

# Worksheet 18: Time Complexity

Name: \_\_\_\_\_ Date: \_\_\_\_\_

## Instructions

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- Answer in the blanks.
  - For “time complexity” questions, choose from: **O(1)**, **O(n)**, **O( $n^2$ )**.
  - `n` means the input size (for lists: `n = len(numbers)` , for strings: `n = len(s)` ).
  - For “what does it print” questions, write the **exact** output (line by line).
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## Part A – Time complexity basics

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### 1) Fill in the blanks (meaning)

Complete the sentences:

- Time complexity describes how the amount of work grows when the input size \_\_\_\_\_. (grows / shrinks)
  - **O(1)** means the program does about the \_\_\_\_\_ number of steps no matter what `n` is. (same / different)
  - When we talk about time complexity, we usually report the \_\_\_\_\_ case. (best / worst)
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### 2) What is the input size `n` ?

For each example, write what `n` is.

1. `numbers = [2, 5, 1, 4]` → `n =`  \_\_\_\_\_
  2. `s = "ABCDE"` → `n =`  \_\_\_\_\_
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## Part B – Classify code as **O(1)**, **O(n)**, or **O( $n^2$ )**

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### 3) First item (no loop)

```
numbers = [2, 5, 1, 4]
print(numbers[0])
```

Time complexity: \_\_\_\_\_

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#### 4) Swapping numbers

```
a = 6
b = 7

temp = a
a = b
b = temp
```

Time complexity: \_\_\_\_\_

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#### 5) Print every item (one loop)

```
numbers = [2, 5, 1, 4]

for x in numbers:
    print(x)
```

Time complexity: \_\_\_\_\_

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#### 6) Two loops in a row (still linear)

```
numbers = [2, 5, 1, 4]

for x in numbers:
    print(x)

for x in numbers:
    print(x * 2)
```

Time complexity: \_\_\_\_\_

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#### 7) Pairwise print (nested loops)

```
numbers = [2, 5, 1, 4]
n = len(numbers)

for i in range(n):
    for j in range(n):
        print(i, j)
```

Time complexity: \_\_\_\_\_

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## 8) Inner loop runs a constant number of times

```
numbers = [2, 5, 1, 4]
n = len(numbers)

for i in range(n):
    for _ in range(5):
        print(i)
```

Time complexity: \_\_\_\_\_

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## 9) Triangle nested loops

```
numbers = [2, 5, 1, 4]
n = len(numbers)

for i in range(n):
    for j in range(i):
        print(i, j)
```

Time complexity: \_\_\_\_\_

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## 10) Coefficients don't matter in Big-O

A program does about  $3n + 100$  operations.

Time complexity: \_\_\_\_\_

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## Part C — **break** and worst case

## 11) Search with `break`

```
numbers = [6, 1, 8, 9, 2]
target = 9

for x in numbers:
    if x == target:
        print("found")
        break
```

Fill in the blanks:

- Best case time complexity: \_\_\_\_\_
  - Worst case time complexity: \_\_\_\_\_
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## 12) Two-pointer palindrome check (concept review)

Assume `s` is a string of length `n`.

```
s = "ABCDCBA"
left = 0
right = len(s) - 1

while left < right:
    if s[left] != s[right]:
        print("not palindrome")
        break
    left = left + 1
    right = right - 1
```

Worst case time complexity: \_\_\_\_\_

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## Part D – Counting steps (small n)

### 13) How many prints? ( $n = 4$ )

```
numbers = [2, 5, 1, 4]

for x in numbers:
    print(x)
```

Number of `print` calls: \_\_\_\_\_

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#### 14) How many prints? ( $n = 3$ , nested loops)

```
n = 3

for i in range(n):
    for j in range(n):
        print(i, j)
```

Number of `print` calls: \_\_\_\_\_

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### Part E – Challenge

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#### 15) Unique pairs only ( $i < j$ )

```
numbers = [2, 5, 1, 4]
n = len(numbers)

for i in range(n):
    for j in range(i + 1, n):
        print(numbers[i], numbers[j])
```

1. Time complexity: \_\_\_\_\_

2. If `n = 4` , how many pairs are printed? \_\_\_\_\_