



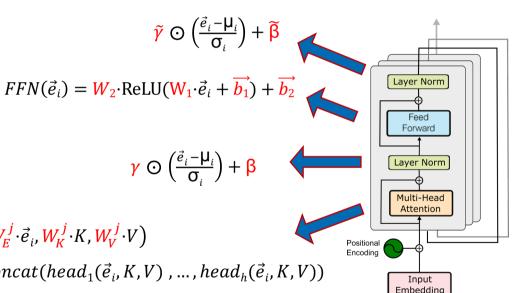
Training Transformer Networks

Self-Supervised Training

Which parameters can be adjusted?



- Typical initializations of the learnable parameters:
 - Bias vectors \vec{b} are often initialized to zero
 - Entries of matrices W: small gaussian (or uniformly) distributed values
 - Entries of γ to 1 and entries of β to 0



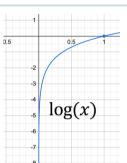
 $head_{i}(\vec{e}_{i}, K, V) = Attention(W_{E}^{j} \cdot \vec{e}_{i}, W_{K}^{j} \cdot K, W_{V}^{j} \cdot V)$

 $MultiHead(\vec{e}_i, K, V) = W_0 \cdot Concat(head_1(\vec{e}_i, K, V), ..., head_h(\vec{e}_i, K, V))$

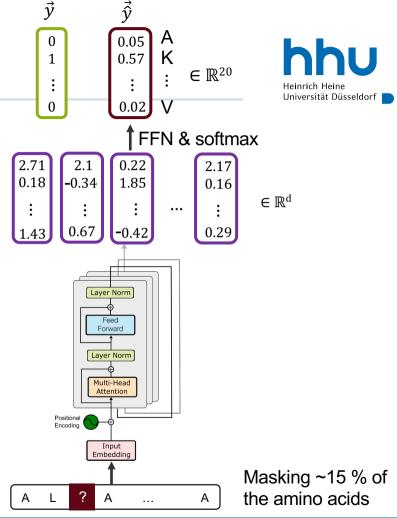
Self-Supervised Training

Categorical cross-entropy: 55

$$C(\vec{y}, \vec{\hat{y}}) = -\sum_{i=1}^{20} y_i \log(\hat{y}_i)$$
$$= -\log(0.57)$$



- Taking mean across batch and across all masked positions
- During training:
 - Calculate gradient of loss with respect to learnable parameters
 - Adjust parameters slightly such that the loss is decreasing (direction of negative gradient)



Self-Supervised Training (2)



Categorical cross-entropy:

$$C(\vec{y}, \vec{\hat{y}}) = -\sum_{i=1}^{20} y_i \log(\hat{y}_i)$$

Full loss function across a batch with multiple sequences and a total number of M masked tokens:

$$L = \frac{1}{M} \sum_{m=1}^{M} C(\vec{y}_m, \overrightarrow{\hat{y}_m})$$

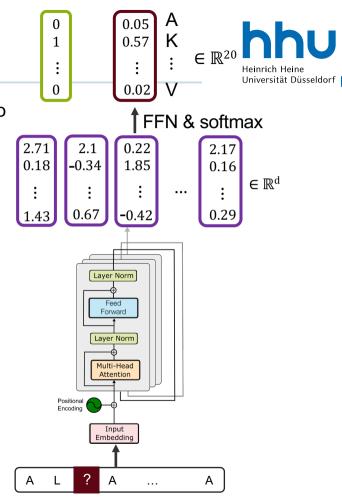
- Updating parameters (using backpropagation):
 - Calculating gradients towards all adjustable parameters w (entries of matrices W, bias vectors b, layer norm param. γ and β) $\frac{\partial L}{\partial w}$
 - Moving in the direction of the negative gradient reduces the loss function:

$$w = w - lr \cdot \frac{\partial L}{\partial w}$$

4

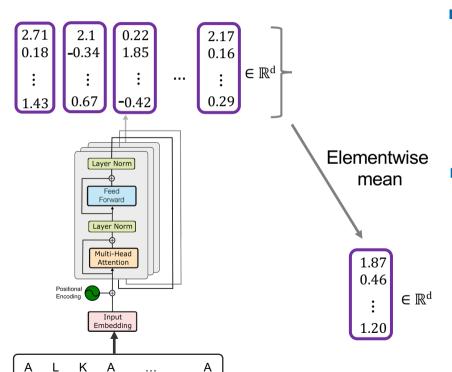
Why Self-Supervised Training?

- The encoder has to extract information from the other amino acids in the sequence
 - Learning context of amino acids
 - Learning dependencies between amino acids
- The encoder not only learns good representations for the masked amino acids, but for all tokens
 - Useful for generating protein representations after training
- The encoder learns implicitly structural and functional insights about the protein



Whole Protein Representations





- Computing element-wise mean across all token representations
 - Aggregating contextual information across the entire sequence
 - Loss of information through averaging
 - Still useful for many prediction tasks
- Alternatively, we can train the encoder for a specific task
 - Results directly in a single protein representation