

Lowest length path between 1 and 4 by using BFS from 1



Next discrepancy

key
0 - [1]
1 - [0, 2]
2 - [1, 4]
3 - [3, 4]
4 - [0, 3, 3]

$h=1 \quad k=3$	X	Y	queue	visited	dist - discrepancy	pred - discrepancy																														
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$4=3=k \Rightarrow \text{STOP}$

$Y=3=k \Rightarrow \text{STOP}$

Reverse path in list from pred:

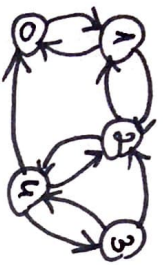
0	1	2	3	4
1	1	1	4	2

beginning with $k=3$

pred [3] = 4, pred [4] = 2, pred [2] = 1 = 1 \Rightarrow Reverse path in: [3, 4, 2, 1]

path: [1, 2, 4, 3], length: dist [3] = 3

Lowest length path between 1 and 4 by using BFS from 1



Next discrepancy

free value

0	-[1]
1	-[0, 2]
2	-[1, 4]
3	-[2, 4]
4	-[0, 3, 3]

$\lambda = 0 \quad t = u$	x	y	queue	visited	dist - discrepancy	pred - discrepancy																														
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$y = u = t \Rightarrow \text{STOP}$

Reverse path is built from pred:

0	1	2	3	4

 beginning with $t = u$

pred[u] = 2, pred[2] = 1, pred[1] = 0 (\Rightarrow reverse path is: [4, 2, 1, 0])

path: [0, 1, 2, 4], length: dist[u] = 3

cegrafl 1h:

$n=1, k=100$

path: 1, 5, 484, 145, 699, 624, 100, length: 6

$n=100, k=1$

path: 100, 416, 354, 865, 109, 1, length: 5

cegrafl 10h:

$n=1, k=100$

path: 1, 3300, 2604, 523, 6311, 5359, 9494, 5143, 100, length: 8

$n=100, k=1$

path: 100, 2398, 3054, 5232, 8214, 2448, 4151, 1, length: 7

cegrafl 100h:

$n=1, k=100$

path: 1, 14024, 24441, 14969, 3045, 4156, 32453, 14943, 100, length: 8

$n=100, k=1$

path: 100, 44340, 54524, 6606, 53263, 95930, 98655, 58288, 1, length: 8

cegrafl 1m:

$n=1, k=100$

path: 1, 480841, 823682, 494694, 483454, 129409, 414148, 504039, 402806, 368444, 344204, 100

length: 11

$n=100, k=1$

path: 100, 458663, 564549, 263340, 266903, 985444, 840863, 999999, 660201, 208831, 1

length: 10