

Quant Finance 101

CHICAGO QUANT CLUB

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```

import numpy as np

def mySettings():
    settings={}
    settings['markets'] = ['CASH', 'F_AD', 'F_BO', 'F_BP', 'F_C', 'F_CC', 'F_CD', 'F_CL',
        'F_CT', 'F_DX', 'F_EC', 'F_ED', 'F_ES', 'F_FC', 'F_FV', 'F_GC', 'F_HG', 'F_HO', 'F_JY',
        'F_KC', 'F_LB', 'F_LC', 'F_LN', 'F_MD', 'F_MP', 'F_NG', 'F_NQ', 'F_NR', 'F_O', 'F_OJ', 'F_PA',
        'F_PL', 'F_RB', 'F_RU', 'F_S', 'F_SB', 'F_SF', 'F_SI', 'F_SM', 'F_TU', 'F_TY', 'F_US', 'F_W',
        'F_XX', 'F_YM']
    settings['slippage'] = 0.05
    settings['budget'] = 1000000
    settings['lookback'] = 504
    return settings

def myTradingSystem(DATE, OPEN, HIGH, LOW, CLOSE, settings):
    rsi1 = RSI(CLOSE,100)
    rsi2 = RSI(CLOSE,500)
    p = ((rsi1 - 50) + (rsi2 - 50)) / 2
    p[p < 0] = p[p < 0] / 2
    p[np.isinf(p)]=0
    return p, settings

def RSI(CLOSE,period):
    closeMom = CLOSE[1:,:] - CLOSE[:-1,:]
    up = closeMom >= 0
    down = closeMom < 0
    out = 100 - 100 / (1 + (np.mean(up[-(period+1):,:],axis=0) / np.mean(down[-(period+1):,:],axis=0)))
    return out

```

21 Lines of Code

manage

\$25 Million



This Is Quantitative Finance



Trading Algorithms
developed by scientists

+



High-net-worth individuals
and Institutional Investors

\$300 Billion Industry
Quantitative Hedge Funds

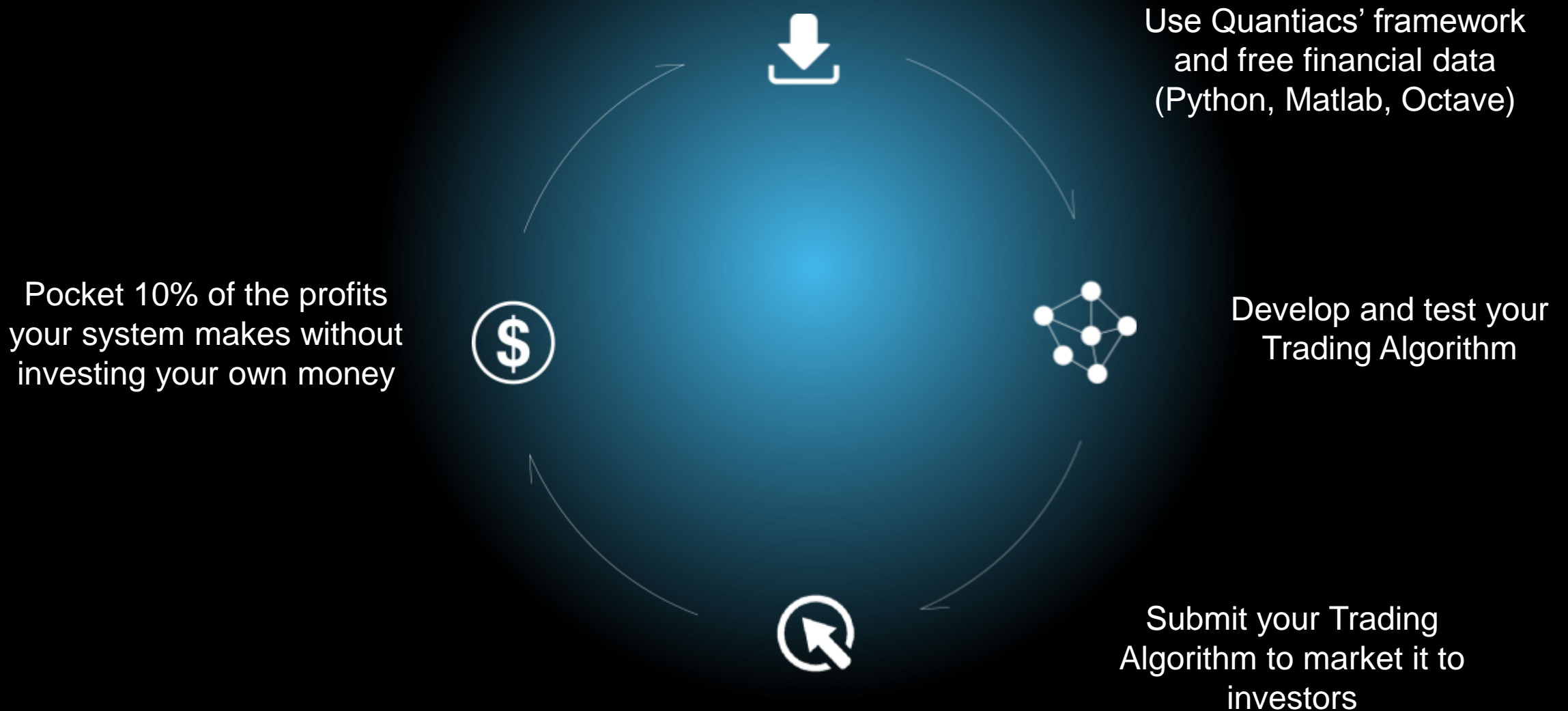
What We Do



We connect user generated quantitative trading systems with capital from institutional investors. Our users pocket 10% of the profits without investing their own money.

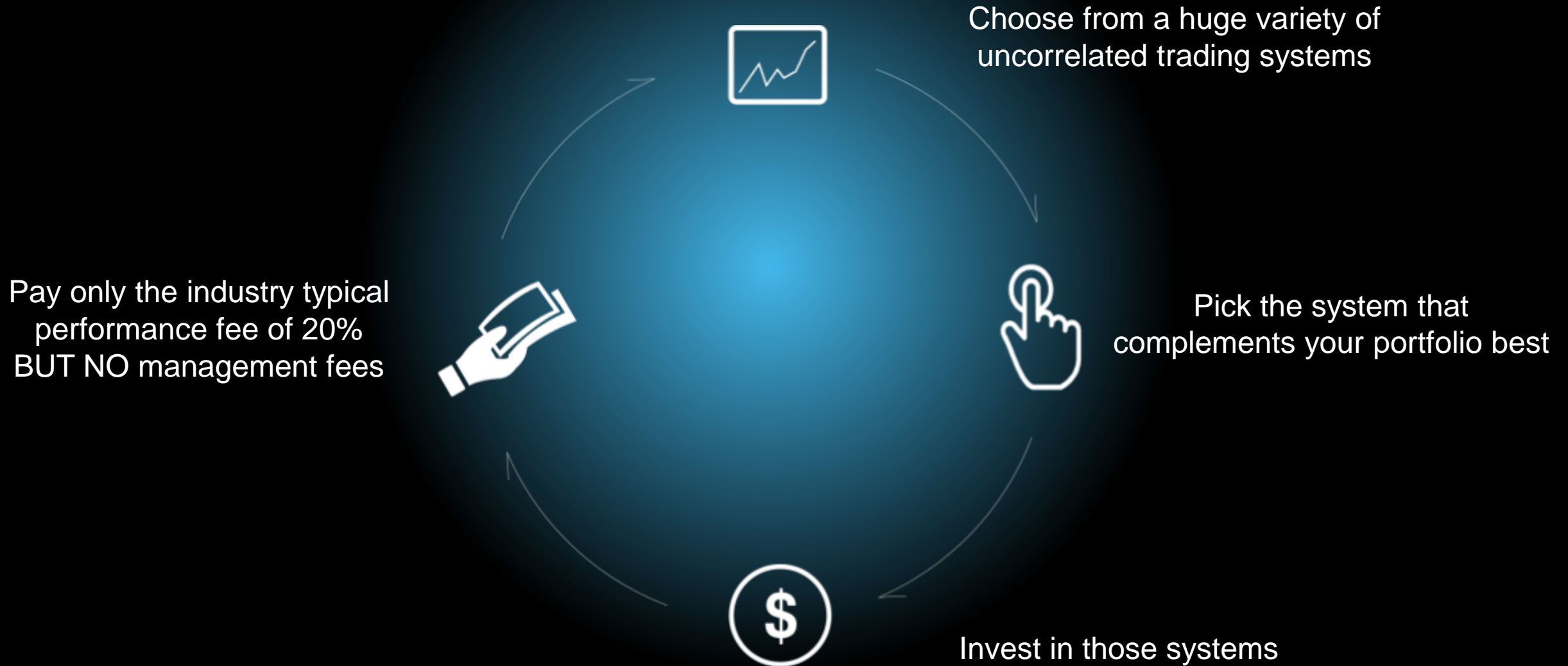
How It Works For Quants

7



How It Works For Investors

8



Agenda

- 7:15** Introduction
- ▶ Quantiacs Toolbox
 - ▶ Concepts of quantitative trading
- 8:00** From 0 to system
- ▶ Evaluation – how good is a system
 - ▶ Best practice and pitfalls
- 8:45** Q&A

The Toolbox

A framework to develop and test quantitative trading strategies

- ▶ In two languages with the same functionality: Matlab/Octave and Python
- ▶ It supports the full arsenal of both languages
- ▶ Free and open source
- ▶ Tweak it, adapt it to your needs and use it in any way you want
- ▶ Perform standardized backtests to make results comparable

We have built it for you, please let us know what you're missing



Trading System

A trading system is a Matlab/Octave or Python function with a specific template

function [p, settings] = tradingsystem(DATE, OPEN, HIGH, LOW, CLOSE, settings)

The arguments can be selected

DATE ... vector of dates in the format YYYYMMDD

OPEN, HIGH, LOW, CLOSE ... matrices with a column per market and a row per day.

settings ... struct with the settings of the simulation

The return values need to be

p ... allocation of the available capital to the markets

settings ... struct with the settings of the simulation

Settings

Use settings to define

- ▶ What markets do you want to trade?
- ▶ How much data do you need for your trading system?
- ▶ Do you want to save some of the data for an out of sample test?
- ▶ What is your transaction cost assumption (a.k.a. slippage & comission)?

Settings – Matlab/Octave code

Code

```
settings.markets = {'CASH', 'F_ES', 'F_SI', 'F_YM'};  
settings.slippage = 0.05;  
settings.budget = 1000000;  
settings.samplebegin = 19900101;  
settings.sampleend = 20161231;  
settings.lookback = 504;
```

Settings – Python code

Code

```
def mySettings():  
    settings[markets] = ['CASH', 'F_ES', 'F_SI', 'F_YM'  
    ]  
    settings['slippage'] = 0.05  
    settings['budget'] = 1000000  
    settings['samplebegin'] = '19900101'  
    settings['sampleend'] = '20161231'  
    settings['lookback'] = 504
```

Backtest mechanics

Your TS is called for each (trading) day of the specified backtesting period with the most recent market data as input, and it computes a percent allocation p for the next trading day as output.

The arguments are data matrices of size $[n\text{Markets} \times \text{settings.lookback}]$ with the most recent market data available at time t . The oldest market data is in row 1, the most recent in the last row of the data matrix.

You can use the full arsenal of Matlab/Octave and Python to compute the positions for the next period.

$p > 0$... a long position

$p < 0$... a short position

$p = 0$... no position

Concepts of quantitative trading

Some quantitative trading concepts and styles:

- ▶ **Technical analysis**
- ▶ Fundamental analysis
- ▶ Sentiment analysis
- ▶ News
- ▶ Market mechanics

Technical Analysis

Methodology for forecasting the direction of prices through the study of past market data, primarily price and volume

TA uses market indicators of many sorts, most of which are mathematical transformations of price

Core beliefs

- ▶ A fundamental principle of TA is that a market's price reflects all relevant information
- ▶ Technical analysts believe that investors collectively repeat the behavior of the investors that preceded

RSI – Relative Strength index

Formula

$$closeMom(t) = CLOSE(t) - CLOSE(t - 1)$$

$$up(t) = \begin{cases} 1 & \dots & \text{if } closeMom(t) \geq 0 \\ 0 & \dots & \text{otherwise} \end{cases}$$

$$down(t) = \begin{cases} 1 & \dots & \text{if } closeMom(t) < 0 \\ 0 & \dots & \text{otherwise} \end{cases}$$

$$meanUp(t, period) = \frac{1}{period} \sum_{i=t-period+1}^{i=t} up(i)$$

$$meanDown(t, period) = \frac{1}{period} \sum_{i=t-period+1}^{i=t} down(i)$$

$$RSI(t, period) = 100 - \frac{100}{1 + \frac{meanUp(t, period)}{meanDown(t, period)}}$$

t ... index of the trading day $period$... number of days to compute the RSI

RSI plot



Created with TradingStation

How good is a trading system?

There is no universal number that tells you everything about a trading system

There are a lot of things to consider like

- ▶ Performance
- ▶ Volatility
- ▶ Alpha
- ▶ Drawdowns
- ▶ Correlations

Sharpe Ratio

The Sharpe Ratio is a popular performance to volatility ratio. The Formula:

$$returns_i = \frac{e_i - e_{i-1}}{e_{i-1}}$$

$$i = \{2, 3, \dots, t\}, \quad t = \text{number of trading days}$$

e is the portfolio equity curve of the Tradingsystem

$$volaYearly = \sqrt{252} * std(returns);$$

$$index_i = \prod_{i=2}^t (1 + returns_i)$$

$$returnDaily = e^{\frac{\ln(index_t)}{t}}$$

$$returnYearly = returnDaily^{252} - 1$$

$$SharpeRatio = \frac{returnYearly}{volaYearly}$$

Good practice and pitfalls

Overfitting is the natural enemy of quantitative trading

- ▶ It's easy to fit the known past with enough parameters. Limit the number of your parameters.
- ▶ Stability. How does your model react when you change some of the Parameters by 10%
- ▶ Save some of the data for an out of sample test

Q&A

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\$ 1,000,000

\$ 750,000

\$ 500,000

and you get to pocket 10% of the profits.

<https://quantiacs.com/q4>

