

Computer Vision HW3, Histogram Equalization Report

tags: NTU CS Computer Vision Writeup Report

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Prerequisites and env as the following

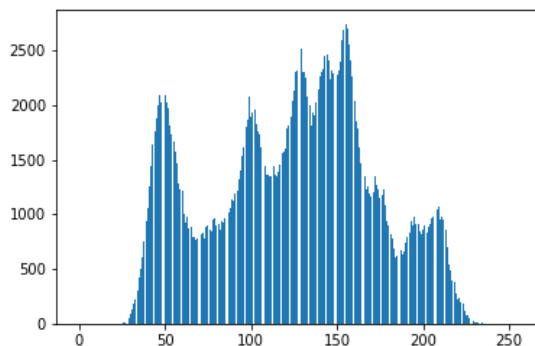
Ubuntu WSL for windows with jupyter notebook
Python3.6.7
OpenCV for image IO
Matplotlib for displaying image

a, original image and its histogram

```
def img_hist(img_in, name):  
    hist = [0 for i in range(256)]  
  
    row, col = img_in.shape  
    for i in range(0, row):  
        for j in range(0, col):  
            hist[img_in[i, j]] += 1  
  
    return hist
```

Iterate through the image pixel by pixel and calculate the statistical data.

Time complexity: $O(MN)$



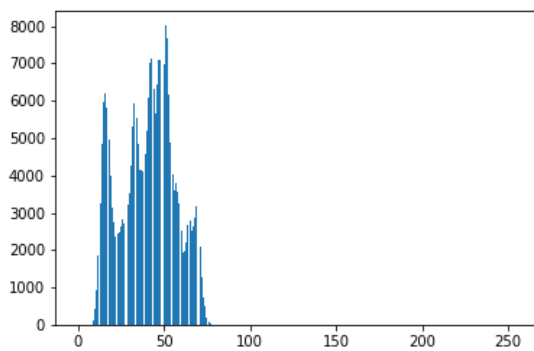
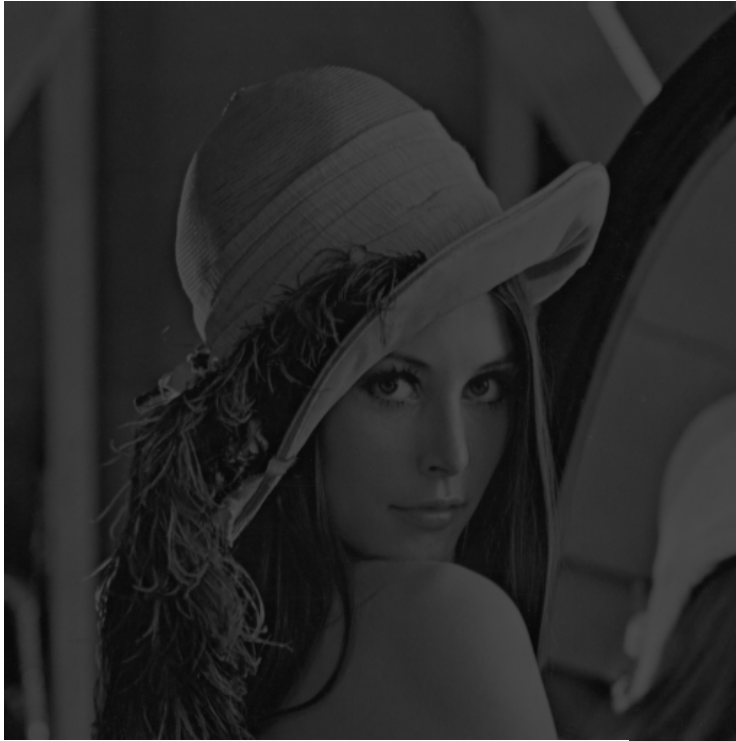
b, image with intensity divided by 3 and its histogram

Just use

```
def div3(img_in):  
    return img_in // 3
```

And the histogram function mentioned above

Time complexity: $O(MN)$



c, image after applying histogram equalization to (b) and its histogram

From wiki here

(<https://zh.wikipedia.org/wiki/%E7%9B%B4%E6%96%B9%E5%9B%BE%E5%9D%87%E8%A1%A1%E5%8C%96>)

We can equalize the pixel as the following formula

$$h(v) = \text{round}\left(\frac{cdf(v) - cdf_{min}}{(M \times N) - cdf_{min}} \times (L - 1)\right)$$

MN is the dimension of the image, cdf is the **cumulative distribution function** over v , the grayscale.

So with the following code:

```
def histogram_eq(img_in, hist):
    row, col = img_in.shape
    cdf_list = [0 for i in range(256)]
    cdf = 0.0
    max_value = 0
    min_value = 1 << 31

    # calculating the distribution function over v
    for i in range(0, len(hist)):
        if hist[i]:
            max_value = max(max_value, i)
            min_value = min(min_value, i)
            cdf += hist[i]
            cdf_list[i] = cdf

    # transform to perform histogram equalization
    for i in range(0, row):
        for j in range(0, col):
            img_in[i, j] = int((cdf_list[img_in[i, j]] \
                - cdf_list[min_value]) \
                / (row * col - cdf_list[min_value]) \
                * (0xff - 1)) # 0 - 255 for grayscale

    return img_in
```

Time complexity: $O(MN)$

