Bar-Hillel Theorem mechanization in Coq*

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Abstract

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Keywords Formal languages, Coq, Bar-Hillel, closure, intersection, regulalr language, context-free language

1 Introduction

Language intersection problem is a foundation in many areas. It is the well-knon fact tat context-free languages are closed under intersection with regular languages. Theoretical result is Bar-Hillel [1] theorem which provide construction for resulting language description. Foundation in some areas: graphs, code analysis, etc.

Bar-Hillel theorem is a main on .

Mechanization (formalization) is important and many work done on formal languages theory mechanization.

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PL'17, January 01–03, 2017, New York, NY, USA 2017. ACM ISBN ...\$15.00 https://doi.org/ Short overview of current results.

The main contribution of this paper mai be summarized as follows.

- We Bar-Hillel theorem in Coq.
- We generalize Smolka's CFL results: terminals is abstract types....
- ..

2 Related Work

All results you use in your work. All relevant results in this field (excluded this work). Smolka, smb else [2–4].

As a result of this section we should conclude, that (1) this problem is open (2) it is important to solve this problem.

3 Bar-Hillel Theorem

Original B-H theorem and proof which we use as base.

4 CNE

Seems that we should discuss CNF and its proof.

5 B-H in Coq

Main part. All code are published on GitHub ¹ What did you do and how. And, possible, why. Problems, nontrivial solutions, stc.

5.1 Smolka's code generalization

First we nwwd to generalize code of ...

5.2 General scheme of proof

General scheme of our proof is based on constructive proof presented by [?]

5.3 Part one: regular language and automata

First step is !!!!

¹https://github.com/YaccConstructor/YC_in_Coq

5.4 Part two

5.5 Part N: final step

Finally we should proof main statement!

6 Conclusion

Short resume of main part (main results formulation). We present mechanization of Bar-Hillel theorem on closure of contex-free languages under intersection with regular.

Other algorithms on regular and context-free languages intersection. One of direction of future reserch is mechanization of practical algorithms which are just implementation of Bar-Hillel theorem. For example, context-free path querying algorithm, based on GLL [6] parsing algorithm [5].

Other problems on language intersection.

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A Appendix

Text of appendix ...