

Fix the left endpoint  $l$ , if we expand the right endpoint  $r$ , the result will only change at most  $w$  times, each time change at least one bit from 0 to 1.

Let  $c[l][r]$  denote the bitwise OR of  $A[l] \dots A[r]$ . Fix  $l$ , there are only  $O(w)$  different  $c[l][r]$ 's. Also  $c[l-1][r] = c[l][r] | A[l-1]$ . Use  $O(w)$  to transit from  $c[l][*]$  to  $c[l-1][*]$ . Finally remove the duplicates by hashing.  $O(nw)$ .

lower bound: construct an example with  $\Theta(nw)$  distinct results? Then it's the lower bound for all algorithms that need to remove the duplicates by enumerating them.

83 / 83 test cases passed.

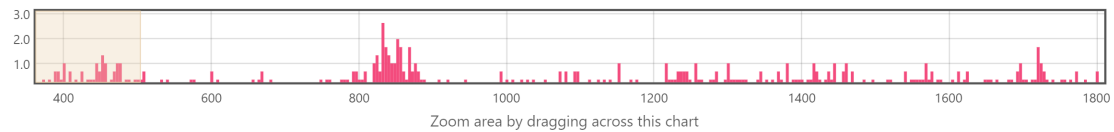
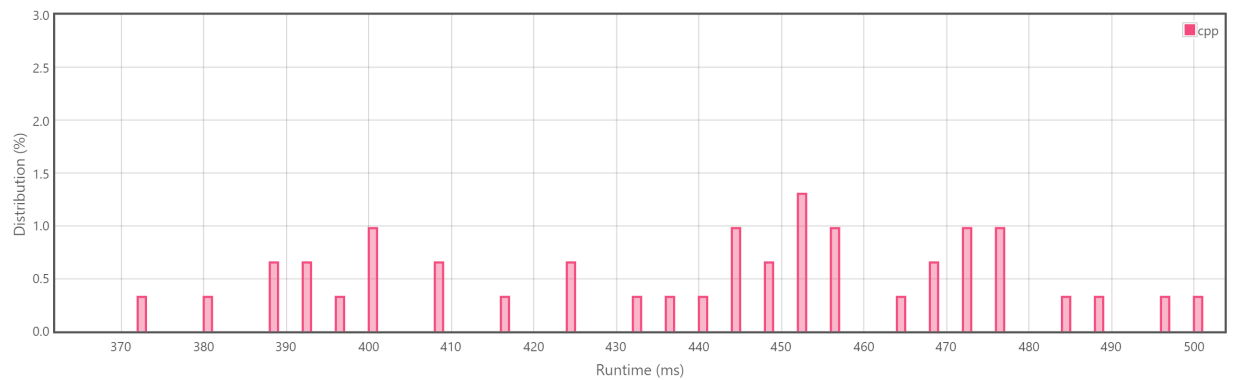
Runtime: 52 ms

Memory Usage: 37.2 MB

Status: Accepted

Submitted: 0 minutes ago

#### Accepted Solutions Runtime Distribution



Runtime: 52 ms, faster than 100.00% of C++ online submissions for Bitwise ORs of Subarrays.

Memory Usage: 37.2 MB, less than 100.00% of C++ online submissions for Bitwise ORs of Subarrays.

## References