

# Rendering Iridescent Rock Dove Neck Feathers

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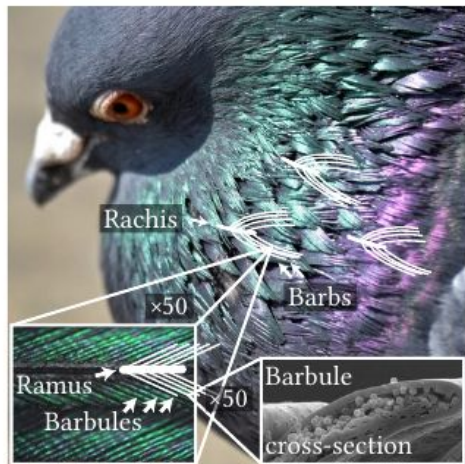
d.g.stavenga@rug.nl

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Germany

hullin@cs.uni-bonn.de



Measurement



Rendering

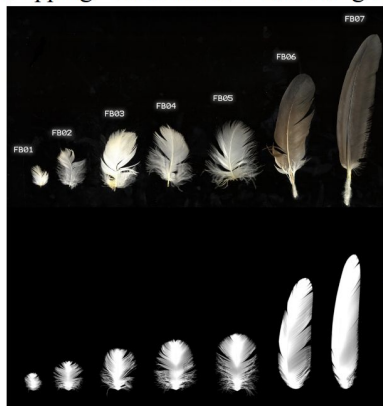


# Pourquoi?



# Travaux antérieurs

Splitting – imitates the splitting seen on feathers  
 Scraggle - random noise used to displace the barbs  
 Tangle – a scraggle that accumulates down the barb  
 Clipping - takes random cuts along the length of the barbs

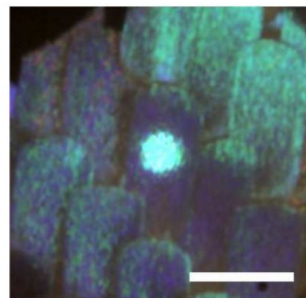


(a) Real

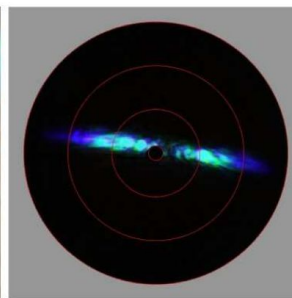
(b) Procedural



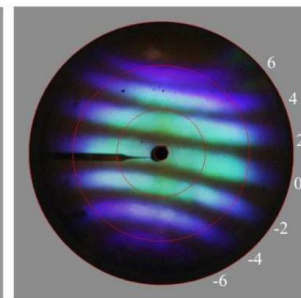
Rendertime Procedural Feathers Through Blended Guide Meshes, 2008



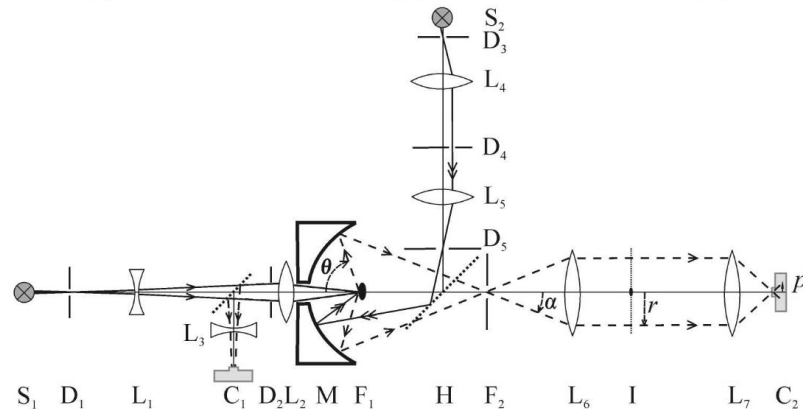
(a)



(b)



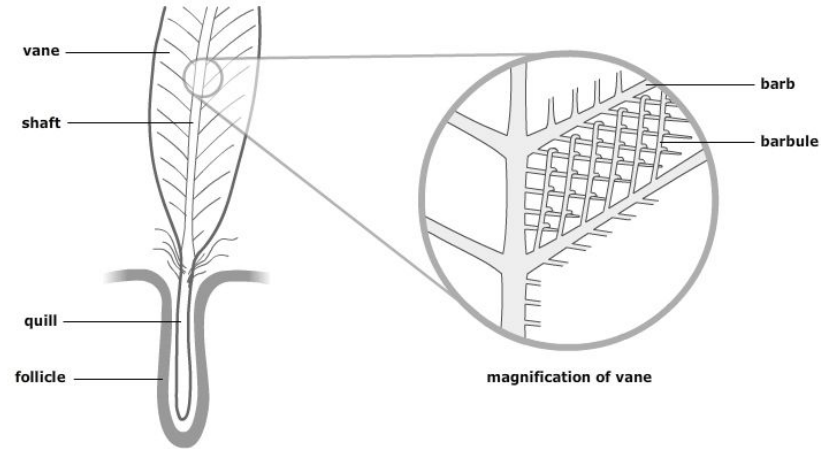
(c)



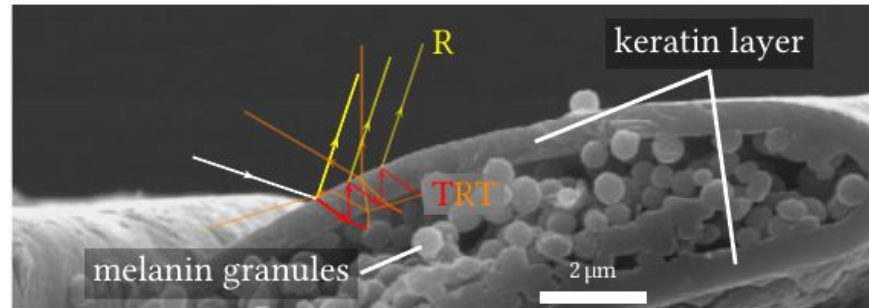
Imaging scatterometry of butterfly wing scales, 2009



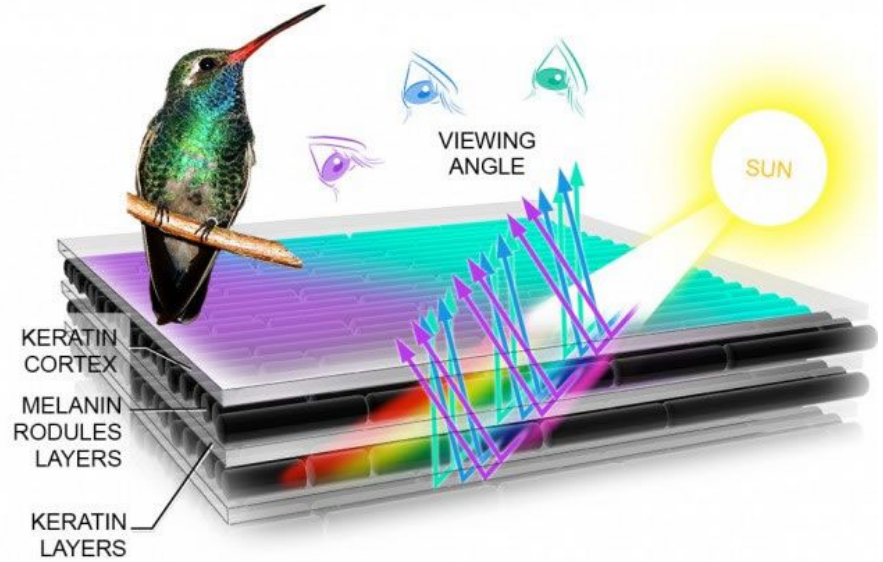
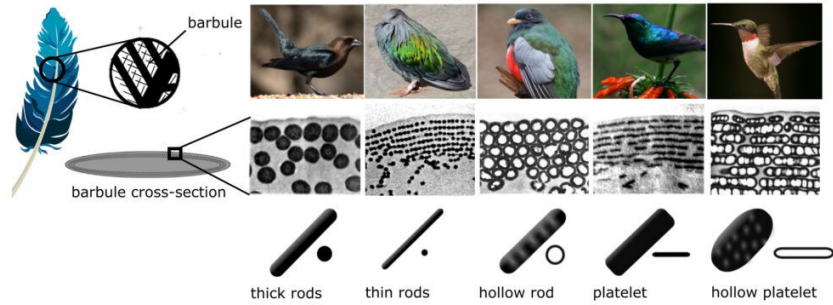
# Géométrie des Plumes



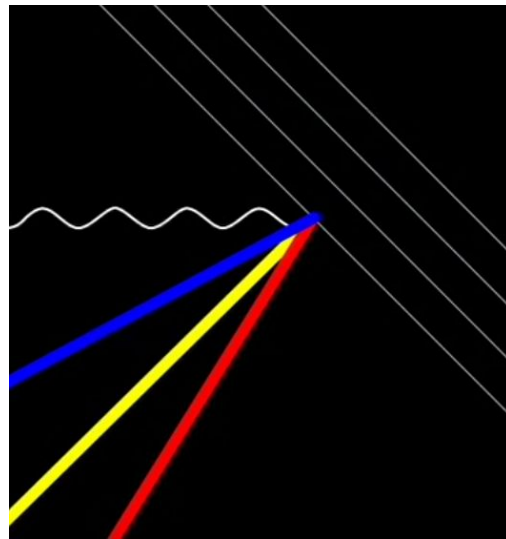
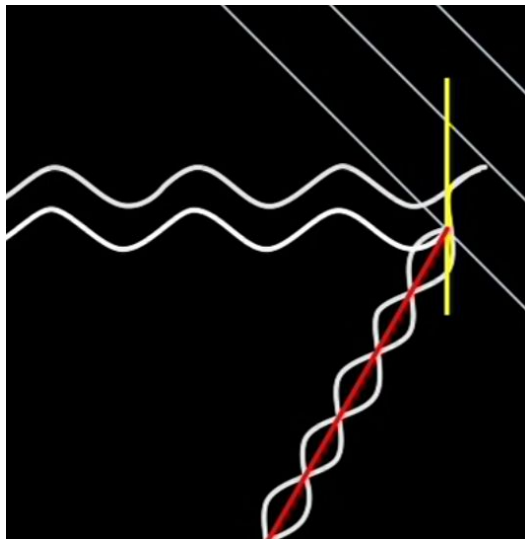
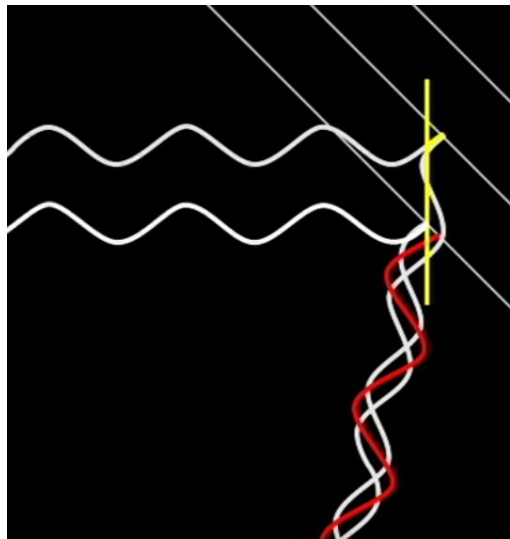
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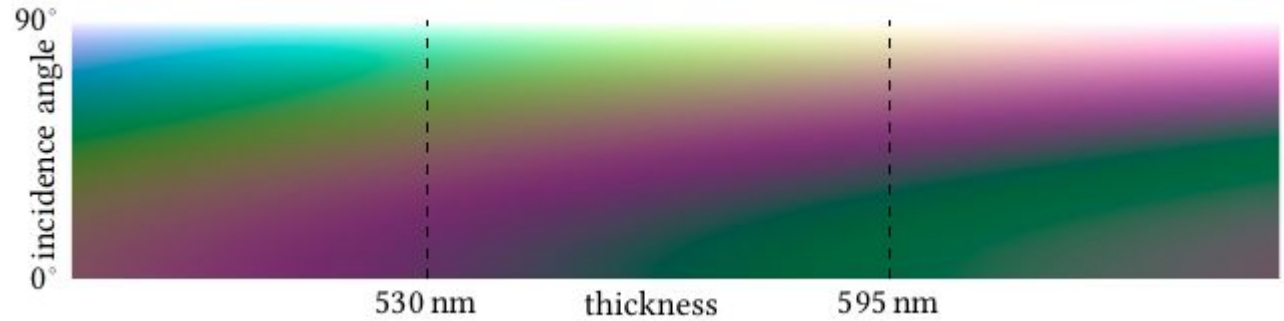
# Iridescence



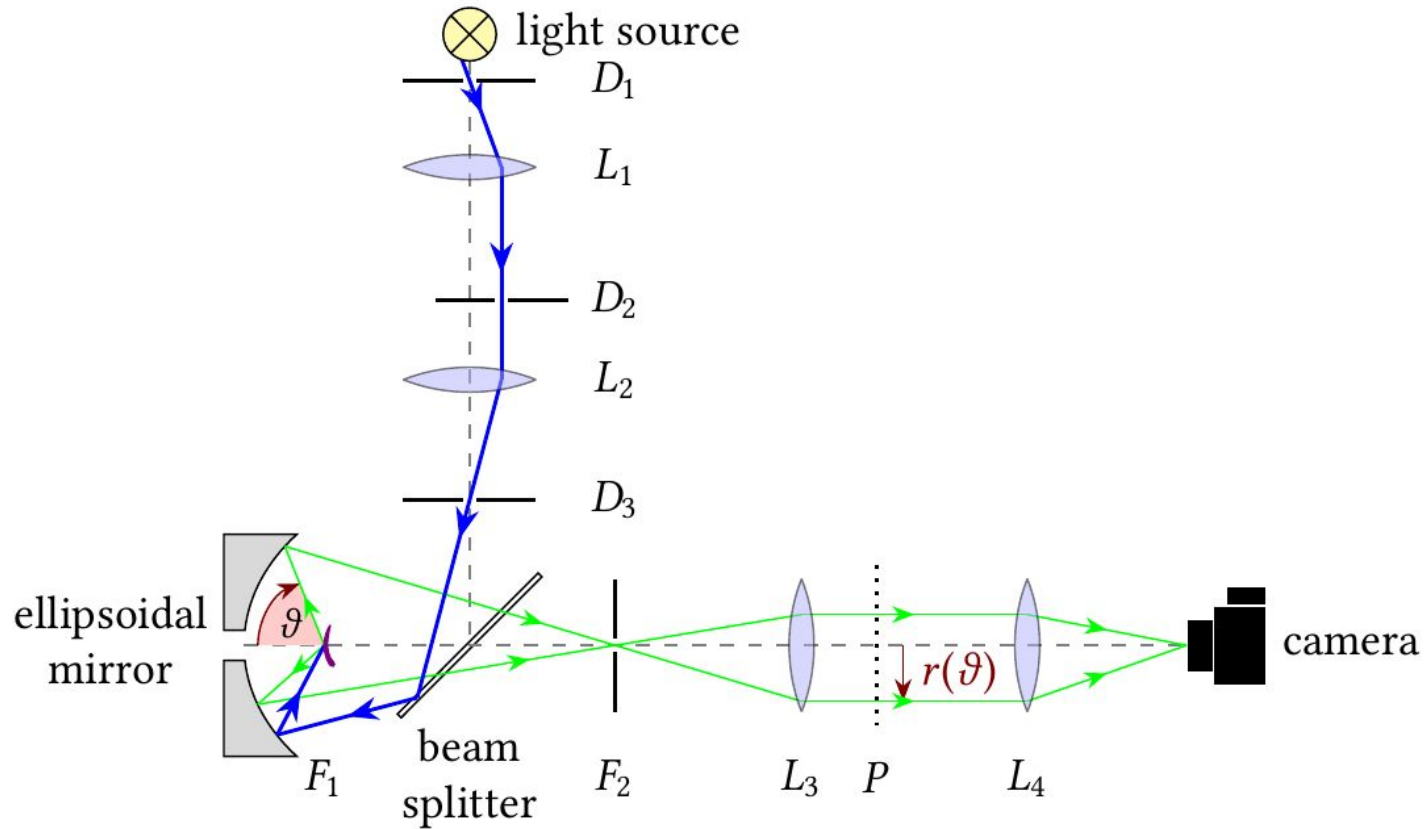
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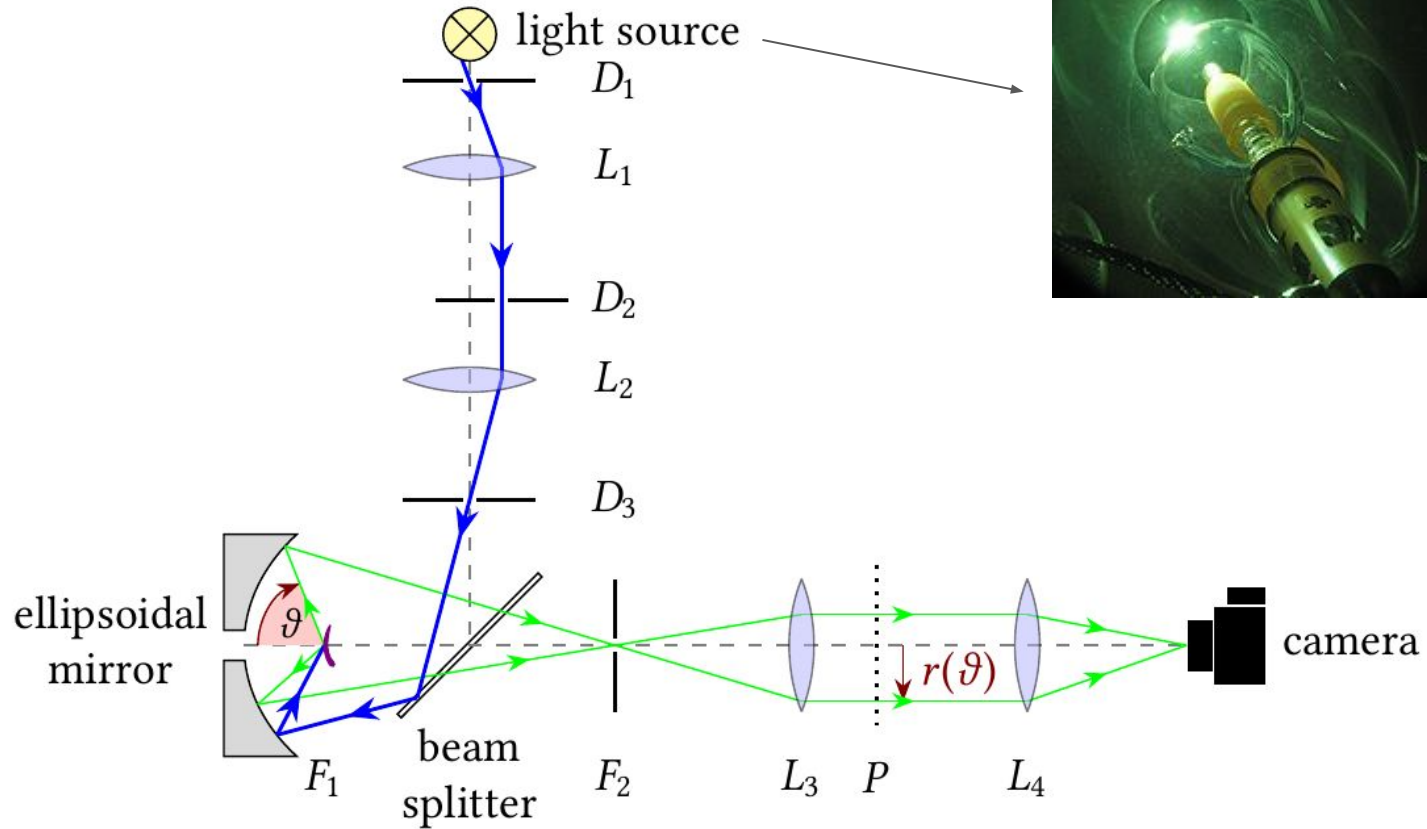


# Imaging scatterometer

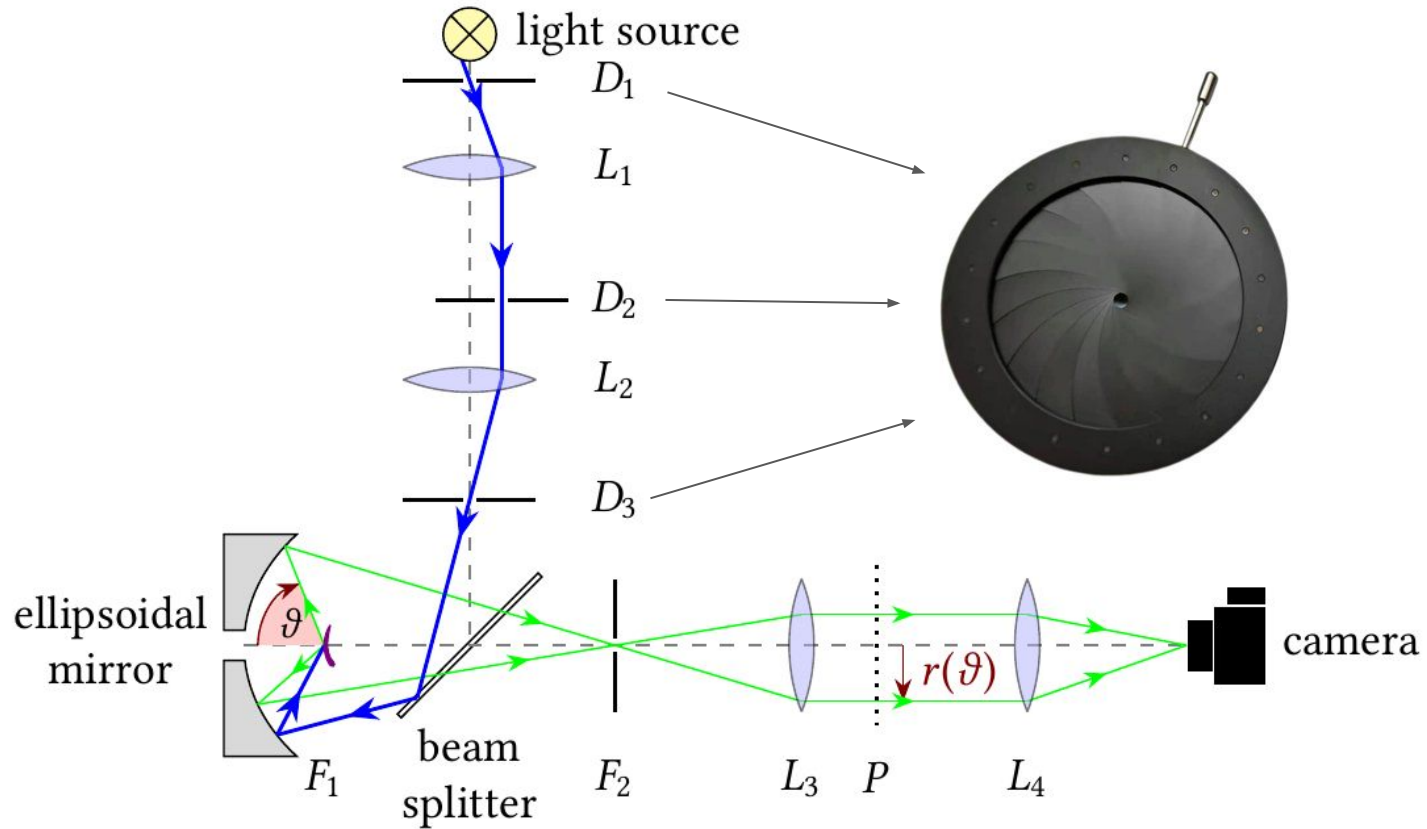




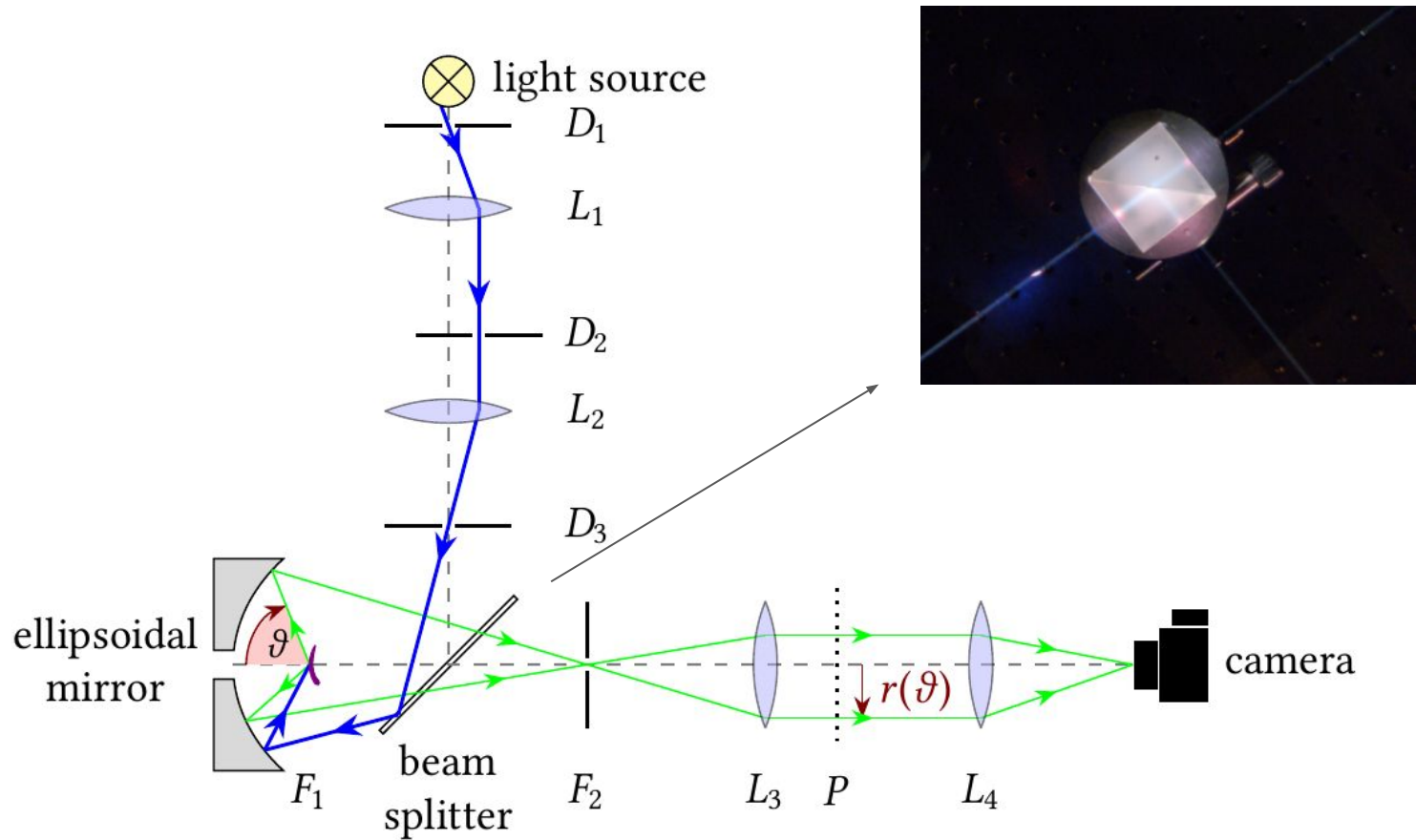
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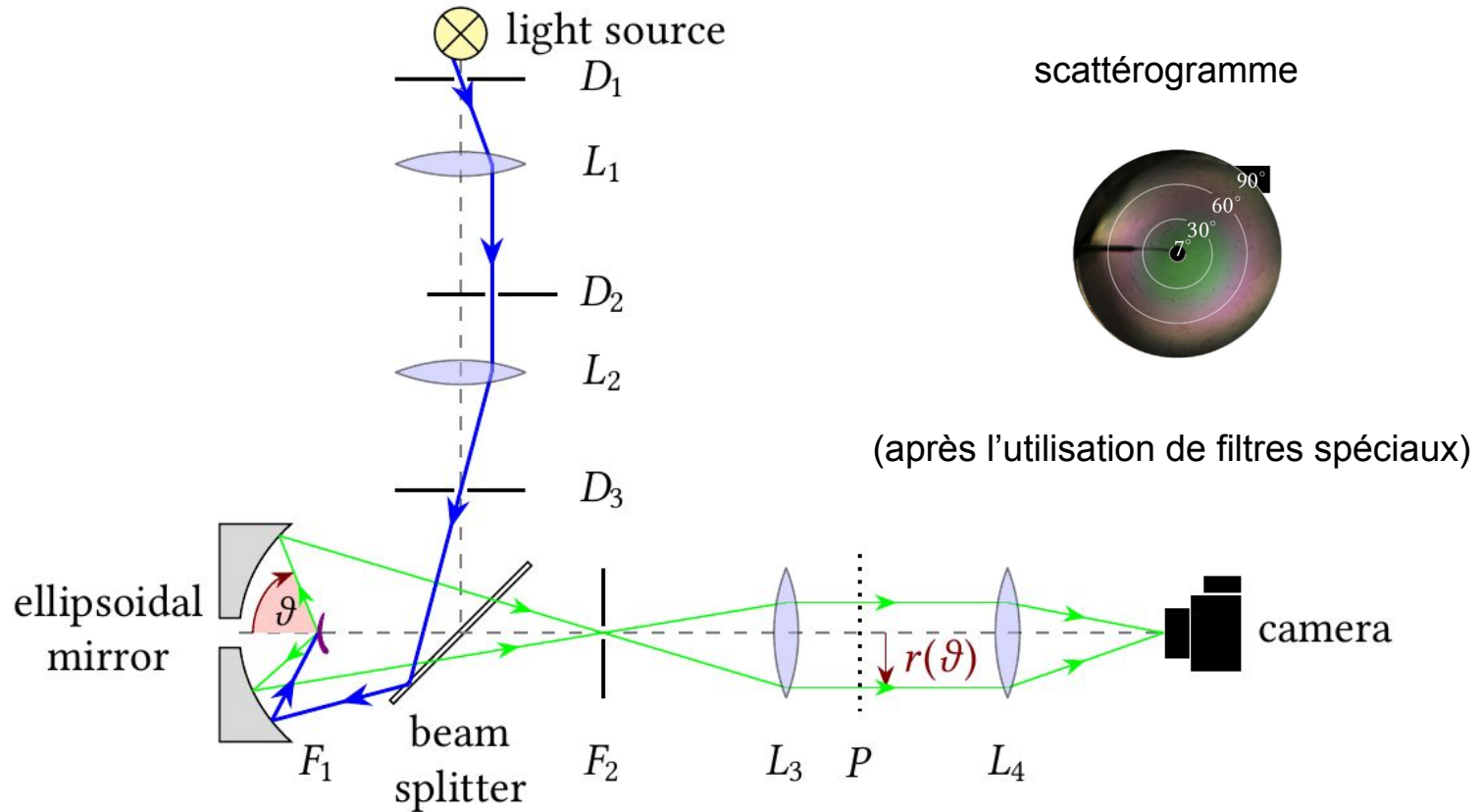
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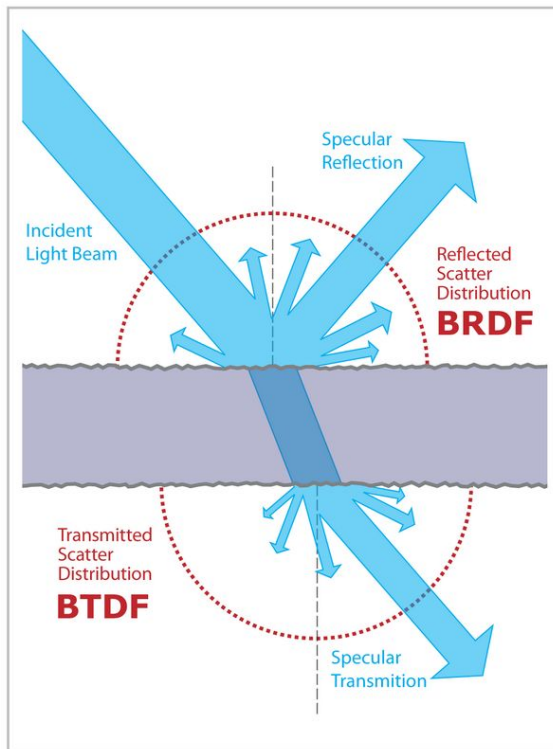
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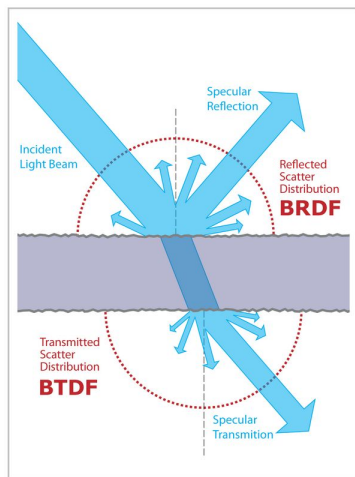


# BSDF

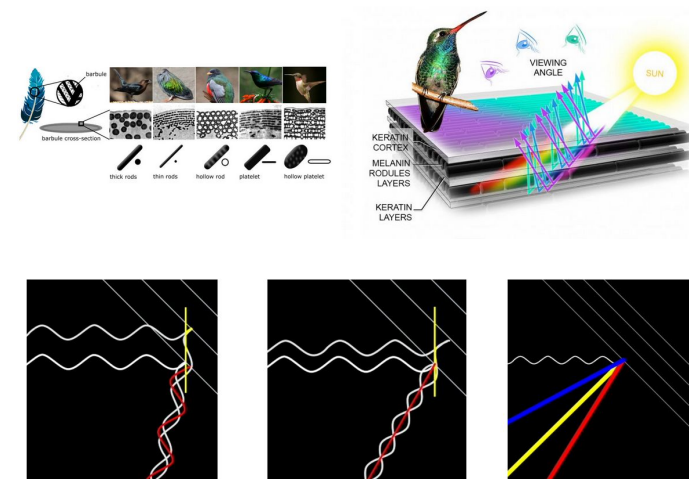
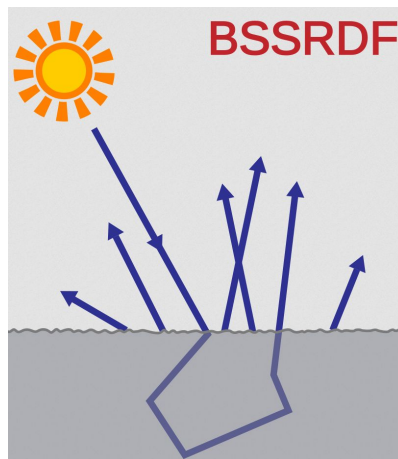




# Pourquoi un BSDF ?



**≠**



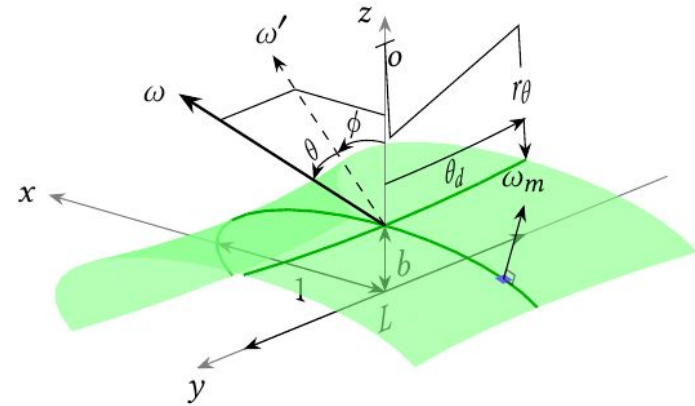
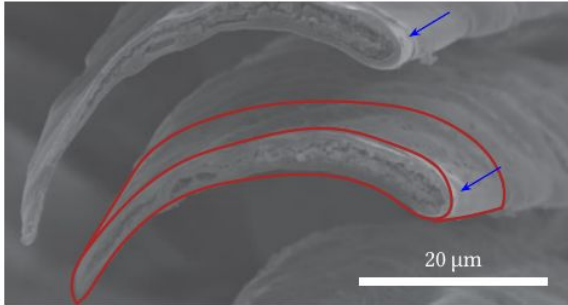
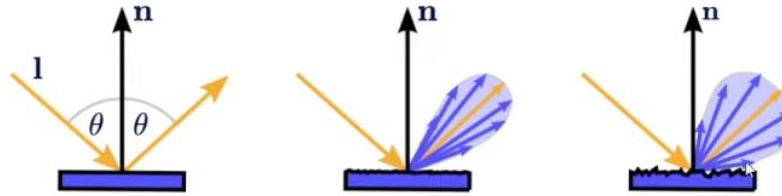
# Construire le BRDF : Microfacet BRDF

Réflectance                      NDF                      Fonction Géométrique

↑                                      ↑                                      ↗

$$S_R(\omega_i, \omega_o, \lambda) = \frac{I_R(\omega_i, \omega_o, \lambda) D(\omega_m) G(\omega_i, \omega_m, \omega_o)}{4 \langle \omega_i, \vec{n} \rangle \langle \omega_o, \vec{n} \rangle}$$

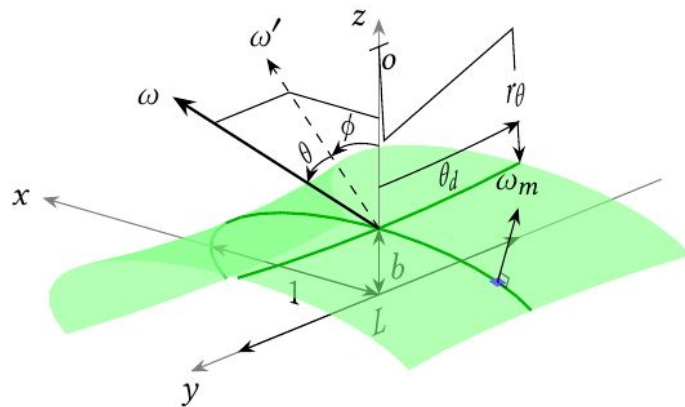
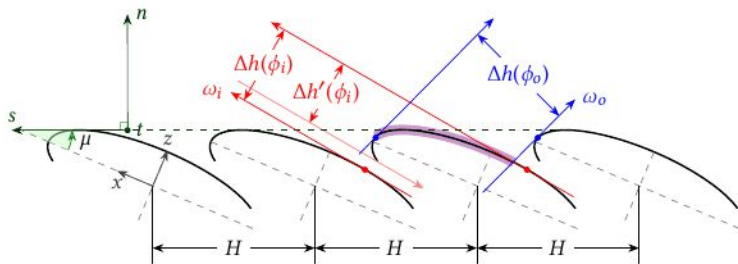
# NDF : Normal Distribution Function



$$D(\omega_m) = \frac{b^2}{2H \sin \theta_d \cos \theta_m} \left( \sin^2 \phi_m + b^2 \cos^2 \phi_m \right)^{-\frac{3}{2}}$$

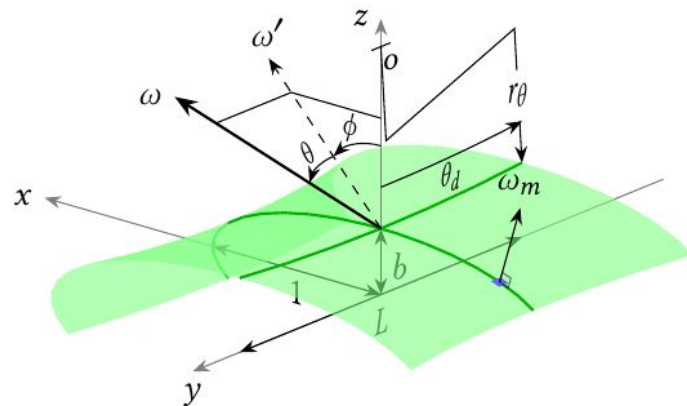
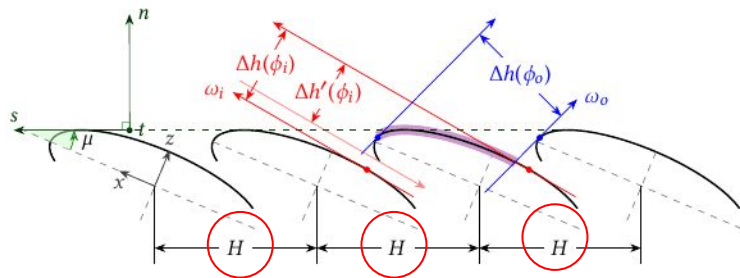
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$$D_{\phi}(\phi_m) = \frac{1}{H\kappa(\phi_m)} = \frac{b^2}{H} \left( \sin^2 \phi_m + b^2 \cos^2 \phi_m \right)^{-\frac{3}{2}}$$



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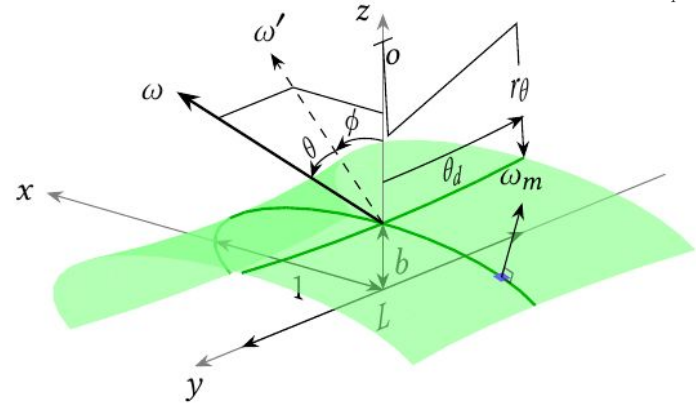
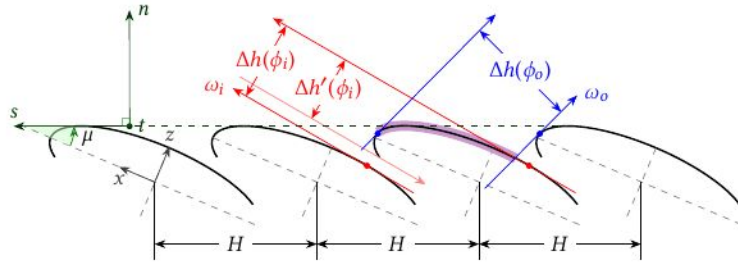
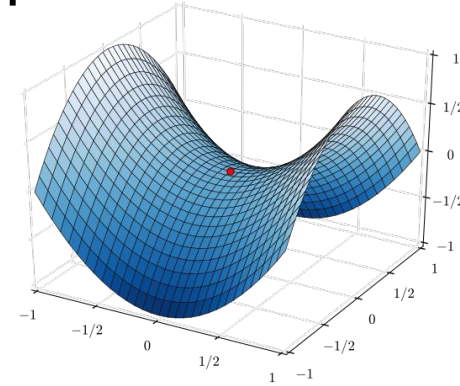
$$D_{\phi}(\phi_m) = \frac{1}{Hk(\phi_m)} = \frac{b^2}{H} \left( \sin^2 \phi_m + b^2 \cos^2 \phi_m \right)^{-\frac{3}{2}}$$





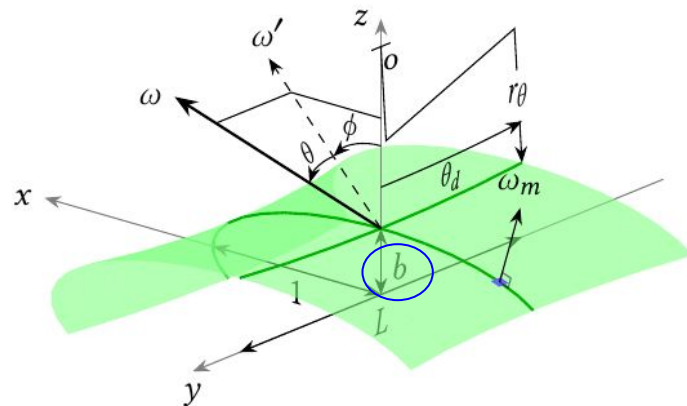
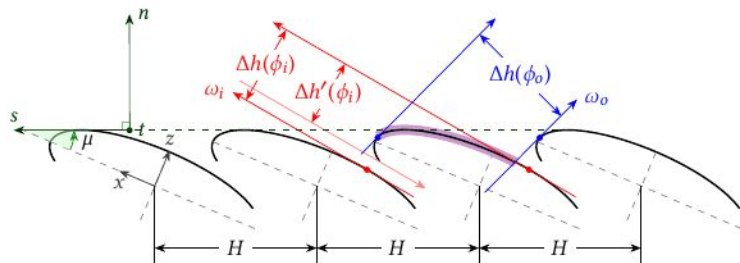
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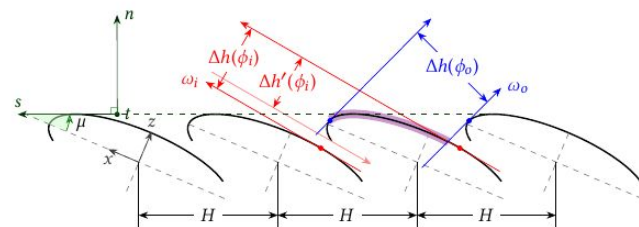
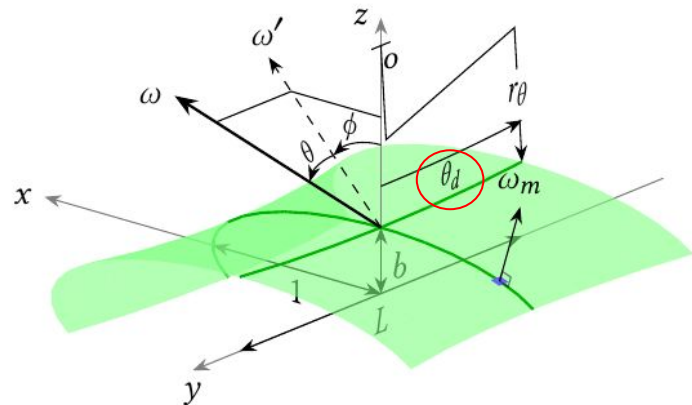
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$$D_{\theta}(\theta_m) = \frac{1}{2 \sin \theta_d}$$

$$D(\omega_m) = D_{\theta}(\theta_m) D_{\phi}(\phi_m) (\cos \theta_m)^{-1}$$

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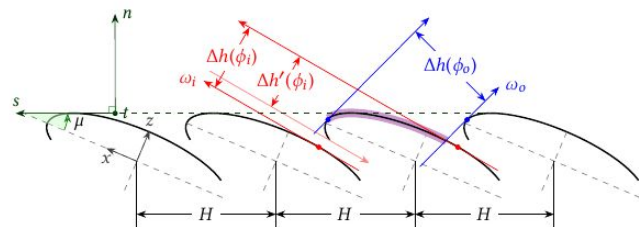
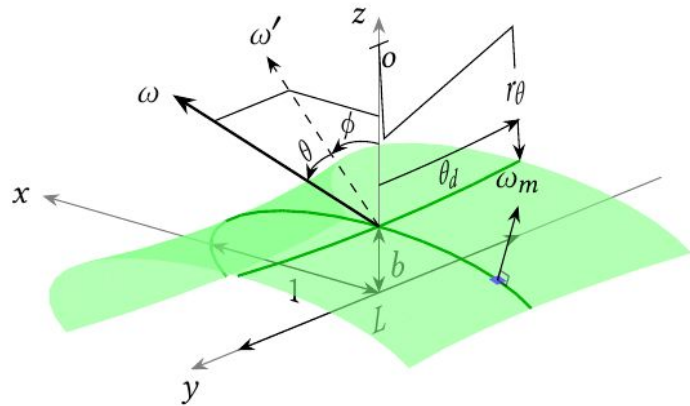
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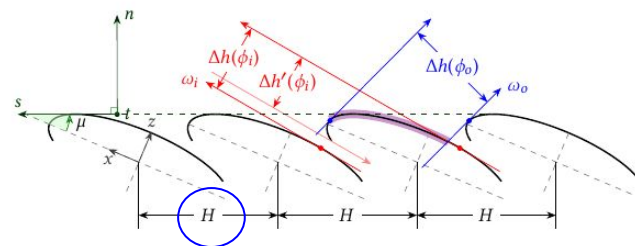
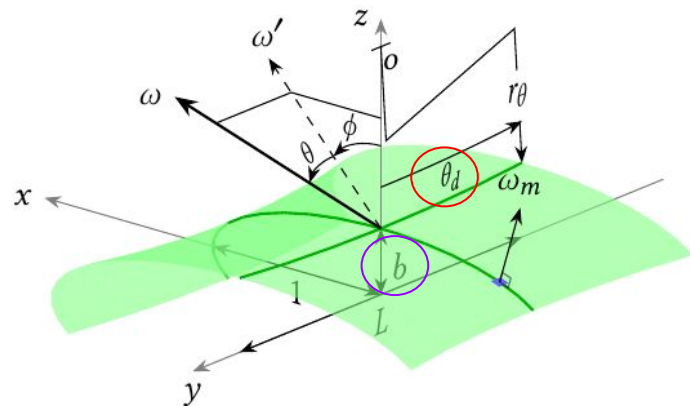
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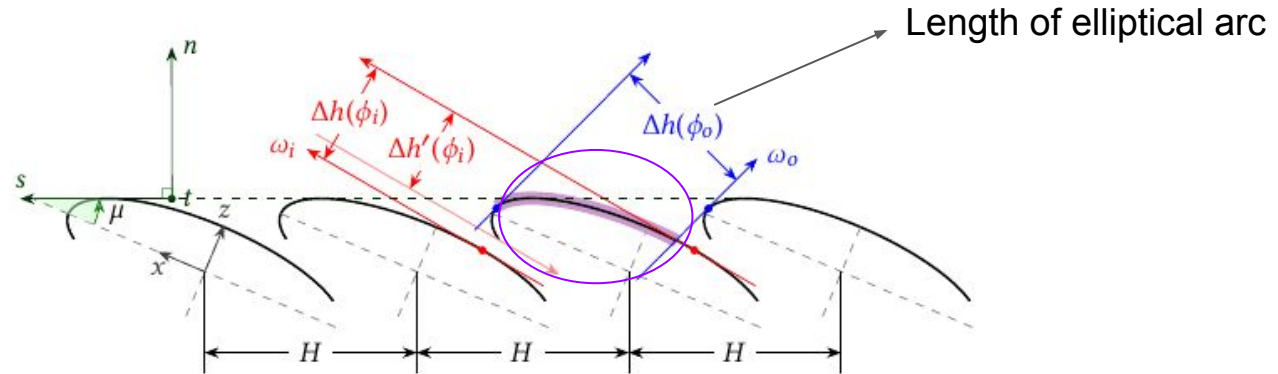
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# Fonction géométrique : Fonction de visibilité

$$G = 0 \text{ ou } 1$$



# Réflectance et Iridescence

A Practical Extension to Microfacet Theory  
for the Modeling of Varying Iridescence

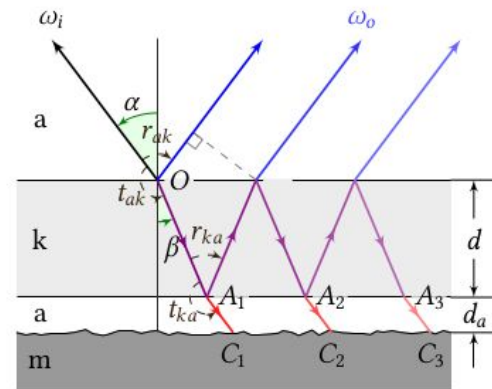
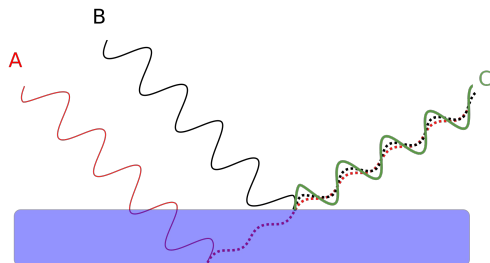
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PASCAL BARLA, Inria



Airy formula [Belcour and Barla 2017; Yeh 2005]

$$r = r_{ak} + \frac{t_{ak} r_{ka} t_{ka} e^{i\Delta\psi}}{1 - r_{ka}^2 e^{i\Delta\psi}}, \quad t = \frac{t_{ak} t_{ka}}{1 - r_{ka}^2 e^{i\Delta\psi}}$$

$$\Delta\psi = \frac{2\pi\mathcal{D}}{\lambda} = \frac{4\pi d\eta_k \cos\beta}{\lambda}$$



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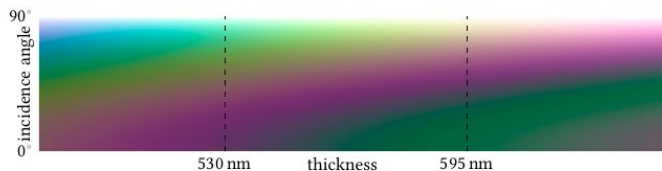
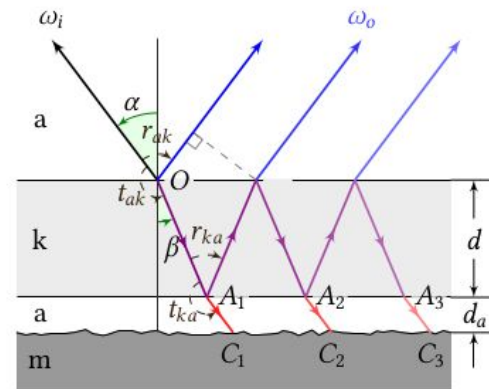
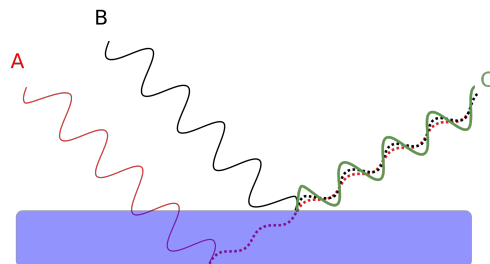
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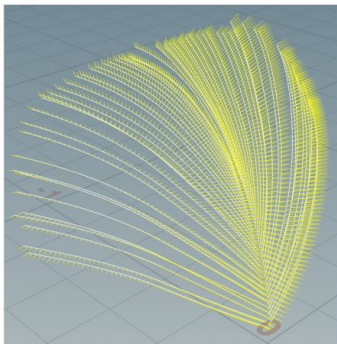
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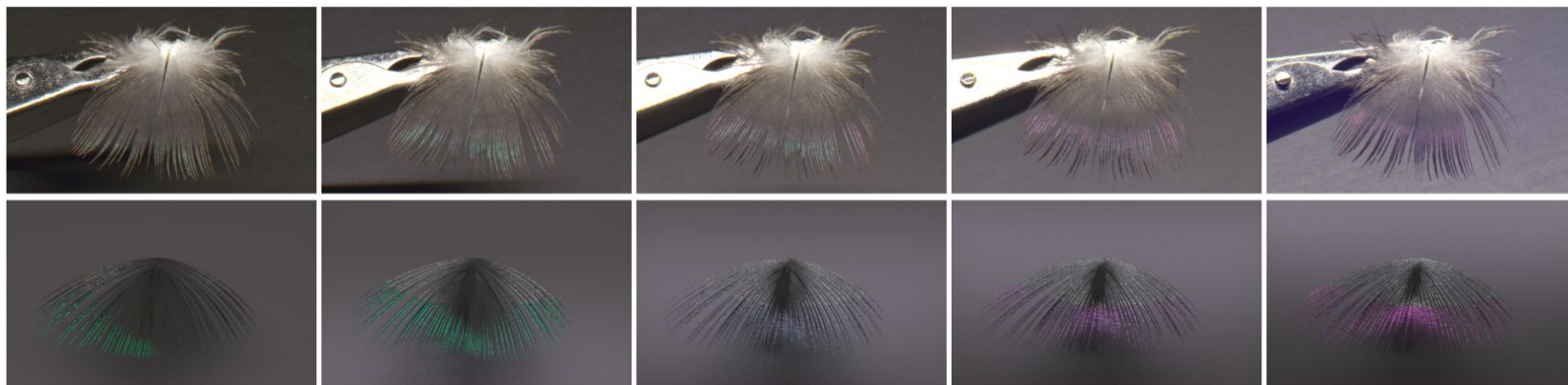
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# Résultats



Houdini



# Résultats





# Conclusion

