

interatomic energy: <i>interatomieseenergie:</i>	attractive <i>aantrekking</i> $E_A = -\frac{A}{r}$	repulsive <i>afstotend</i> $E_R = \frac{B}{r^n}$	interatomic force <i>interatomiese krag</i> $F = \frac{dE}{dr}$
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Table 3.2 Summary of Equations Used to Determine Crystallographic Point, Direction, and Planar Indices			
Coordinate Type	Index Symbols	Representative Equation ^a	Equation Symbols
Point	$q\ r\ s$	qa = lattice position referenced to x axis	—
Direction			
Non-hexagonal	$[uvw], [UVW]$	$u = n \left(\frac{x_2 - x_1}{a} \right)$	x_1 = tail coordinate— x axis x_2 = head coordinate— x axis
Hexagonal	$[uvtw]$	$u = 3n \left(\frac{a'_1 - a''_1}{a} \right)$ $u = \frac{1}{3}(2U - V)$	a'_1 = head coordinate— a_1 axis a''_1 = tail coordinate— a_1 axis —
Plane			
Non-hexagonal	(hkl)	$h = \frac{na}{A}$	A = plane intercept— x axis
Hexagonal	$(hkil)$	$i = -(h + k)$	—

^aIn these equations a and n denote, respectively, the x -axis lattice parameter, and a reduction-to-integer parameter.

linear density: <i>lineêre digtheid:</i>	$LD = \frac{\# \text{ atoms centered on direction vector}}{\text{length of direction vector}}$	atomic packing factor: <i>atomiesepakfaktor:</i> $APF = \frac{\text{volume of atoms in unit cell}}{\text{volume of unit cell}}$
planar density: <i>vlakdigtheid:</i>	$PD = \frac{\# \text{ atoms centered on plane}}{\text{area of plane}}$	

density: <i>digtheid:</i>	metals / metaal $\rho = \frac{nA}{V_C N_A}$	ceramics / keramiek $\rho = \frac{n'(\sum A_c + \sum A_a)}{V_C N_A}$	Avogadro's number/nommer $N_A = 6.022 \times 10^{23}$ atoms/mol
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polymers: <i>polimere:</i>	$\% \text{ crystallinity} = \frac{\rho_c(\rho_s - \rho_a)}{\rho_s(\rho_c - \rho_a)} \times 100$	degree of polymerisation: <i>graad van polimerisering:</i> $DP = \frac{\overline{M}_n}{m}$
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composition <i>samestelling</i>	weight % / gewig % $C_1 = \frac{m_1}{m_1 + m_2} \times 100$	atom % / atom % $C'_1 = \frac{n_{m1}}{n_{m1} + n_{m2}} \times 100$	$n_{m1} = \frac{m_1}{A_1}$
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constants <i>konstantes</i>	Boltzmann: $k = 1.38 \times 10^{-23} \frac{\text{J}}{\text{atoms} \cdot \text{K}}$	Universal gas: $R = 8.314 \frac{\text{J}}{\text{mol} \cdot \text{K}}$
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vacancies <i>leemte</i>	equilibrium / ewewig $N_v = N \exp \left(-\frac{Q_v}{kT} \right)$	Frenkel $N_{fr} = N \exp \left(-\frac{Q_{fr}}{2kT} \right)$	Schottky $N_s = N \exp \left(-\frac{Q_s}{2kT} \right)$
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diffusion <i>diffusie</i>	flux / vloed $J = \frac{M}{At}$	Fick's 1 st law $J = -D \frac{dC}{dx}$	Fick's 2 nd law $\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2}$
	diffusion coefficient <i>diffusie koëffisiënt</i> $D = D_0 \exp \left(-\frac{Q_d}{RT} \right)$	Fick's 2 nd law: solution for constant surface concentration <i>Fick se 2^{de} wet: oplossing vir konstante oppervlakte konsentrasie</i>	$\frac{C_x - C_0}{C_s - C_0} = 1 - \text{erf} \left(\frac{x}{2\sqrt{Dt}} \right)$

engineering stress and strain <i>ingenieursspanning en -vervorming</i>			true stress and strain <i>warespanning en -vervorming</i>		Poisson's ratio <i>Poisson verhouding</i>
$\sigma = \frac{F}{A_0}$ $\tau = \frac{F}{A_0}$		$\varepsilon = \frac{l_i - l_0}{l_0} = \frac{\Delta l}{l_0}$	$\sigma_T = \frac{F}{A_i}$	$\varepsilon_T = \ln \frac{l_i}{l_0}$	$\nu = -\frac{\varepsilon_x}{\varepsilon_z} = -\frac{\varepsilon_y}{\varepsilon_z}$
convert from engineering to true stress and strain <i>ingenieurs na ware spanning en vervorming omsit</i>			$\sigma_T = \sigma(1 + \varepsilon)$ $\varepsilon_T = \ln(1 + \varepsilon)$	Hooke's law <i>Hooke se wet</i>	$\sigma = E\varepsilon$ $\tau = G\gamma$
Elastic constants <i>Elastisiteitskonstantes</i>		$E = 2G(1 + \nu)$	ductility / <i>rekbaarheid</i> $\%EL = \left(\frac{l_f - l_0}{l_0}\right) \times 100$ $\%RA = \left(\frac{A_0 - A_f}{A_0}\right) \times 100$		
slip <i>glip</i>	resolved shear stress <i>opgeloste skuifspanning</i> $\tau_R = \sigma \cos \phi \cos \lambda$		critical resolved shear stress <i>kritiese opgeloste skuifspanning</i> $\sigma_y = \frac{\tau_{crss}}{(\cos \phi \cos \lambda)_{\max}}$		
strengthening in metals <i>versterking in metale</i>		Hall-Petch equation $\sigma_y = \sigma_0 + k_y d^{-1/2}$	cold work / <i>koudwerk</i> $\%CW = \left(\frac{A_0 - A_d}{A_0}\right) \times 100$		grain growth / <i>korrelgroei</i> $d^n - d_0^n = Kt$

Table 4.3
Coordination
Numbers and
Geometries for
Various Cation–Anion
Radius Ratios (r_c/r_A)

Coordination Number	Cation–Anion Radius Ratio	Coordination Geometry
2	<0.155	
3	0.155–0.225	
4	0.225–0.414	
6	0.414–0.732	
8	0.732–1.0	

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