

## %% AUV Obstacle Stop Control Using Discrete PID in Simulink

This Live Script documents a simple Simulink model that uses a discrete PID controller to stop an autonomous underwater vehicle (AUV) at a desired distance from an obstacle.

The model is designed as a learning example: it shows how to build a PID from basic blocks, how to model simple distance dynamics, and how to tune the gains.

### %% Model Overview

The system controls the distance between the AUV and a fixed obstacle.

Setpoint (set\_dist): desired distance from the obstacle in meters.

Measured distance (meas\_dist): current distance between AUV and obstacle.

Error: difference between measured distance and setpoint.

PID controller: outputs a forward velocity command.

Auv Plant: updates the distance based on commanded velocity.

Saturation: limits velocity to a realistic range (no reverse, max speed).

The overall loop is:

Compute error:

$$e[k] = \text{meas\_dist}[k] - \text{set\_dist}$$

PID controller computes velocity command  $v[k]$  from  $e[k]$ .

Auv Plant updates distance:

$$d[k] = d[k-1] - v[k] \cdot T_s$$

New distance  $d[k]$  is fed back as  $\text{meas\_dist}[k]$  for the next step.

### %% Units

All signals and parameters use these units:

Distance: meters (m)

Time: seconds (s)

Velocity: meters per second (m/s)

Sample time  $T_s$ : seconds

Make sure these units are consistent when setting constants, gains, and initial conditions.

## %% Top-Level Model Structure

The main Simulink model (for example: SimulinkPID\_StopBot.slx) contains:

Set distance (Constant block)

Value: desired stop distance from obstacle, e.g. set\_dist = 1 (meter).

Measured distance (signal from Auv Plant)

This is the feedback signal meas\_dist.

Error (Sum block)

Computes:

$$e[k] = \text{meas\_dist}[k] - \text{set\_dist}$$

Positive error means the AUV is too far from the obstacle.

PID controller

Implemented using three parallel paths:

Proportional:

$$yP[k] = Kp * e[k]$$

Integral:

$$yI[k] = yI[k-1] + Ki * Ts * e[k]$$

implemented with a Gain and a Unit Delay.

Derivative:

$$yD[k] = Kd * (e[k] - e[k-1]) / Ts$$

implemented with a discrete derivative structure.

The three terms are summed:

$$v[k] = yP[k] + yI[k] + yD[k]$$

Saturation (velocity limiter)

Limits  $v[k]$  to:

Lower limit = 0 m/s (no reverse).

Upper limit =  $V_{\max}$  (max forward speed of the AUV).

The saturated velocity is sent to the Auv Plant.

## Auv Plant (subsystem)

Models how distance changes with commanded velocity (see next section).

Logging / visualization

A Scope and/or To Workspace block connected to meas\_dist so distance vs time can be plotted in MATLAB.

### %% Auv Plant Subsystem

The Auv Plant subsystem implements a simple 1D kinematic model of the AUV approaching an obstacle.

Signals:

Input: commanded forward velocity  $v[k]$  (m/s).

Output: distance  $d[k] = \text{meas\_dist}[k]$  (m).

Blocks:

Gain "Ts"

Gain value = sample time Ts (seconds), e.g. Ts = 0.1.

Output:  $v[k] * Ts$ , the distance traveled during one time step.

Unit Delay

Holds previous distance  $d[k-1]$ .

Initial condition = starting distance from obstacle, for example 10 (meters).

Sample time can be left as -1 to inherit from the model.

Sum block

Implements the distance update:  
 $d[k] = d[k-1] - v[k]*Ts$

Inputs:

input: Unit Delay output ( $d[k-1]$ )

input:  $v[k]*Ts$

Output port

Outputs  $d[k]$  as `meas_dist`.

This simple plant assumes the AUV moves straight toward the obstacle and that positive velocity reduces the distance.

### %% Typical Parameter Settings

Below is a typical set of starting values that work for many tests.

In MATLAB, you can define:

```
matlab
set_dist = 1;      % desired distance from obstacle [m]
Ts        = 0.1;    % sample time [s]
```

```
Kp = 0.7;          % proportional gain
Ki = 0.02;         % integral gain
Kd = 0.01;         % derivative gain
```

```
Vmax = 2;          % max forward speed [m/s]
d0    = 10;         % initial distance [m]
```

In the model:

Set distance Constant = `set_dist`.

Gain `Ts` inside Auv Plant = `Ts`.

Unit Delay initial condition inside Auv Plant = `d0`.

P, I, D gains set to `Kp`, `Ki`, `Kd`.

Velocity Saturation: Lower = 0, Upper = `Vmax`.

Make sure the solver uses a fixed-step size consistent with `Ts` if you run a purely discrete-time model.

### %% How to Run the Simulation

Open the Simulink model:

```
matlab
open_system('SimulinkPID_StopBot.slx'); % adjust name if needed
Confirm or set parameters as described in the previous section.
```

Set the simulation stop time to a value like 10 or 20 seconds.

Click Run in Simulink.

If you use a To Workspace block with variable name `simout` and Timeseries format, you can plot the distance in MATLAB:

```

matlab
plot(simout.Time, simout.Data);
xlabel('Time [s]');
ylabel('Distance to obstacle [m]');
title('AUV Distance vs Time');
grid on;

```

You should see the distance starting at  $d_0$  (e.g., 10 m) and decreasing toward  $set\_dist$  (e.g., 1 m), then settling.

#### %% Quick Plant Test Without PID

To verify that the Auv Plant subsystem is working correctly, you can bypass the PID and use a constant velocity:

Disconnect the PID output from the Saturation.

Connect a Constant block with value 1 (1 m/s) to the Saturation input, and then to Auv Plant.

Set:

$T_s = 0.1$  s

Unit Delay initial condition = 10 m

Run the simulation and plot distance.

With constant  $v = 1$  m/s, the distance should decrease approximately linearly from 10 m to 0 m in about 10 seconds, with slope  $-1$  m/s.

This confirms that the plant equation  $d[k] = d[k-1] - v[k]*T_s$  is implemented correctly.

#### %% PID Tuning Guidelines

The PID gains  $K_p$ ,  $K_i$ , and  $K_d$  control how the system behaves:

Proportional gain  $K_p$

Increases speed of response.

Too low: AUV moves slowly and may stop far from the set distance.

Too high: can cause overshoot and oscillations.

Integral gain  $K_i$

Reduces steady-state error; helps ensure that the final distance is close to  $set\_dist$ .

Too low: steady-state error disappears very slowly.

Too high: can cause integral wind-up, large overshoot, and slow oscillations.

Derivative gain  $K_d$

Reacts to the rate of change of error; adds damping.

Helps reduce overshoot and sharp oscillations.

Too high: makes the control noisy or sluggish.

Practical tuning procedure:

Set  $K_i = 0$  and  $K_d = 0$ ; tune  $K_p$  first.

Increase  $K_p$  until the distance response is reasonably fast but not unstable.

Add a small  $K_i$  to remove steady-state error.

Start with a value much smaller than  $K_p$ , e.g.,  $K_i \approx 0.01\text{--}0.05$ .

Add a small  $K_d$  if needed to reduce overshoot.

Start with  $K_d \approx 0.01\text{--}0.05$  relative to  $K_p$ .

Always change one gain at a time and re-run the simulation.

## %% Interpreting the Response

Key behaviors to look for:

Rise time: how quickly distance comes down from the initial value toward `set_dist`.

Overshoot: how far the distance goes past the `set_dist` (too close to the obstacle) before coming back.

Steady-state error: difference between final distance and `set_dist` after the system has settled.

Settling time: how long it takes until the distance stays within a small band around `set_dist`.

For a good controller:

Distance decreases smoothly from `d0` to near `set_dist`.

Overshoot is small or zero (distance does not go much below set\_dist).

Steady-state error is near zero (final distance  $\approx$  set\_dist).

Settling time is acceptable for your AUV scenario.

#### %% Educational Extensions

This simple example can be extended in several ways:

Replace the 1D Auv Plant with a more detailed AUV dynamics model (including mass, drag, and actuator dynamics).

Add sensor noise to the measured distance signal.

Add separate PID loops for depth or heading and test multi-variable control.

Add logic to handle multiple obstacles or different target distances over time.