

Numerical

Python

Julia

Statistics



Julia cheatsheet

Variables

Vectors and Matrices

Mathematical Functions

Programming

Variables

Here are a few examples of basic kinds of variables we might be interested in creating.

Command Description

Loading [MathJax]/jax/output/HTML-CSS/jax.js

Create PDF in your applications with the Pdfcrowd HTML to PDF API

PDFCROWE

Command	Description
A = 4.1 B = [1, 2, 3] C = [1.1 2.2 3.3] D = [1 2 3]' E = [1 2; 3 4]	How to create a scalar, a vector, or a matrix . Here, each example will result in a slightly different form of output. A is a scalar, B is a flat array with 3 elements, C is a 1 by 3 vector, D is a 3 by 1 vector, and E is a 2 by 2 matrix.
s = "This is a string"	A string variable
x = true	A Boolean variable

Vectors and Matrices

These are a few kinds of special vectors/matrices we can create and some things we can do with them.

Command	Description
A = zeros(m, n)	Creates a matrix of all zeros of size m by n. We can also do the following:
	A = zeros(B)
	which will create a matrix of all zeros with the same dimensions as matrix or vector B.
ng [MathJax]/jax/output/HTML-C	SS/jax.js

Command	
A = ones(m,	n)
A = eye(n)	

Description

Creates a matrix of all ones of size m by n. We can also do the following:

$$A = ones(B)$$

which will create a matrix of all ones with the same dimensions as matrix or vector B.

$$A = eye(n)$$

Creates an n by n identity matrix. For example, eye(3) will return

$$\begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix}$$

A = j:k:n

This will create a **sequence** starting at j, ending at n, with difference k between points. For example, A = 2:4:10 will create the sequence 2, 6, 10 To convert the output to an array, use collect(A).

A = linspace(j, n, m)

This will create a **sequence** of m points starting at j, ending at n. For example, A = linspace(2, 10, 3) will create the sequence 2.0, 6.0, 10.0. To convert the output to an array, use collect(A).

Description Command Creates a diagonal matrix using the elements in x. For example if x = [1, 2, 3], A = diagm(x)diagm(x) will return $\begin{pmatrix} 1 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 3 \end{pmatrix}$ Creates an m by n matrix of random numbers drawn from a uniform distribution on [0, 1]. A = rand(m, n)Alternatively, rand can be used to draw random elements from a set X. For example, if X = [1, 2, 3], rand(X) will return either 1, 2, or 3. Creates an m by n matrix of random numbers drawn from a standard normal distribution. A = randn(m, n)This is the general syntax for **accessing elements** of an array or matrix, where m and n are A[m, n]integers. The example here returns the element in the second row and third column. • We can also use ranges (like 1:3) in place of single numbers to extract multiple rows or columns • A colon, : , by itself indicates all rows or columns • The word end can also be used to indicate the last row or column

Description Command Returns the number of rows and columns in a matrix. Alternatively, we can do nrow, ncol = size(A)nrow = size(A, 1)and ncol = size(A, 2)This function returns a vector of the **diagonal elements** of A (i.e., A[1, 1], A[2, 2], etc...). diag(A) Horizontally concatenates two matrices or vectors. The example here would return A = hcat([1 2], [3 4]) $\begin{pmatrix} 1 & 2 & 3 & 4 \end{pmatrix}$ An alternative syntax is: $A = [[1 \ 2] \ [3 \ 4]]$ For either of these commands to work, both matrices or vectors must have the same number of rows.

Command

Description

 $A = vcat([1 \ 2], [3 \ 4])$

Vertically concatenates two matrices or vectors. The example here would return

$$\begin{pmatrix} 1 & 2 \\ 3 & 4 \end{pmatrix}$$

An alternative syntax is:

$$A = [[1 \ 2]; [3 \ 4]]$$

For either of these commands to work, both matrices or vectors must have the same number of columns.

Command	Description
A = reshape(a, m, n)	Reshapes matrix or vector a into a new matrix or vector, A with m rows and n columns. For example A = reshape(1:10, 5, 2) would return
	$\begin{pmatrix} 1 & 6 \\ 2 & 7 \\ 3 & 8 \\ 4 & 9 \\ 5 & 10 \end{pmatrix}$
	For this to work, the number of elements in $\begin{bmatrix} a \end{bmatrix}$ (number of rows times number of columns) must equal $\begin{bmatrix} m & * & n \end{bmatrix}$.
A[:]	Converts matrix A to a vector. For example, if A = [1 2; 3 4], then A[:] will return
	$\begin{pmatrix} 1 \\ 2 \\ 3 \\ 4 \end{pmatrix}$

ommand	Description
flipdim(A, d)	Reverses the vector or matrix A along dimension d. For example, if A = [1 2 3; 4 5 6],
	flipdim(A, 1)}, will reverse the rows of A and return
	$\begin{pmatrix} 4 & 5 & 6 \\ 1 & 2 & 3 \end{pmatrix}$
	flipdim(A, 2) will reverse the columns of A and return
	$\begin{pmatrix} 3 & 2 & 1 \\ 6 & 5 & 4 \end{pmatrix}$
repmat(A, m, n)	Repeats matrix A, m times in the row direction and n in the column direction. For example, if
,,	A = [1 2; 3 4], repmat(A, 2, 3) will return
	$\begin{pmatrix} 1 & 2 & 1 & 2 & 1 & 2 \\ 2 & 4 & 2 & 4 & 2 & 4 \end{pmatrix}$
	$\begin{pmatrix} 1 & 2 & 1 & 2 & 1 & 2 \\ 3 & 4 & 3 & 4 & 3 & 4 \\ 1 & 2 & 1 & 2 & 1 & 2 \\ 3 & 4 & 3 & 4 & 3 & 4 \end{pmatrix}$
	3 4 3 4 3 4

Mathematical Functions

Here, we cover some useful functions for doing math.

Command	Description
5 + 2 5 - 2 5 * 2 5 / 2 5 ^ 2 5 % 2	Scalar arithmetic operations: addition, subtraction, multiplication, division, power, remainder.
A + B A - B A .* B A ./ B A .^ B A .% B	Element-by-element operations on matrices. This syntax applies the operation element-wise to corresponding elements of the matrices.
A * B	When A and B are matrices, * will perform matrix multiplication , as long as the number of columns in A is the same as the number of columns in B.
dot(A, B)	This function returns the dot product/inner product of the two vectors A and B. The two vectors need to be dimensionless or column vectors.

Command	Description
A. '	This syntax returns the transpose of the matrix A (i.e., reverses the dimensions of A).
	For example if
	$A = \begin{pmatrix} 1 & 2 \\ 3 & 4 \end{pmatrix}$
	then A.' returns
	$\begin{pmatrix} 1 & 3 \\ 2 & 4 \end{pmatrix}$
	If A contains complex numbers
	$A = \begin{pmatrix} 1 - 1i & 2 + 1i \\ 3 - 2i & 4 + 2i \end{pmatrix}$
	then A.' returns
	$\begin{pmatrix} 1-1i & 3-2i \\ 2+1i & 4+2i \end{pmatrix}$

Command	Description
A '	This syntax returns the complex conjugate transpose of the matrix A.
	For example if A is a real matrix
	$A = \begin{pmatrix} 1 & 2 \\ 3 & 4 \end{pmatrix}$
	then A' returns
	$\begin{pmatrix} 1 & 3 \\ 2 & 4 \end{pmatrix}$
	If A contains complex numbers
	$A = \begin{pmatrix} 1 - 1i & 2 + 1i \\ 3 - 2i & 4 + 2i \end{pmatrix}$
	then A' returns
	$\begin{pmatrix} 1+1i & 3+2i \\ 2-1i & 4-2i \end{pmatrix}$

Command	Description
<pre>sum(A) maximum(A) minimum(A)</pre>	These functions compute the sum, maximum, and minimum elements, respectively, in matrix or vector A. We can also add an additional argument for the dimension to compute the sum/maximum/minumum across. For example sum(A, 2) will compute the row sums of A and maximum(A, 1) will compute the maxima of eachcolumn of A.
inv(A)	This function returns the inverse of the matrix A . Alternatively, we can do:
	A ^ (-1)
det(A)	This function returns the determinant of the matrix A.
val, vec = eig(A)	Returns the eigenvalues (val) and eigenvectors (vec) of matrix A. In the output, val[i] is the eigenvalue corresponding to eigenvector val[:, i].
norm(A)	Returns the Euclidean norm of matrix or vector A. We can also provide an argument p, like so:
	norm(A, p)
	which will compute the p norm (the default p is 2). If A is a matrix, valid values of p are 1, 2 and Inf.
A \ b	If A is square, this syntax solves the linear system $Ax = b$. Therefore, it returns x such that A * x = b. If A is rectangular, it solves for the least-squares solution to the problem.

Programming

The following are useful basics for Julia programming.

One line comment #= Comment block =# for i in iterable

Description

Two ways to make **comments**. Comments are useful for annotating code and explaining what it does. The first example limits your comment to one line and the second example allows the comments to span multiple lines between the #= and =#.

```
for i in iterable
    # do something
end
```

A **for loop** is used to perform a sequence of commands for each element in an iterable object, such as an array. For example, the following for loop fills the vector 1 with the squares of the integers from 1 to 3:

Command

Description

while i <= N
 # do something
end</pre>

A **while loop** performs a sequence of commands as long as some condition is true. For example, the following while loop achieves the same result as the for loop above

```
N = 3
l = zeros(N, 1)
i = 1
while i <= N
    l[i] = i ^ 2
    i = i + 1
end</pre>
```

Command

Description

if i <= N
 # do something
else
 # do something else
end</pre>

An **if/else statement** performs commands if a condition is met. For example, the following squares x if x is 5, and cubes it otherwise:

```
if x == 5
    x = x ^ 2
else
    x = x ^ 3
end
```

We can also just have an if statement on its own, in which case it would square x if x is 5, and do nothing otherwise.

```
if x == 5
    x = x ^ 2
end
```

Command **Description** These are two ways to define **functions**. Both examples here define equivalent functions. fun(x, y) = 5 * x + yfunction fun(x, y) The first method is for defining a function on one line. The name of the function is fun and it takes ret = 5 * xtwo inputs, x and y, which are specified between the parentheses. The code after the equals sign return ret + y tells Julia what the output of the function is. end The second method is used to create functions of more than one line. The name of the function, fun , is specified right after function , and like the one-line version, has its arguments in parentheses. The return statement specifies the output of the function. How to **print** to screen. We can also print the values of variables to screen: println("Hello world") println("The value of x is \$(x).")

Credits

This cheat sheet was created by Victoria Gregory, Andrij Stachurski, Natasha Watkins and other collaborators on behalf of QuantEcon.

© Copyright 2017 QuantEcon

Created using Sphinx 1.6.6. Hosted with AWS.