



CIFF Trustees:



Social Network Analysis

Lecture 1: Basic Concepts

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Enero / Marzo

MASTER EN BA & BD

Lecture 1: Basic concepts

- Activity I (Gephi) + Assignment I

Lecture 2: Centrality in networks

- Activity II (Gephi) + 3*Presentations

Lecture 3: Communities in networks

- Activity III (R) + Assignment II + 3*Presentations

Lecture 4: Advanced concepts

- Activity IV (python) + 3*Presentations

Lecture 5: Neo4j

- Activity V (py2neo + Gephi) + 3*Presentations

Lecture 6: Neo4j Applications

- Work in Assignment II

Lecture 7: Social network applications

- Presentations Assignment II

Outline:

- Why do we study systems as networks?
- What are networks?
- Concepts: Nodes, Edges, Degree, Adjacency matrix, Edgelist, Adjacency list, Connected Components, Directed and undirected graphs.

Why do we study systems as networks?

*Over the past decade there has been a growing public fascination with the **complex “connectedness” of modern society**. At the heart of this fascination is the idea of a network. “**a pattern of interconnections among a set of things**“*

Networks, Crowds, and Markets By David Easley

Why do we study systems as networks?

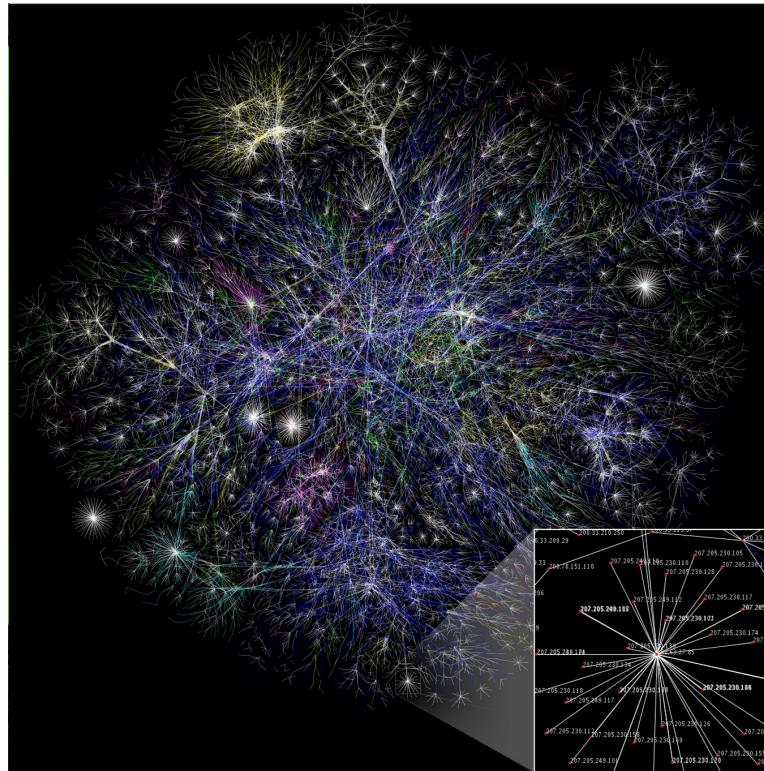
Connectedness

+ Behaviour and Dynamics

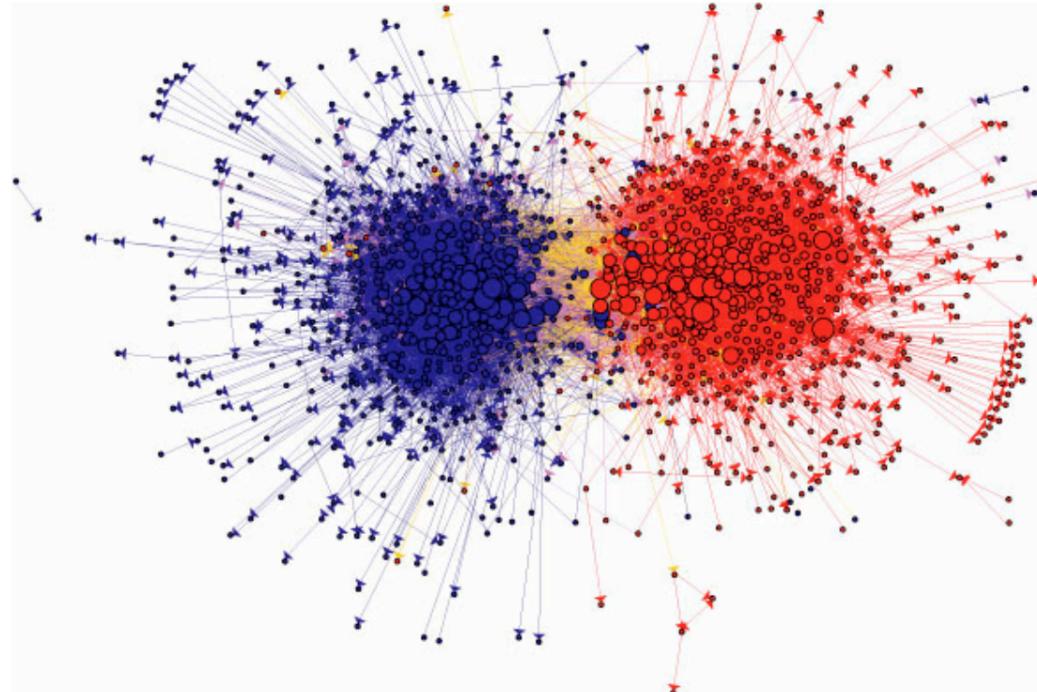
Cause-Effect



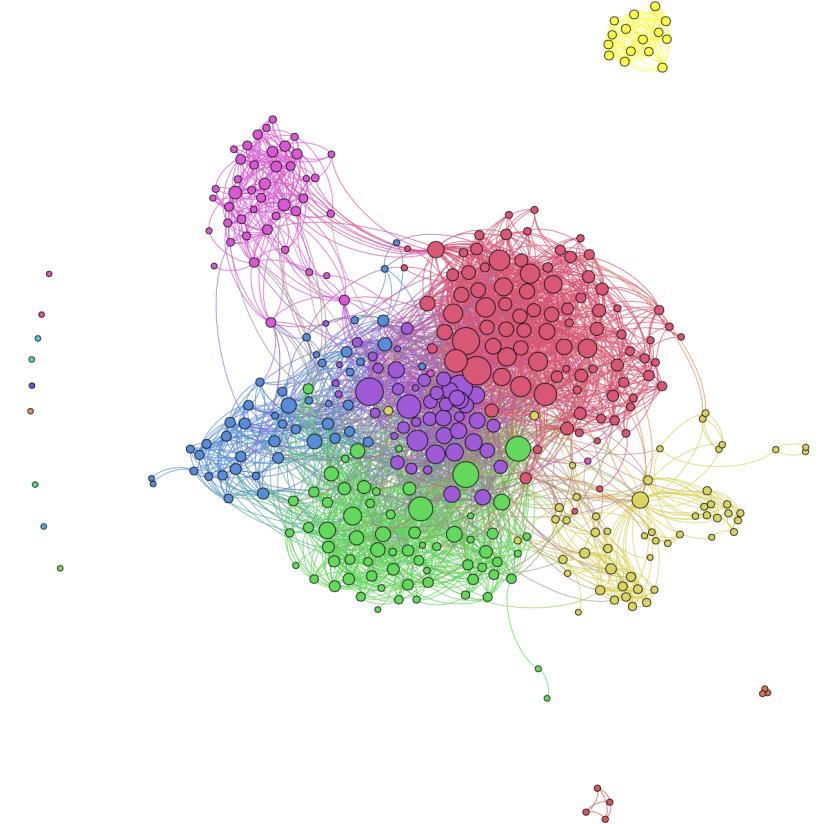
Internet



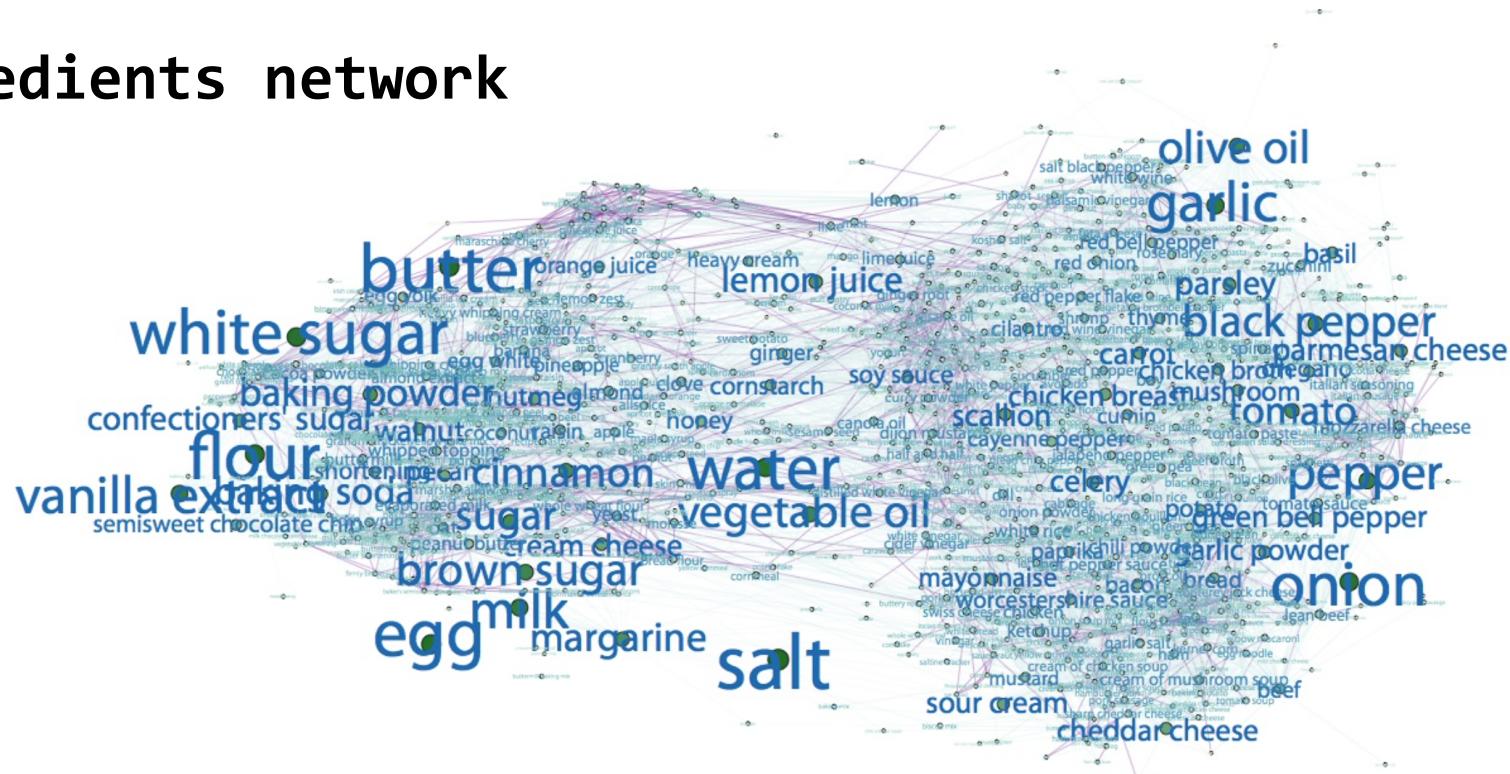
Political blog



Facebook

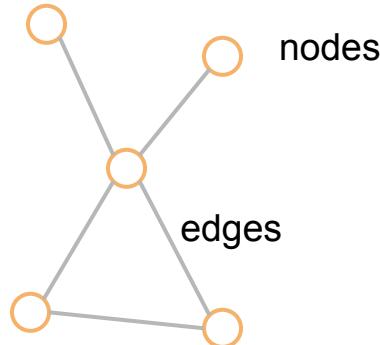


Ingredients network



What are networks?

Networks are sets of nodes connected by edges.



Networks = Graphs

points	lines	
vertices	edges,arcs	Math
nodes	links	Computer science
sites	bonds	Physics
actors	ties, relations	Sociology

Network components: Edges

Directed

A->B

A likes B, A is following B, A is B's father

Undirected

A <-> B or A-B

A and B like each other

A and B are couple

A and B work together

Network components: Edges attributes

Weight (e.g. number of communication)

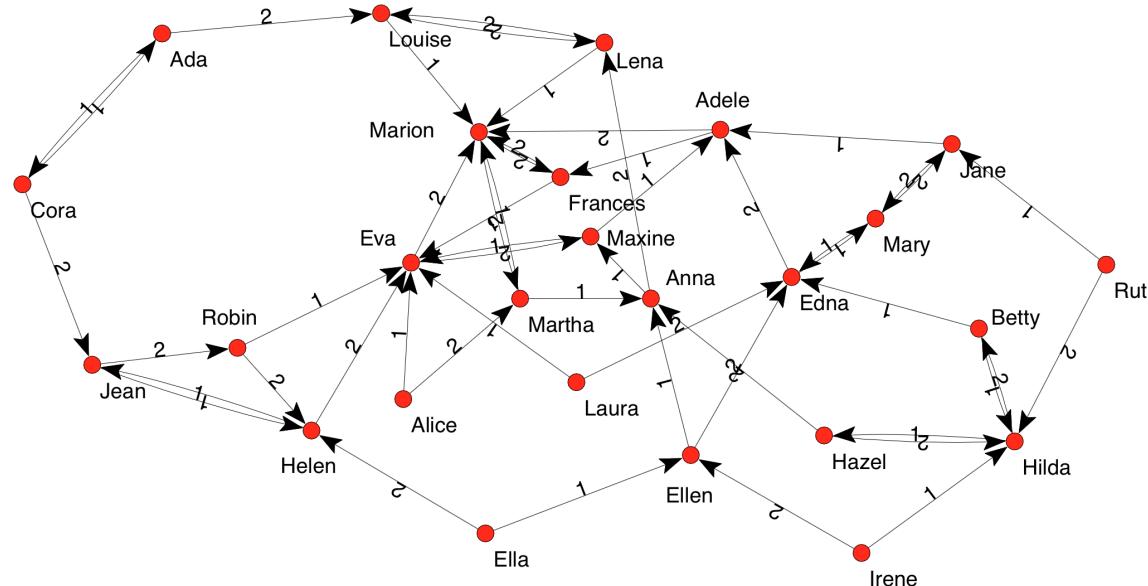
Ranking (best friend, second best friend,...)

Type (friend, relative, classmate,...)

Properties depending on the structure of the rest of the graph

Network components: Directed networks

Girls' school dormitory dining-table partners, 1st and 2nd choices
 (Moreno, The sociometry render, 1960)



Data representations

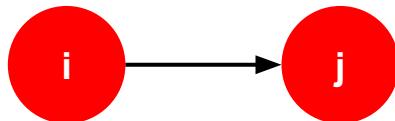
Adjacency Matrix

Edgelist

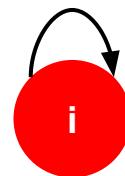
Adjacency List

Data representations: Adjacency Matrices

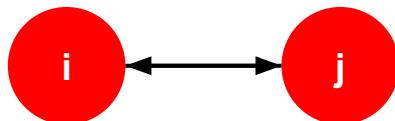
Represents edges (who is adjacent to whom) as matrix



$A_{ij} = 1$ if node j has an edge to node i
 $= 0$ if node j does not have an edge to i

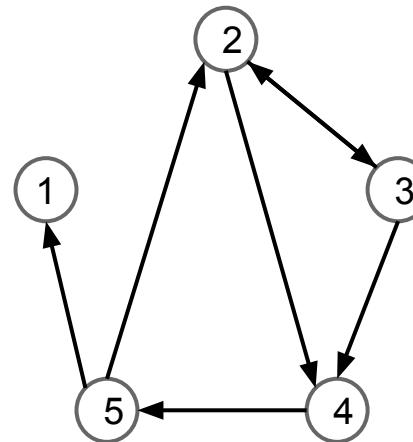


$A_{ii} = 0$ unless the network has self-loops



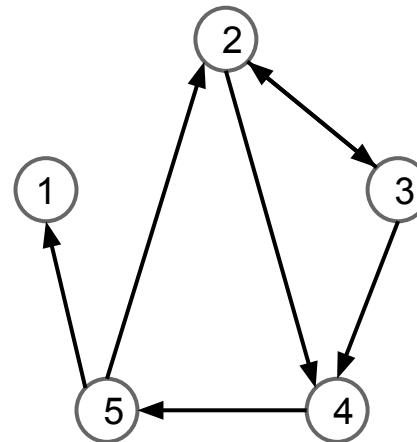
$A_{ij} = A_{ji}$ if the network is undirected, or if i and j share a reciprocated edge

Data representations: Adjacency Matrix



$$A = \begin{bmatrix} 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 & 0 \\ 0 & 1 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 1 \\ 1 & 1 & 0 & 0 & 0 \end{bmatrix}$$

Data representations: Edge list

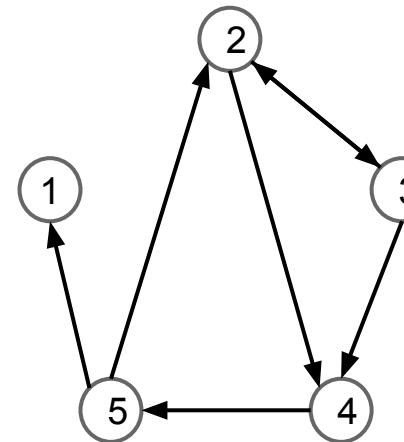


Edgelist =

2, 3
2, 4
3, 2
3, 4
4, 5
5, 2
5, 1

Data representations: Adjacency list

is easier to work with if network is large and sparse, retrieves all neighbours for a node.



1:
2: 3, 4
3: 2, 4
4: 5
5: 1, 2

Metrics

Degree

Connected Components

Metrics: Degree

Which node has the most edges?

Node network properties

from immediate connections

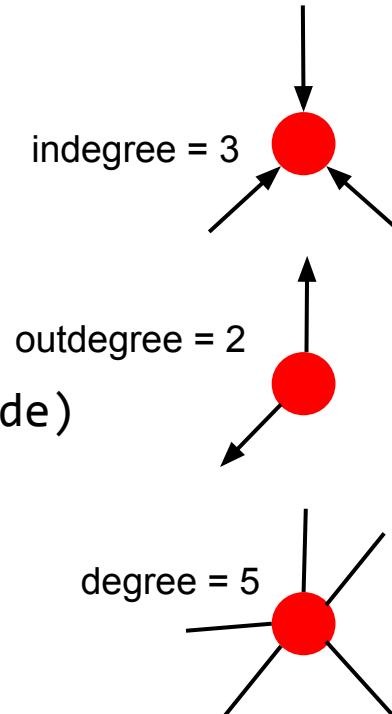
indegree (how many edges arrives to a node) outdegree = 2

outdegree (how many edges come out from a node)

degree (number of edges in a node)

from entire graph

centrality



Metrics: Degree from matrix values

$$\text{Indegree} = \sum_{j=1} A_{ij}$$

(rows)

$$\sum_{j=1} A_{3j} = 2$$

$$\text{Outdegree} = \sum_{i=1} A_{ij}$$

(columns)

$$\sum_{i=1} A_{i3} = 1$$

A =

$$\begin{bmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 1 \\ 0 & 1 & 0 & 1 \\ 0 & 0 & 0 & 0 \\ 1 & 1 & 0 & 0 \end{bmatrix}$$

$$\text{Degree} = \text{Indegree} + \text{Outdegree}$$

Metrics: Connected components

Strongly connected components: Each node within the component can be reached from every other node in the component by following directed links.

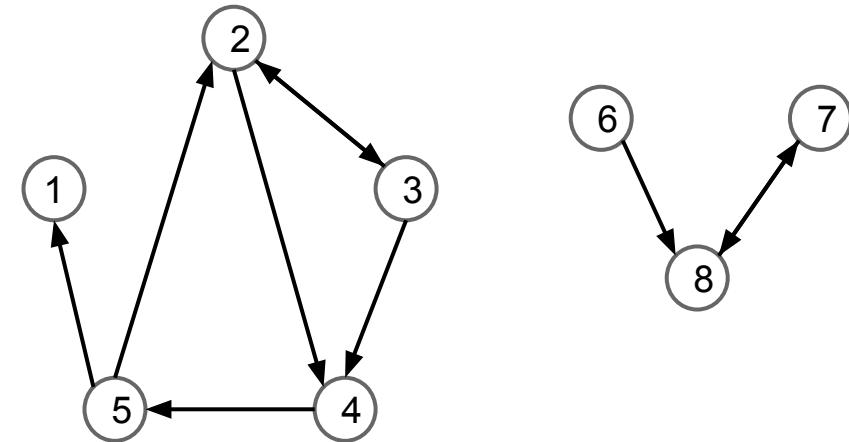
components:

5, 4, 3, 2

1

7, 8

6



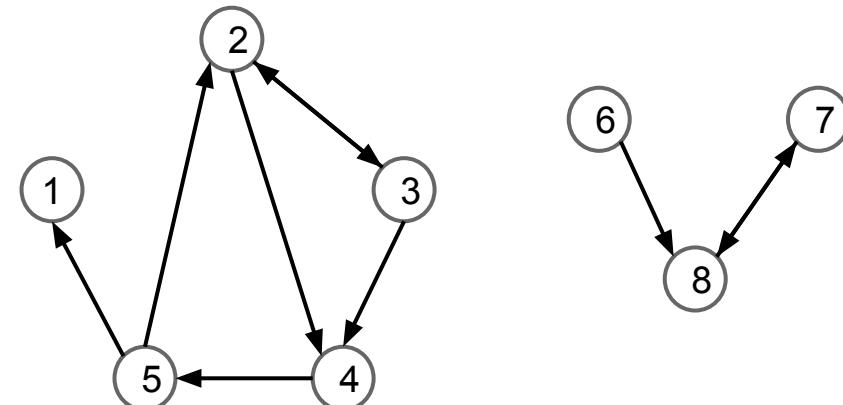
Metrics: Connected components

Weakly connected components: every node can be reached from every other node by following links in either direction.

components:

1, 2, 3, 4, 5

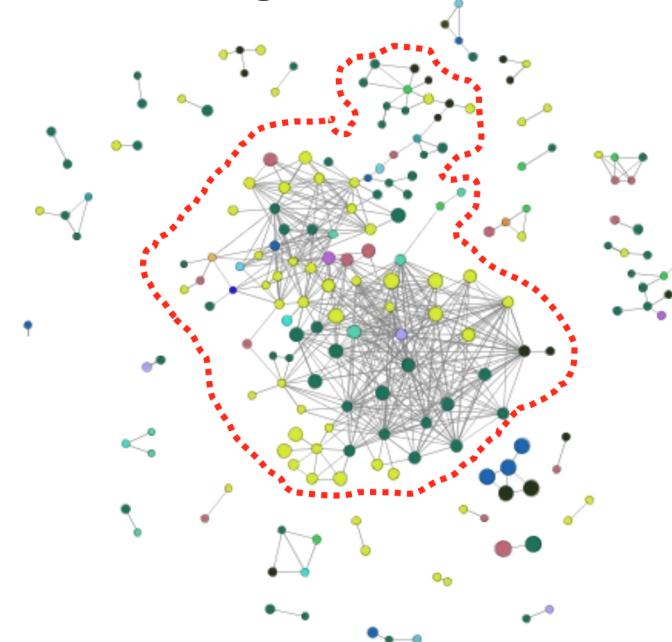
6, 7, 8



In undirected components on talks simply about connected components

Metrics: Connected components

If the largest component encompasses a significant fraction of the graph, it is called **the giant component**



Recap:

Networks can be represented as matrices

Useful metrics:

Degree

Connected components

Activity: Facebook network analysis

We are going to analyse facebook's user networks (with [Gephi](#)).

1. Go to [Facebook App GetNET](#)
2. Choose which user data you'd like to include
3. Be patient if you have many friends
4. Open gephi and load your file
5. Layout Force Atlas 2, set gravity under 50
6. Select Giant Component
7. Size nodes by degree
8. Color nodes by degree

Assignment: Facebook network analysis

Presentation with your Facebook network analysis, explaining why your network looks the way it looks, answering the following questions:

brief explanation of your network (visual graph)

number of nodes:

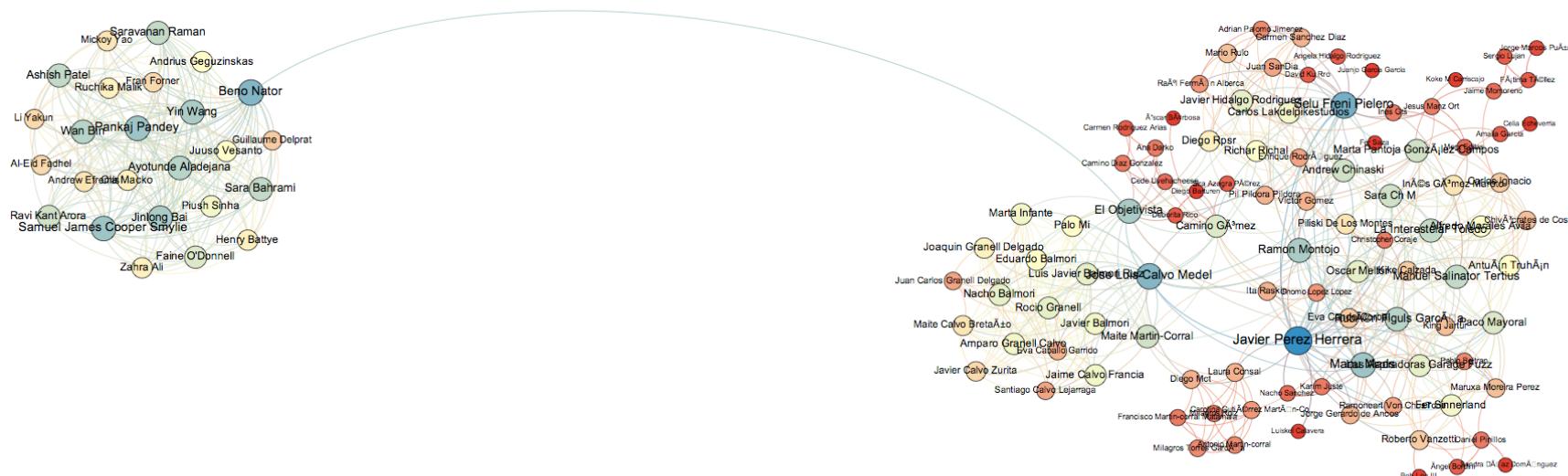
number of edges:

number of connected components:

size of largest connected component:

maximum degree:

3 slides





Important Links:

[Networks, Crowds, and Markets](#) (Chapter 1 and 2)

Suggested readings:

[Learn how to use Gephi](#)

[Gephi tutorial on how to analyze facebook networks](#)

[The science of friendship](#)



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