

1. Let  $n$  denote the length of words,  $m$  denote the length of puzzles,  $L$  denote the total input length, and  $s$  denote the length of puzzles $[i]$ . Use bit packing to represent a set of chars, and for each puzzle, enumerate its subsets in  $O(2^s)$ .  $O(L + m \cdot 2^s)$ .
2. Compute the result for each possible subset of  $2^\Sigma$  with size  $s$ , using Möbius transform for set power series.  $O(|\Sigma| \sum_{i=0}^s \binom{|\Sigma|}{i})$ .

## Submission Detail

10 / 10 test cases passed.

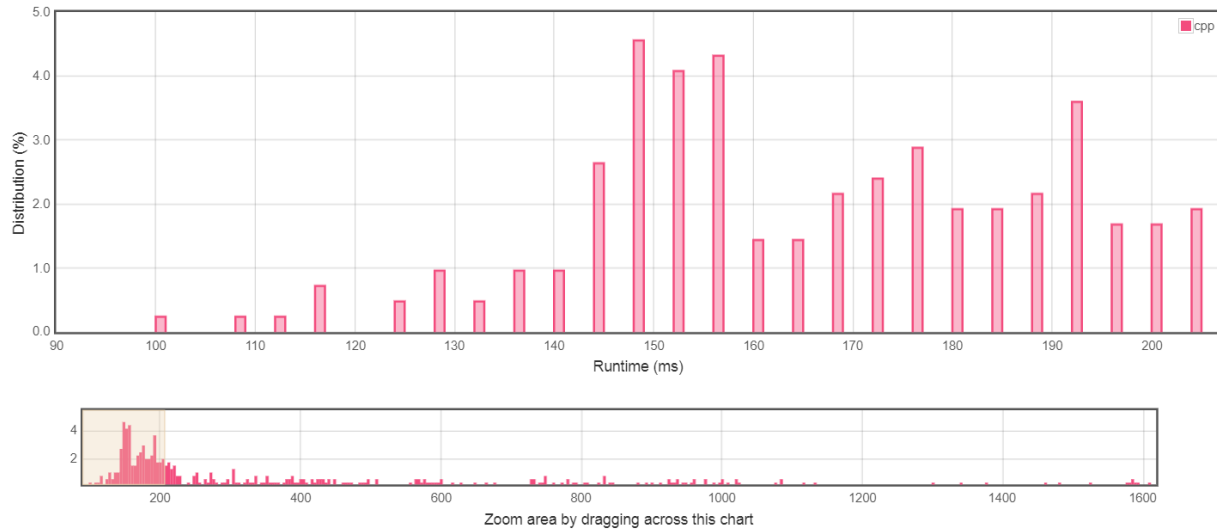
Runtime: 44 ms

Memory Usage: 71 MB

Status: Accepted

Submitted: 0 minutes ago

## Accepted Solutions Runtime Distribution



Runtime: 44 ms, faster than 100.00% of C++ online submissions for Number of Valid Words for Each Puzzle.

Memory Usage: 71 MB, less than 100.00% of C++ online submissions for Number of Valid Words for Each Puzzle.

## References