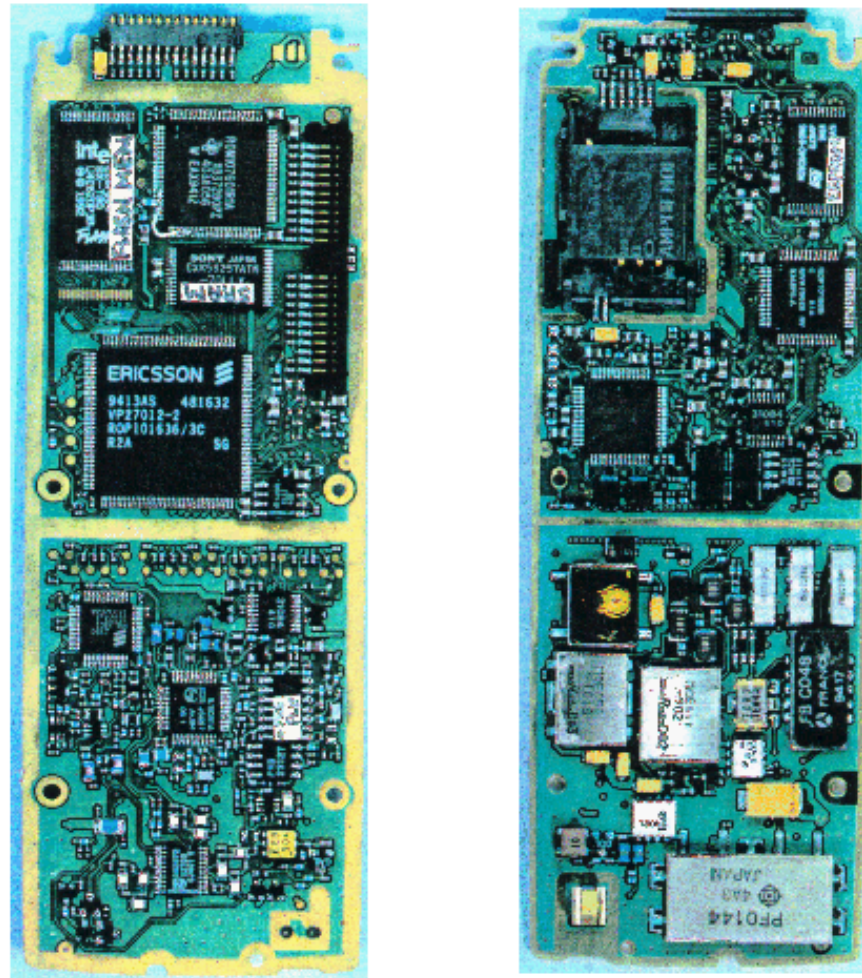




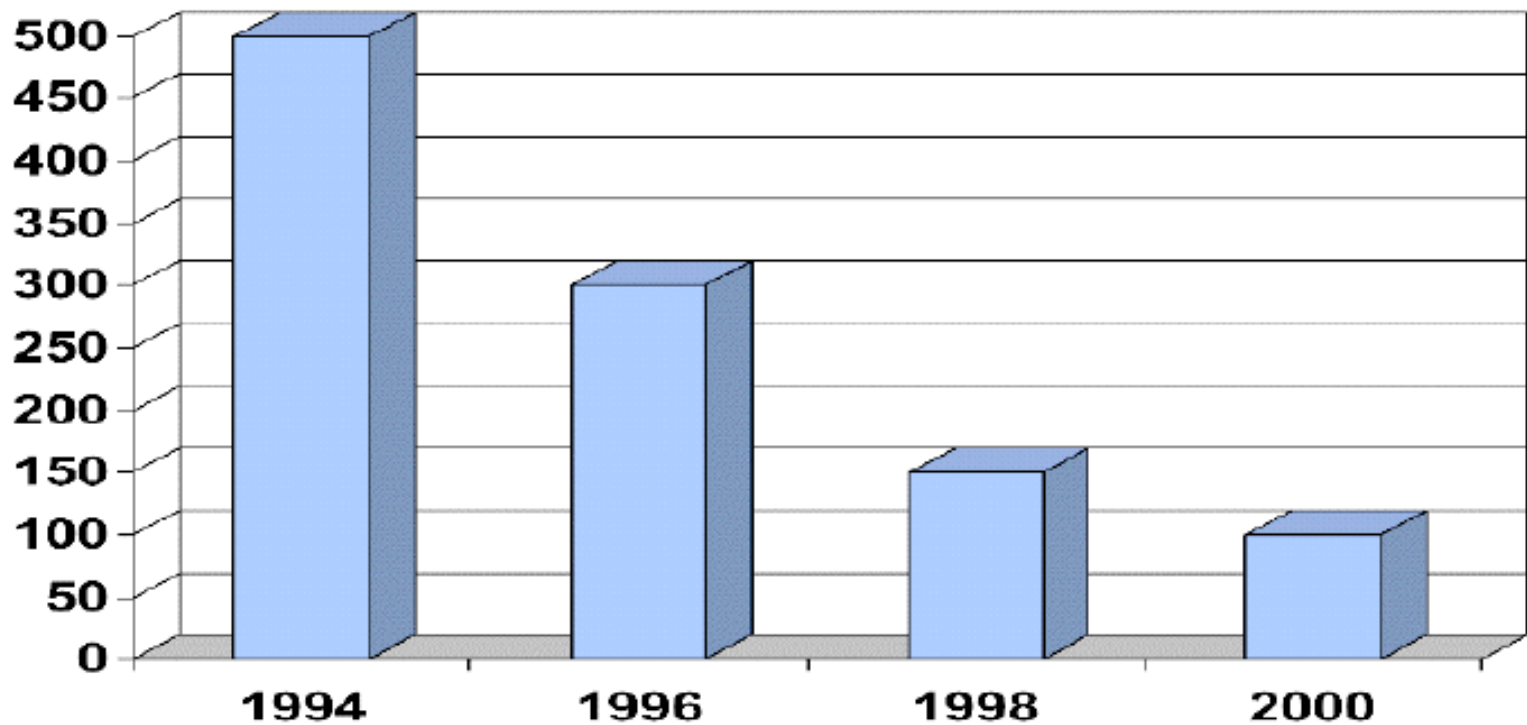
Block Diagram, Typical Multi-Technology RF Transceiver



Existing Solutions are Inefficient

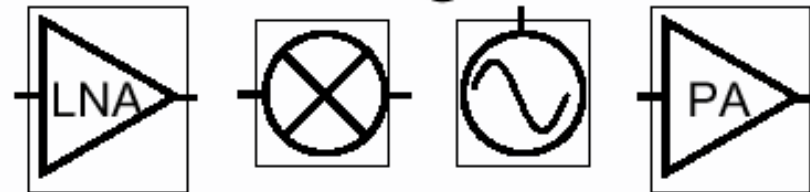


Component Count Evolution in GSM RF (Nokia)

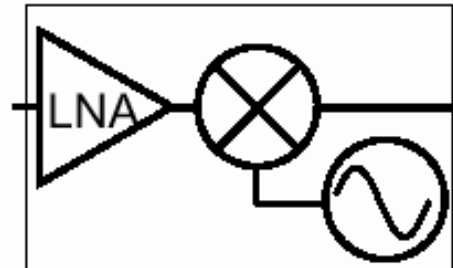


Evolution of RF Integration

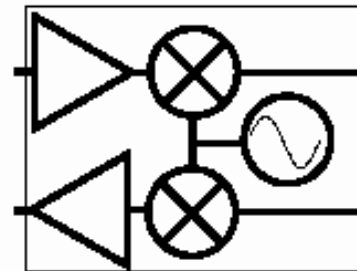
- Discrete functions:



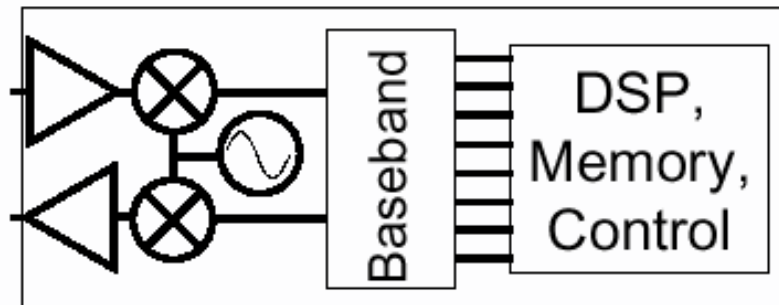
- Partial front-end:



- Integrated front-end:

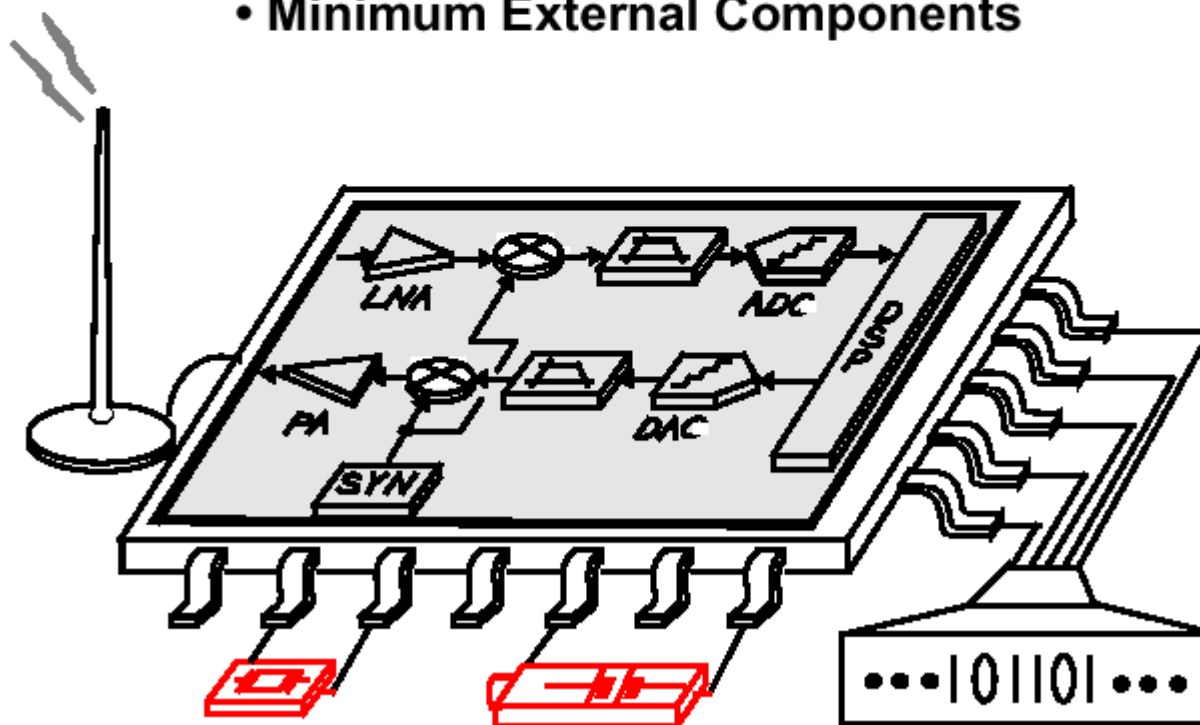


- SoC:

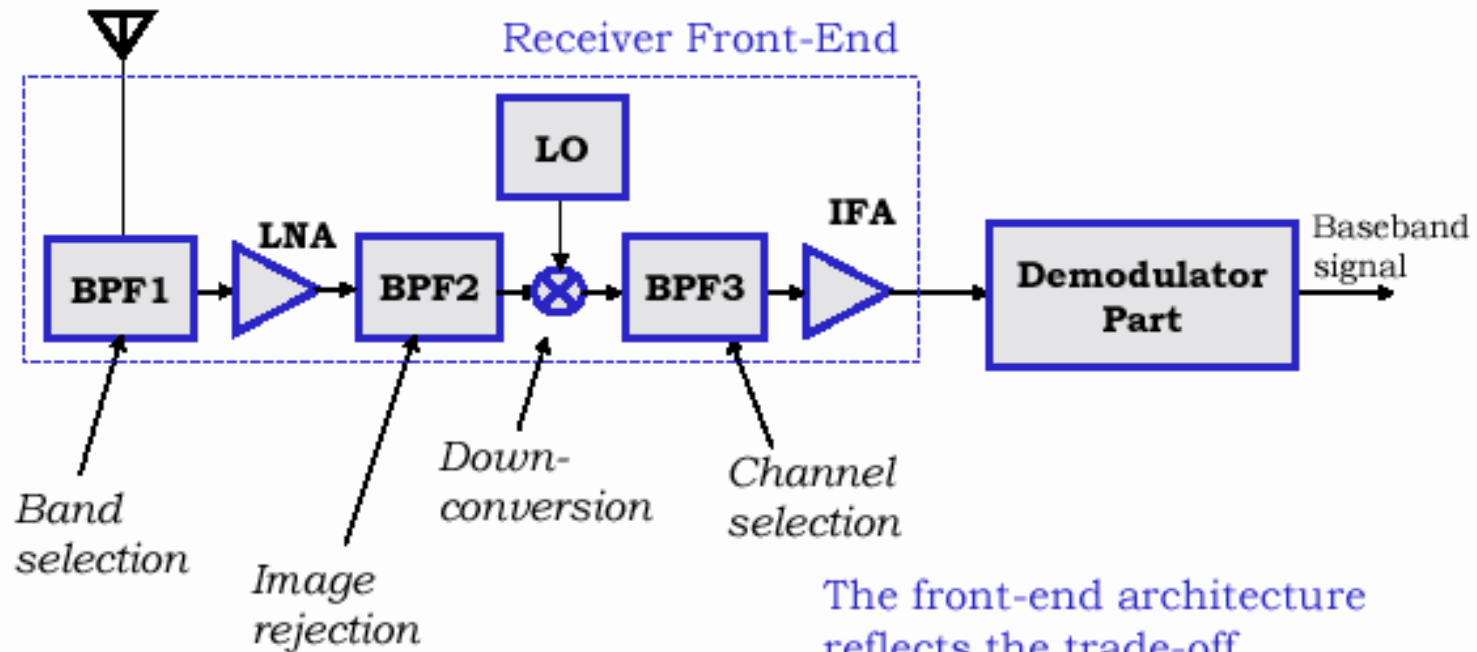


Ultimate Objective:

- Single-Chip, Scaled CMOS or BiCMOS
- Minimum External Components



Heterodyne receiver



The front-end architecture reflects the trade-off between image rejection and band selection.

Receiver Sensitivity

- λ Input signal level to achieve specified minimum S/N at output
- λ Expressed in absolute units, dBm or dBuV
- λ Also used – MDS – minimum detectable signal power dBm



Available Signal Power & Sensitivity

Sensitivity

Minimum S_g such that we have the required SNR at the receiver output for proper signal detection.

Example:

Receiver Sensitivity = -113dBm

Assume
 $R = 50\Omega$

$$\text{dBm} : 10\log\left(\frac{P}{1\text{mW}}\right)$$

$$P = 10^{(-113/10)} \cdot 1\text{mW} = 5 \times 10^{-15} \text{ Watts}$$

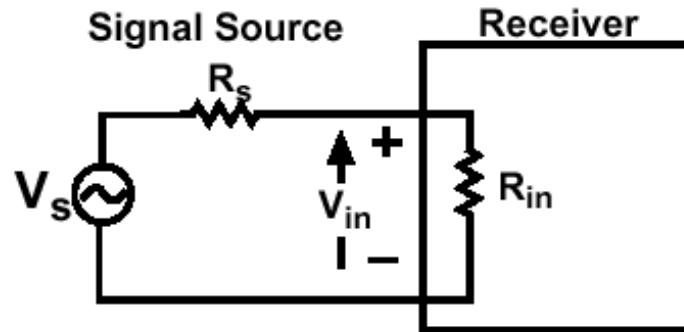
$$P = V_{\text{in}}^2 / R \leftarrow 50\Omega$$

$$\overline{V_{\text{in}_{\text{rms}}}} = \sqrt{P \cdot R} = \sqrt{(5 \times 10^{-15}) \cdot 50\Omega}$$

$$\overline{V_{\text{in}_{\text{rms}}}} = 0.5\mu\text{V}$$



Example Sensitivity for GSM/DECT



<u>Standard</u>	<u>Sensitivity</u>	<u>RMS Input Voltage(V_{in})</u>
DECT	- 83 dBm	15.8 μ V
GSM	- 102 dBm	1.8 μ V

Dynamic Range

λ Noise at lower limit

λ Distortion at upper limit

λ Difference is Dynamic Range dB

λ Number of definitions of Dynamic Range



Bit Error Rate and Noise

- λ Modern systems are inevitably digital
- λ BER and noise are inter-related
- λ As expected, multi-level modulation schemes require higher S/N for same BER.



Gain Compression

- λ Occurs when system cannot increase its output amplitude in linear proportion to amplitude increase at input
- λ Gain SATURATION occurs when system output amplitude stops increasing.
- λ Common measure is *1 dB compression point*



Selectivity

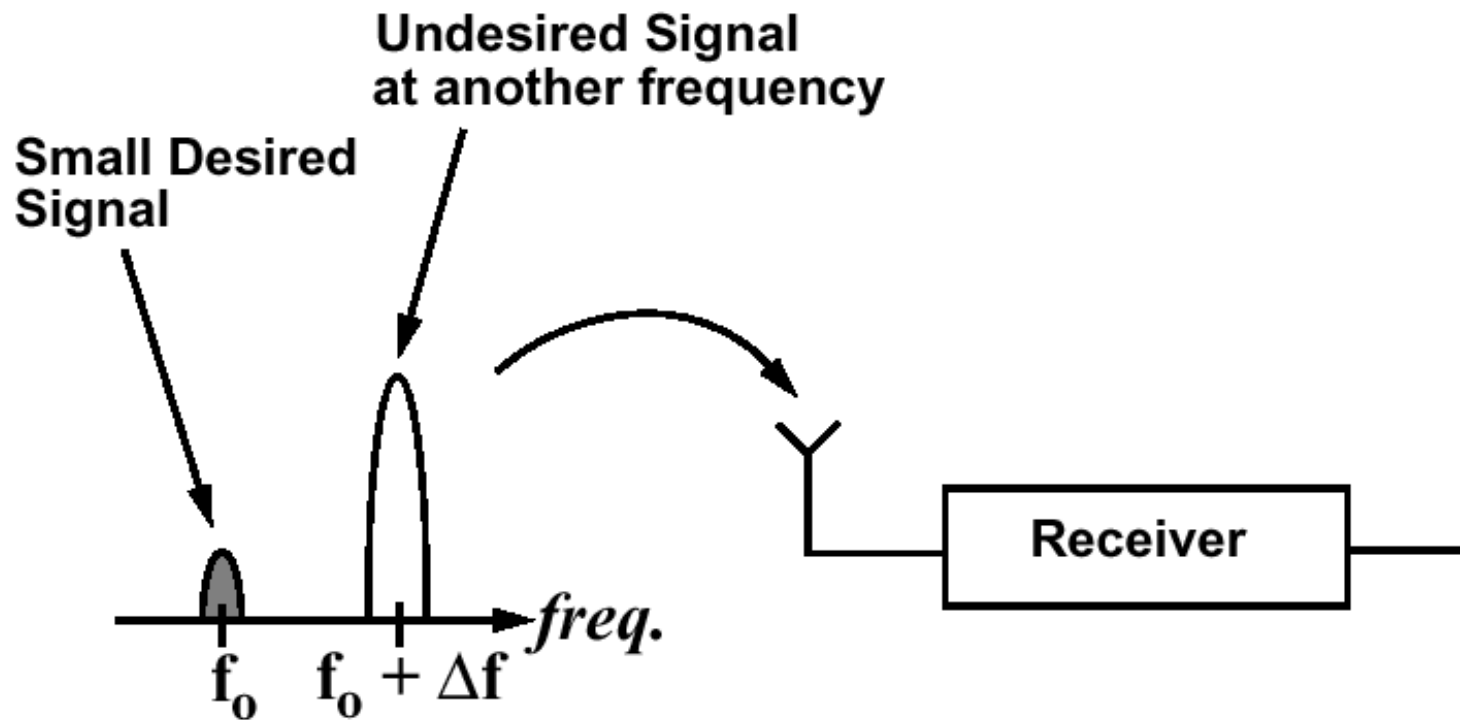
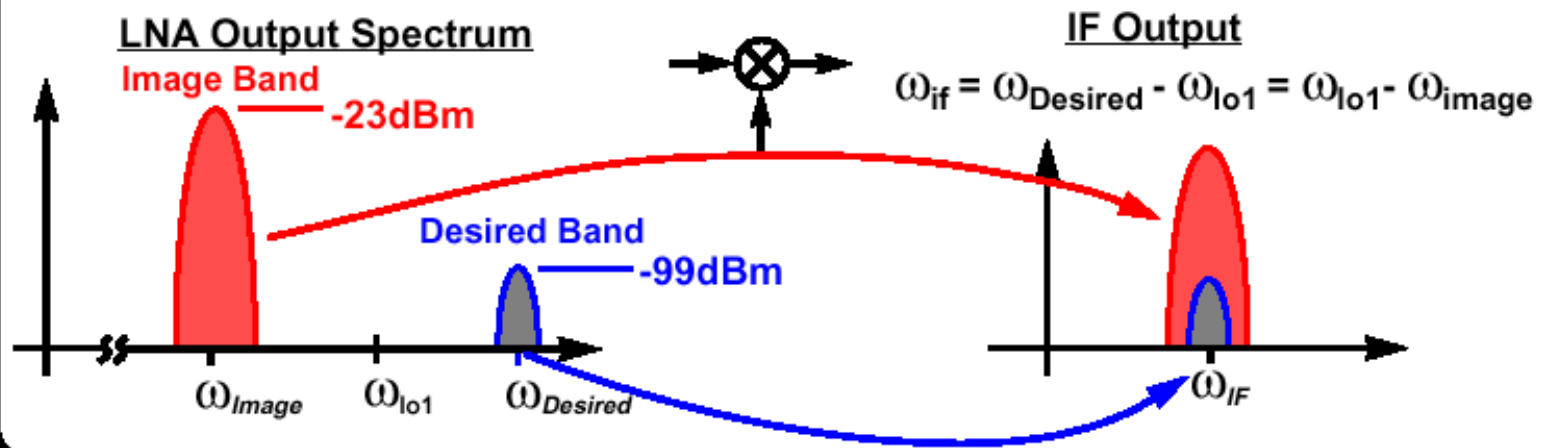
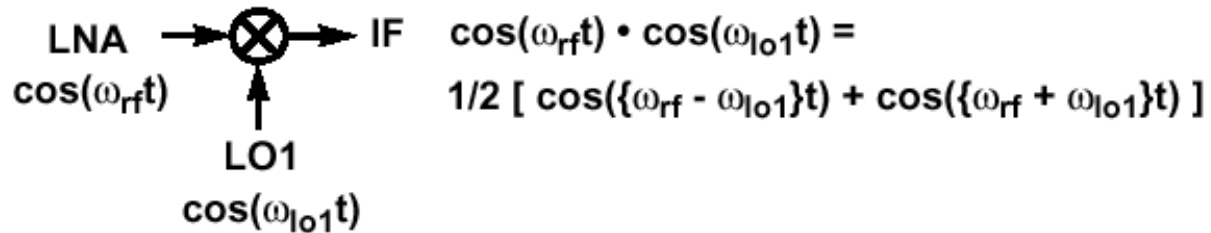


Image Problem

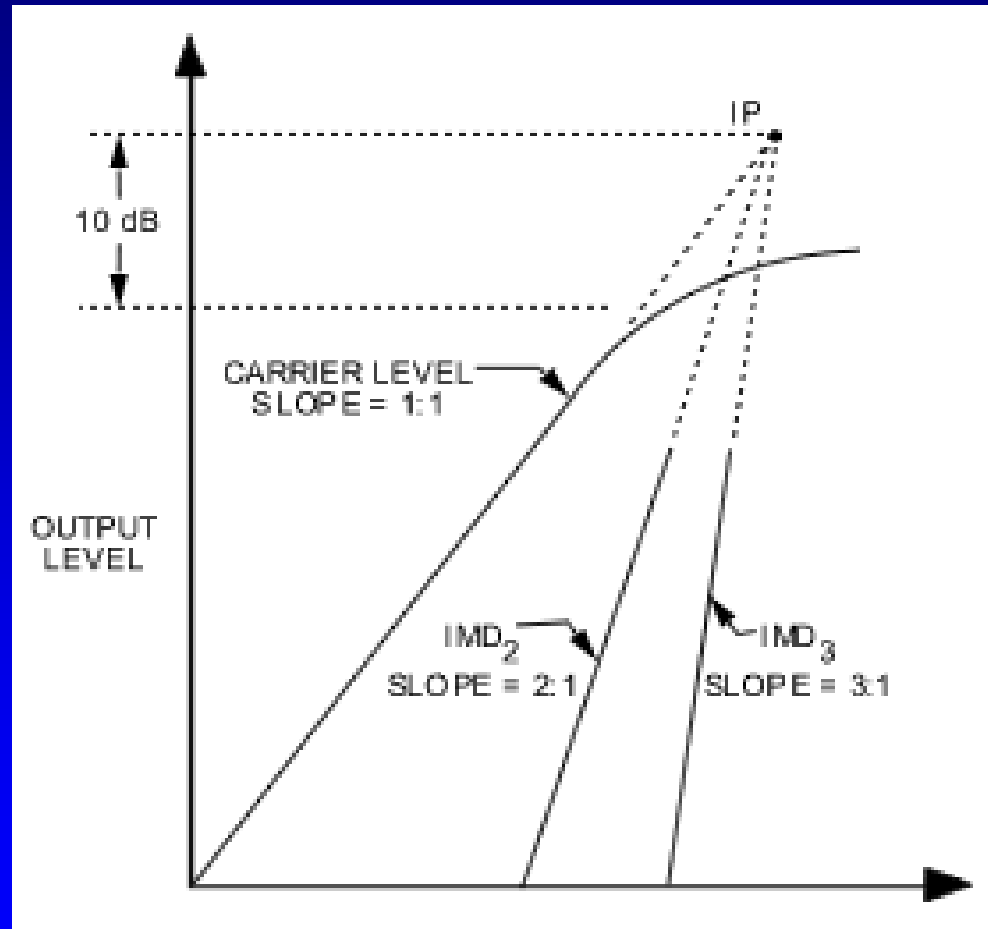


Intermodulation

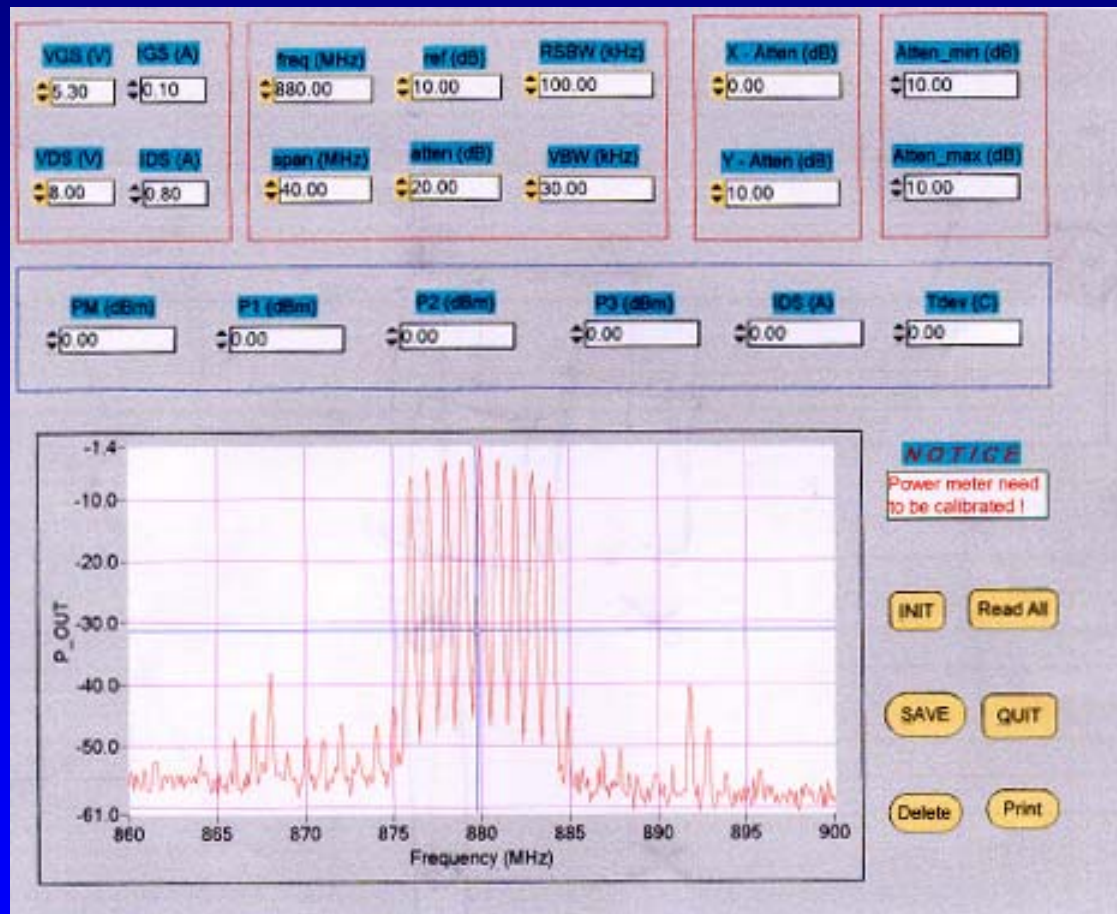
- λ Non-linearities in system elements e.g amplifiers, mixers, --- but also filters, (and even cables!).
- λ Second order $\omega_1 + \omega_2$ $\omega_1 - \omega_2$ IM₂
- λ Third order $2\omega_1 \pm \omega_2$ $2\omega_2 \pm \omega_1$ IM₃
» +terms outside passband - terms in passband
- λ Under small signal conditions the power of IM2 varies by 2 dB and IM3 by 3dB per 1dB change in input power level



Intermodulation Intercept Point IP3

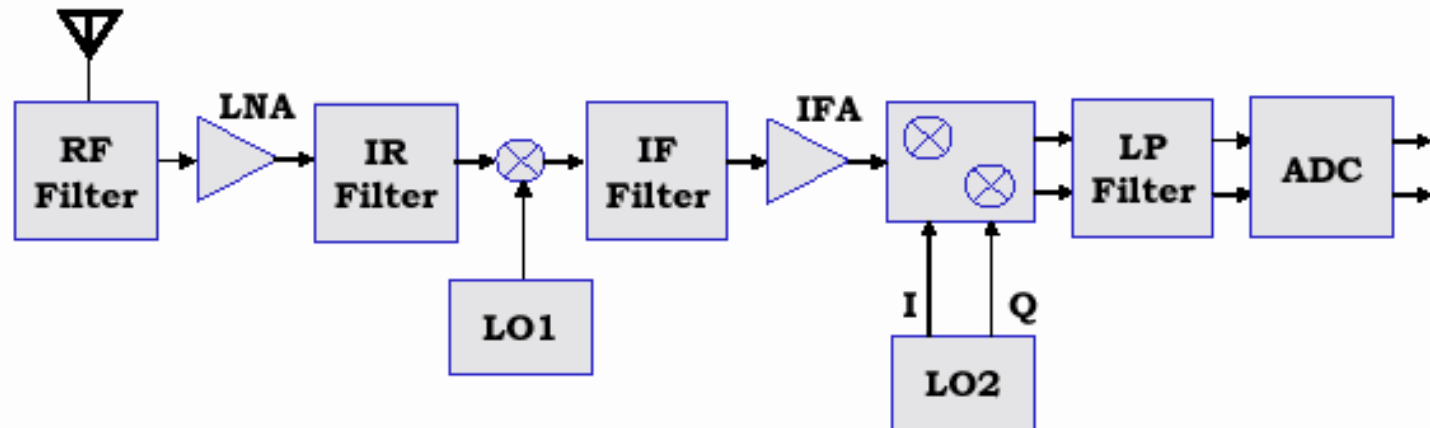


Spectral Regrowth - ACPR



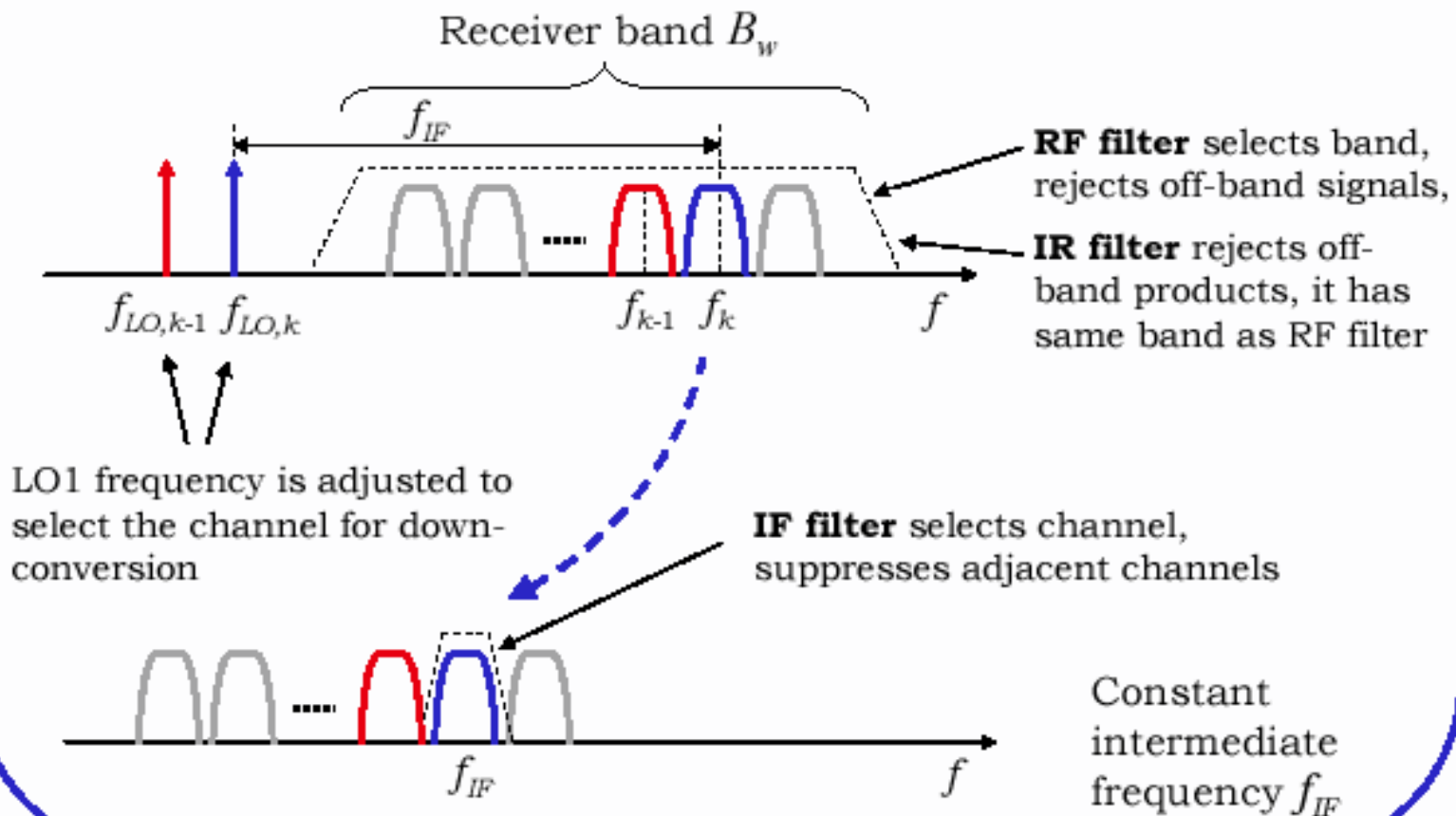
Old & New receiver architectures

- Superheterodyne receiver
(good sensitivity and selectivity, good image rejection)

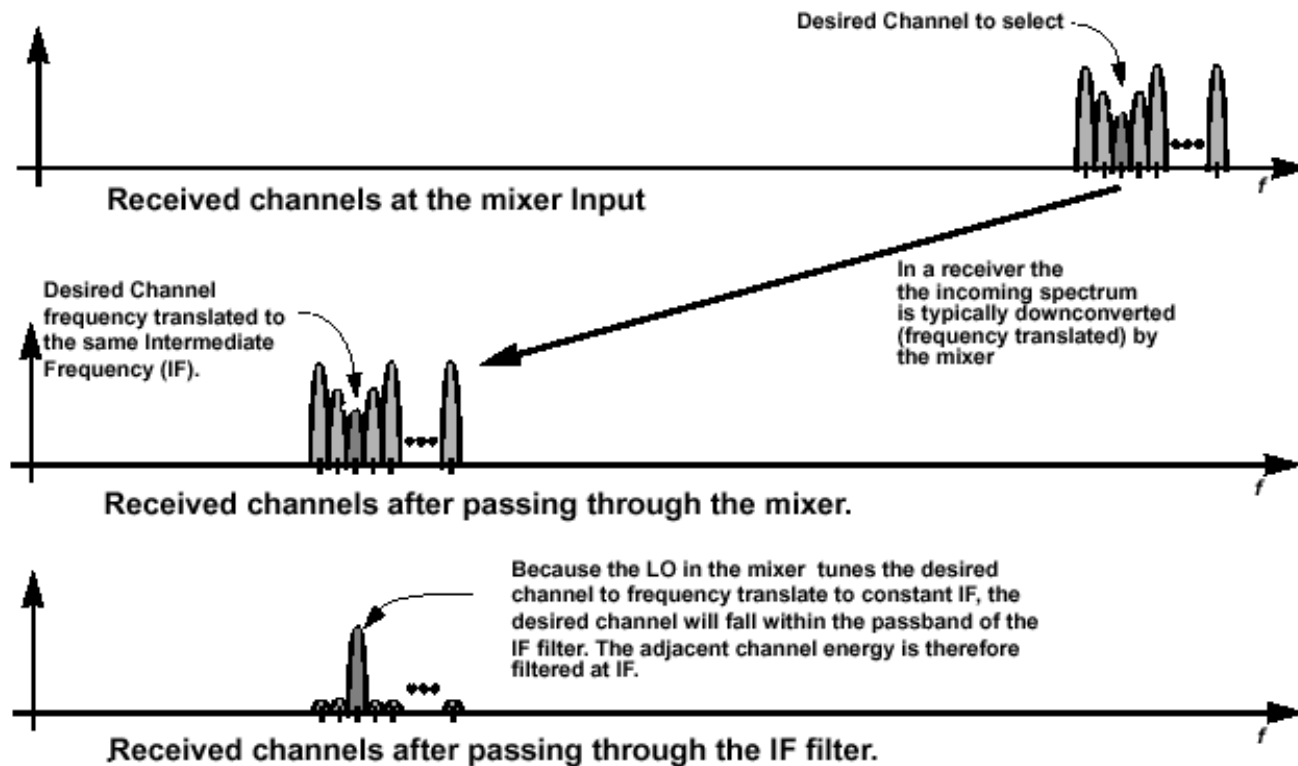
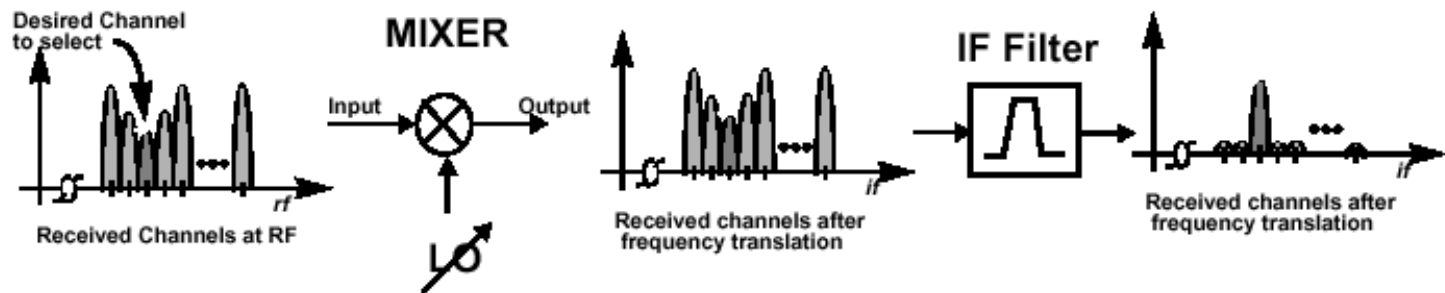


- Discrete IR and IF filters not amenable for integration
- Channel selection done with IF Filter – multi standard programming hardly achieved

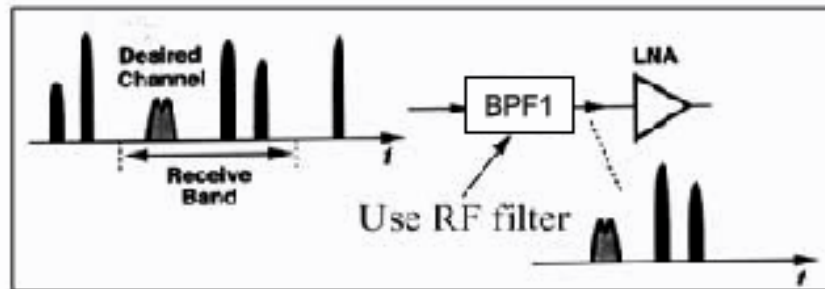
Superheterodyne receiver (cont'd)



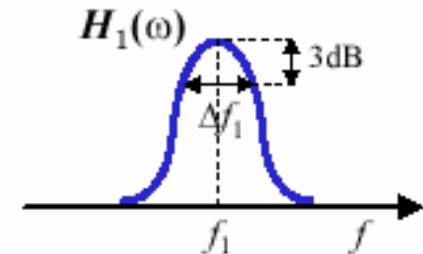
Role of the first mixer & IF filter



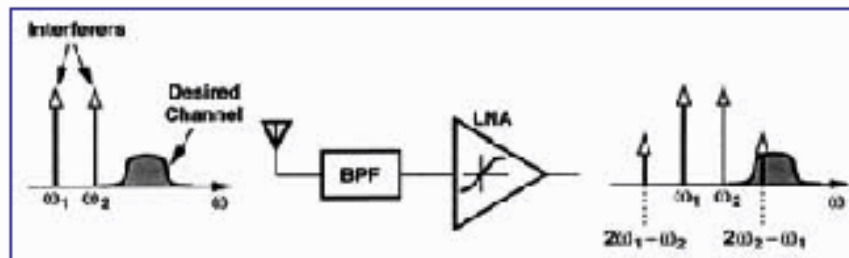
• Filter design for Front-End



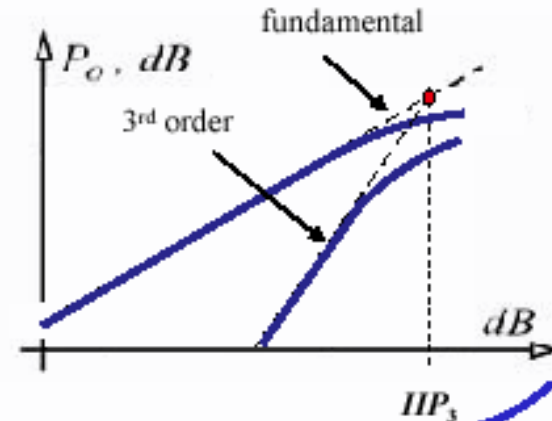
Band selection filtering, BPF of high Q is needed



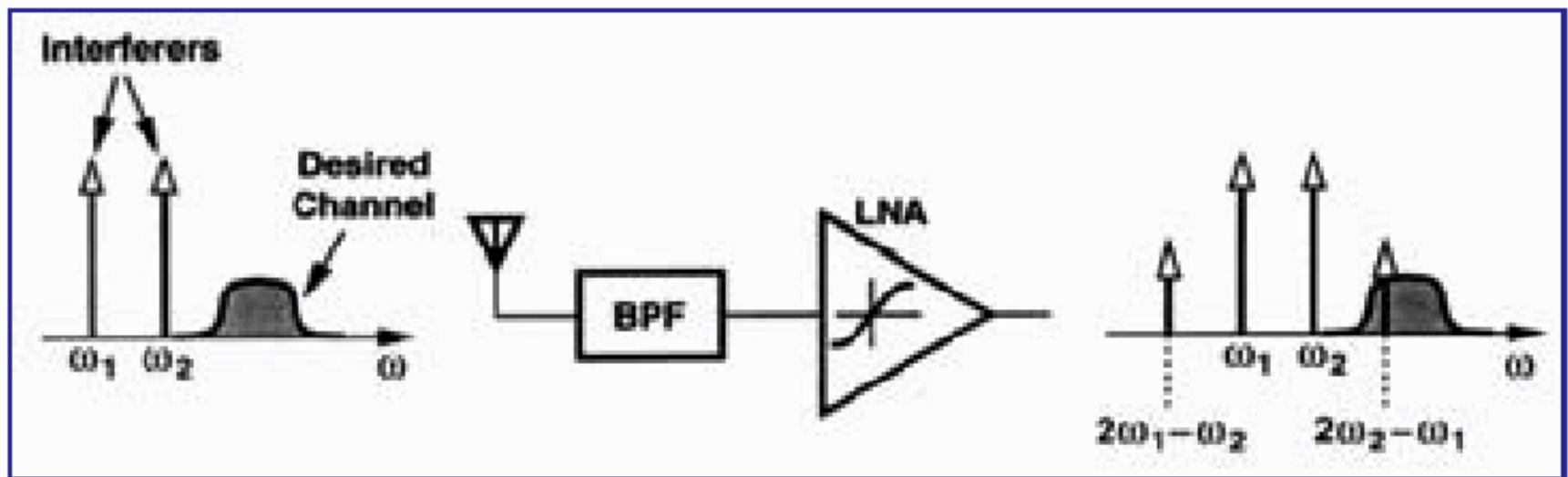
$$Q_1 = \left. \frac{f_1}{\Delta f_1} \right|_{\text{DECT}} \approx \frac{1890 \text{ MHz}}{20 \text{ MHz}} \approx 95$$



In-band interferers, LNA of high IP_3 value is needed for low 3rd order component



cf Razavi pp 120,121



- **Filter design for Front-End** (cont'd)
Choice of LO frequency - problem of images

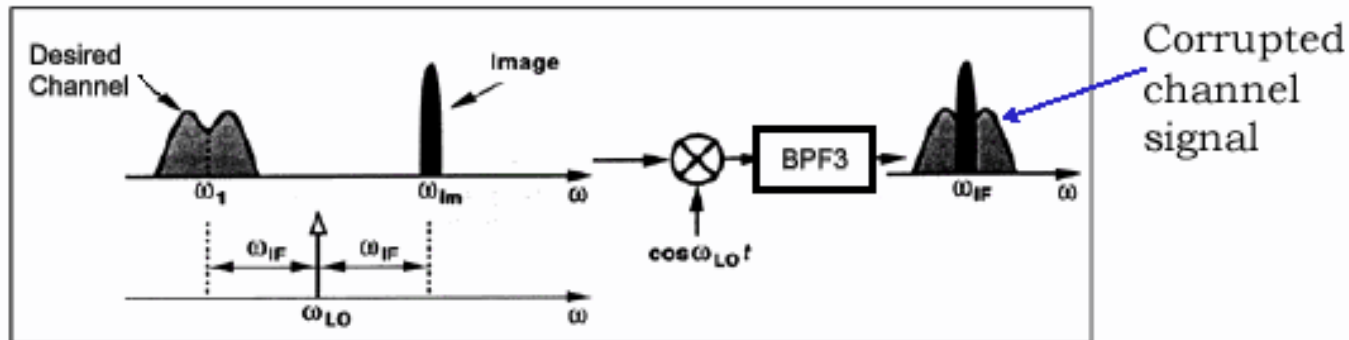
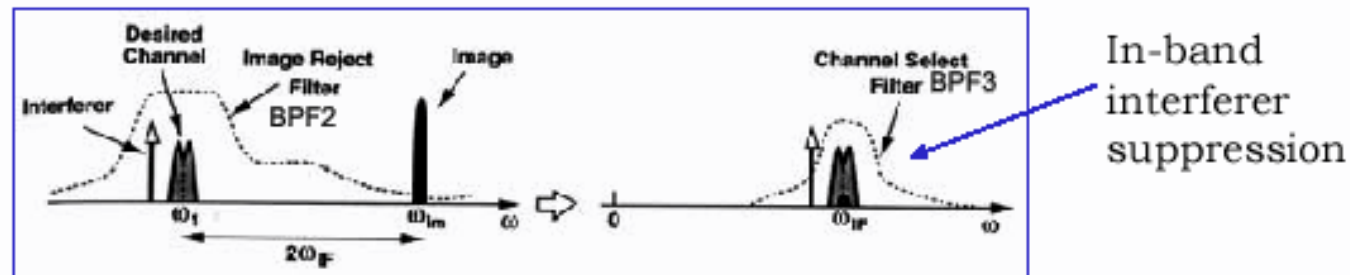
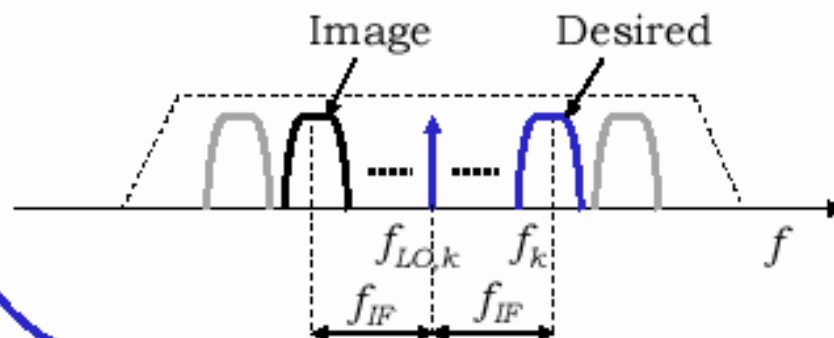
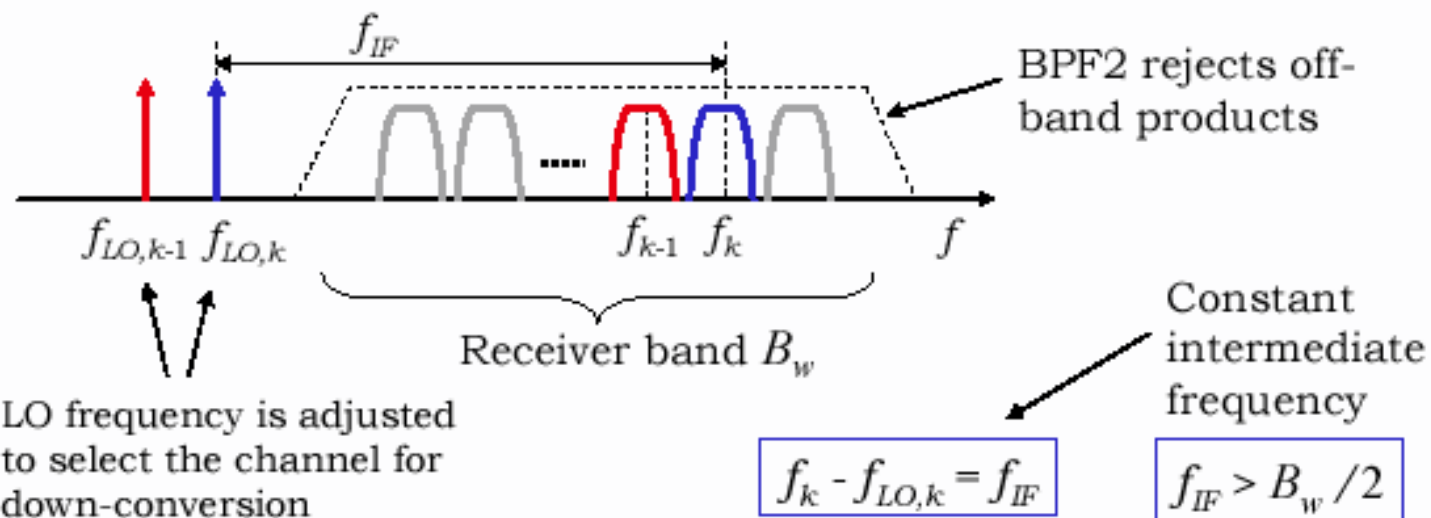


Image tends to overlap the desired channel at the mixer output



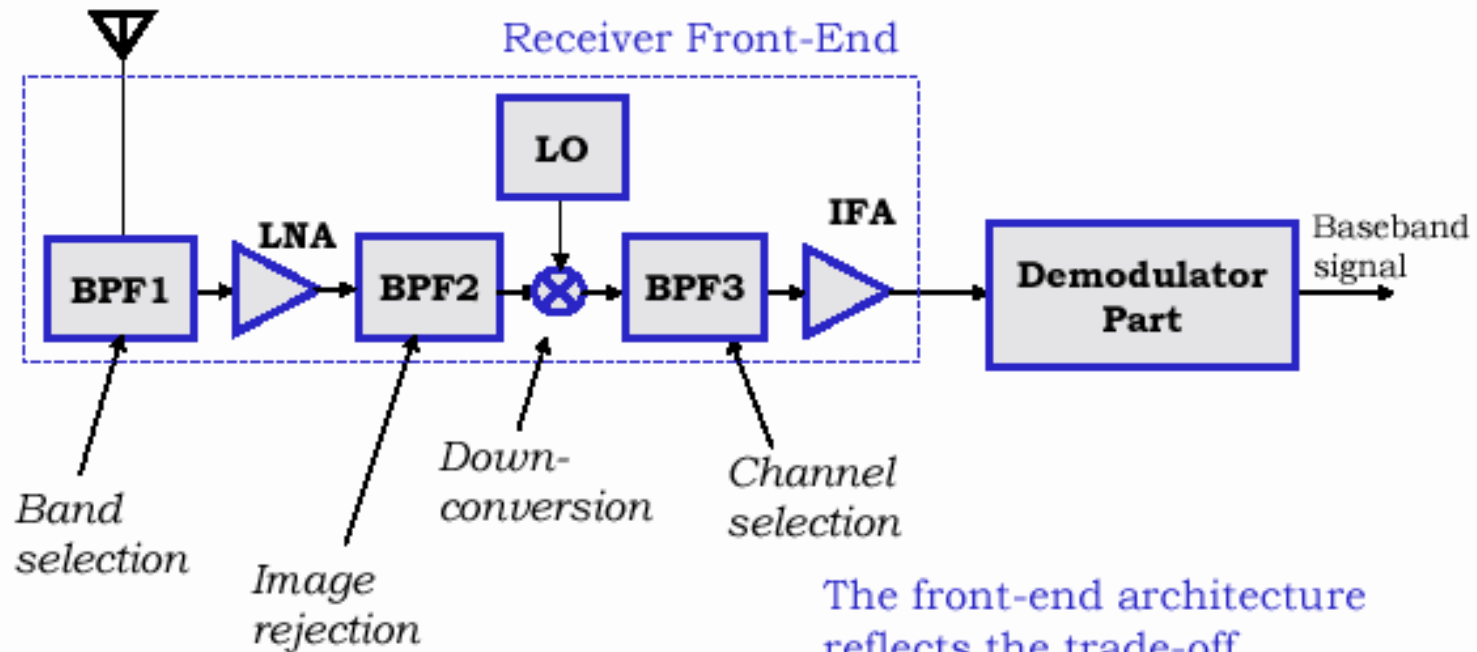
Out-of-band image can be suppressed before mixing, ω_{IF} should be large enough to relax the requirements for Q_2 factor

Choice of LO frequency - (cont'd)



For too small f_{IF} in-band channel becomes an image, – then adjustable BPF2 or quadrature conversion needed – more difficult !

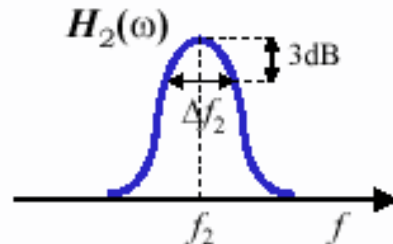
Heterodyne receiver



The front-end architecture reflects the trade-off between image rejection and band selection.

- **Filter design for Front-End** (cont'd)
Trade-off between BPF2 and BPF3

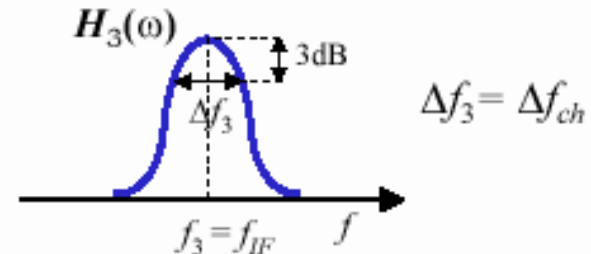
Image Reject Filter



$$Q_2 = \frac{f_2}{\Delta f_2} \Big|_{DECT} \approx \frac{1890 \text{ MHz}}{B_w}$$

$$B_w = m \cdot 20 \text{ MHz}$$

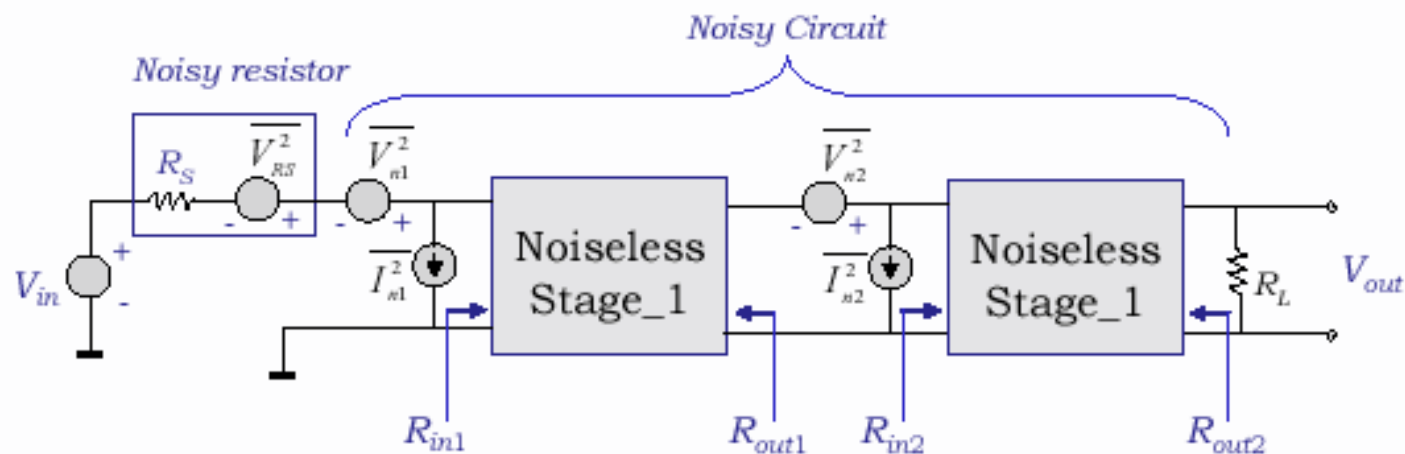
Channel Filter



$$Q_3 = \frac{f_{IF}}{\Delta f_{ch}} \Big|_{DECT} \approx \frac{k \cdot B_w}{1.728 \text{ MHz}}$$

By increasing B_w the Q_2 becomes smaller, but Q_3 becomes larger

- **Front-End analysis for NF** (cont'd)
Contribution of Component Stages



For $R_S = R_{in1} = R_{out1} = R_{in2} = \dots$ etc.

$$NF = NF_1 + \frac{NF_2 - 1}{G_1} + \frac{NF_3 - 1}{G_1 G_2} + \dots$$

General formula for a chain of components ("Friis equation")

To reduce contribution of 2nd, 3rd, .. stages,
 $G_1, G_2, ..$ should be large enough

Receiver Input SNR & Sensitivity

<u>Standard</u>	<u>$10\log(\text{BW})$</u>	<u>Noise Floor(dBm)</u>	<u>Input SNR</u>
DECT(1.7MHz)	62.3dB	-111.5dBm	28.5dB
GSM(200kHz)	53.0dB	-120.8dBm	18.8dB

Definitions used to Derive Noise Figure

N : Available Noise Power

S_g: Available Signal Power

S : Available Signal Power @ the output of a Network

F : Noise Factor

G : $\frac{\text{(Available Signal Power Output)}}{\text{(Available Signal Power at the Input)}}$



Required Receiver Noise Figure

Information used to find the receiver NF

1) Sensitivity

- Standards
- Application

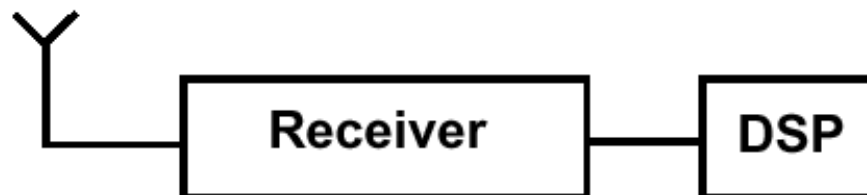
2) Signal BW \longrightarrow Noise Floor

3) Modulation Scheme

- GMSK ?
- QAM ?
- DQPSK ?

From the BER and modulation method, the Q function may be used to derive the required receiver output SNR.

Required Receiver Noise Figure



<u>Standard</u>	<u>CNR_{input}</u>	<u>CNR_{output}</u>	<u>BER</u>	<u>Required NF</u>
DECT	28.5dB	~10.5dB	10⁻³	~18.5 dB
GSM	19.0dB	~9.0dB	10⁻³	~9.0 dB

$$NF = 10\log(F)$$

$$= 10\log\left(\frac{CNR_{input}}{CNR_{output}}\right)$$

$$= CNR_{input}(dB) - CNR_{output}(dB)$$

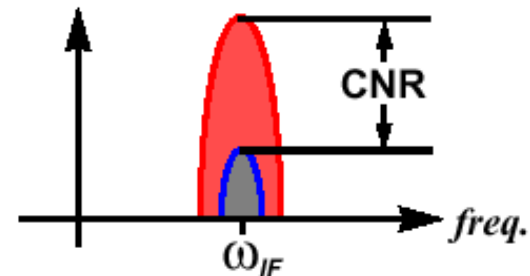
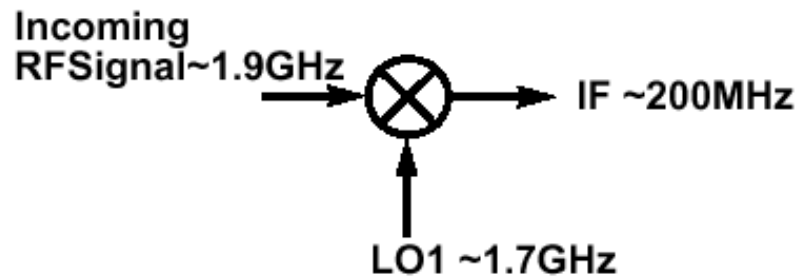
$$= (Sen's - NF_{floor})dB - CNR_{output}dB$$

$$NF <$$

DECT :	18.5 dB
GSM :	9.0 dB



Image-Rejection Example: DECT



Example : DECT

- Desired Incoming Carrier: (freq. $\sim 1.9\text{GHz}$, Magn. -73dBm)
- Local Osc. : (freq. $\sim 1.7\text{GHz}$)
- Imageband : (freq. $\sim 1.5\text{GHz}$, Magnitude -23dBm)

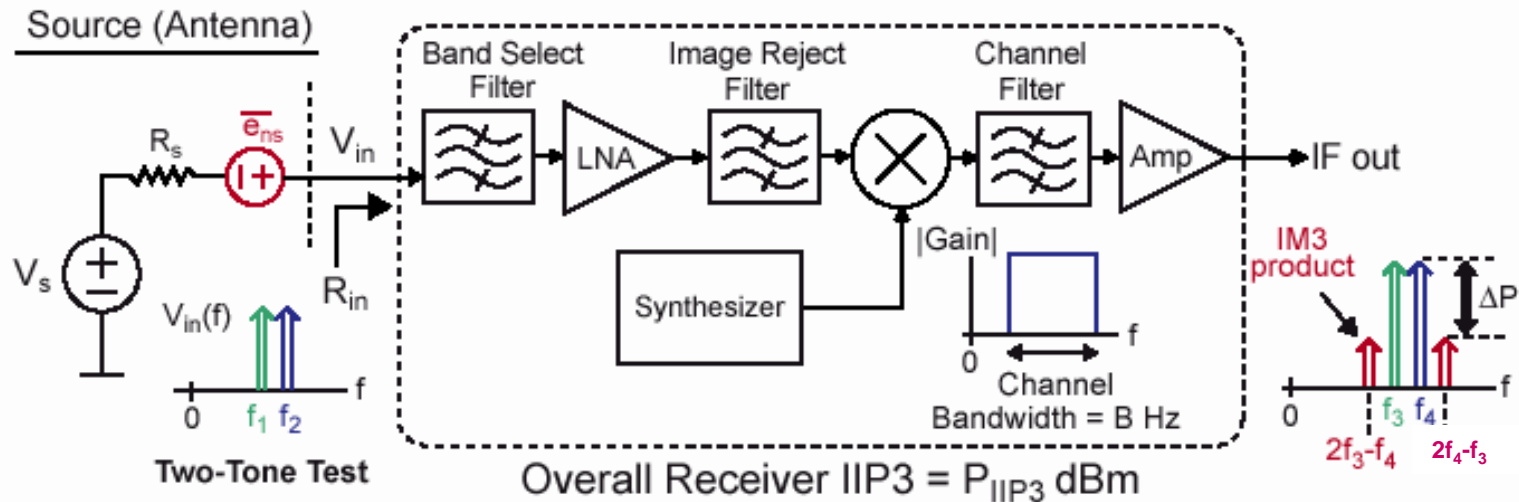
$$IR_{required} = -73\text{dBm} - (-23\text{dBm}) + CNR_{required}$$

$$IR_{required} = 65\text{dB}$$

$$IR_{DECT} \approx 70\text{dB} \quad \text{with } 200\text{MHz IF}$$

$$IR_{GSM} \approx 80\text{dB}$$

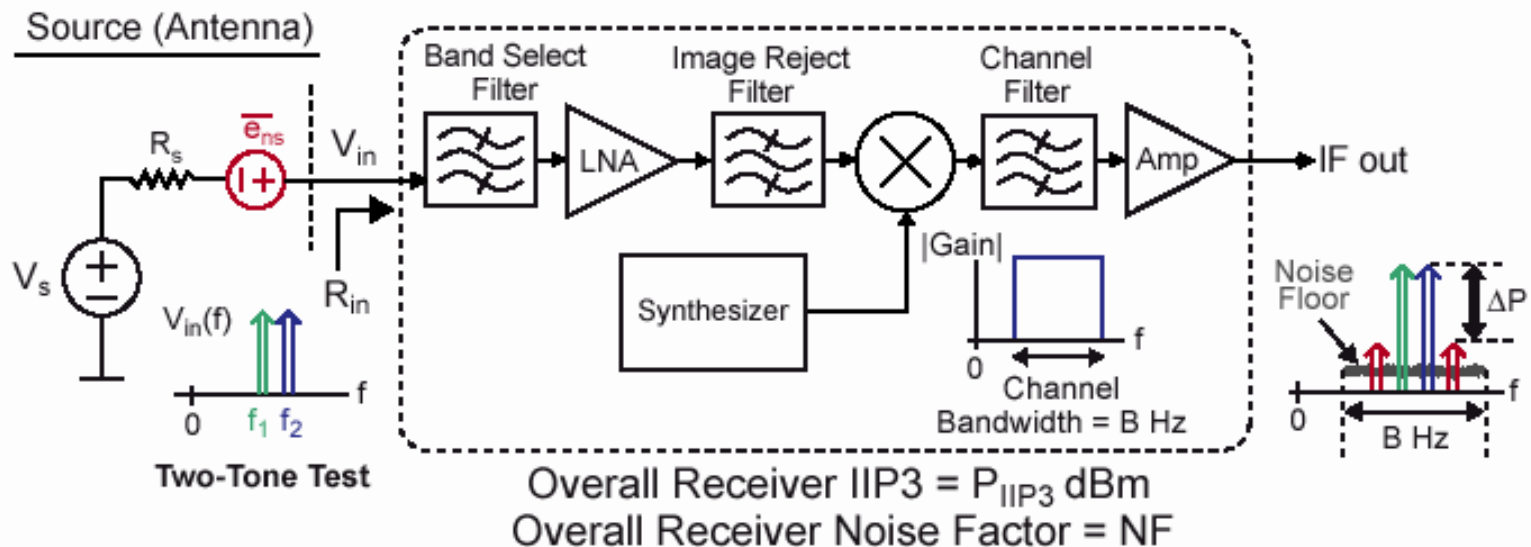
The Issue of Receiver Nonlinearity



- Lower limit of input power into receiver is limited by sensitivity (i.e., required SNR, Noise Figure, etc.)
- Upper limit of input power into receiver is determined by nonlinear characteristics of receiver
 - High input power will lead to distortion that reduces SNR (even in the absence of blockers)
 - Nonlinear behavior often characterized by IIP3 performance of receiver

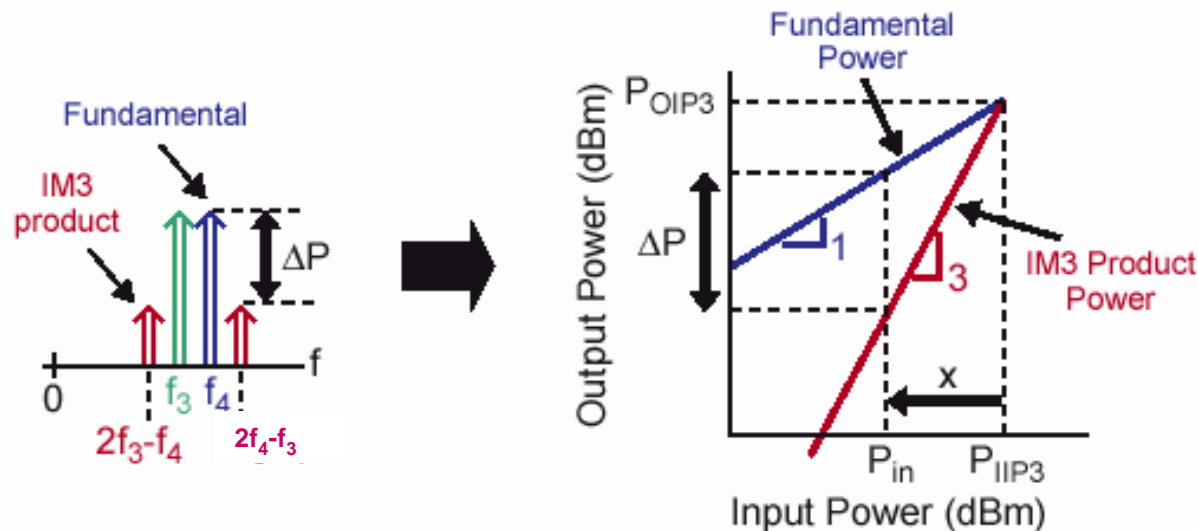


Receiver Dynamic Range



- Defined as difference (in dB) between max and min input power levels to receiver
 - Min input power level set by receiver sensitivity
 - Max input power set by nonlinear characteristics of receiver
 - Often defined as max input power for which third order IM products do not exceed the noise floor in a two tone test

A Key IIP3 Expression



- By inspection of the right figure

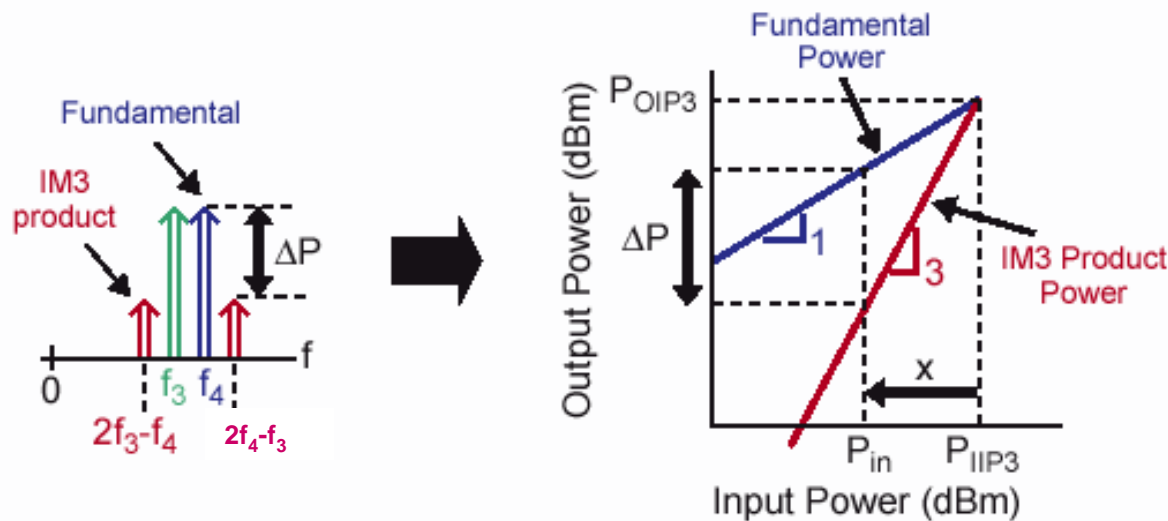
$$P_{IIP3} = P_{in} + x$$

$$\Delta P = 3x - x = 2x$$

- Combining the above expressions:

$$\Rightarrow P_{IIP3} = P_{in} + \frac{\Delta P}{2} = P_{in} + \frac{P_{out} - P_{IM3,out}}{2}$$

Refer All Signals to Input in Previous IIP3 Expression



- Difference between fundamental and IM3 products, ΔP , is the same (in dB) when referred to input of amplifier
 - Both are scaled by the inverse of the amplifier gain

$$\Rightarrow P_{IIP3} = P_{in} + \frac{\Delta P}{2} = P_{in} + \frac{P_{in} - P_{IM3,in}}{2}$$

- Applying algebra:

$$P_{in} = \frac{2P_{IIP3} + P_{IM3,in}}{3}$$



Calculation of Spurious Free Dynamic Range (SFDR)

- Key expressions:

- Minimum P_{in} (dBm) set by SNR_{min} and noise floor

$$P_{in,min} = F + SNR_{out,min}$$

- Where F is the input referred noise floor of the receiver

$$F = -174 + 10\log(B) + dB(NF)$$

- Max P_{in} (dBm) occurs when IM3 products = noise floor

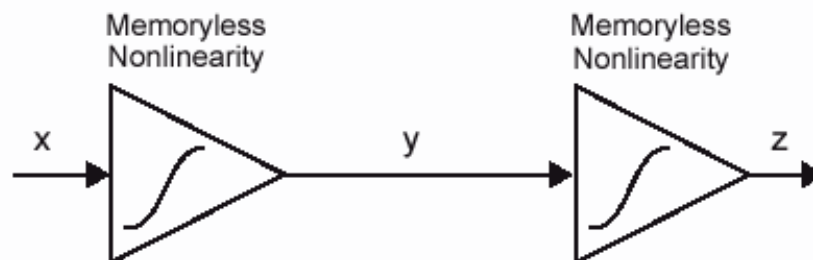
$$P_{in,max} = \frac{2P_{IIP3} + P_{IM3,in,max}}{3} \Rightarrow P_{in,max} = \frac{2P_{IIP3} + F}{3}$$

- Dynamic range: subtract min from max P_{in} (in dB)

$$SFDR = \frac{2P_{IIP3} + F}{3} - (F + SNR_{out,min})$$



Calculation of Overall IIP3 for Cascaded Stages



- Assume nonlinearity of each stage characterized as

$$\begin{aligned}y(t) &= \alpha_1 x(t) + \alpha_2 x^2(t) + \alpha_3 x^3(t) \\z(t) &= \beta_1 y(t) + \beta_2 y^2(t) + \beta_3 y^3(t)\end{aligned}$$

- Multiply nonlinearity expressions and focus on first and third order terms

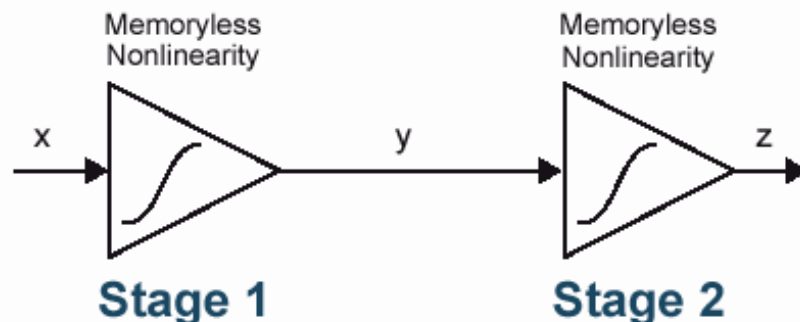
$$z(t) = \alpha_1 \beta_1 x(t) + (\alpha_3 \beta_1 + 2\alpha_1 \alpha_2 \beta_2 + \alpha_1^3 \beta_3) x^3(t) + \dots$$

- Resulting IIP3 expression

$$A_{IP3} = \sqrt{\frac{4}{3} \left| \frac{\alpha_1 \beta_1}{\alpha_3 \beta_1 + 2\alpha_1 \alpha_2 \beta_2 + \alpha_1^3 \beta_3} \right|}$$



Alternate Expression for Overall IIP3



- Worst case IIP3 estimate – take absolute values of terms

$$A_{IP3} \approx \sqrt{\frac{4|\alpha_1\beta_1|}{3|\alpha_3\beta_1| + |2\alpha_1\alpha_2\beta_2| + |\alpha_1^3\beta_3|}}$$

- Square and invert the above expression

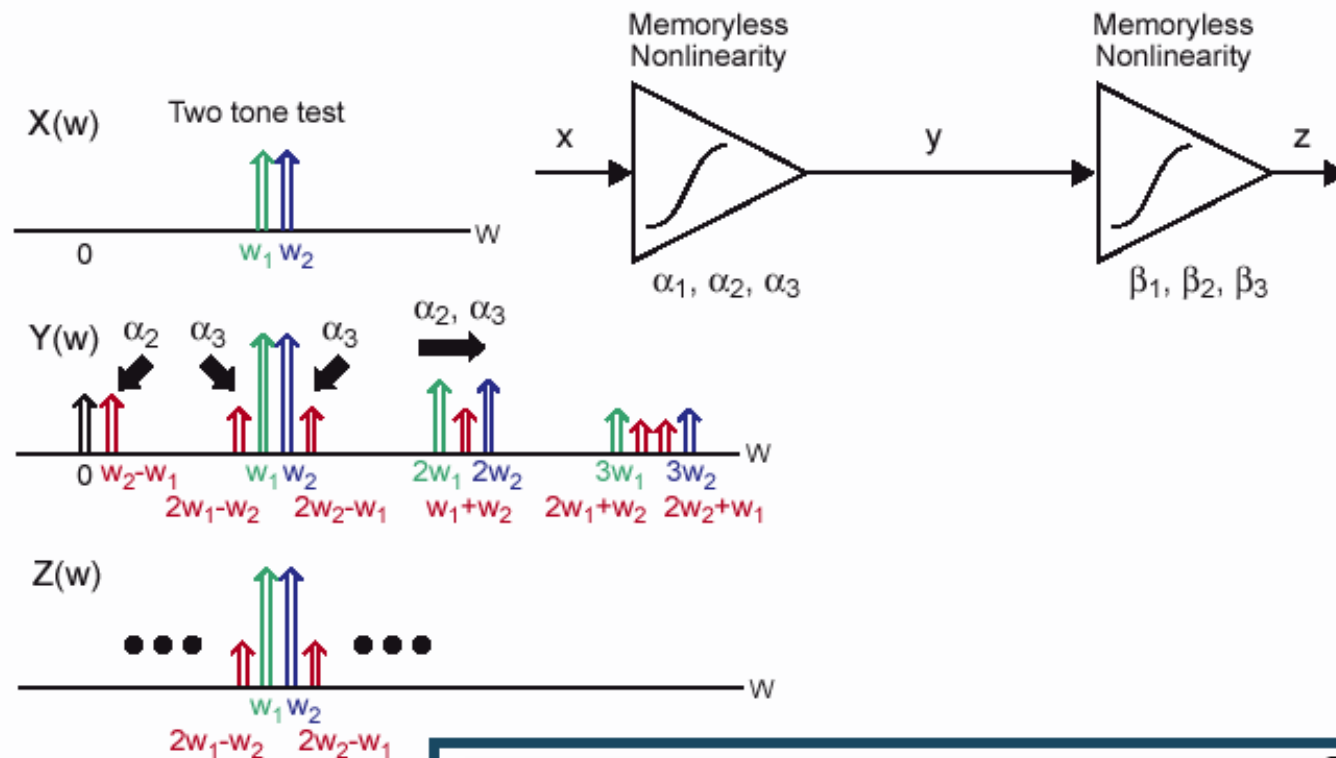
$$\frac{1}{A_{IP3}^2} \approx \frac{3|\alpha_3\beta_1| + |2\alpha_1\alpha_2\beta_2| + |\alpha_1^3\beta_3|}{4|\alpha_1\beta_1|}$$

- Express formulation in terms of IIP3 of stage 1 and stage 2

$$\frac{1}{A_{IP3}^2} \approx \frac{1}{A_{IP3,1}^2} + \frac{3|\alpha_2\beta_2|}{2|\beta_1|} + \frac{\alpha_1^2}{A_{IP3,2}^2}$$



A Closer Look at Impact of Second Order Nonlinearity

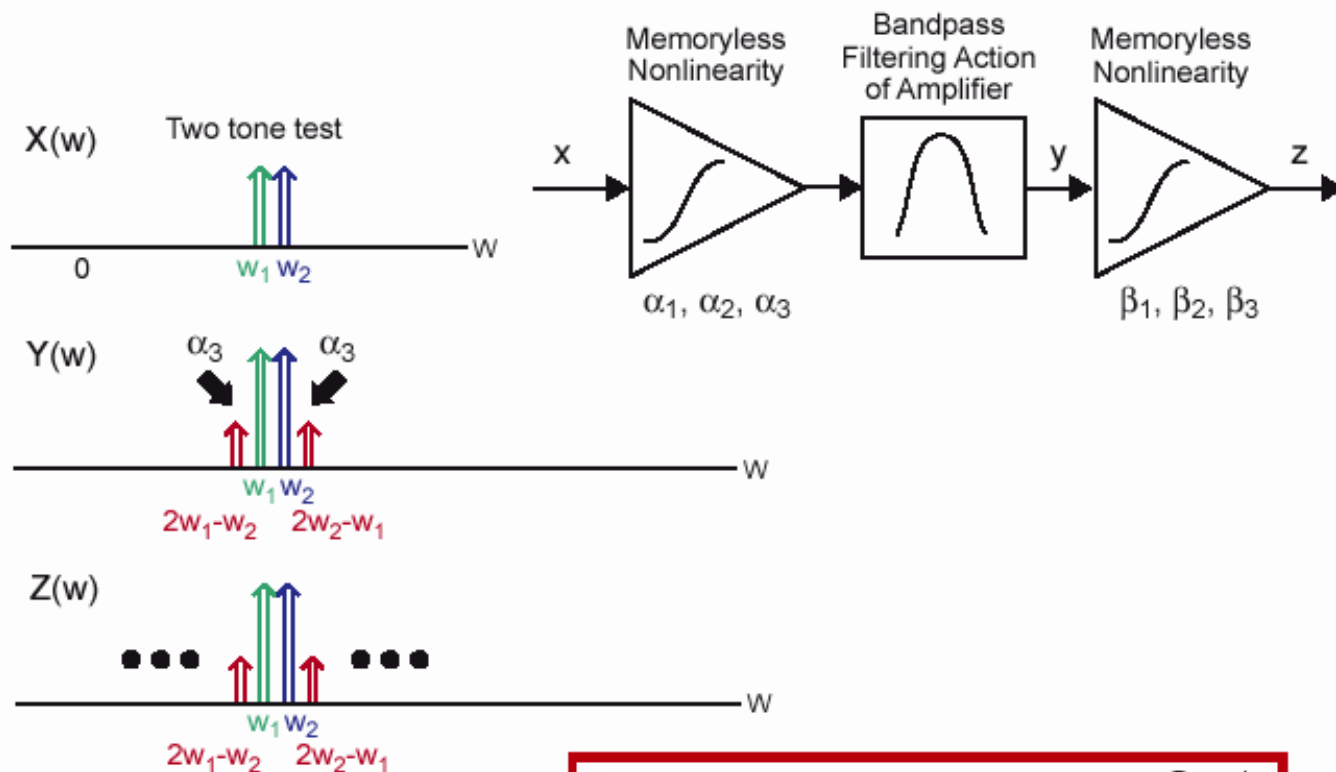


$$\frac{1}{A_{IP3}^2} \approx \frac{1}{A_{IP3,1}^2} + \frac{3|\alpha_2\beta_2|}{2|\beta_1|} + \frac{\alpha_1^2}{A_{IP3,2}^2}$$

- Influence of α_2 of Stage 1 produces tones that are at frequencies far away from two tone input



Impact of Having Narrowband Amplification

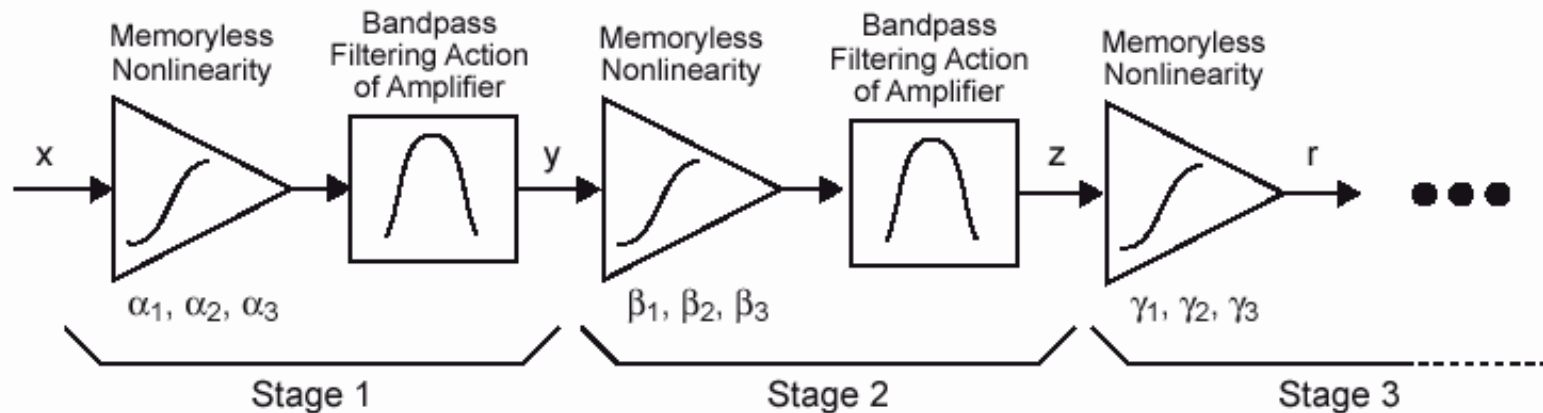


$$\frac{1}{A_{IP3}^2} \approx \frac{1}{A_{IP3,1}^2} + \frac{\alpha_1^2}{A_{IP3,2}^2}$$

- Removal of outside frequencies dramatically simplifies overall IIP3 calculation



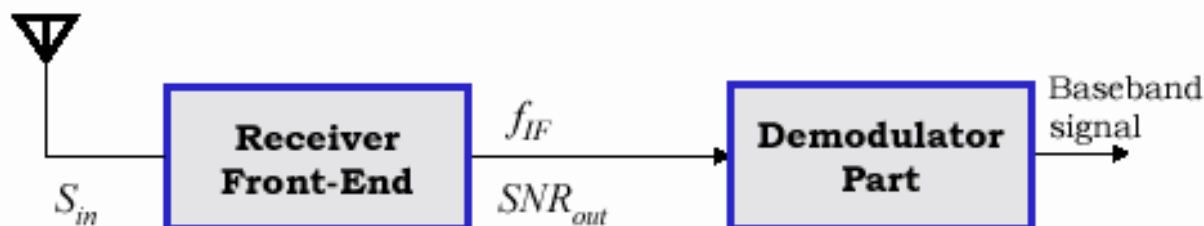
Cascaded IIP3 Calculation with Narrowband Stages



$$\frac{1}{A_{IP3}^2} \approx \frac{1}{A_{IP3,1}^2} + \frac{\alpha_1^2}{A_{IP3,2}^2} + \frac{\alpha_1^2 \beta_1^2}{A_{IP3,3}^2} + \dots$$

- Note that α_1 and β_1 correspond to the loaded voltage gain values for Stage 1 and 2, respectively

- **Front-End analysis for IP3**

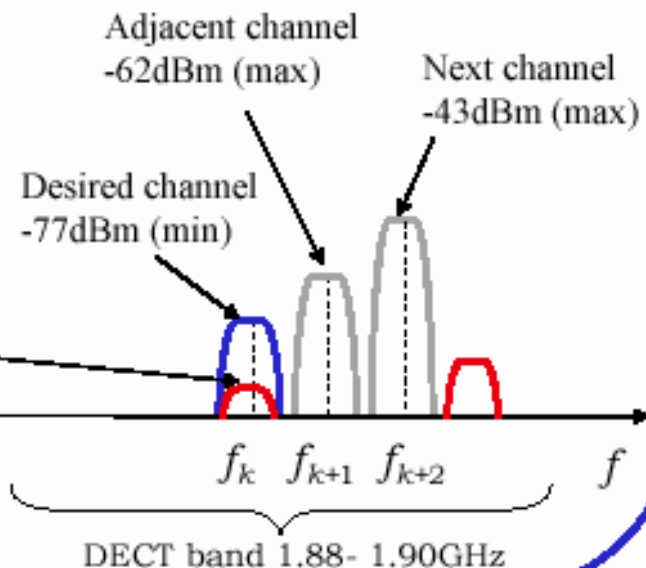


From DECT specs:

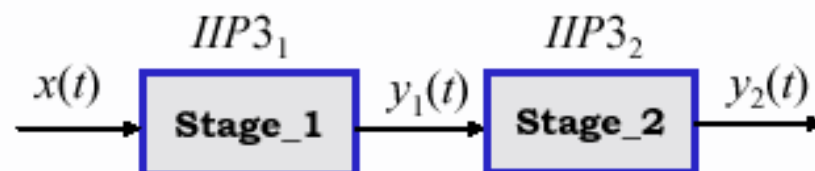
$$S_{in,min} = -77\text{dBm}, SNR_{out,min} = 25\text{dB}$$

Desensitization requirements for DECT: -77, -62, -43 dBm

Adjacent channels result in IM3 product located at desired frequency (intermodulation)



- Front-End analysis for IP3 (cont'd)**
Contribution of Component Stages



$$\left. \begin{aligned} y_1 &= \alpha_1 x + \alpha_2 x^2 + \alpha_3 x^3 \\ y_2 &= \beta_1 y_1 + \beta_2 y_1^2 + \beta_3 y_1^3 \end{aligned} \right\} \quad y_2 = \underbrace{(\alpha_1 \beta_1)}_{\alpha_{1,\text{eq}}} x + \underbrace{(\alpha_3 \beta_1 + 2\alpha_1 \alpha_2 \beta_2 + \alpha_1^3 \beta_3)}_{\alpha_{3,\text{eq}}} x^3 + \dots$$

$$A_{IIP3,1}^2 = \frac{4|\alpha_1|}{3|\alpha_3|} \quad \longrightarrow \quad A_{IIP3}^2 = \frac{4|\alpha_{1,\text{eq}}|}{3|\alpha_{3,\text{eq}}|} = \frac{4|\alpha_1 \beta_1|}{3|\alpha_3 \beta_1 + 2\alpha_1 \alpha_2 \beta_2 + \alpha_1^3 \beta_3|}$$

- Contribution of Component ... (cont'd)

$$\begin{aligned}\frac{1}{A_{IIP3}^2} &= \frac{3|\alpha_3\beta_1 + 2\alpha_1\alpha_2\beta_2 + \alpha_1^3\beta_3|}{4|\alpha_1\beta_1|} \\ &= \left| \frac{1}{A_{IIP3,1}^2} + \frac{3\alpha_2\beta_2}{2\beta_1} + \frac{\alpha_1^2}{A_{IIP3,2}^2} \right| \\ &\approx \frac{1}{A_{IIP3,1}^2} + \frac{\alpha_1^2}{A_{IIP3,2}^2}\end{aligned}$$

$$IIP3 = A_{IIP3}^2 / 50\Omega$$

$$\alpha_1^2 = G_1 \quad (\text{power gain})$$

$$\frac{1}{IIP3} \approx \frac{1}{IIP3_1} + \frac{G_1}{IIP3_2} + \frac{G_1G_2}{IIP3_3} + \dots$$

General formula for a chain of components

Note ! Here IIP3's are non-logarithmic quantities

Linear components have $(1/IIP3) = 0$

The main contributors to total IIP3 of the front-end are usually LNA and mixer.



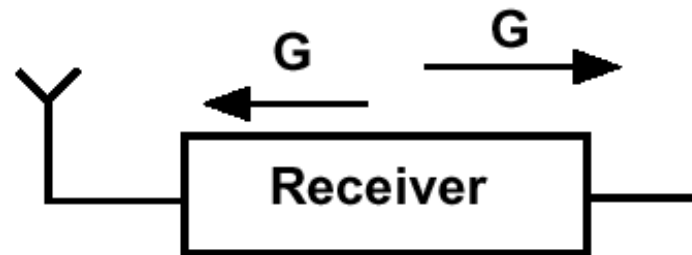
Trade-off between NF & Intermodulation

NF

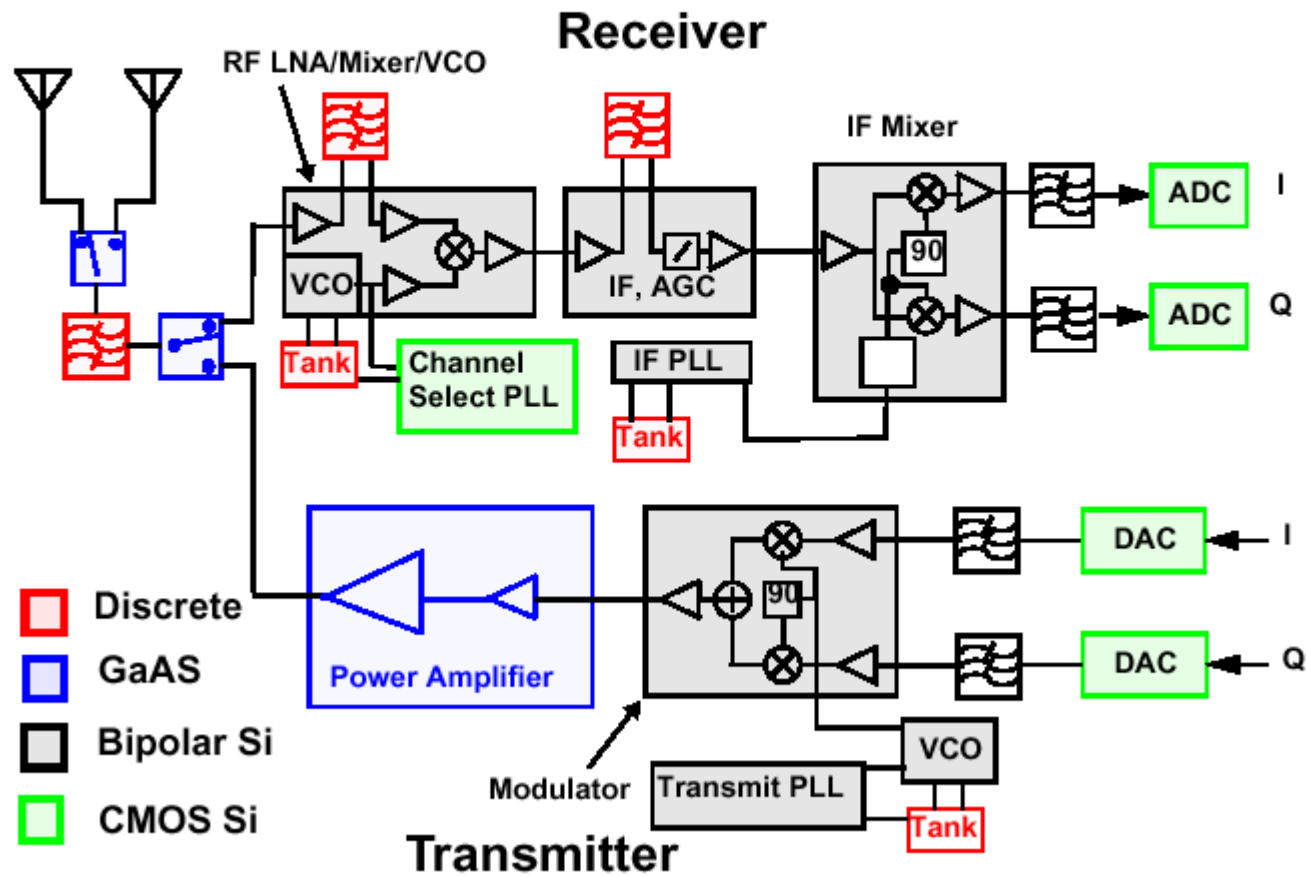
High Gain @ Front-end

IP3

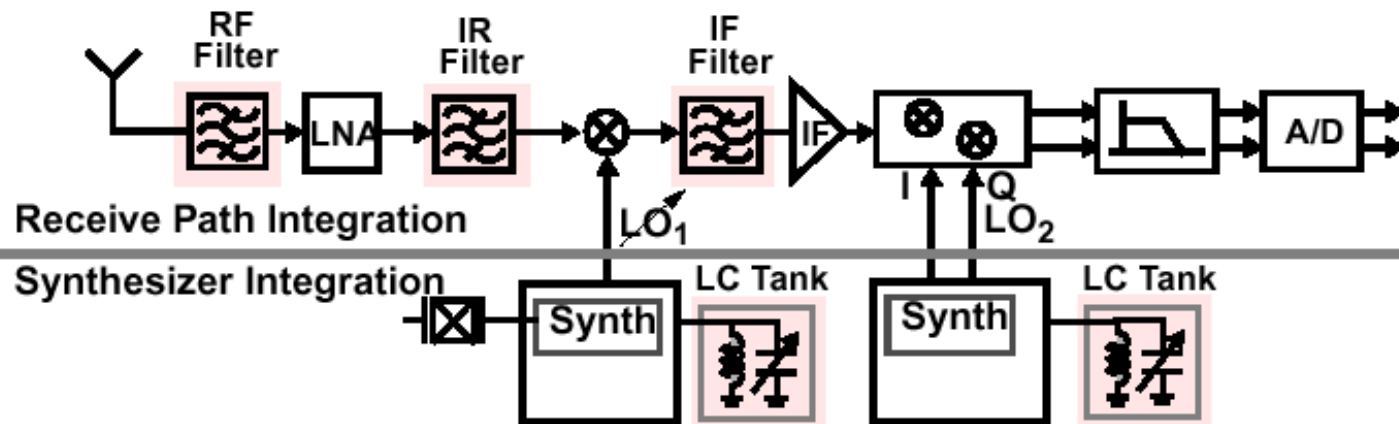
Low Gain @ Front-end



Block Diagram, Typical Multi-Technology RF Transceiver



Challenges of Receiver Integration



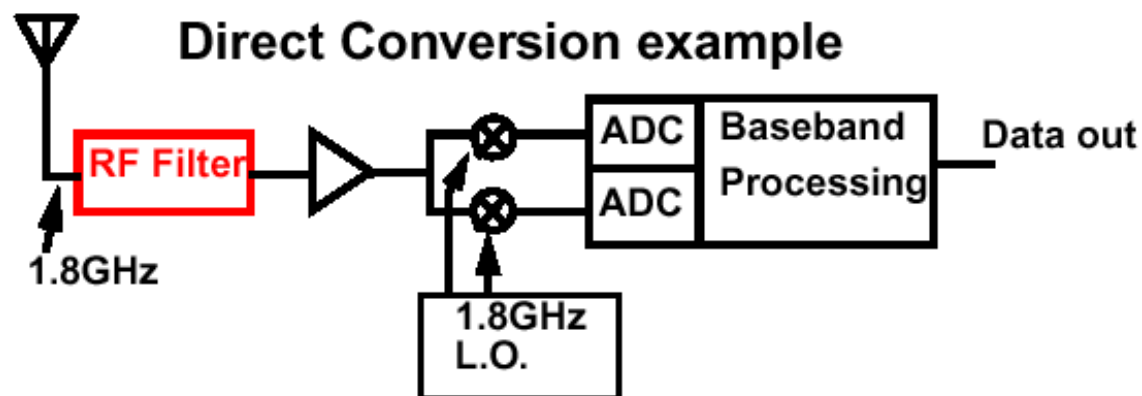
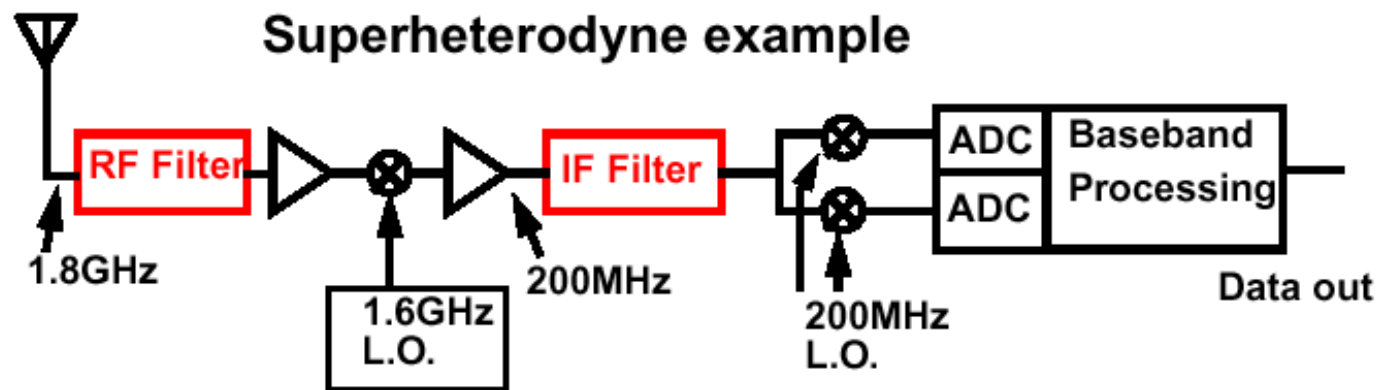
Problems with synthesizer integration:

- Poor phase noise performance of on-chip VCOs
- Channel-select synthesizer required at RF

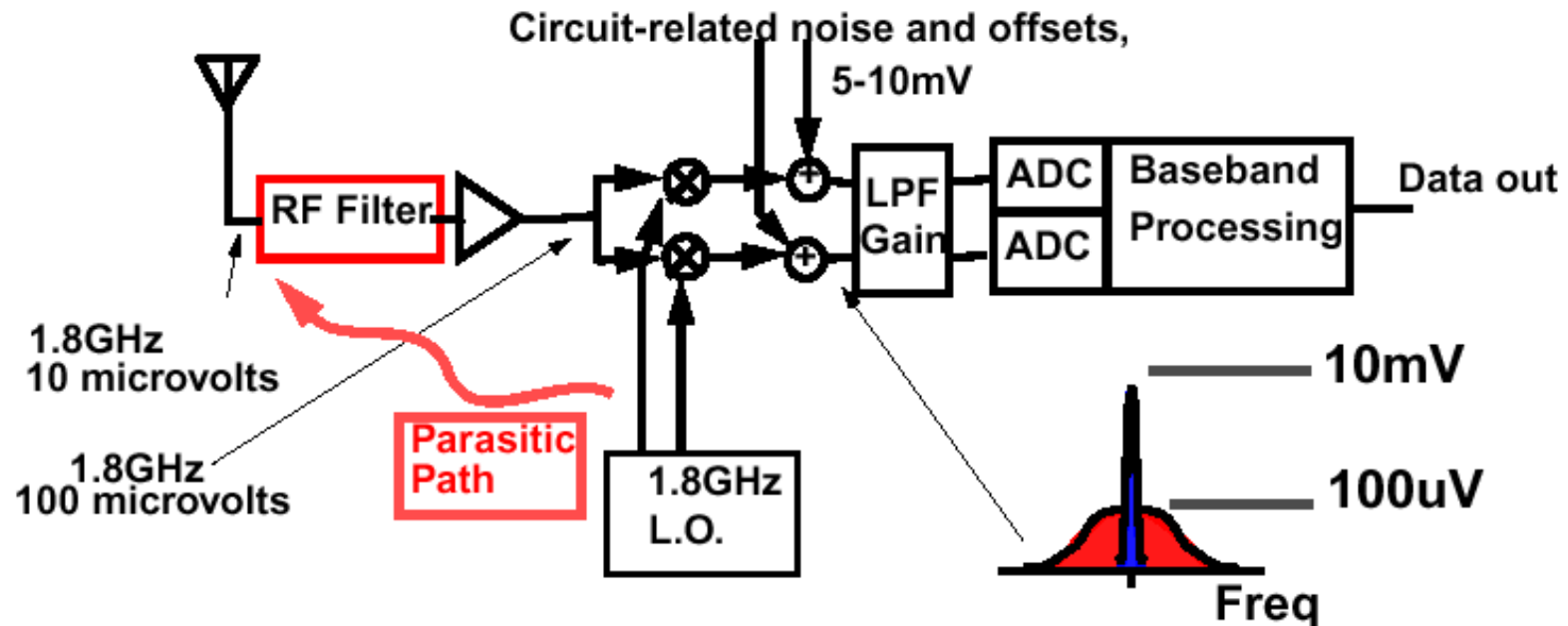
Challenges in receive path integration:

- Image & noise filtering required
- Discrete high-Q IF channel select filter required

Direct Conversion RF Transceivers

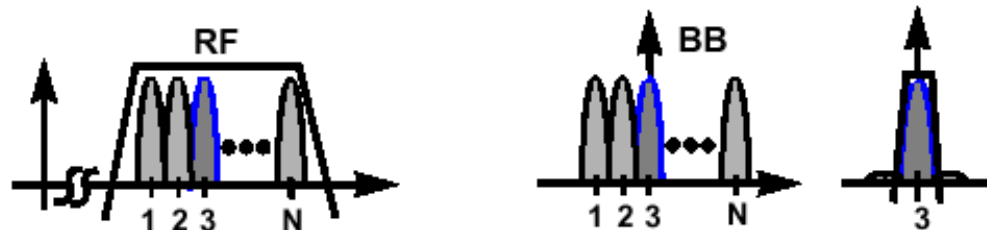
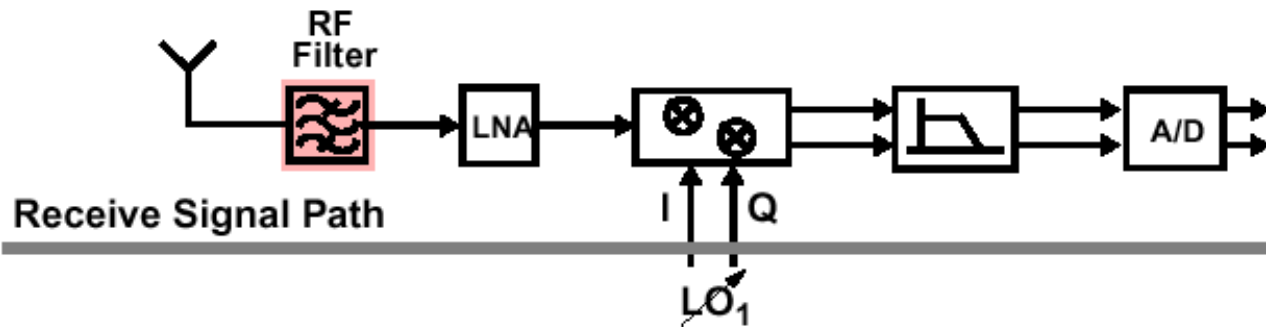


Low-Frequency Errors in Direct Conversion Receivers



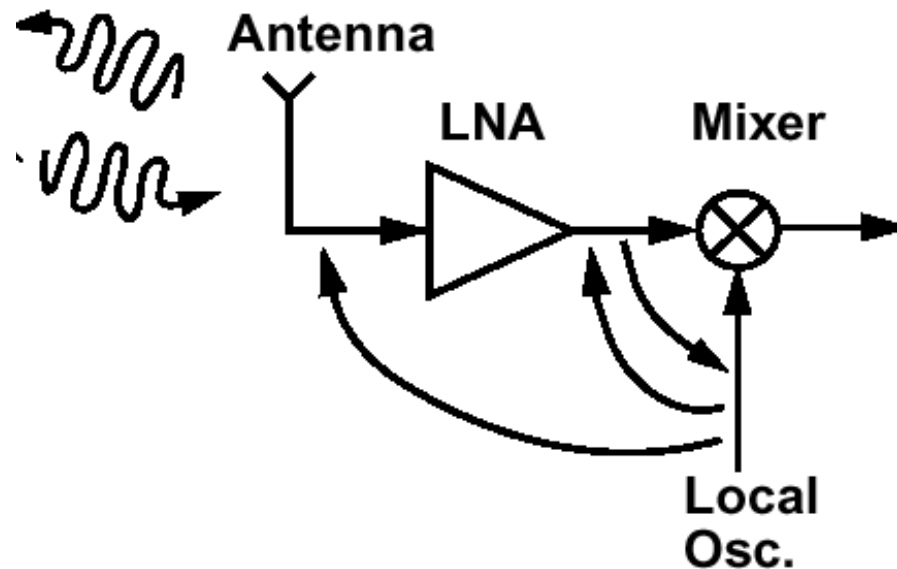
- Desired signal often has L. F. information
- Time-varying offsets 100X bigger than signal

Direct Conversion



- The need for discrete component filters eliminated
- LO leak creates DC offset
- RF channel-select synthesizer still required

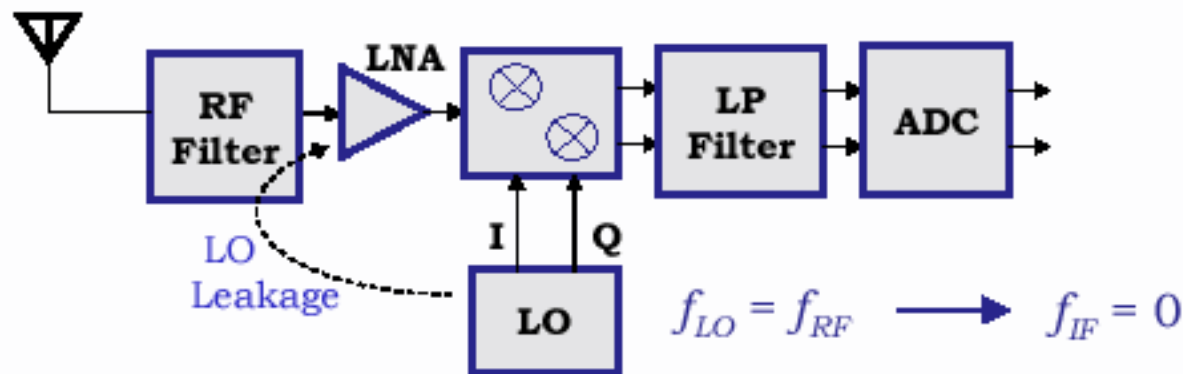
DC Offset in Direct Conversion



Mechanism for LO Leakage

- 1) LO leaks to the mixer input.
- 2) LO couples to the LNA input or antenna.
- 3) Large blockers radiate from the mixer RF port to the mixer LO input.

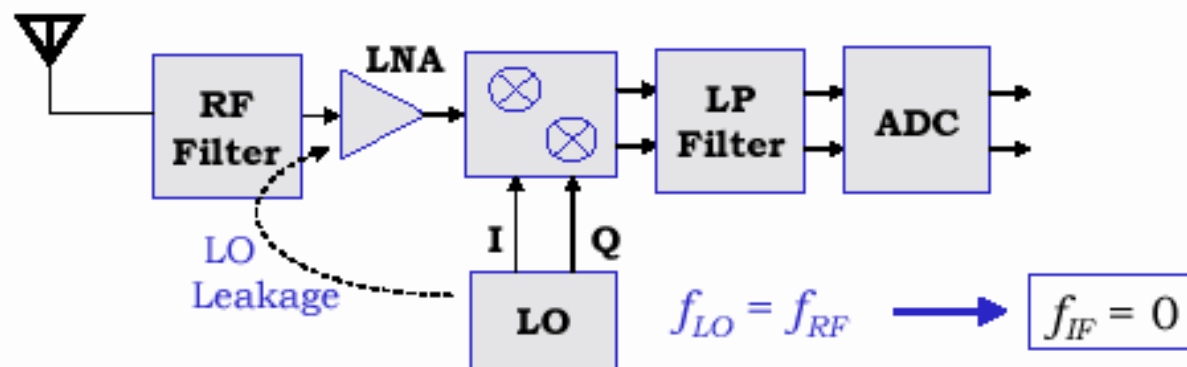
Direct conversion receiver



- Fewer components than heterodyne
- Image filtering avoided – no IR and IF filters
- Easy to integrate LP filters
- AD conversion in baseband – lowest requirements for ADC

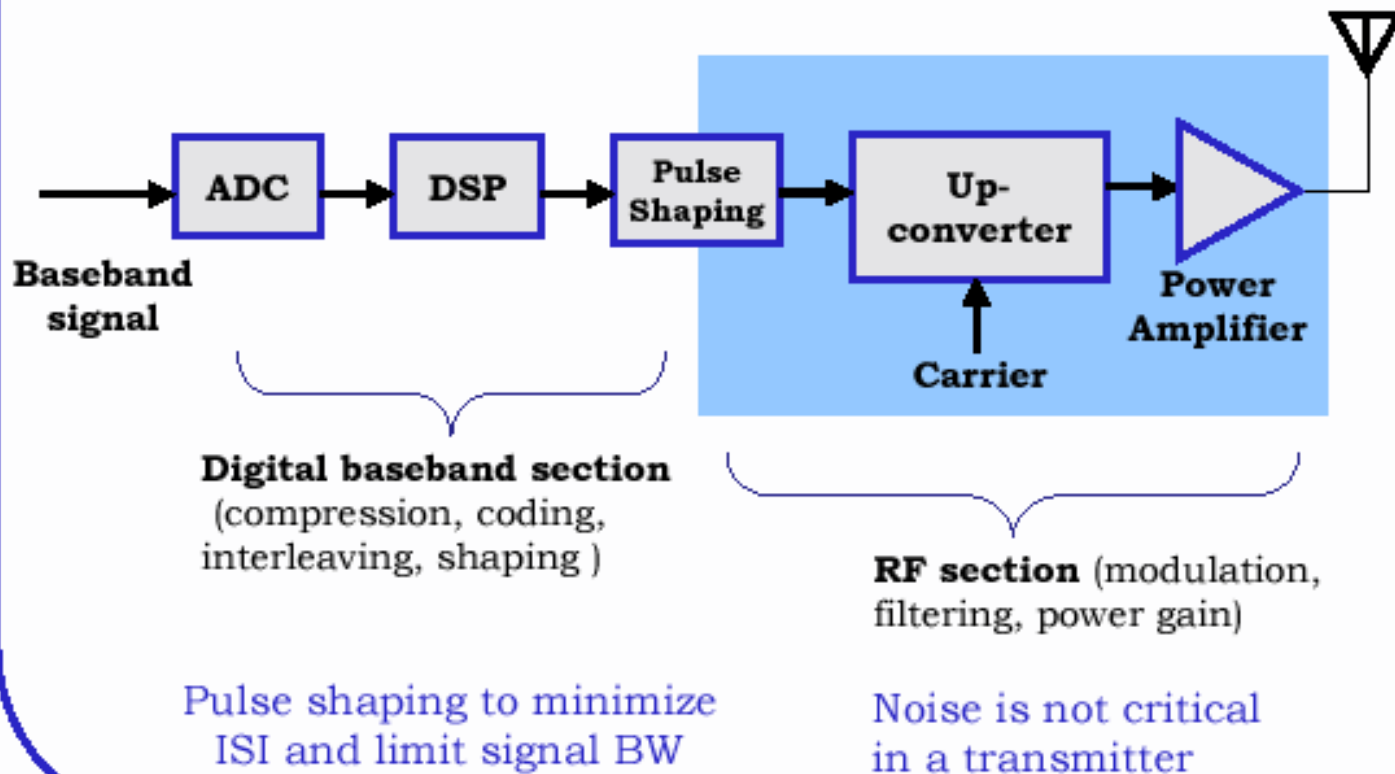
Old & New receiver architectures (cont'd)

- Direct receiver (homodyne) –
(fewer components, image filtering avoided – no IR and IF filters)

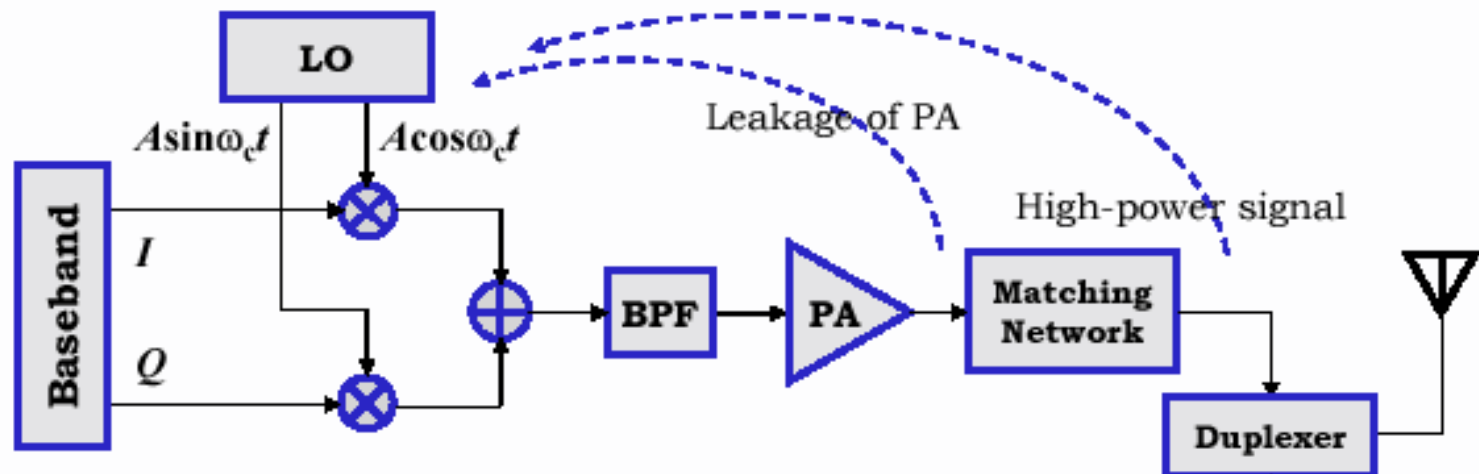


- Large DC offset can corrupt weak signal or saturate LNA (LO mixes itself), Adaptive DC offset cancellation – eg. By DSP baseband control
- Flicker noise ($1/f$) can be difficult to distinguish from signal
- Channel selection with LPF, (noise-linearity-power tradeoff are critical)

Transmitters



- Direct conversion transmitter



Modulation and up-conversion is performed in one circuit, $f_{LO} = f_c$

BPF suppresses harmonics

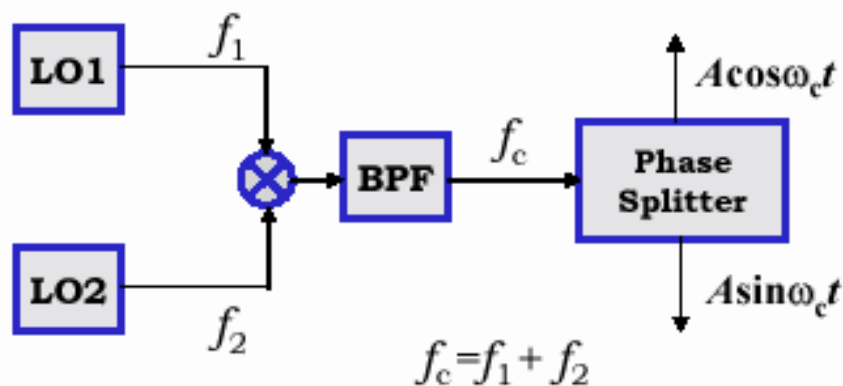
LO must be shielded to reduce corruption

Receiver

I and Q modulators must be symmetrical, otherwise crosstalk

- Direct conversion transmitter (cont'd)

LO with offset frequency



Here LO1 and LO2 work at far different frequency from PA, LO's corruption is alleviated