

(Various Searching)

AI (2022)

* Difference

uninformed (blind)

- i) Search without information.
- ii) time Consuming.
- iii) more Complexity
- iv) DFS, BFS
- v) No knowledge

Informed / heuristic

- i) Search with information.
- ii) Quick Solution.
- iii) less Complexity.
- iv) A*, best first Search
- v) use knowledge to find.

Search Strategies evaluate in terms four Criteria.

1. completeness - solution find out ~~infinite~~ to find solution.
2. Time complexity - how long does it take to find solution.
3. Space complexity - how much memory does it need to perform.
4. optimality - If finds the highest quality solution.
when there are several different solution.

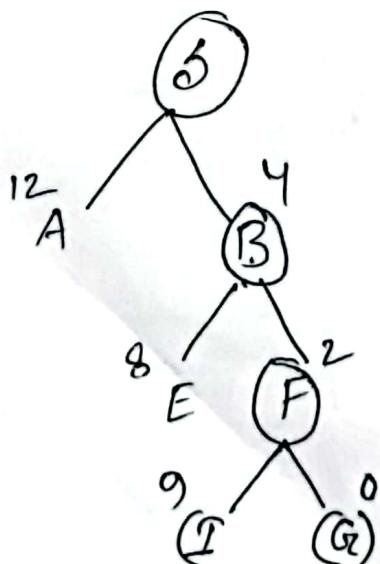
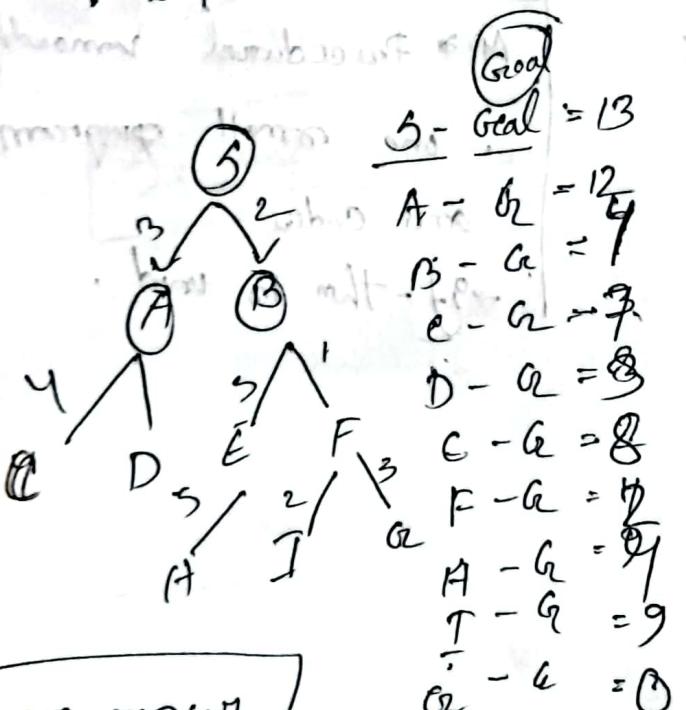
use only heuristic function

Best First Search (Greedy)

use only heuristic function:

$h(n)$ = cost from node n to goal.

implemented by priority queue.



- Initialization: open $[A, B]$, closed $\{\}$
- Iteration 1: open $[A]$, closed $[A]$
- Iteration 2: open $[A]$, closed $[S, B]$
open $[E, A]$, closed $[B, B]$
- Iteration 3: open $[I, E, A]$ closed $[S, B, F]$
open $[I, E, A]$ closed $[B, B, F]$
- For next move or (closed) \Rightarrow $I \rightarrow$ goal

Path: $S \rightarrow B \rightarrow F \rightarrow G$

Complexity $O(b^d)$

Uniform Cost Search . 2017 blind search

8 puzzle problem without heuristic

n କେତେ ଟିକୁ 8 ହେ ତେଣା $\sqrt{8+1} = 3$ (3x3) Matrix
" 15 " " $\sqrt{15+1} = 4$ (4x4) "

Moves - up, down, left, right

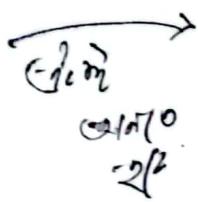
0	x	0
x	0	x
0	x	0

$$\begin{aligned} \downarrow &= 4^{\text{th}} \Rightarrow 16 \\ 0 &= 2 " \\ x &= 3 " \end{aligned}$$

Q_u

5

1	2	3
4	6	
7	5	8



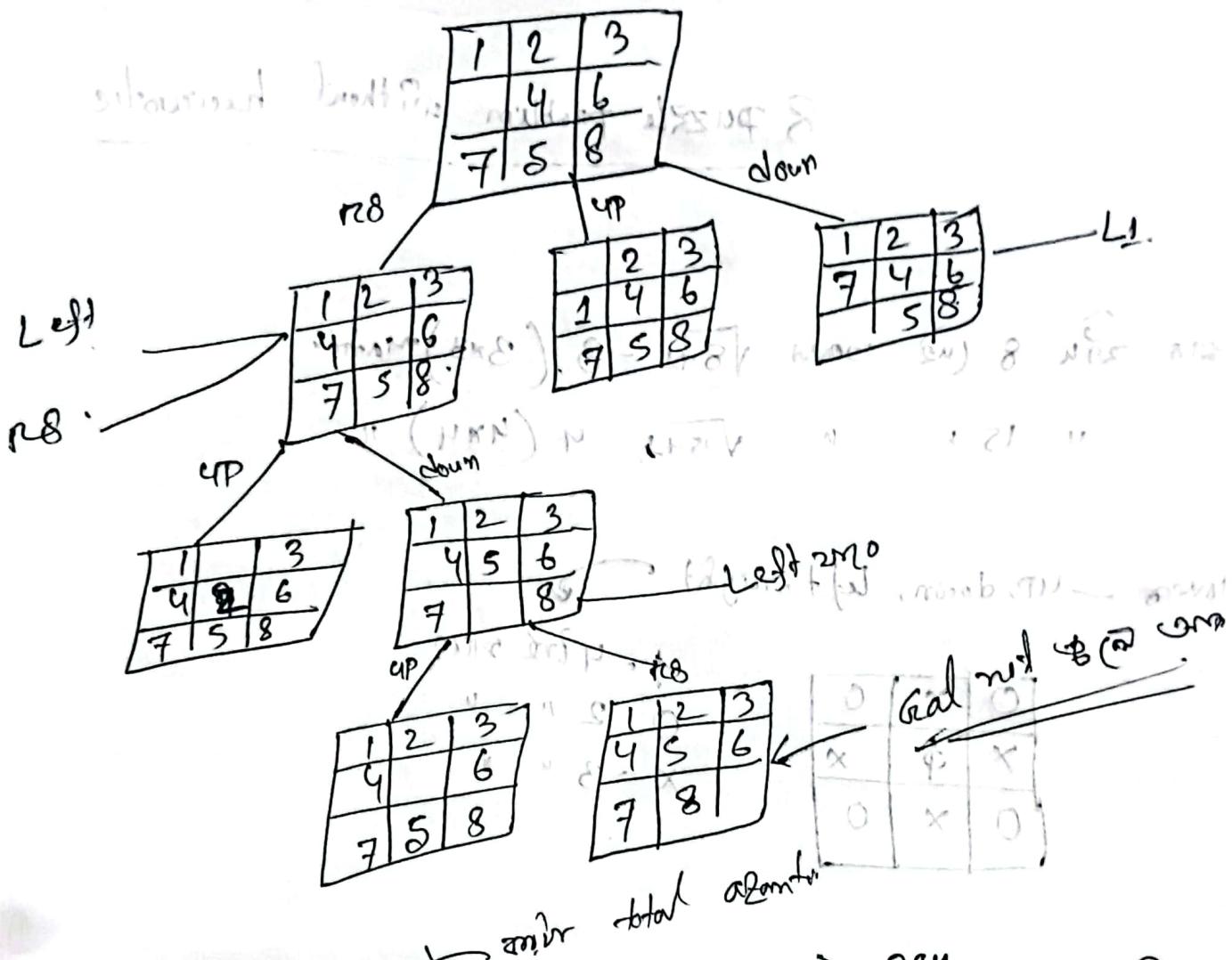
1	2	3
4	5	6
7	8	

and 8 for move

possible

mark build after Agg 3 (in) profit(s)

BPS ~~and~~ 10



Complexity $O\left(\frac{a^b}{b}\right)$ mark atoms and $\frac{241}{9} = 26 \circledcirc 3$

$$O\left(\frac{20}{3}\right)$$

8 puzzle problem with heuristic

5

1	2	3
4	5	6
7	8	8

G₂

1	2	3
4	5	6
7	8	8

heuristic value

$$h = (1 + 0 + 1) = 3 \quad (3 \rightarrow \text{Goal node})$$

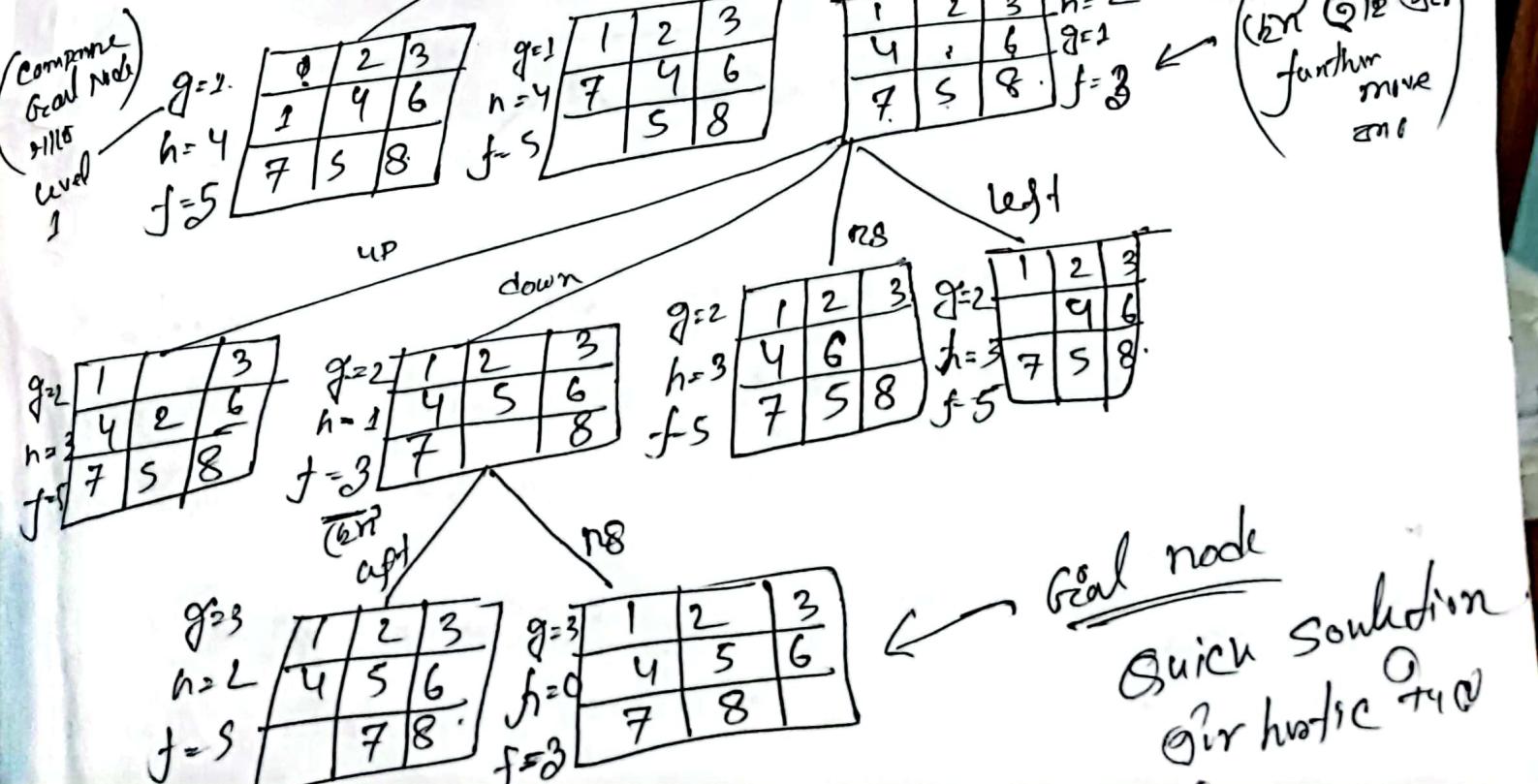
(4, 5, 8)

or value of G₂ and h

$$h = 0 \text{ or } 2$$

$$\text{Cost} f = f = (G_2 + h)$$

Goal
1 2 3
4 5 6
7 8



Huristic Search

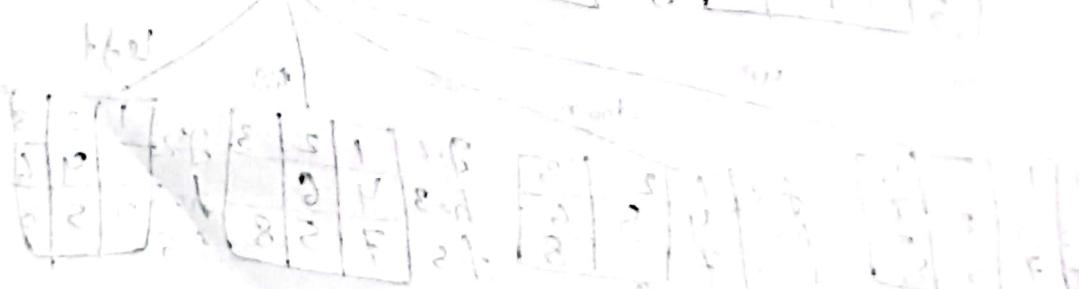
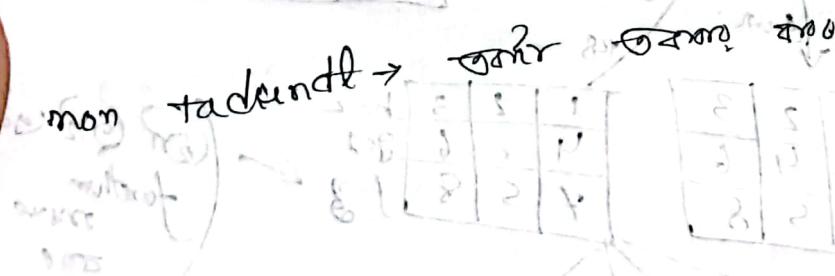
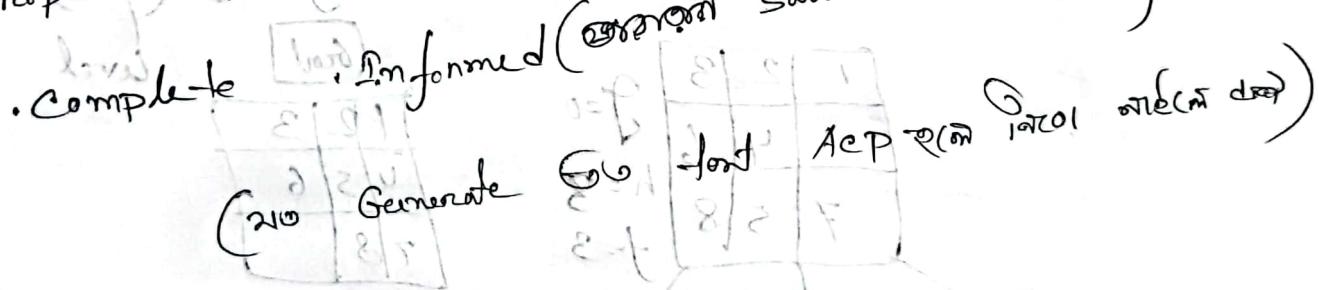
State space search

Generate and Test Search

heuristic, DFS with backtracking.

1. Generate a possible solution
2. Test to see if this is an actual solution
3. If not, otherwise go to step 1

Properties of good generation



shortest path

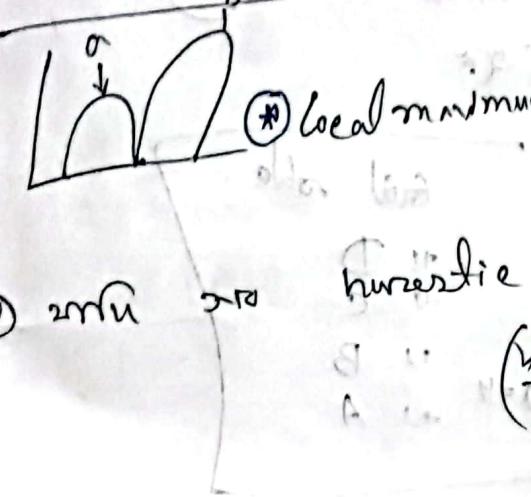
Hill climbing

* better state में विराम, ब्रह्मणि इति

Example (8 puzzle), traveling salesman

(Local Search) - blind
- 200-

problems of hill climbing



hurlestie same time goes And - into at
 (best move) (flat maximum)
 (more than one)

~~•~~ . Limitations of hill climbing

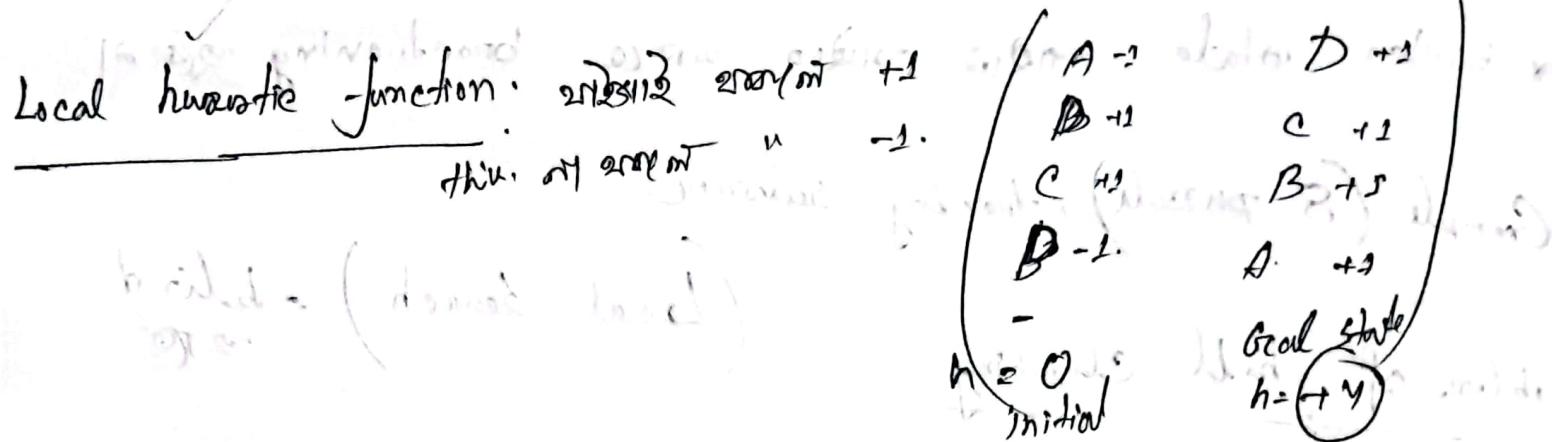
Local Maxima

Plateaus = \therefore a flat area of the search space in which whole set of neighbouring nodes have the same $f(x)$ value. (And $f(x)$ being constant)

Ridge = ~~mt~~ in an area of the search space that is higher than the surrounding areas and (if it isn't) has a slope

* Hill climbing (blocks world problem)

(backtracking - 20)



Maximization problem $\Rightarrow 0 \Rightarrow 4$

* Initial state:

$h=0$

- $\rightarrow A$
- $\rightarrow D$
- $\rightarrow C$
- $\rightarrow B$

Heuristic value: $h=2$

Goal state field: A

So $A \rightarrow D$ is best move

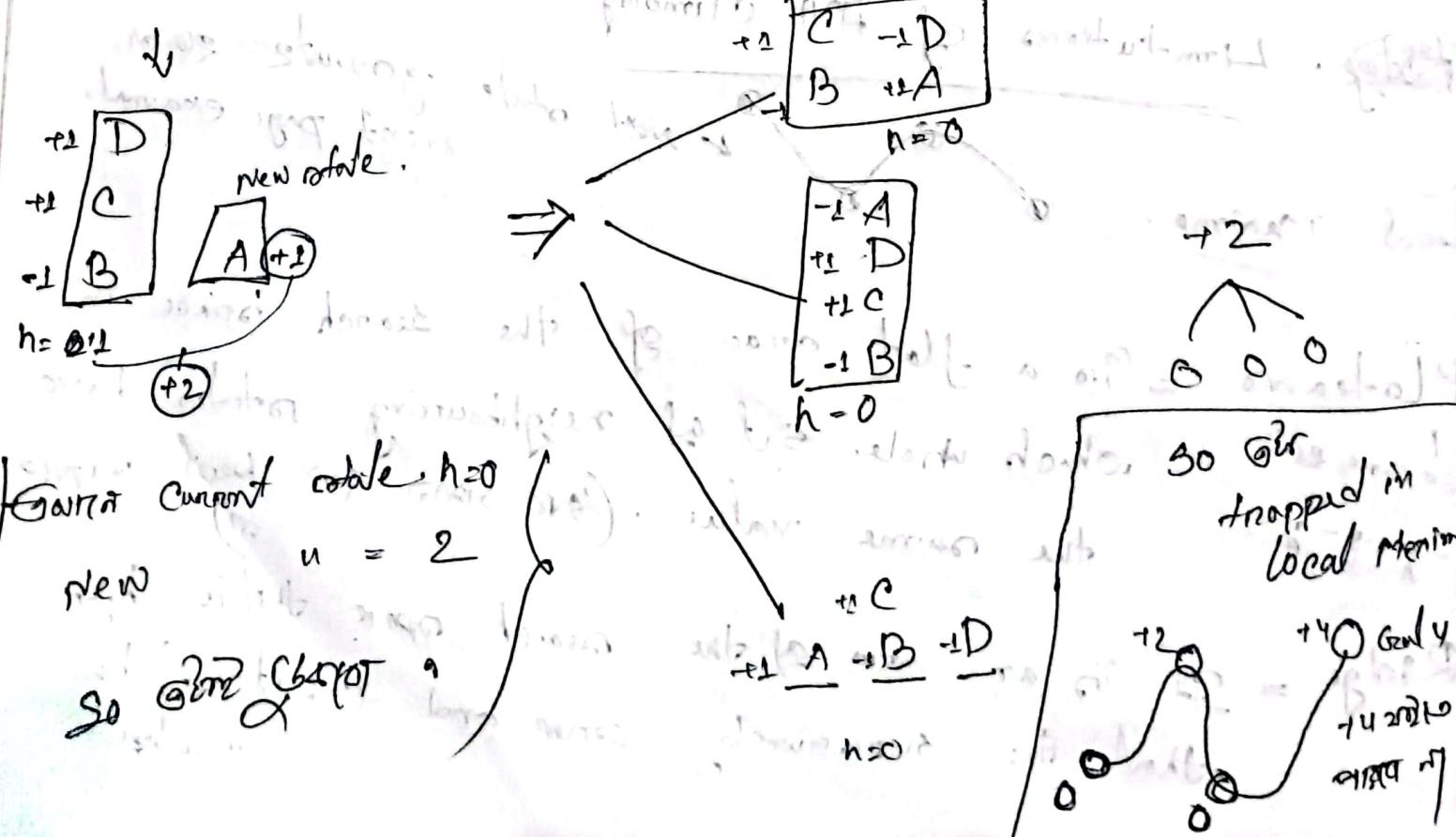
so? $A \rightarrow D$ is best move

so? $A \rightarrow D$ is best move

Goal state:

- $\rightarrow D$
- $\rightarrow C$
- $\rightarrow B$
- $\rightarrow A$

* Best order block manipulation



Global heuristic function \rightarrow ~~मात्रा के लिए जब फैसले करने की मद्दत~~
 all program \rightarrow ~~प्रोग्राम के लिए फैसले करने की मद्दत~~

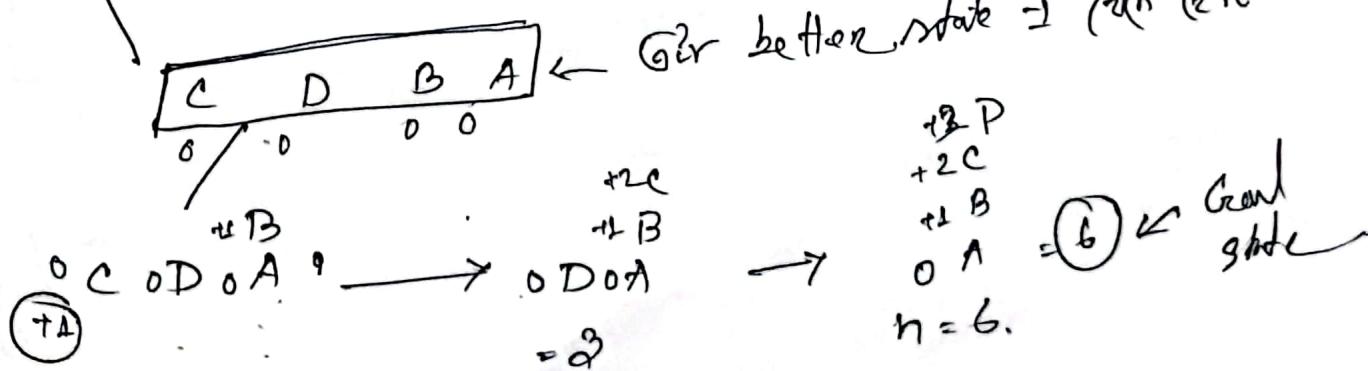
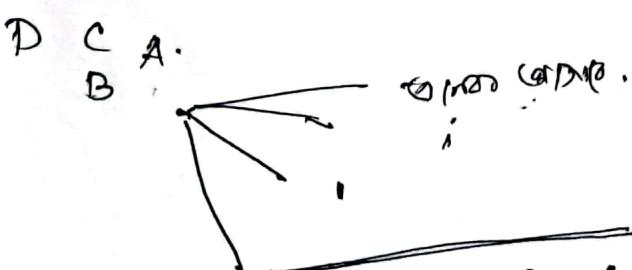
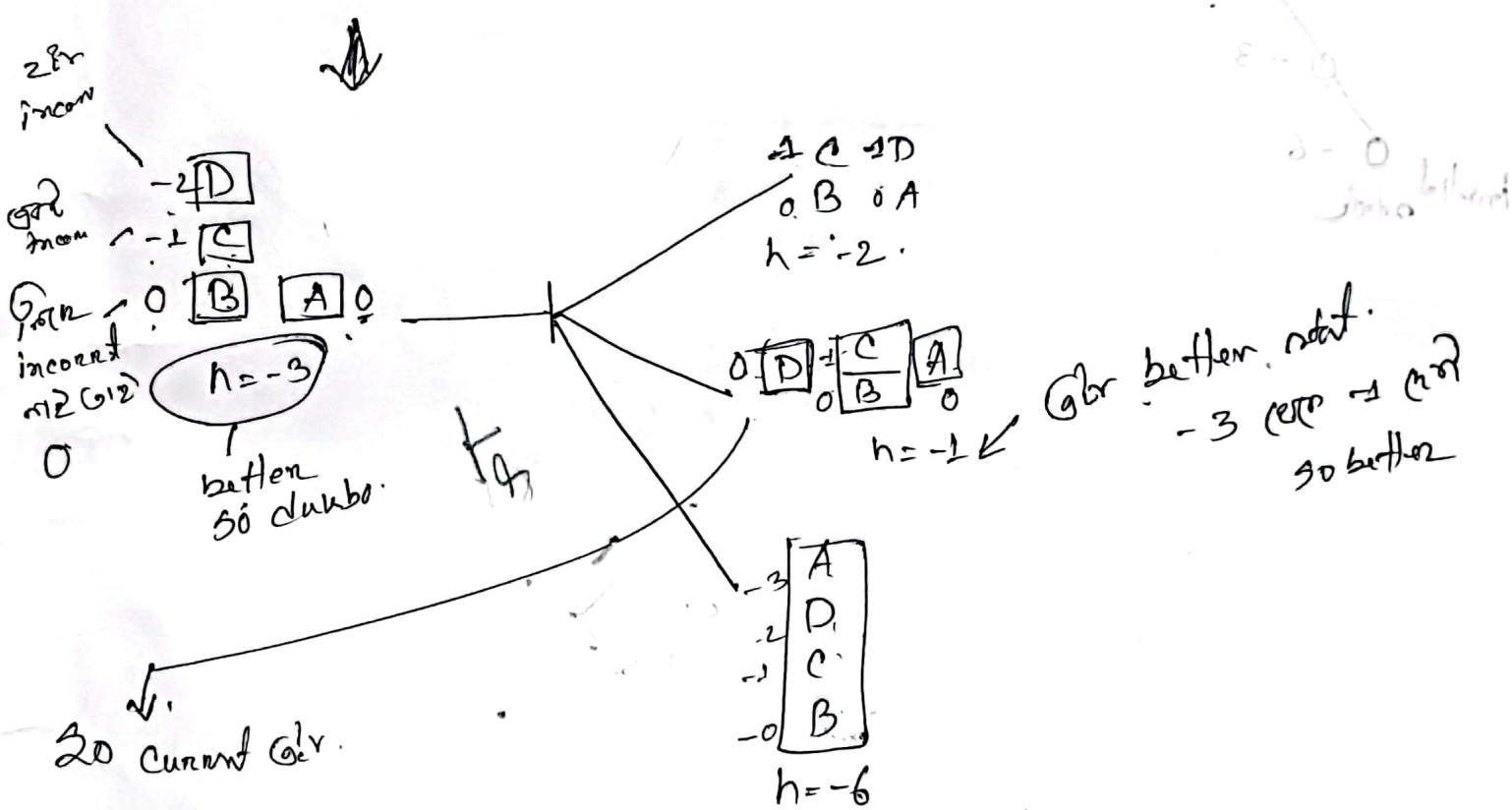
-3 A
-2 D
-1 C
0 B

(maximization problem)
 $(-6 \Rightarrow +6)$

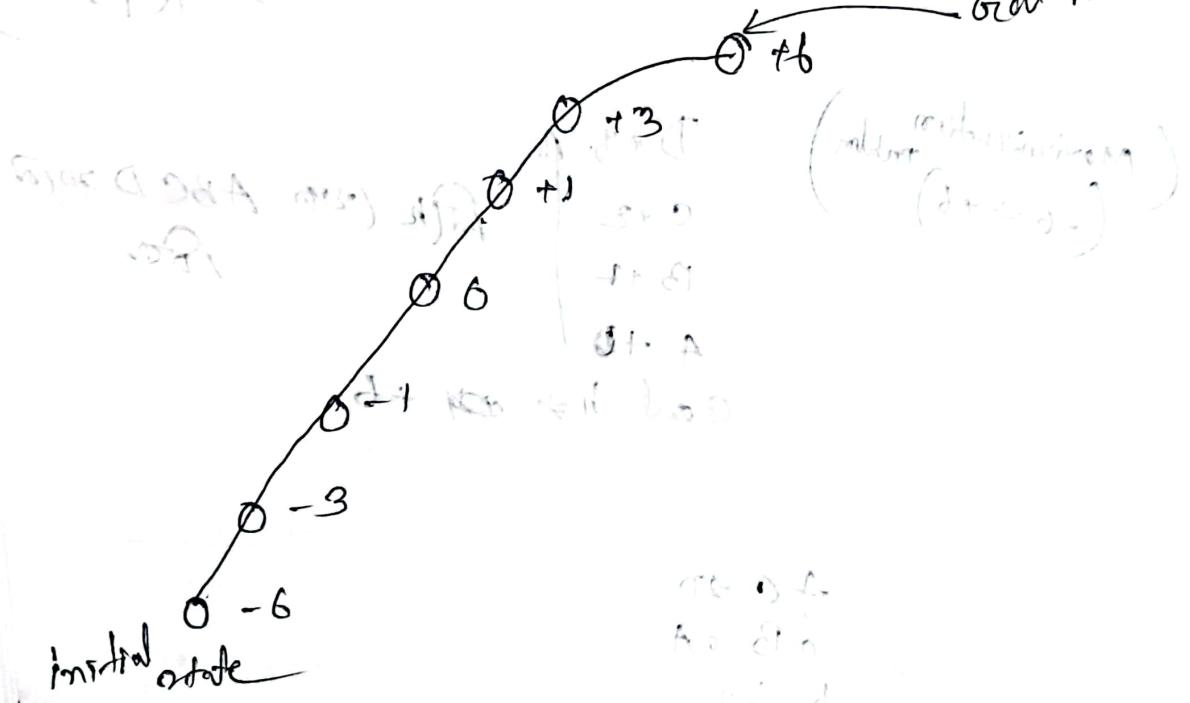
Initial $h = -6$

D + B. ↑
C + 2
B + 1
A + 0

Final $h = +6$.



Hill climbing (using DF's) state space tree for informed heuristics



for the next step



values

stack

A* Search Algorithm

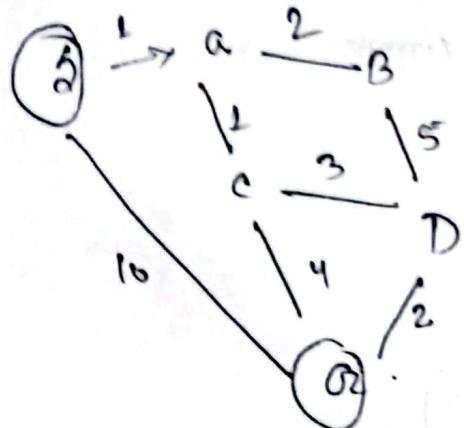
With Gradiant search method

$$f(n) = g(n) + h(n)$$

↓
cost to
reach node
n from start

↓
and to reach goal from
node n

f denotes
number



n	$h(n)$
S	5
A	3
B	4
C	2
D	6
a	0 ← expands

Ques

$$\text{Q} f(S) = g(S) + h(S)$$

$$= 0 + 5 = 5$$

$$\begin{aligned} S \rightarrow A & \\ f(A) &= g(A) + h(A) \\ &= 1 + 3 \\ &= 4 \end{aligned}$$

$$\begin{aligned} S \rightarrow C & \\ f(C) &= g(C) + h(C) \\ &= 10 + 0 \\ &= 10 \end{aligned}$$

$$S \rightarrow A \rightarrow B$$

$$\begin{aligned} f(B) &= g(B) + h(B) \\ &= (1+2) + 4 \\ &= 7 \end{aligned}$$

$$S \rightarrow A \rightarrow C$$

$$\begin{aligned} f(C) &= g(C) + h(C) \\ &= (1+3) + 2 \\ &= 6 \end{aligned}$$

Minimum after choosing next

$S \rightarrow A \rightarrow C \gg R_{avg}$

Given $R_{avg} = 0.1$ m/s
Latency $C = 2m$

$S \rightarrow A \rightarrow C \rightarrow D$

$$f(S) = g(S) + h(n)$$

$$= (1 + 1 + 3) + 6$$

$$= 11$$

$S \rightarrow A \rightarrow C \rightarrow D$

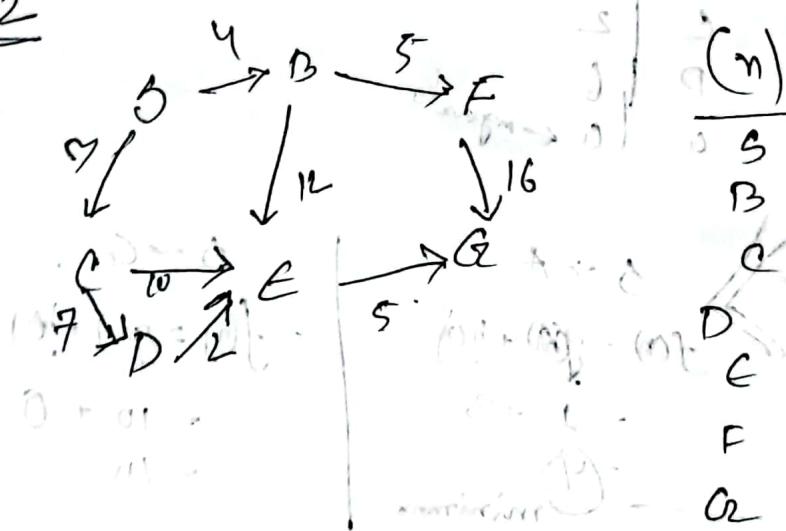
$$f(S) = g(M) + h(n)$$

$$= (A + 1 + 6) + 0$$

= 6 minutes

$S \rightarrow A \rightarrow C \rightarrow R_2$

Ex 2



	(n)	(hn)
S	14	
B	12	
E	11	$\rightarrow (S + B + A) - B$
D	6	$\rightarrow 11 + 12 - 12 = 6$
C	4	$\rightarrow 6 + 10 - 10 = 6$
F	11	$\rightarrow 6 + 12 - 12 = 6$
R2	0	

$S \rightarrow B$

$$4 + 12 = 16$$

$S \rightarrow C$

$$B + 11 = 14$$

$S \rightarrow C \rightarrow D$

$$= (B + 7) + 6$$

$$= 16$$

$S \rightarrow C \rightarrow F$

$$3 + 10 + 4$$

$$= 17$$

$S \rightarrow B = 16$

$S \rightarrow C = 16$

$S \rightarrow F = 16$

2² (avg) same
2² (min) calculate

$$S \rightarrow C \rightarrow D \rightarrow E$$

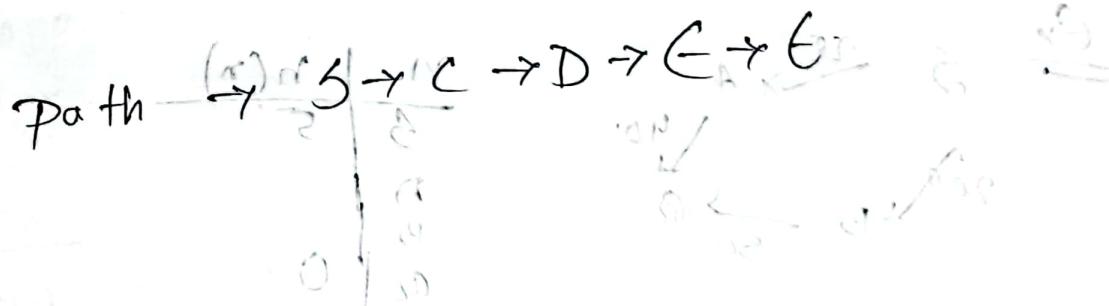
$$(3+7+2) + 4 = 16$$

$S \rightarrow C \rightarrow D \rightarrow E$ is optional.

$$S \rightarrow C \rightarrow D \rightarrow E \rightarrow G_2$$

$$(3+7+2+5)+0 = 17$$

G_2 is optional



$$S \rightarrow B \rightarrow E$$

$$4+12+4 = 20$$

(a) d \geq (b) \Rightarrow minimum Enr

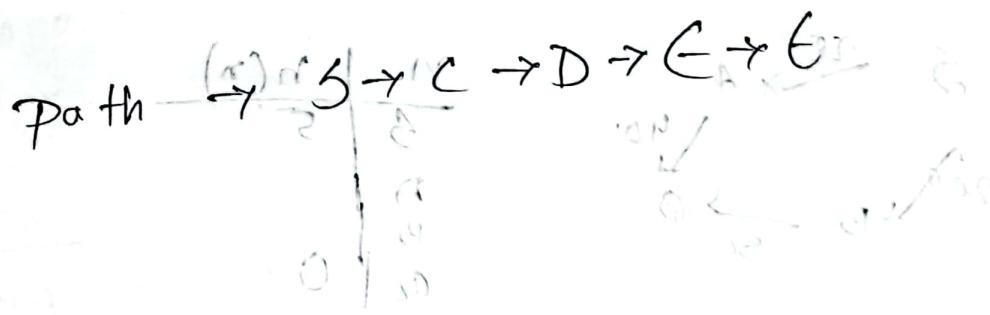
$$= 4+5+11 = 20$$

$$S \rightarrow B \rightarrow F$$

$$= 17$$

Q3(m) Custo1 Q2(m)
for so Enr

(a) d Kmt minimum Enr



D \leftarrow S
D \leftarrow B
D \leftarrow G

Enr \leftarrow S
Enr \leftarrow B
Enr \leftarrow G

A* Admissibility

generate Q_{new}

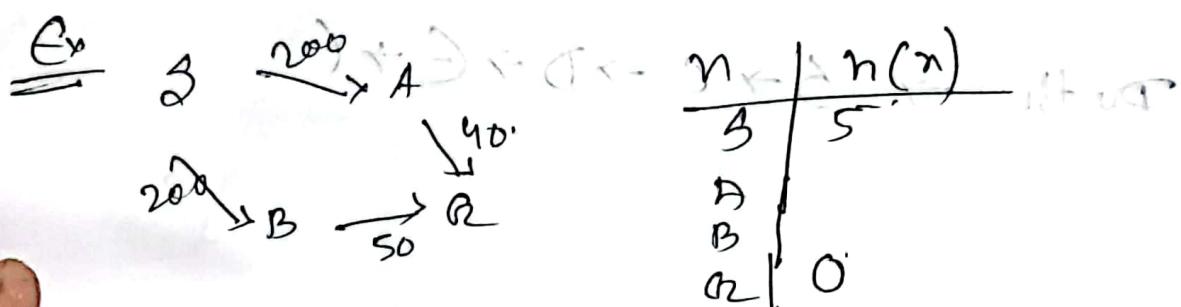
optimal
sol'n from P_{old}

underestimation $h(n) \leq h^*(n)$

(n) Q_{old} (open) \rightarrow Q_{new} (solid)
frontier
out

actual cost

overestimation $h(n) > h^*(n)$



Case 1 overestimation.

$$\text{let } h(A) = 80.$$

$$h(B) = 70$$

$$S \rightarrow A \quad S \rightarrow B$$

$$200 + 80$$

$$200 + 70$$

$$= 270$$

$$280$$

$$\Rightarrow$$

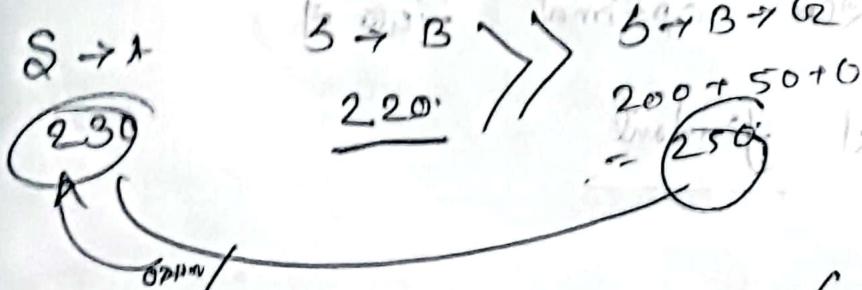
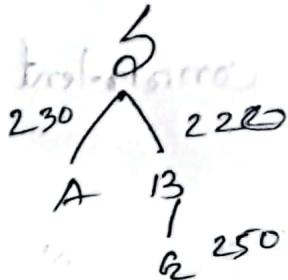
$$S \rightarrow B \rightarrow Q$$

$$200 + 50 + 0$$

250 optimal.

con 2 Underestimation

$$\text{Cost } h(A) = 36 \text{ and } h(B) = 20$$



$$S \rightarrow A \rightarrow G \\ 200 + 40 + 0 \\ - 240 \text{ u}$$

$S \rightarrow A \rightarrow G$ (underestimation from guarantee (a_2))

A* Search always optimal

(i) $h(n) > \text{actual cost}$

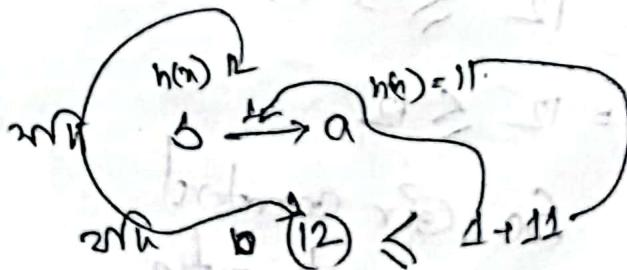
$h(n) = \text{actual cost (best)}$

$h(n) < \text{actual cost}$

$h(n) \leq \text{actual cost}$

$h(n)$ admissible

heuristic



then consistent heuristic

\downarrow optimal soln - 220

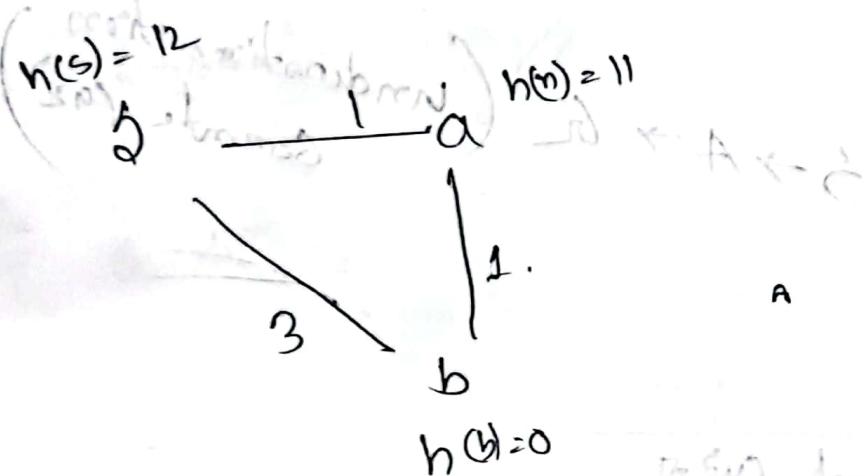
④ Constant - एक of course

additive
or optimal price

⑤ एक or एक optimal

प्राप्त ए

Constant final



ग्रंथ
 $\delta \rightarrow A$ ग्रंथ

ग्रंथ

$$h(\delta) \leq \text{const} + h(a)$$

$$= 12 \leq 3 + 11$$

$$= 12 \leq 12$$

So Gbr constant
hence C

$a \delta \rightarrow b$

$$h(\delta) \leq \text{const} + h(b)$$

$$12 \leq 3 + 0$$

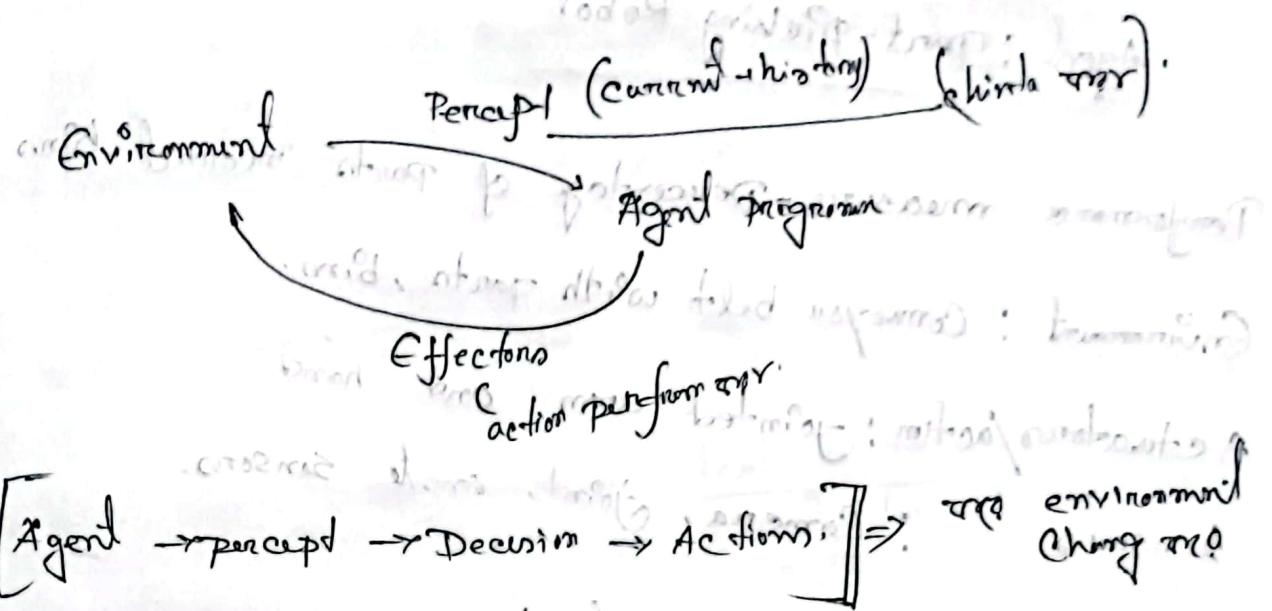
$$\boxed{12 \leq 3}$$

constant

So Gbr Constant

optimal price

Agent / Intelligent Agent



Goal of Agent → high performance

→ optimized result

→ Rational Action

Agent design model > local agent

choice of action based on environment

P - Performance safety, time, legal drive

E - Environment → roads, other vehicles, sign, state

A → Action → steering, acceleration, brake.

S → Sensors → camera, GPS, speedometer

Example of PEAS

Agent : Part-picking Robot

Performance measure : Percentage of parts inserted B_{nm}

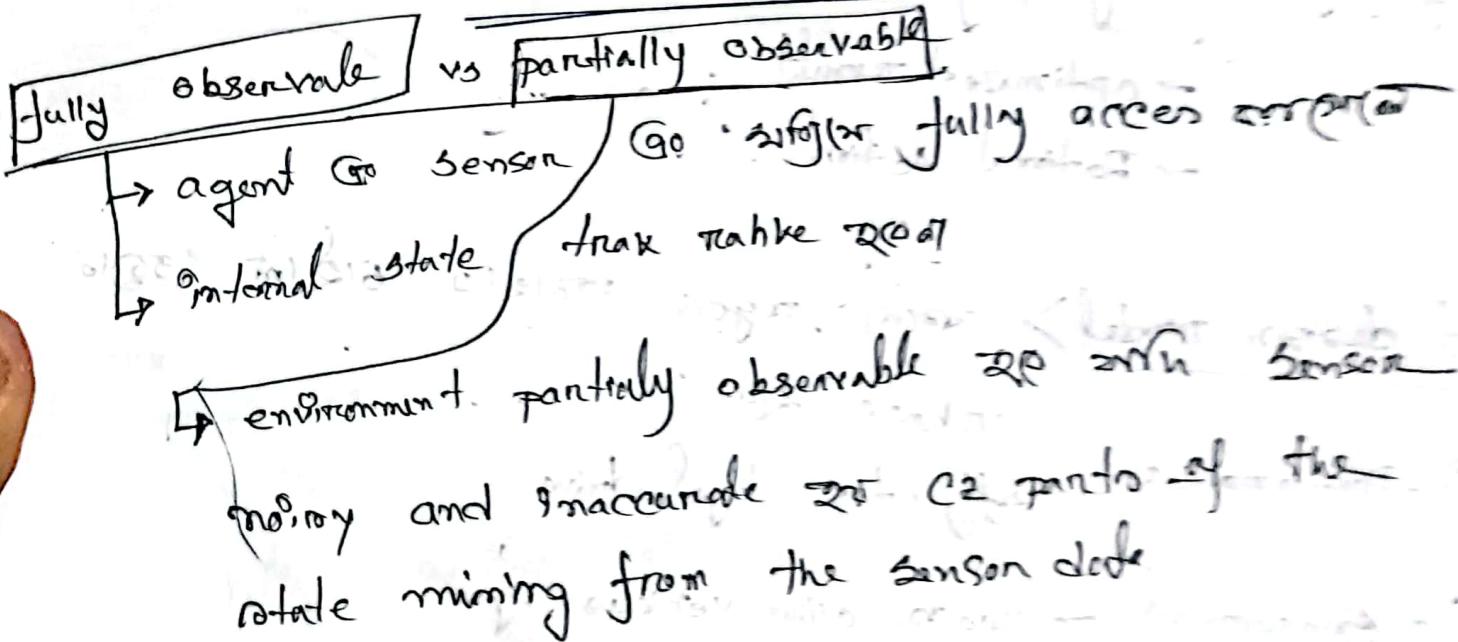
Environment : Conveyor belt with parts, B_{nm}

Actuators / action : jointed arm and hand

Sensors : Camera, joint, angle sensors.

sensors

Environment types



Ex: Vacuum cleaner with local dist. sensor
flexi cleaner

Deterministic vs Stochastic

Current state \rightarrow next state \rightarrow deterministic

Deterministic full observable \rightarrow don't worry

In partially observable \rightarrow stochastic

Ex: Vacuum world is deterministic, text is not deterministic

Episodic

agent experience is divided into atomic "episodes"

Example: classification tasks, part picking robot.

Sequential: current decision affect all others

Ex: Chess and text dive

Single agent

one agent involved (operating by itself)

Ex: Maze

Multi agent: multiple agents operate

Ex: football

Static: Environment

Ex: Crossword puzzles

char board

Dynamic: change over a time

Ex: Trolley car, taxi driving

Discrete: finite number of actions that can be delibited

(go, output print)

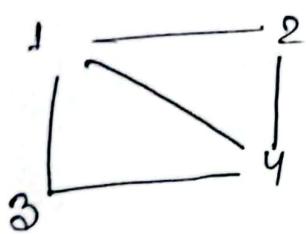
Ex: chess

Continuous: performed continnently unnamed Colle etc

E. text driven

Conditional Satisfaction problem (CSP)

Backtracking and 20



$$v = \{1, 2, 3, 4\}$$

Domain of Red, green, blue

$$\text{Constraint} = (1 \neq 2) (1 \neq 3) (1 \neq 4) (2 \neq 4) (3 \neq 4)$$

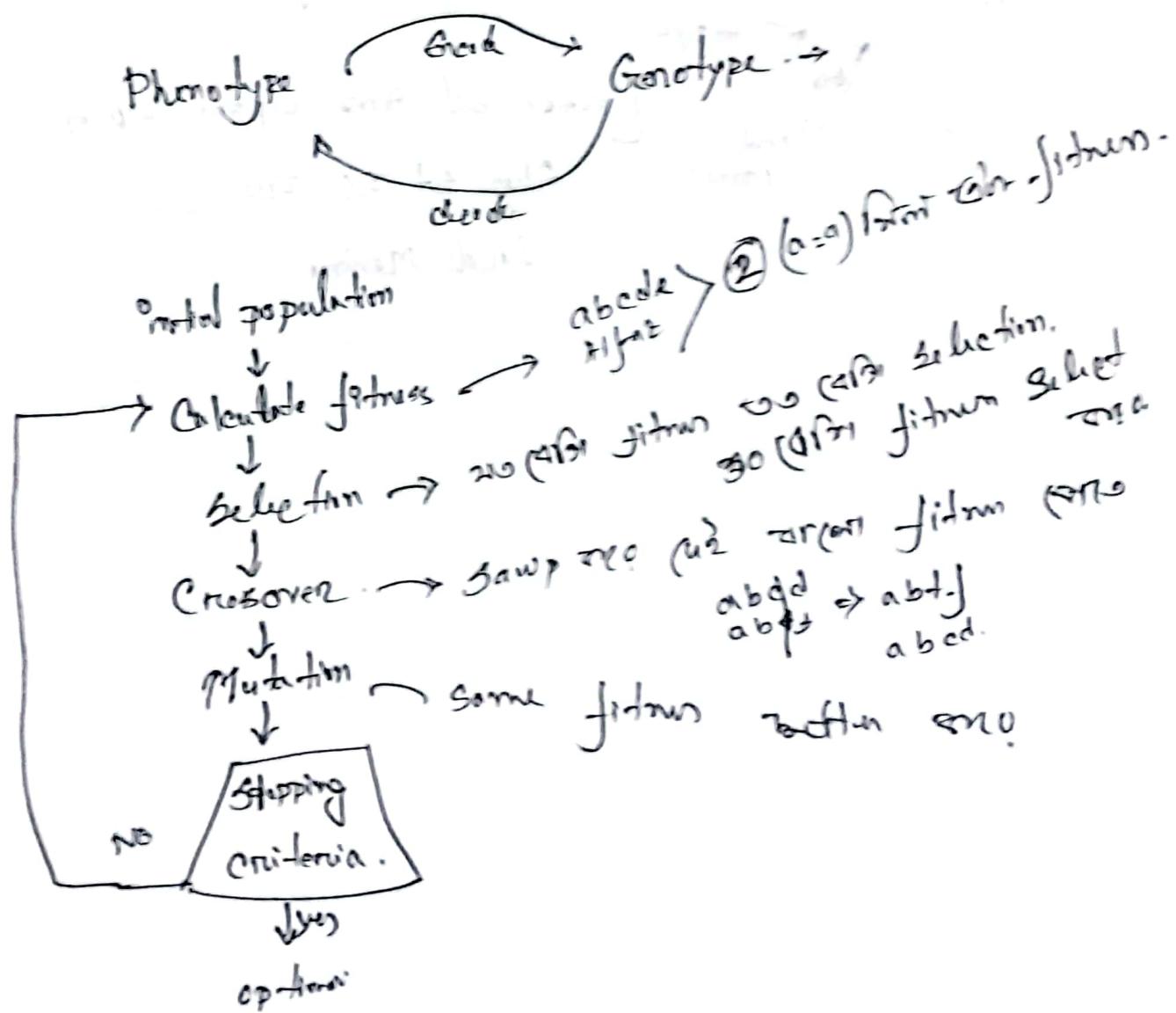
Enter gram 200
some ch 200

Initial Domain	1	2	3	4
$i = R$	RgB	RgB	ngb	ngb
$2 = G$	R	G, B	Q, B	GB
$3 = B$	R	Q	GB	B
		G, B	RB	B

2, 3 Negation on so same
order w.r.t.

Genetic Algorithm

- used biological Evolution
- focus on optimization, Complex (NP-hard) problem solve the
- From group of individual, the best will survive



Problem Reduction

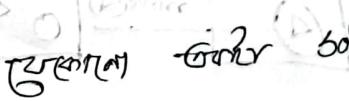
Complex problem → Divide sub problems

• Combine two And OR way

Relationship = **And**

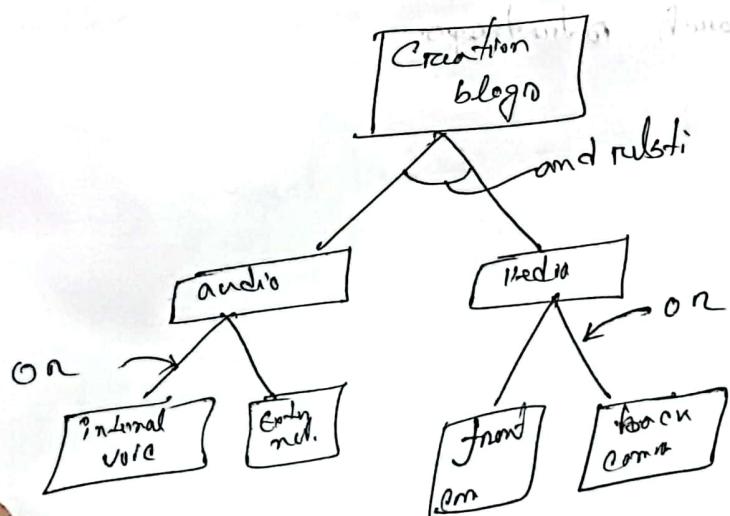


OR



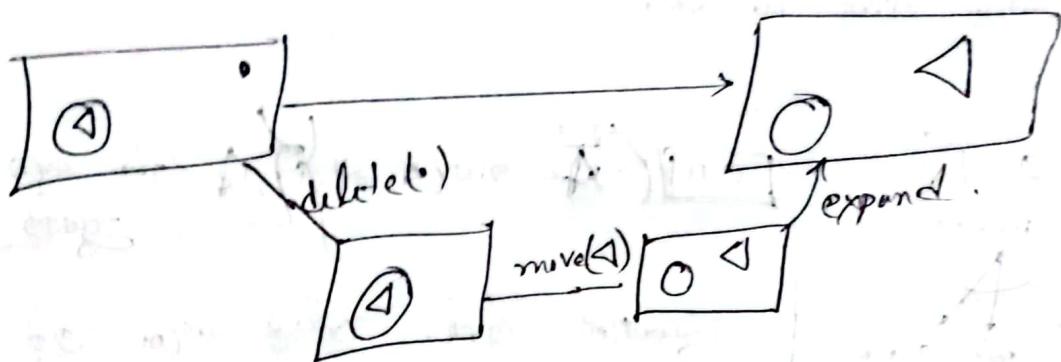
• Gbr tour Analysis

solve prob - 2² = 4



(MEA) Means-ends analysis → Problem solved
technique.

initial state:



Sub problem solve and → Problem solver.

(1) (backward + forward) Search strategies.

Heuristic Search



- It is a problem of how close a state is to the goal state.

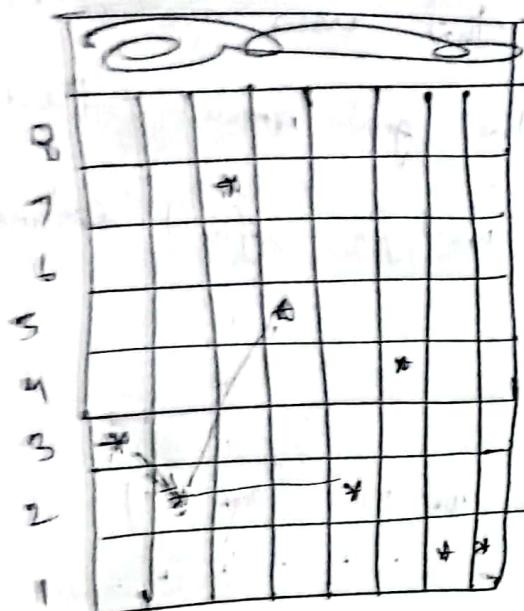
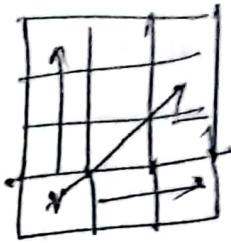
Solving technique that uses estimates given state with respect to the goal state called heuristic. In AI there search techniques used for find optimal solution in complex state space.

- 8 puzzle (\oplus given state & goal state) which can be solved using breadth first search and misericordance.



8 Queen Problem

ପାଇଁ କ୍ଷେତ୍ର ମଧ୍ୟ ଏହାର ଫଳାଫଳ କଥାରୁ ଦେଖିଲୁ



କଥାରୁ ଏହାର

population

3 2 7 5 2 4 1 1

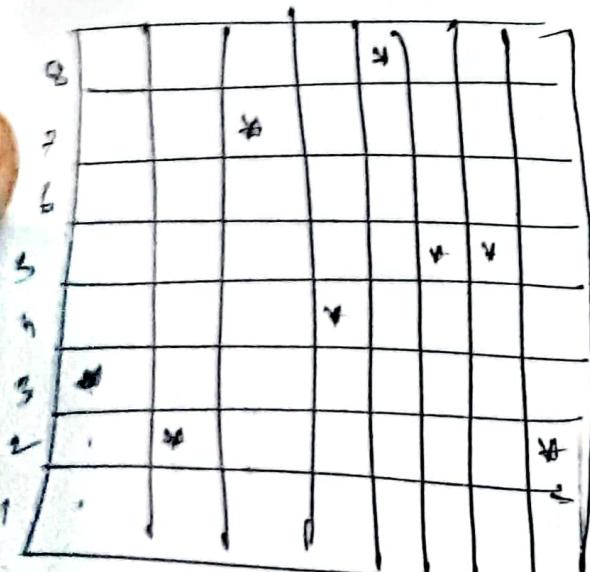
fitness = no off non attacking queen

$$Q_1 = 6 \quad Q_4 = 3 \quad Q_7 = 0$$

$$Q_2 = 5 \quad Q_5 = 3 \quad Q_8 = 0$$

$$Q_3 = 4 \quad Q_6 = 2$$

$$\text{total} = 23$$



initial population ↗ (higher error)

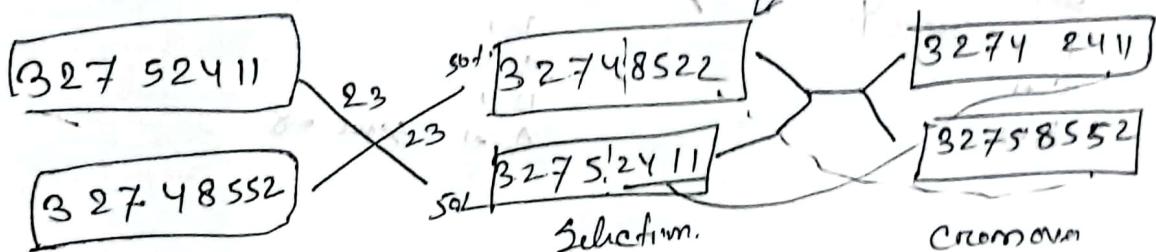
3 2 7 4 8 5 8 2 0

$$\text{fitness} = 23$$

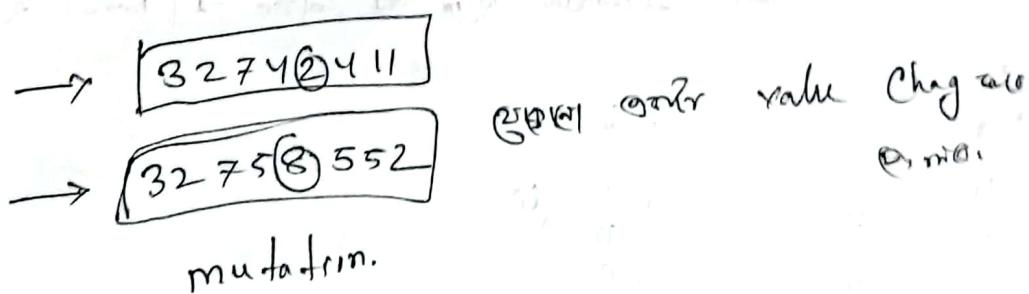
Probability of population $\rightarrow (2/3)(2/3) = 4/9$

$$1st = \frac{9/3}{4/9} = \frac{23}{46}$$

$$= 50\%, 50\%$$



2nd June.



Au23

(block world problem)

1(c) on

Initial state

A -1
H +2
G -1
F +1
E -1
D +1 (G-2)

D +1 : score = 4.
C +1
B -1

Goal state

H 1
G 1
F 1
E 1
D 1
C 1
B +1
A +1 score = 8

(c)

Lock \rightarrow red \otimes green +1, working light -1.

Global \rightarrow open stand sequential \otimes green +1 - all green \rightarrow (increase -Q(0))

Local

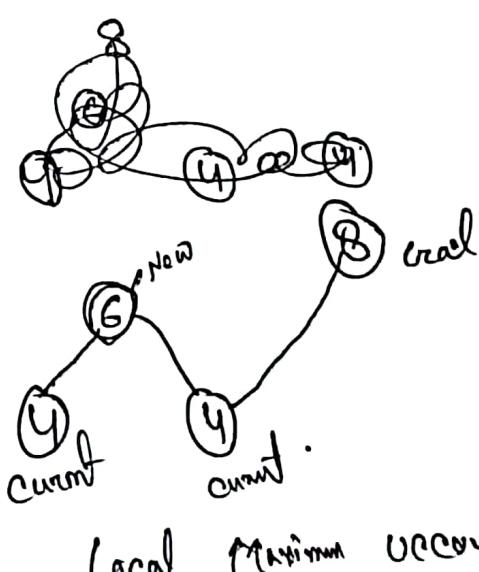
-1 A
+1 H
+1 G
+1 F
+1 E \Rightarrow F 1
+2 D
+1 C
-1 B B \rightarrow A +1

+1 G 1
+1 F
+1 E
+1 D
+1 C H -1
-1 B A +1

-1 A
+1 H
+1 G
+1 F
+1 E (4)
+1 D
+1 C

So in the local heuristic.

Both one (4) \leftarrow so then



So we can use global heuristic function.

Start.

A -7.
H -6
G -5
F -4
E -3 ($\leftarrow 28$)

D -2
C -1
B₀

Goal.

H 7.
G 6
F 5
E 4
D 3
C 2
B 1
A 0

(28)

H -6
G -5
F -4
E -3 (21) \Rightarrow -3E. \Rightarrow
D -2
C -1
B₀ A₀ H₀ G₀ F₀

-5G
-4F (-15)

-2D
-1C
B₀ H₀ A₀

F -4
E -3
D -2 (-5)
C -1
B₀ A₀ H₀ G₀

E -3
D -2 (-5)
C -1
B₀ A₀ H₀ G₀ F₀

D -2 (-5)
C -1
B₀ A₀ H₀ G₀ F₀ D₀

C -1
B₀ A₀ H₀ G₀ F₀ D₀

B₀ A₀ H₀ G₀ F₀ E₀ D₀

H
G
F
E (28)
D
C
B
A

Goal state.