lecture 04

Prediction

$$\hat{y} = g(\vec{x})$$
 $e^{y} = g(\vec{x}) + e = \hat{y} + e = \hat{y} + (y - \hat{y})$ 

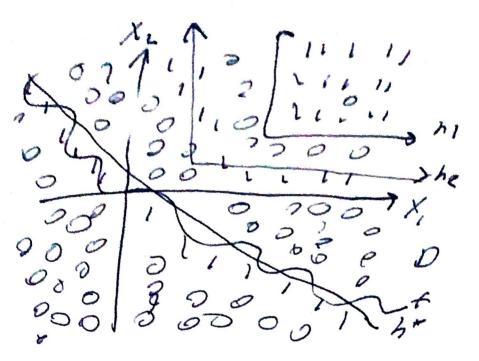
The algorithm A produces g. Since g
15 fully specified by theta, the algorithm
Selects/Estimates/optimizes/fits a theta.

Let's create an algorithm. A bad algorithm will have high estimation error.

Let's define an overall error function! obsective function carried "MISCLASSIFICATION OFFIT" (ME) ME = + & 1 9(x,) +5 = + & le;1 or accuracy (ACC) as ACC = 1 = 19ct,) =5, = 1-ME goal of the algorithm 15 to minimize ME(ar maximize ACC), Todo 801 We check every possible at (11) and help track of the ME (theta) and then return the mode with the lowest ME

How to define parameter space? It must be finite because we need to check (1.e., compute ME) each exement. Gabriel Sass grad up [300,860] e.g. \$351,352,..., 849,550}. That's fine, but 1+15 more convenient to only check the unique values of X.

A produce g(x) = 1/2 argin  $\{\frac{1}{n} \le 1/2, \frac{1}{n}\}$ Let is make a loan model with two continuous x's i.e x-1, x-2 (P=2) din[0]=2=p



A tro dimensional threshold model

extending what we have before has

condidate set

H = {. Ax, 20, 1/220, :[0] = }

The condidate set of Engle brocket"
-looking things is very restrictive! which
means we will probably have high mispecialisation
error. Letis use another hypothesisset;
all lines

H = { 1 x 2 a +6x: a ER, 6 & R}

CALCULATE STOPE

The Slope and Intercept provide for Will enough lidegree of freedom! to specify any separating line, we need an algorithm to find g I.e. to special a and b, This is a hard problem so we will study It was different conditions.

we use first reparemeterizing the Apportan Space to be: 10.720

H= { I wot with tweeke 20: woth, with,}

A I woth of

We ER

Shirteet term weight of

Of "I kan" the pist

Feature weight of second feature

In order to fit this model, we "add" a dummy value of 1 to each data record

=[750 85000] -> ==[1 750 858000]

So he append the n-d/m Counter vector to X, the motor of features in D

we only need & parameter (a,b) but here he have three (4-0, 4-1, 4-2) and honce he are over-parameterilad" meaning we have White solutions seen here.

Ai and R-0, W-1, W-2 to minute ME
i.e.

W:= orgin ( = 10.x, = 0 = 9; }

= argan {ME}

We have a problem here. There is no analytic solution since the Indicator fundamental is non-differentiable

We need a way to search over all possible ISNES. SO (1) crenced to reduce the number of Isnes ISNE before, (2) use an iterative migorithm to that a local Souther (not the best but hopefully pretts good or (3) change our objective function.

In the Setting of perfect linear Separability e.g. where ME of that Isnear discillation model is zero Cire. no errors), consider the 1957 perception iterative algorithm for P features

Step 1 InHIGHEL W+=0 = Oprior to SEP 2: compute 3 = Ilito 120 . X. Zo Step 3: For i =0,1,..., p set Wot=1=W+=0 + (41-97) (1) W, +=1=W,+=0 + (9,-9,1) (X1,1) Wpr=1= wp+=0(x1,p) (X1,p) Step4 Repect steps 2 and 3 for iching (all the observations). Step 5 1 Report Steps 2, 8, and 4 untill ME co le all e-ils =0 or undi a prespeciated (large) number of 1 terottons Note: + 15 the iteration number. It Starts at 0, +=1 15 first Heretlan The perception is proved to converged for Unearly separable dute sots but for non-linearly separable datasous, anything Can happen so 4 may fall

Olagram of perception 104er activation function Clasur Inas Case the heartste Indicator Layor function) The perception is a type or "nam! netbork moder ". So are deeplearning models. They're called neurons since they kind of act ISNe neurons; dendoires (Infers) The percentron has Infinitely many Solutions

The possible

Solutions

Like vary

based on

Statting Values

But you Winda see Here's a best model. This best model divides the margin (ANA wedge) evens, This Whest " model is called the "maximum margin hyperplane" and it was praven in 1998 to be the optimal linear classifier.