

Student Name: BRIAN CARROLL

Student Number: 105019753

PROBLEM 1: A wound-field dc motor is driving a load whose torque requirement increases linearly with speed (squared-power load) and reaches 5 Nm at a speed of 1400 rpm. The armature terminal voltage is held to its rated value. At the rated flux the no-load speed is 1500 rpm and the full-load speed is 1400 rpm. If the flux is reduced to 80 % of the rated value, calculate the new steady-state speed.

$$T_L = \left(\frac{T_{FL}}{\omega_{FL}} \right) \omega \quad \frac{T_{FL}}{\omega_{FL}} = \frac{5}{1400}$$

$$\omega_{NL} = \frac{V}{k\Phi} - \frac{R_a T}{(k\Phi)^2} = 1500 \text{ rpm}$$

$$\therefore \frac{R_a T_{FL}}{(k\Phi)^2} = 100 \text{ rpm} \Rightarrow \frac{R_a}{(k\Phi)^2} = 20$$

$$\omega_{wk} = \frac{V}{0.8 k\Phi} - \frac{R_a}{0.64 (k\Phi)^2} \left(\frac{T_{FL}}{\omega_{FL}} \right) \omega_{wk}$$

$$\omega_{wk} = 1875 - 0.1116 \omega_{wk}$$

$$\omega_{wk} = \frac{1875}{1.1116} = 1686.76 \text{ rpm}$$

PROBLEM 2: The specification sheet for the Maxon 250 W, 48 V, 6500 rpm, EC dc motor is shown on page 161. Compute the armature current, applied voltage, and machine efficiency for the condition shown in line 10 of motor data. What are the amplitude of per-phase back emf and the rms per-phase current?

$$\omega_{NL} = 6500 \text{ rpm} = 680.68 \text{ rad s}^{-1}$$

$$I_{NL} = 290 \text{ mA}$$

$$R_{ph-ph} = 1.04 \Omega$$

$$T_L = 0.306 \text{ Nm @ } 523.6 \text{ rad s}^{-1}$$

$$k = 0.071$$

$$T_{EM} = T_o + T_{NL}$$

$$= 0.306 + k I_{NL}$$

$$= 0.32659 \text{ Nm}$$

$$I_a = 4.6 \text{ A}$$

$$E = k\omega = 37.1756 \text{ V}$$

$$V = E + I_a R = 41.96 \text{ V}$$

$$P_o = T_o \omega = 160.22 \text{ W}$$

$$P_i = V I_a = 193.02 \text{ W}$$

$$\eta = 83\%$$

$$E_{ph} = \frac{E_{ph-ph}}{2} = \frac{37.1756}{2} = 18.59 \text{ V}$$

$$I_{ph-rms} = \sqrt{\frac{2}{3}} I_a = 3.76 \text{ A}$$

PROBLEM 3: The specification sheet for the TK 164-110-03 permanent magnet motor is attached. Estimate the no-load core, friction and windage losses and determine the per-phase no-load current. Under full-load determine the applied per-phase current and voltage, power factor for the full power condition under water cooling: 13.92 kW output power at 173.99 rad/s. Note that the specified winding parameters are twice the per-phase parameters.

$$P_o = 13.92 \text{ kW} \quad k = \frac{305}{3} = 1.016 \text{ Nm/A}$$

$$\omega = 173.99 \text{ rad/s} \quad R_{ph} = 0.53 \Omega \quad L_s = 3.29 \text{ mH}$$

$$P_o = T\omega \Rightarrow T = \frac{13920}{173.99} = 80 \text{ Nm}$$

$$\frac{T}{3k} = I_{ph} = 26.23 \text{ A}$$

$$E = k\omega = 176.89 \text{ V}$$

$$V_{ph} = E + I_{ph} R_s + j X_{Ls} I_{ph}$$

$$X_{Ls} = 2\pi f_e L \quad f_e = 173.99 \times \frac{6}{2\pi} \text{ (P.P.)} = 166 \text{ Hz}$$

$$V_{ph} = [176.89 + (26.23 \times 0.53)] + j [2\pi 166 \times 3.29 \times 10^{-3} \times 26.23]$$

$$= 190.792 + j 90.01$$

$$= 210.96 \angle 25.26^\circ$$

$$\cos\phi = \cos(25.26) = 0.904$$

~~$$P_i = 3 V_{ph} I_{ph} \cos\phi = 15.013 \text{ kW}$$~~

~~$$P_{loss} = 1.093 \text{ kW}$$~~

$$P_{cu} = 3 I_{ph}^2 R_s = 1.093 \text{ kW}$$

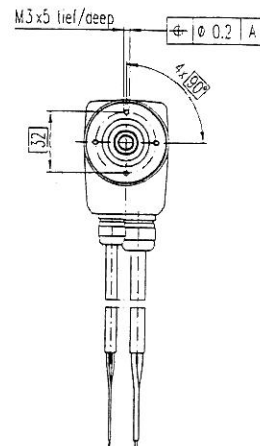
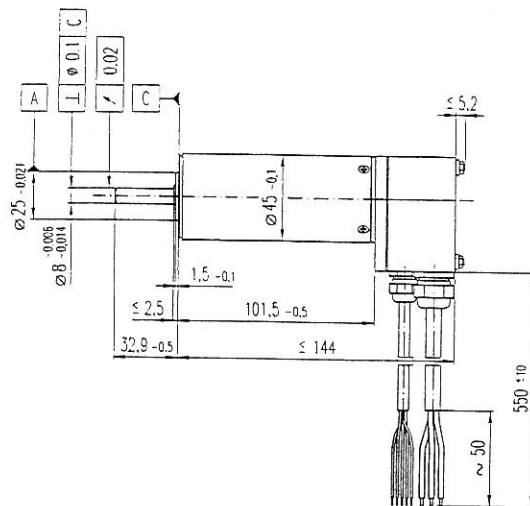
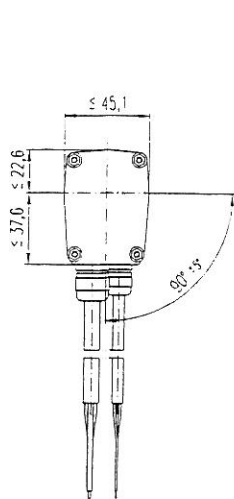
$$P_i = 16.68 \text{ kW}$$

$$P_{loss} = 2.76 \text{ kW}$$

$$P_{crw} = P_{loss} - P_{cu} = 1.668 \text{ kW}$$

8

45 Ø45 mm, brushless, 250 Watt, CE approved



M 1:4

- Stock program
- Standard program
- Special program (on request!)

Order Number

Y-circuit
Δ-circuit

Y-circuit	136207	136208	136209	136210	136211	136212
Δ-circuit						

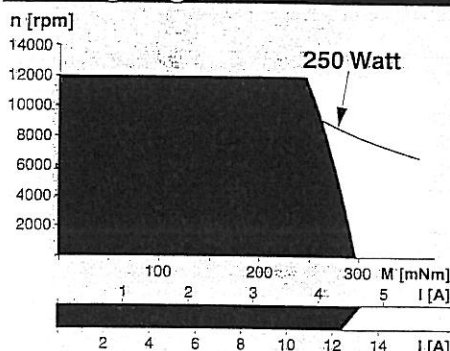
Technical Data

1. Assigned power rating	W	250	250	250	250	250
2. Nominal voltage	Volt	24.0	36.0	48.0	24.0	36.0
3. No load speed	rpm	5300	6300	6500	9100	11000
4. Stall torque	mNm	2250	3000	3250	3910	5260
5. Speed / torque gradient	rpm / mNm	2.40	2.10	2.00	2.34	2.10
6. No load current	mA	435	370	290	1139	1062
7. Terminal resistance phase to phase	Ohm	0.46	0.64	1.04	0.15	0.21
8. Max. permissible speed	rpm	12000	12000	12000	12000	12000
9. Max. continuous current at 5000 rpm	A	7.10	6.00	4.70	12.50	10.60
10. Max. continuous torque at 5000 rpm	mNm	283	300	306	286	303
11. Max. efficiency	%	83	85	85	84	85
12. Torque constant	mNm / A	43.3	54.0	71.0	25.0	31.2
13. Speed constant	rpm / V	220	175	135	382	306
14. Mechanical time constant	ms	5	5	5	5	5
15. Rotor inertia	gcm ²	209	209	209	209	209
16. Terminal inductance phase to phase	mH	0.170	0.260	0.440	0.060	0.090
17. Thermal resistance housing-ambient	K / W	1.7	1.7	1.7	1.7	1.7
18. Thermal resistance winding-housing	K / W	1.1	1.1	1.1	1.1	1.1
19. Thermal time constant winding	s	16	16	16	16	16
20. Thermal time constant stator	s	850	850	850	850	850

Specifications

- Motor connections Screw fitting for cable PG7
- axial play at axial load < 20 N 0 mm
- > 20 N max. 0.14 mm
- loaded ball bearing
- Max. ball bearing loads
- axial (dynamic) 20 N
- radial (5 mm from flange) 180 N
- Force for press fits (static) 170 N
- (static, shaft supported) 5000 N
- Radial play ball bearing 0.02 mm
- Ambient temperature range -20 ... +125°C
- Max. permissible winding temperature +125°C
- Weight of motor 1150 g
- Protection IP54
- 2 pole permanent magnet
- Values listed in the table are nominal.
- Connection (Cable AWG 16)
- Cable 1 Motor winding 1
- Cable 2 Motor winding 2
- Cable 3 Motor winding 3
- Connection (Cable AWG 24)
- Cable white Hall sensor 3
- Cable brown Hall sensor 2
- Cable green Hall sensor 1
- Cable yellow GND
- Cable grey V_{Hall} 4.5 ... 24 VDC
- Options: Temperature monitoring
- PTC resistance micropille 110°C
- R 25°C < 0.5 kΩ
- R 105°C = 1.2 ... 1.5 kΩ
- R 115°C = 7 ... 13 kΩ
- R 120°C = 18 ... 35 kΩ
- For wiring diagram for Hall sensors. see p. 26
- Options: motor connection with plug

Operating Range



Comments

Details on page 149

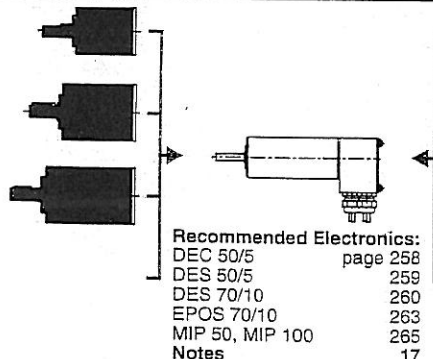
- Curve of constant assigned power rating
- Continuous operation
- In observation of above listed thermal resistance (lines 17 and 18) the maximum permissible winding temperature will be reached during continuous operation at 25°C ambient.
- = Thermal limit
- Short term operation
- The motor may be briefly overloaded (recurring).

- 136209 Motor with high resistance winding
- 136210 Motor with low resistance winding

maxon Modular System

Overview on page 17 - 21

- Planetary Gearhead
- Ø42 mm
- 3 - 15 Nm
- Details page 219
- Planetary Gearhead
- Ø52 mm
- 4 - 30 Nm
- Details page 221
- Planetary Gearhead
- Ø62 mm
- 8 - 50 Nm
- Details page 223



- Digital Encoder
- HP HEDL 9140
- 500 CPT, 3 channels
- Details page 241
- Resolver
- Ø26 mm
- 10 V
- Details page 247
- Brake
- Ø28 mm, 24 VDC
- 0.4 Nm
- Details page 270

- Recommended Electronics:
- DEC 50/5 page 258
- DES 50/5 259
- DES 70/10 260
- EPOS 70/10 263
- MIP 50, MIP 100 265
- Notes 17

Technical Data Summary TK 164

High power medium speed spindle motors

Applications:

Direct drive lathes

Swiss type lathes

Speed up to 5000 rpm, 40-200 Nm

Short duty constant power

	Symbol	TK 164-60-04	TK 164-110-03	TK 164-250-09	Units
Reference data (winding independent)					
Nominal torque, S1, 0 speed, conduction+convection cooled IC 418 1)	Tnc	19	40	106	Nmrms
Nominal torque, S1, 0 speed, water cooled 2)	Tnw	37	80	209	Nmrms
Peak torque, S6 10% 1)	Tpk	54	114	302	Nmrms
Maximum torque 3)	Tul	93	171	389	Nm
Maximum structural speed	Pn	500	500	500	rad/sec
Critical flux control torque 4)	Pf	86	157	366	Nm
Motor constant	Tw	2,33	3,63	6,31	Nm/sqrt(W)
Pole number	PN	12	12	12	
Connection		Y	Y	Y	
Physical data (winding independent)					
Rotor inertia	Jm	4,30	7,30	16	mkgm2
Acceleration at maximum torque	apk	12576	15595	18855	rad/s2
Outer diameter	Dout	164	164	164	mm
Rotor hole diameter	Din	96	96	96	mm
Overall stator length	Stkout	102	152	292	mm
Stack length	Stk	60	110	250	mm
Stator mass	Msta	4,8	8	17	kg
Rotor mass	Mrot	1,3	2,4	5,5	kg
Insulation		Class H - F	Class H - F	Class H - F	
Protection		IP 00	IP 00	IP 00	
Thermal data (winding independent)					
Thermal imp. assumed for cond. Cooling 1)	Rthc	0,390	0,214	0,093	K/W
Thermal impedance, motor to cooling frame 2)	Rthw	0,092	0,050	0,021	K/W
Thermal capacity	Cth	2,016	3,360	7,140	J/K
Thermal time constant cond cooling 1)	Tc	786	719	664	sec
Thermal time constant, water cooled 2)	Tw	185	168	150	sec
Loss at Tnc	L0c	267	491	1,120	W
Loss at Tnw	L0w	1,030	1,880	4,380	W
Coolant flow, 5 C temp rise, 35 C inlet	Cfl	3,0	5,4	12,6	lit/min
Threshold of built-in PTC	PTCt	130	130	130	oC
Electrical data (winding dependent)					
Nominal speed (knee speed) 5)	wn	173,29	173,99	52,40	rad/sec
Nominal power, water cooling, knee speed 6)	Pnw	6,41	13,92	10,95	KW
Back E.M.F. between phases	Ke	1,80	1,76	5,13	Vs
Torque constant	Kt	3,13	3,05	8,89	Nm/Arms
Temp.coeff. of E.M.F. and Kt	dKe/dT	-0,09	-0,09	-0,09	%/oC
Winding resistance, 20oC	Rw	2,69	1,06	2,98	Ohm
Winding inductance	Lw	12,63	6,58	24,00	mH
Nominal current, zero speed 1)	In0	6,08	13,12	11,92	Arms
Nominal current, zero speed, 2)	In	12,46	27,62	24,74	Arms
Maximum current 3)	Ipk	37,19	70,12	54,69	Arms
Frequency	fn	166	166	50	Hz
Efficiency at rated power 6)	n	0,86	0,88	0,71	

Definitions:

- 1) Motor assembled in light alloy case with outer surface = 500% of
- 2) Water cooled motor, water inlet temperature = 35 C, copper temp, 120
- 3) Torque at which magnetic saturation prevents further overloading
- 4) Knee torque corresponding to unlimited constant power operation
- 5) Limit of constant torque operation with 400 Vac supply

P19, Q6(b) Summer 2006

250 W, 24 V, 5300 rpm

$$k = 0.0433 \text{ Nm/A}$$

$$R_{ph-ph} = 0.46 \Omega$$

$$L_{ph-ph} = 0.17 \text{ mH}$$

$$I_{NL} = 0.435 \text{ A} \left\{ \begin{array}{l} \text{N.L.} \\ @ 24 \text{ V} \end{array} \right.$$

R_{ph} L_{ph} R_{ph} L_{ph}

Line 10:

$$\left. \begin{array}{l} T_o = 0.283 \text{ Nm} \\ N = 5000 \text{ rpm} \\ \Rightarrow \omega = \frac{N}{60} \times 2\pi = 523.6 \text{ rad s}^{-1} \end{array} \right\} \text{F.L.}$$

$$\Rightarrow P_o = T_o \cdot \omega = 148.2 \text{ W}$$

Total EM torque

$$T_{EM} = T_o + T_{NL}$$

c/p mech. \downarrow windage/friction

$$\begin{aligned} \Rightarrow T_{EM} &= T_o + k I_{NL} \\ &= 0.283 + 0.0433 \times 0.435 \\ &= 0.302 \text{ Nm} \end{aligned}$$

$$\Rightarrow I_{ph_a} = \frac{T_{EM}}{k}$$

$$= 6.97 \text{ A}$$

$$\Rightarrow V_{ph-ph} = E_{ph-ph} + R_{ph-ph} \cdot I_{ph_a}$$

$$\text{But } E_{ph-ph} = k \omega$$

$$= 0.0433 \times 523.6 \text{ V}$$

$$= 22.7 \text{ V}$$

$$\Rightarrow V_{ph-ph} = 22.7 + 0.46 \times 6.97 \text{ V}$$

$$= 25.9 \text{ V}$$

$$\Rightarrow \text{Input Elec. Power}$$

$$P = V_{ph-ph} \cdot I_{ph_a}$$

$$= 180 \text{ W}$$

$$\Rightarrow \text{Efficiency} = \eta = \frac{P_o}{P}$$

$$= 82.3\%$$