

Due on Tuesday, May 2, 2017, 10:00am

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Problem 1

The code for the programming assignment:

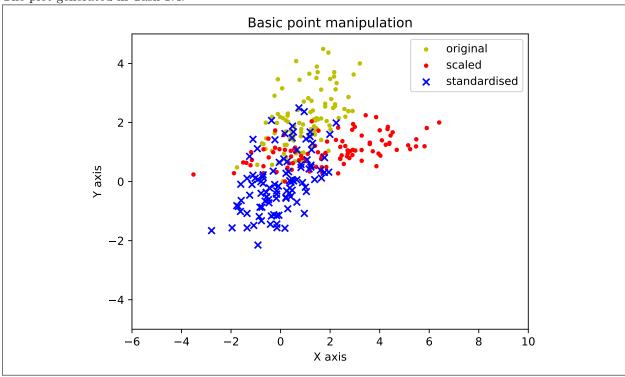
```
#your name and matrikelnr
   #337398
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  import pylab as pl
   import scipy as sp
   import time
   import pdb
10
   ''' ---- Task 1 ---- '''
   def task1():
      111
      Task 1
      Generate, transform and plot gaussian data
      X = generate_data(100)
      X2 = scale_data(X)
      X3 = standardise_data(X)
       # Plot data
       # Your code here
       pl.hold(True)
      pl.xlabel('X axis')
      pl.ylabel('Y axis')
      pl.title('Basic point manipulation')
      pl.xlim(-6, 10)
      pl.ylim(-5, 5)
      original = pl.scatter(X[0], X[1], marker='.', c='y', label='original')
       scaled = pl.scatter(X2[0], X2[1], marker='.', c='r', label='scaled')
       standardised = pl.scatter(X3[0], X3[1], marker='x', c='b', label='standardised')
      pl.legend((original, scaled, standardised), ('original', 'scaled', 'standardised'), loc="upper r.
       pl.savefig("simple_transformation_of_Gaussian_data.pdf", bbox_inches='tight')
       # Hint: Use the functions pl.scatter(x[0,:],[1,:],c='r'), pl.hold(True),
35
       # pl.legend, pl.title, pl.xlabel, pl.ylabel
   def generate_data(N):
       Generate N data points form a 2D Gaussian Gaussian distribution
40
      with mean [1, 2]
      Usage:
                x = generate_data(N)
      Returns: x : a 2xN array
45
      Instructions: Use sp.random.multivariate_normal
       # Your code here
       mean = [1, 2]
```

```
cov = [[1, 0.5], [0.5, 1]]
       return sp.random.multivariate_normal(mean, cov, N).T
   def scale_data(X):
       111
55
       Scales the data in X by 2 in x-direction and by 0.5 in y-direction
       Usage:
                  Y = scale_data(X)
       Input:
                  X : a 2xN array
       Returns: Y: a 2xN array of scaled data
60
       ,,,
        # Your code here
       return [[2*i for i in X[0]],[.5*i for i in X[1]]]
   def standardise_data(X):
       ''' Returns a centered, scaled version of X, the same size as X.
                   Y = standardise_data(X)
       Input:
                   X : a DxN array
       Returns:
                   Y: a DxN array of z-scores of X
70
                        Y[i][n] = (X[i][n] - mean(X[i][:]))/std(X[i][:])
       Instructions: Do not use for-loops. Use sp.mean and sp.std
       ,,,
       # Your code here
       means2 = sp.mean(X, axis = 1, keepdims=True)
       squares2 = sp.std(X, axis = 1, keepdims=True)
       return (X-means2)/squares2
   ''' ---- Task 2 ---- '''
   def task2():
       111
       Task 2
       Calculate time demand of different mean calculations
85
       (for-loop based implementation vs. scipy.mean)
       dims = [100, 1000, 10**4, 10**5, 10**6]
       for i, d in enumerate(dims):
           x = generate_data(d)
90
           r1 = timedcall(mean_for, x)
           r2 = timedcall(sp.mean, x, 1)
            print 'For N = ' + str(d) + ' scipy.mean is ' + str(r1 / r2) \setminus
                + 's faster than a for-loop implementation'
95
   def mean_for(X):
       ''' Mean of array X along the rows
                  m = mean_for(X)
       Usage:
       Input:
                  X : a DxN array
100
       Returns:
                 m : a 1-dimensional array of length D, containing the means of each row
       Example: if X = [1 5]
                                   mean\_for(X) = [3 4 5]
```

```
2 6
                            3 7]
105
        Instructions: Use for-loops to replicate sp.mean(X,1)
       Do not use sp.mean or sp.sum
        , , ,
110
        # Your code here
        return [1.*sum(x)/len(x) for x in X]
    def timedcall(fn, *args):
       ^{\prime\prime\prime}Call function with args; return the time in seconds and result.
115
            example:
            You want to time the function call "C = foo(A, B)".
            --> "T, C = timecall(foo, A, B)"
       t0 = time.clock()
120
       result = fn(*args)
       t1 = time.clock()
       return t1-t0
   ''' ---- Function for testing ---- '''
125
   def test_prep():
       a = sp.array([[1., 3., 4.], [2., 4., 6.]])
       b = sp.array([[2., 6., 8.], [1., 2., 3.]])
        #test scale_data
130
       assert(sp.all(scale_data(a) == b))
        #test standardise_data
       assert(sp.all(standardise_data(a.T) == sp.array([[-1., 1.],[-1., 1.],[-1., 1.]])))
       assert(sp.all(sp.mean(standardise_data(b),1).round() == sp.zeros((1,2))))
       c = sp.concatenate((a,b),axis=0)
       assert(sp.all(sp.mean(standardise_data(c),1).round() == sp.zeros((1,4))))
        #test mean_for
       assert(sp.all(mean_for(a) == sp.mean(a,1)))
        #test generate_data
       x = generate_data(200)
140
       assert(x.shape == (2, 200))
       print 'Tests passed'
   task1()
    task2()
```

Problem 2





Problem 3

The Answer to the Task 2.2 is: The function that is faster is **scipy.mean**. The output from the task2 function was:

```
For N = 100 scipy.mean is 1.14423076923s faster than a for-loop implementation For N = 1000 scipy.mean is 5.00746268656s faster than a for-loop implementation For N = 10000 scipy.mean is 10.3560732113s faster than a for-loop implementation For N = 100000 scipy.mean is 12.7634191176s faster than a for-loop implementation For N = 1000000 scipy.mean is 12.1978746794s faster than a for-loop implementation
```