

SE2NN11 MLP Lab 1 Report Sheet 2014/15

Student Name: Abdelrahmane Bray	Marks			
Date: 21/10/2014	Missing	Poor	Ok	Good
Introduction	0	1	2	3

The aim of this practical is to develop, through coding, a functional program which can simulate an artificial neural network.

Most of the program already is functional, and all that is expected during this practical is to program key methods which take care of the learning algorithm.

The methods relating to calculating the output for single-layered linearly-activated networks as well as single-layered sigmoidal-activated networks are fully implemented during the practical.

Single-layered networks function in the same way a single perceptron would, each neuron has its own output, weights and targets but all neurons share the same inputs. Single layers can thus learn to solve different problems from the same inputs.

Output of Untrained LinearLayerNetwork network	Missing	Poor	Correct																																																												
	0	1	2																																																												
Richard J. Mitchell's Perceptron Network Program																																																															
Adapted by Abdelrahmane Bray [Autumn 2014]																																																															
#####																																																															
Network is: for Linear-activation																																																															
Initial weights seed [0]																																																															
Learning rate: [0.2]. Momentum: [0]																																																															
MENU:: Select one of the following:																																																															
[T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit																																																															
>t																																																															
<table><tr><td colspan="3">Inputs</td><td colspan="3">Targets</td><td colspan="3">Actuals</td><td colspan="3">Rescaled</td></tr><tr><td>0</td><td>0 :</td><td>0</td><td>0</td><td>0 :</td><td>0.2</td><td>0.3</td><td>0.4 :</td><td>0</td><td>0</td><td>0</td><td></td></tr><tr><td>0</td><td>1 :</td><td>0</td><td>1</td><td>1 :</td><td>0.5</td><td>0.4</td><td>0.6 :</td><td>0</td><td>0</td><td>1</td><td></td></tr><tr><td>1</td><td>0 :</td><td>0</td><td>1</td><td>1 :</td><td>0.7</td><td>0.8</td><td>0.5 :</td><td>1</td><td>1</td><td>0</td><td></td></tr><tr><td>1</td><td>1 :</td><td>1</td><td>1</td><td>0 :</td><td>1</td><td>0.9</td><td>0.7 :</td><td>1</td><td>1</td><td>1</td><td></td></tr></table>				Inputs			Targets			Actuals			Rescaled			0	0 :	0	0	0 :	0.2	0.3	0.4 :	0	0	0		0	1 :	0	1	1 :	0.5	0.4	0.6 :	0	0	1		1	0 :	0	1	1 :	0.7	0.8	0.5 :	1	1	0		1	1 :	1	1	0 :	1	0.9	0.7 :	1	1	1	
Inputs			Targets			Actuals			Rescaled																																																						
0	0 :	0	0	0 :	0.2	0.3	0.4 :	0	0	0																																																					
0	1 :	0	1	1 :	0.5	0.4	0.6 :	0	0	1																																																					
1	0 :	0	1	1 :	0.7	0.8	0.5 :	1	1	0																																																					
1	1 :	1	1	0 :	1	0.9	0.7 :	1	1	1																																																					
Mean Sum Square Errors are 0.195 0.125 0.265																																																															
% Correct Classifications 75 75 50																																																															

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>l

Epoch 0

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 1

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 2

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 3

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 4

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 5

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

Epoch 6

AndOrXor : Mean Sum Square Errors are 0.195 0.125 0.265

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>

LinearLayerNetwork Functions – mark scheme	Code			Comments		
Function ReturnTheWeights	0	1	2	0	1	2
<pre> ///<summary> /// Copies the array of weights stored in the network-object to the currentWeights array /// ///<argument="double currentWeights[]">Array containing the current weights</argument> ///</summary> void LinearLayerNetwork::ReturnTheWeights (double currentWeights[]) { //Copies as many elements as there are weights, from the weights array, to the currentWeights array dcopy (numWeights, weights, currentWeights); } </pre>						

Function FindDeltas	0	1	2	3	0	1	2
<pre> ///<summary> /// Finds and stores the deltas from the errors. It is assumed the size of errors-array and the size of deltas-array are equal. /// Equation (for a linear system): /// $\delta = \text{Error}$ /// ///<argument="const double errors[]">Array of errors used to find deltas</argument> ///</summary> void LinearLayerNetwork::FindDeltas (const double errors[]) { //only copying has to be done, there are as many errors as there are outputs and as many outputs as there are neurons dcopy(numNeurons, errors, deltas); } </pre>							

Function ChangeAllWeights	0	1	2	3	4	0	1	2	3
<pre> ///<summary> /// Calculates and stores the new weights from the errors. /// Equation (for a linear system): /// new weight = old weight + ((error * input * learning_rate) + momentum + old change in weight) /// ///<argument="const double inputs[]">Array of inputs used to find the new weights</argument> ///<argument="const double learningParameters[]"> Array containing the parameters: {learning-rate, momentum}</argument> ///</summary> void LinearLayerNetwork::ChangeAllWeights (const double inputs[], const double learningParameters[]) { //Used to keep track of the current input double current_input; //Used to keep track of which weight is being used int weight_index = 0; //For each neuron in the layer for(int neuron_index=0; neuron_index < numNeurons; neuron_index++) { </pre>									

```

//For each input in the input-array
for(int input_index=0; input_index < numInputs + 1; input_index++)
{
    //IF bias weight
    if((input_index % (numInputs + 1))==0) current_input = 1;
    else current_input = inputs[input_index - 1];

    //Equate (delta * input * learning_rate) ADD (momentum * previous_delta)
    deltaWeights[weight_index] = (current_input * deltas[neuron_index] * learningParameters[0])
                                + (deltaWeights[weight_index] * learningParameters[1]);

    //New weight = old weight + change in weight
    weights[weight_index] += deltaWeights[weight_index];

    //Move on to the next weight
    weight_index++;
}
}
}

```


Program output with default weights, after training with: a learning rate of 0.1 and momentum of 0.3	Missing	Poor	Close	Correct
	0	1	2	3
Richard J. Mitchell's Perceptron Network Program Adapted by Abdelrahmane Bray [Autumn 2014] ##### Network is: for Linear-activation Initial weights seed [0] Learning rate: [0.2]. Momentum: [0] MENU:: Select one of the following: [T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit >c Enter Learning Rate: [range 0 to 1] 0.1 Enter Momentum: [range 0 to 1] 0.3 ##### Network is: for Linear-activation				

Initial weights seed [0]

Learning rate: [0.1]. Momentum: [0.3]

MENU:: Select one of the following:

[T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit

>t

Inputs			Targets			Actuals			Rescaled	
0	0 :	0	0	0 :	0.2	0.3	0.4 :	0	0	0
0	1 :	0	1	1 :	0.5	0.4	0.6 :	0	0	1
1	0 :	0	1	1 :	0.7	0.8	0.5 :	1	1	0
1	1 :	1	1	0 :	1	0.9	0.7 :	1	1	1

Mean Sum Square Errors are 0.195 0.125 0.265

% Correct Classifications 75 75 50

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>l

Epoch 0

AndOrXor : Mean Sum Square Errors are 0.185 0.13 0.338

Epoch 1

AndOrXor : Mean Sum Square Errors are 0.121 0.103 0.332

Epoch 2

AndOrXor : Mean Sum Square Errors are 0.107 0.0959 0.331

Epoch 3

AndOrXor : Mean Sum Square Errors are 0.1 0.0917 0.329

Epoch 4

AndOrXor : Mean Sum Square Errors are 0.0961 0.0887 0.327

Epoch 5

AndOrXor : Mean Sum Square Errors are 0.0929 0.0865 0.326

Epoch 6

AndOrXor : Mean Sum Square Errors are 0.0904 0.0848 0.324

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>p

Inputs			Targets			Actuals			Rescaled		
0	0 :	0	0	0 :	-0.13	0.349	0.443 :	0	0	0	
0	1 :	0	1	1 :	0.242	0.706	0.502 :	0	1	1	
1	0 :	0	1	1 :	0.329	0.822	0.441 :	0	1	0	

1 1 : 1 1 0 : 0.701 1.18 0.5 : 1 1 1			
Mean Sum Square Errors are 0.0682 0.068 0.252			
% Correct Classifications 100 100 50			
SELECT: [L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort. >			
Weights of network after training	0	1	2
SELECT: [L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort. >w -0.13,0.459,0.373,0.349,0.473,0.357,0.443,-0.00206,0.0596, SELECT: [L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort. >			
Weights are = {-0.13, 0.459, 0.373, 0.349, 0.473, 0.357, 0.443, -0.00206, 0.0596}			

Code for SigmoidalLayerNetwork Functions – mark scheme	Code				Comments		
Function SigmoidalLayerNetwork CalcOutputs	0	1	2	3	0	1	2
<pre> ///<summary> /// Calculates the outputs of the sigmoidal layer /// Equation: /// sum = input * weight /// output = 1 / (1 + exp(- sum)) /// ///<argument="const double inputs[]">Array containing the inputs</argument> ///</summary> void SigmoidalLayerNetwork::CalcOutputs(const double inputs[]) { // Calculate outputs being Sigmoid (WeightedSum of ins) //Tracks which weight is being accessed int weight_index = 0; for (int neuron_counter=0; neuron_counter < numNeurons; neuron_counter++) { //Processes each neuron in order outputs[neuron_counter] = weights[weight_index++]; //The summation is done here </pre>							

<pre> for (int input_counter=0; input_counter < numInputs; input_counter++) { outputs[neuron_counter] += inputs[input_counter] * weights[weight_index++]; outputs[neuron_counter] = 1 / (1 + exp(-1 * output[neuron_counter])); } } } </pre>						
Function SigmoidalLayerNetwork FindDeltas	0	1	2	0	1	2
<pre> ///<summary> /// Calculates the outputs of the sigmoidal layer /// Equation: /// Temp_output = input * weight /// output = 1 / (1 + exp(- sum)) /// ///<argument="const double inputs[]">Array containing the inputs</argument> ///</summary> void SigmoidalLayerNetwork::CalcOutputs(const double inputs[]) { // Calculate outputs being Sigmoid (WeightedSum of ins) //Makes use of inheritance to find outputs as done with linear-activation networks LinearLayerNetwork::CalcOutputs(inputs); </pre>						

```
for (int neuron_counter=0; neuron_counter < numNeurons; neuron_counter++)  
{  
    //Actual output = 1 / (1 + exp( - Temp_output ) )  
    outputs[neuron_counter] = 1 / (1 + exp( -1 * outputs[neuron_counter]));  
}  
}
```

Program output with default weights: a learning rate of 0.15 and momentum of 0.4 : show state before, during and then after training	Missing	Wrong	Correct
	0	1	2
Before			
Richard J. Mitchell's Perceptron Network Program Adapted by Abdelrahmane Bray [Autumn 2014] ##### Network is: for Linear-activation Initial weights seed [0] Learning rate: [0.2]. Momentum: [0] MENU:: Select one of the following: [T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit >n SELECT NETWORK: [L]inear. [S]igmoidal. [X]OR. [O]ther non-Separable. [C]lassifier. [N]umerical Probability. >s #####			

Network is: for Sigmoidal-activation

Initial weights seed [0]

Learning rate: [0.2]. Momentum: [0]

MENU:: Select one of the following:

[T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit

>c

Enter Learning Rate: [range 0 to 1] 0.15

Enter Momentum: [range 0 to 1] 0.4

#####

Network is: for Sigmoidal-activation

Initial weights seed [0]

Learning rate: [0.15]. Momentum: [0.4]

MENU:: Select one of the following:

[T]est Network. Set [N]etwork. Set Learning-[C]onstants. [I]nitialise Random Seed. [Q]uit

>t

Inputs

Targets

Actuals

Rescaled

0	0 :	0	0	0 :	0.55	0.574	0.599 :	1	1	1
0	1 :	0	1	1 :	0.622	0.599	0.646 :	1	1	1
1	0 :	0	1	1 :	0.668	0.69	0.622 :	1	1	1
1	1 :	1	1	0 :	0.731	0.711	0.668 :	1	1	1

Mean Sum Square Errors are 0.302 0.168 0.268

% Correct Classifications 25 75 50

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>l

Epoch 0

AndOrXor : Mean Sum Square Errors are 0.301 0.168 0.272

Epoch 200

AndOrXor : Mean Sum Square Errors are 0.0577 0.0369 0.255

Epoch 400

AndOrXor : Mean Sum Square Errors are 0.0318 0.018 0.255

Epoch 600

AndOrXor : Mean Sum Square Errors are 0.0212 0.0114 0.255

Epoch 800

AndOrXor : Mean Sum Square Errors are 0.0156 0.00819 0.255

Epoch 1000

AndOrXor : Mean Sum Square Errors are 0.0122 0.00634 0.255

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>p

Inputs			Targets			Actuals			Rescaled		
0	0 :	0	0	0 :	0.00302	0.12	0.505 :	0	0	1	
0	1 :	0	1	1 :	0.119	0.926	0.502 :	0	1	1	
1	0 :	0	1	1 :	0.119	0.926	0.499 :	0	1	0	
1	1 :	1	1	0 :	0.858	0.999	0.496 :	1	1	0	

Mean Sum Square Errors are 0.0122 0.00633 0.25

% Correct Classifications 100 100 50

SELECT:

[L]earn. [P]resent Data. [C]hange Learning Constants. Find [W]eights. [S]ave Learnt Data. [A]bort.

>w

-5.8,3.8,3.8,-1.99,4.52,4.52,0.0217,-0.0238,-0.014,

Discussion (on code and results)	Missing .. Ok ... Excellent				
	0	1	2	3	4
<p>Linearly-activated neurons can solve the problems of boolean OR and AND in a small amount of epochs, but not that of XOR. This is because those problems are linearly separable.</p> <p>Sigmoidal-activated neurons can solve the problems of OR, AND and XOR, but in a large amount of epochs.</p> <p>The learning rate affects the magnitude of the change in weights.</p> <p>Momentum also affects the magnitude of the change in weights, but the momentum grows in magnitude when learning is done in the right direction.</p> <p>Most of the code had to be changed, as the variable name used were not intuitive to read, and on several occasions bad programming practice was in place.</p>					
Conclusion	Missing .. Ok ... Excellent				
	0	1	2	3	4
<p>To conclude, the linearly activated neurons can learn the “simple” problems of boolean OR and AND, but not that of XOR because it is not possible to separate the target outputs into distinct sets. This problem can be overcome using a sigmoidal activation network, however the learning takes much longer.</p> <p>Momentum and learning rate affect the rate at which the weights change, and when correctly utilised, allow the neuron to learn quickly and effectively. Smaller learning rates allow for better “fine-tuning” of the weights, whereas greater learning rates allow for faster learning.</p> <p>Real-world applications of single-layered networks are scarce, as most problems it can solve can be easily overcome using other methods.</p> <p>However, multiple-layers of perceptrons may have a very numerous amount of applications, most of which are in pattern-manipulation.</p>					

Self Evaluation (answer yes/no/maybe)	Your View	Markers View
My code works fully	YES	
My code is clear and concise	YES	
Each function has good comments explaining what it does and its arguments	YES	
The code implementing the functions are well explained	YES	
I understand the code in the library module	YES	

Write below any issues you have or any questions you would like answered

Markers Comments	Total Mark / 45