



Birzeit University
Faculty of Engineering and Technology
Department of Computer Systems Engineering

DIGITAL SIGNAL PROCESSING (DSP)

ENCS4310

Assignment #1

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1211705

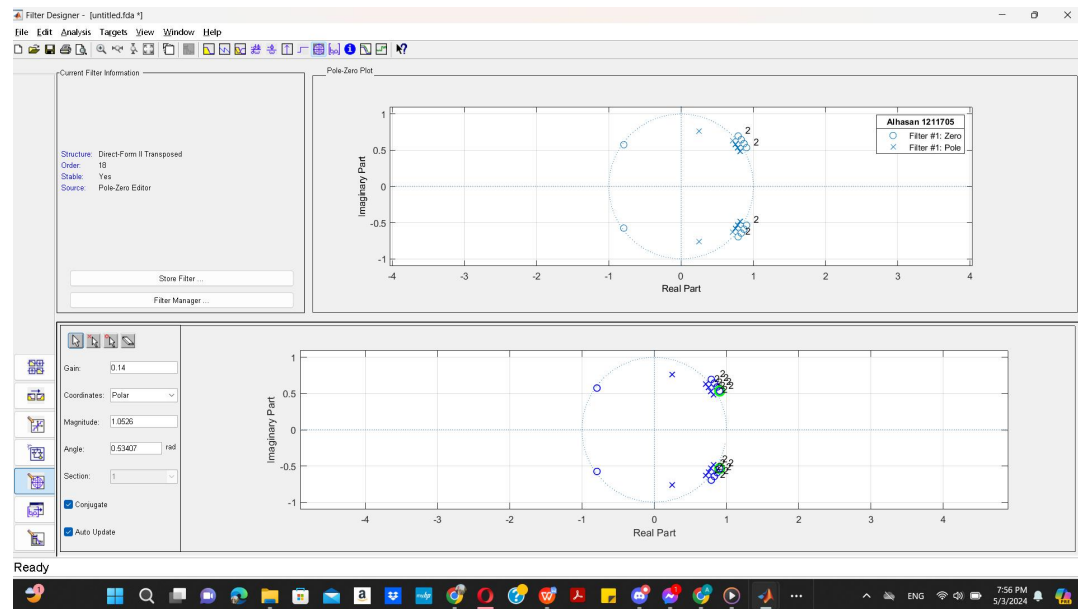
Instructor: Dr.Qadri Mayyala.

Section: 2

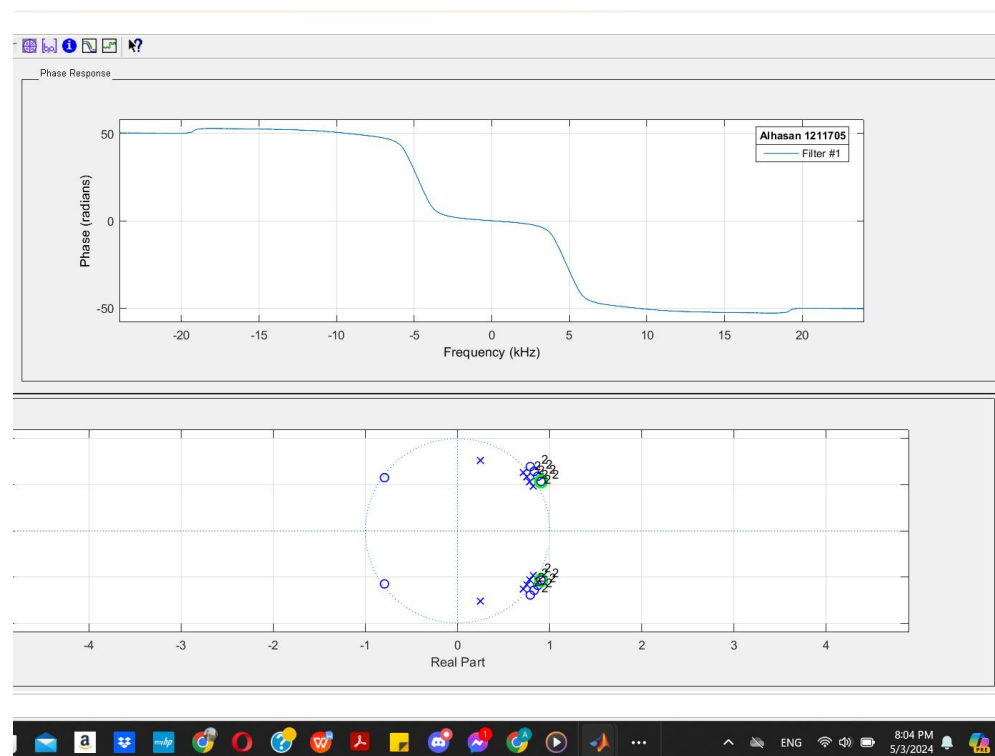
Date: 4/5/2024

1. Part I:

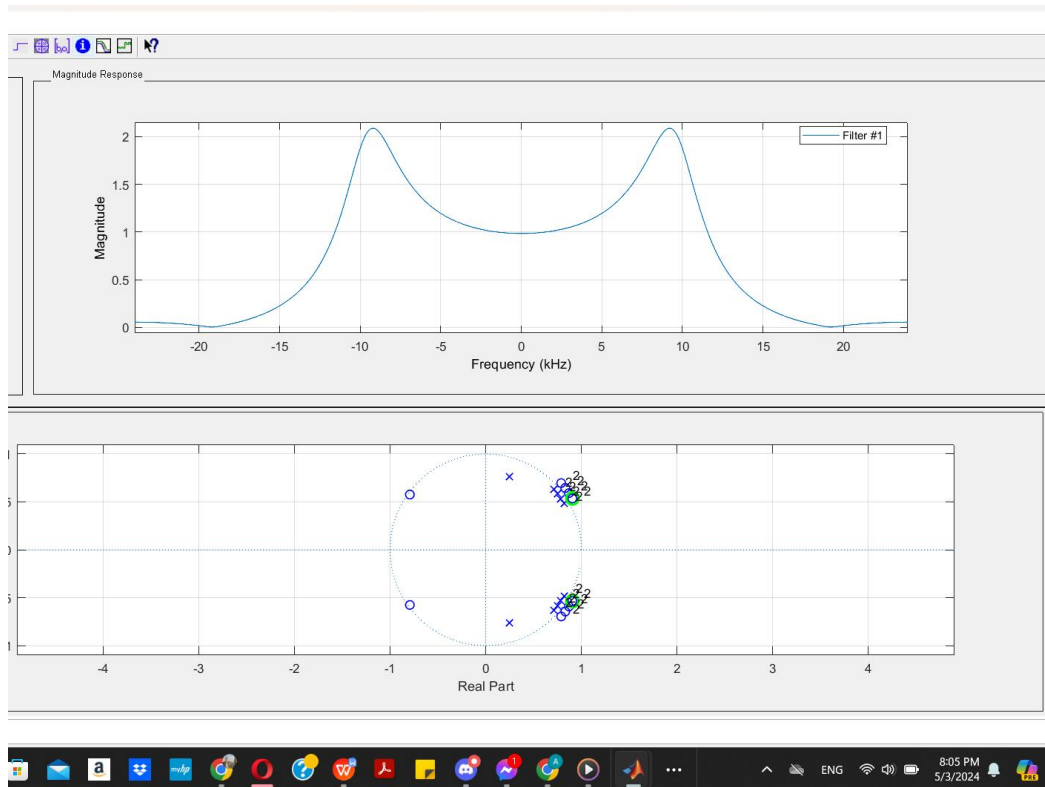
- Zeros & Poles



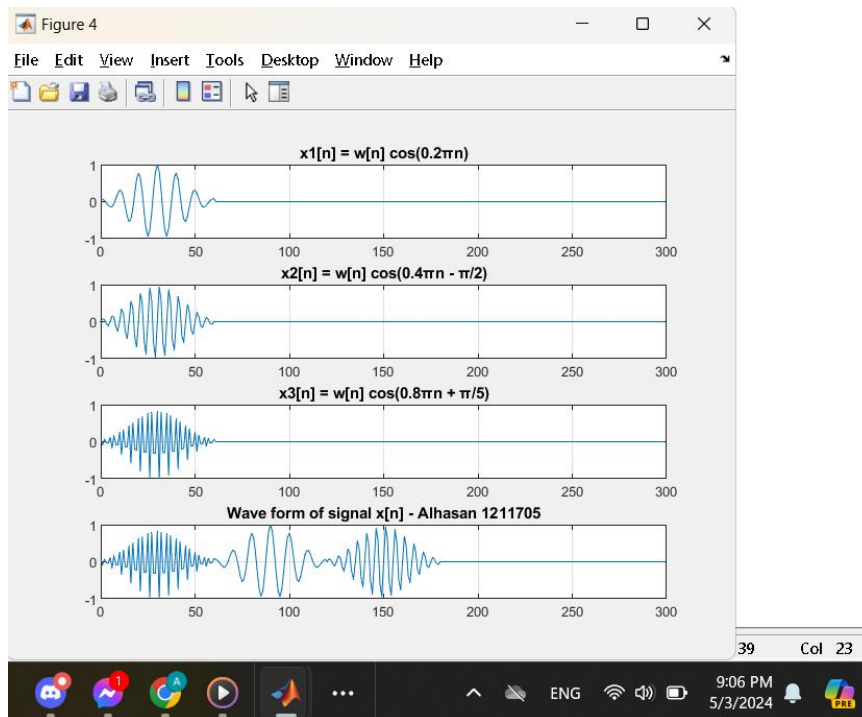
- Phase



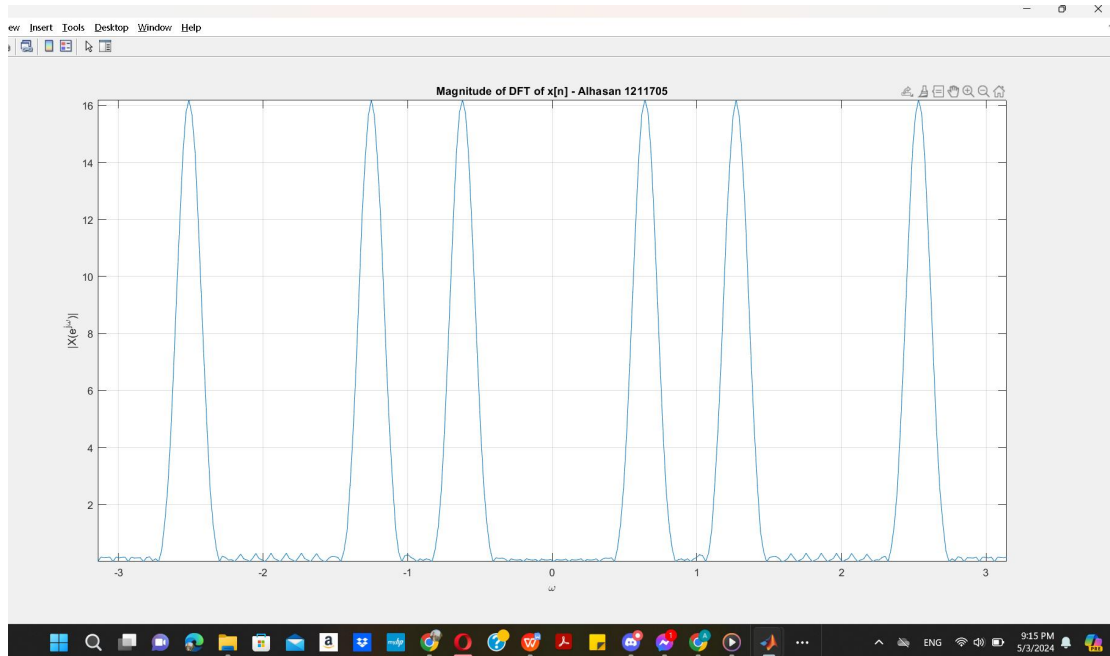
- Magnitude



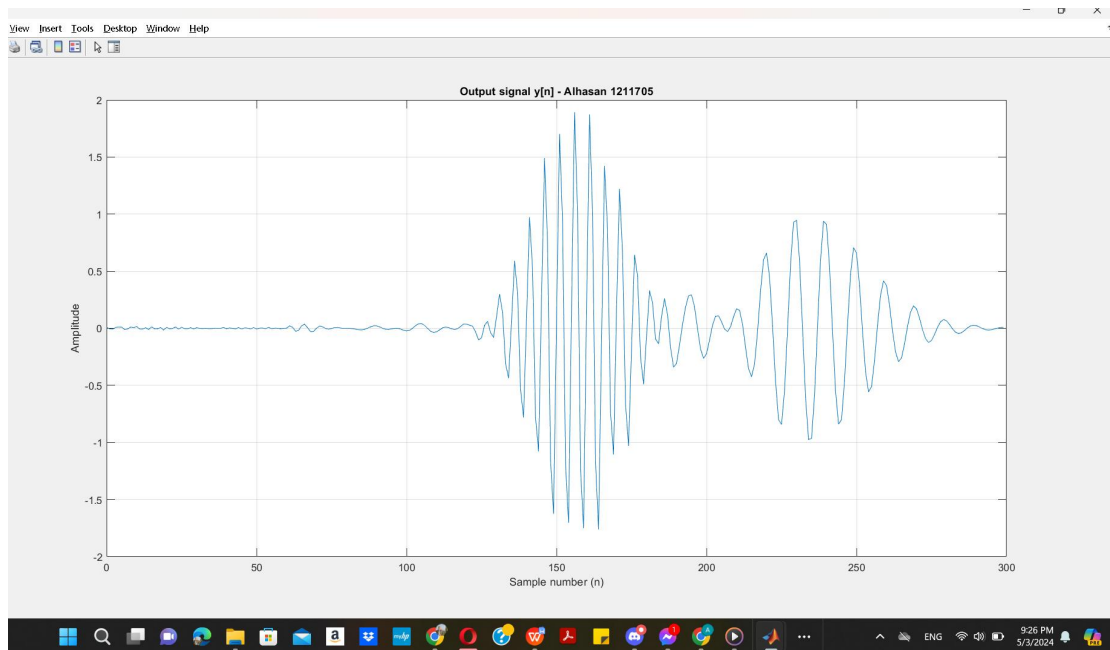
- Input



- DFT of $X[n]$



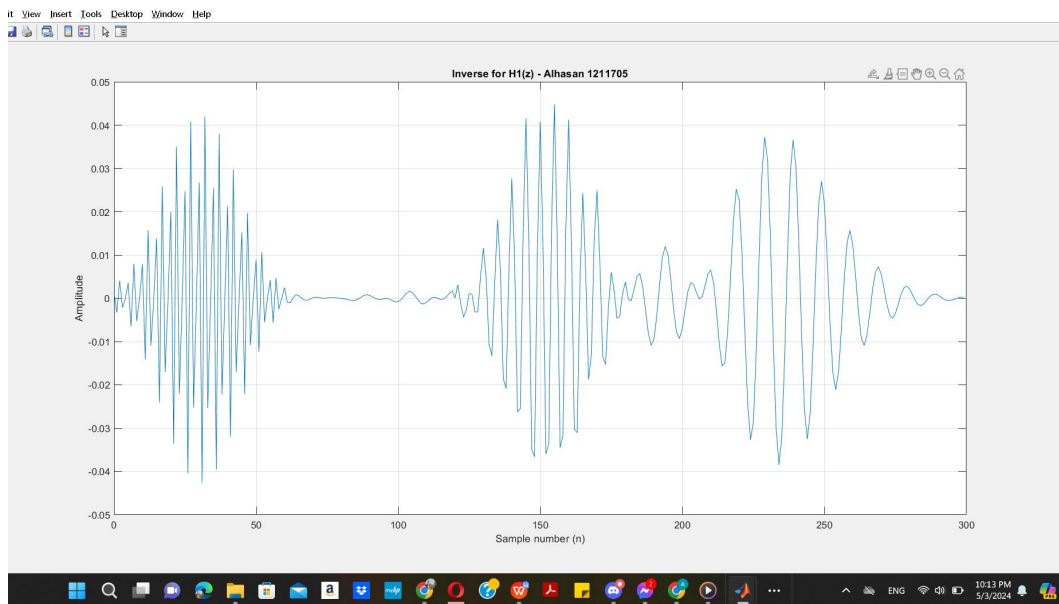
- output



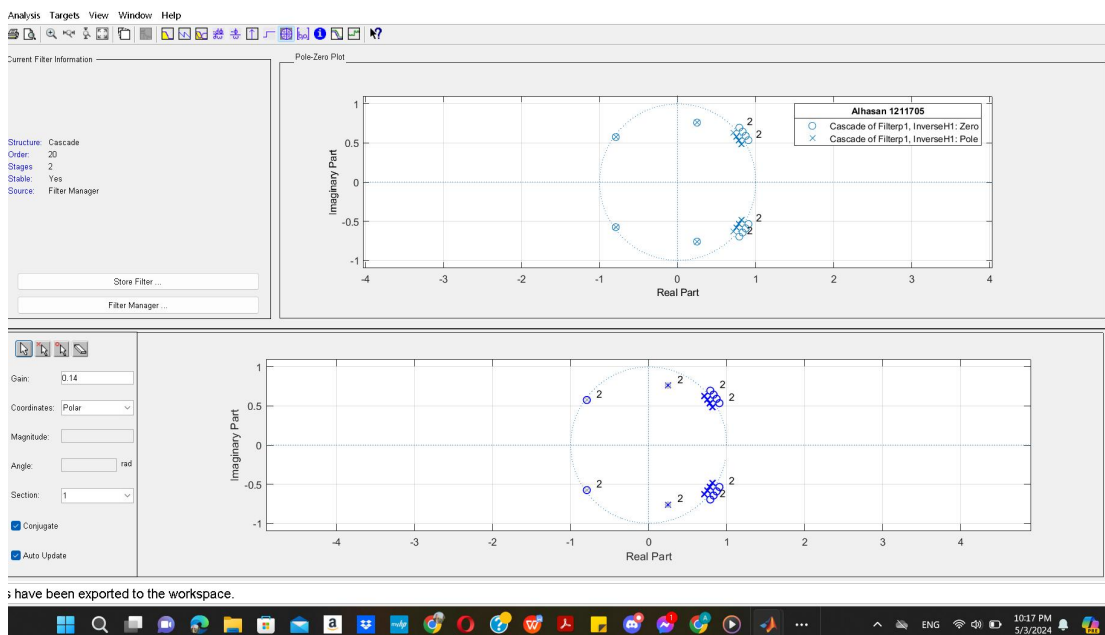
2. Part II:

Here in this part we cascaded the filter $H(z)$ with the inverse of $H_1(z)$, and we swap the values of zeros & poles to do it correctly. The filter $H(z)$ will be cascaded with the inverse of $H_1(z)$ in this section of the analysis. This setup is designed to remove the impact of $H_1(z)$ from the combined filter $H(z)$ allowing $H_2(z)$ to influence the signal processing.

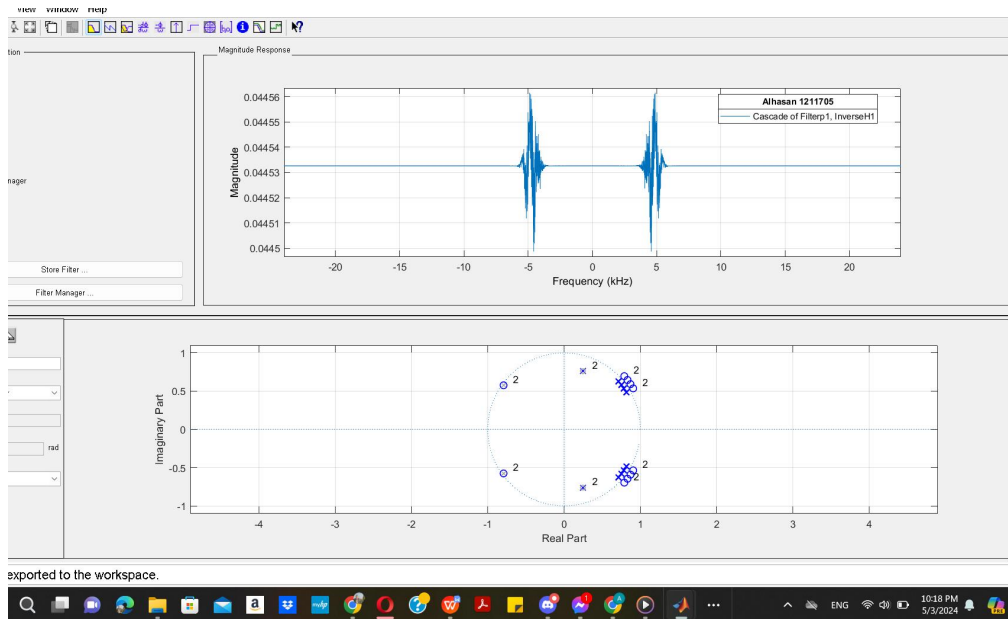
- Inverse of H_1



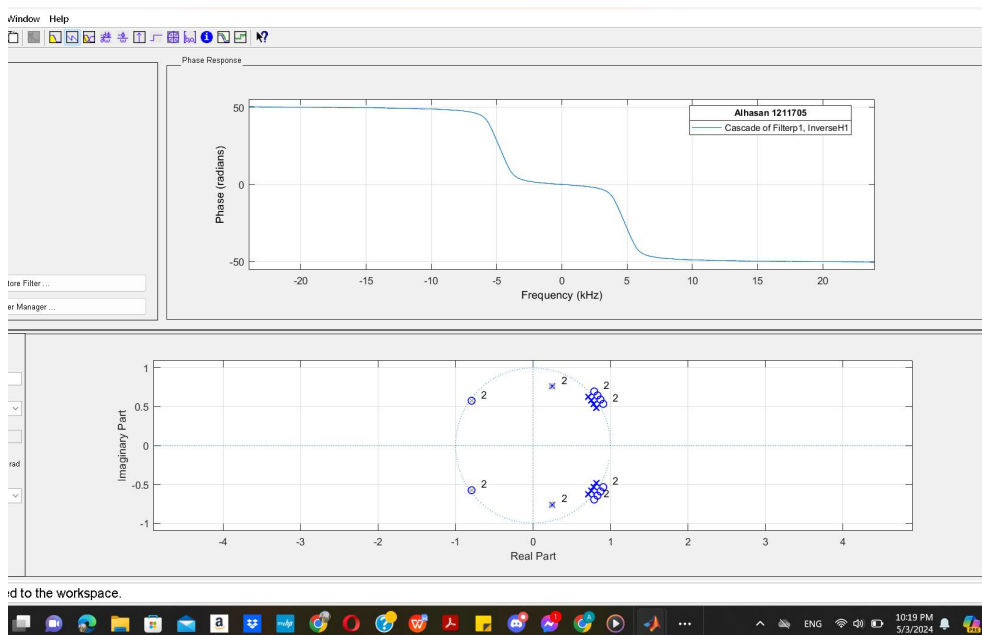
- Zeros & Poles



- Magnitude



- Phase

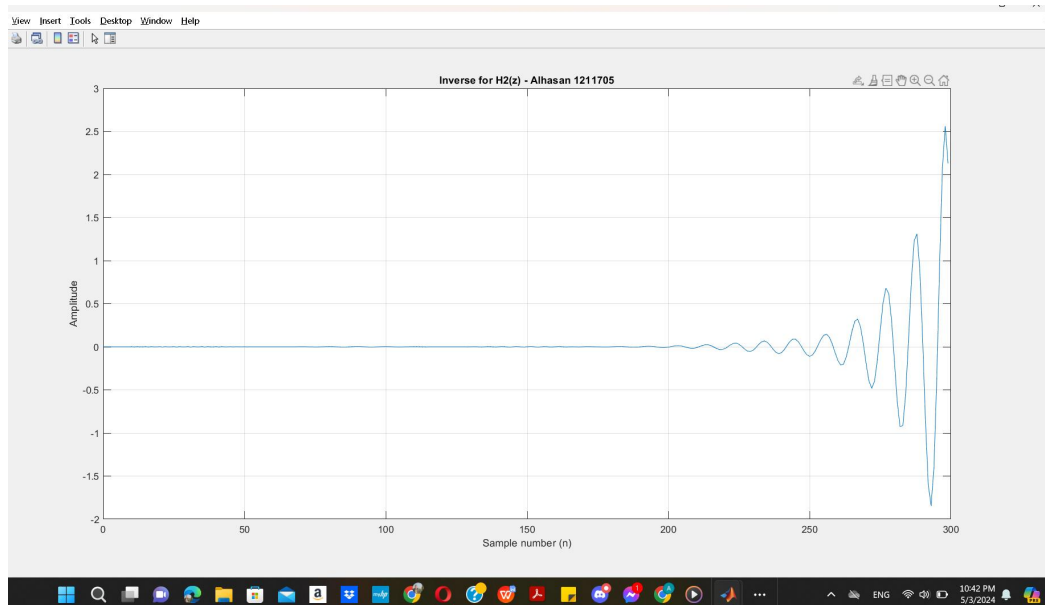


The last figures show the properties of the developed filter $H(z)$, which is cascaded with $H_1(z)$, in detail. The Pole-Zero plot, which is shown in the second of these pictures, is essential for comprehending the filter's stability and dynamic response. From it, we may infer that the filter is stable because none of its poles are outside the unit circle. The Magnitude Frequency Response is shown in the third picture, which provides information on how the filter attenuates or amplifies particular frequency components. The Phase Response, which aids in evaluating the phase distortion the filter introduces at various frequencies, is depicted in the fourth picture. Lastly, The output signal result acquired from this section of the analysis is finally shown in the first figure, which is very clear and good and shows the stability and effectiveness of the filter in processing the input signal.

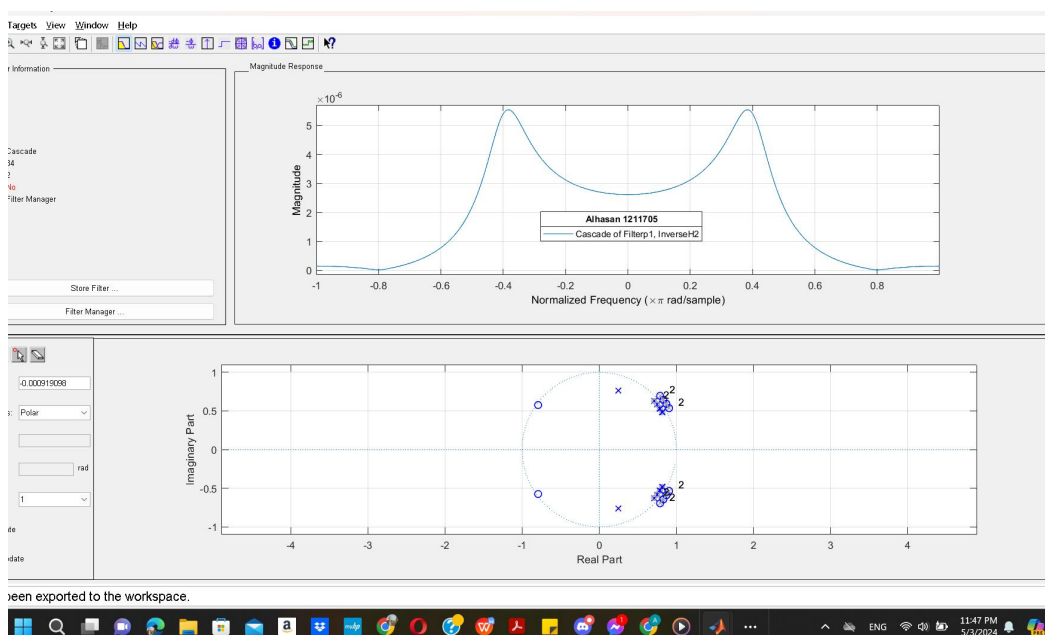
3. Part III:

In order to achieve this correctly, we swap the values of the zeros and poles in this section where we cascade the filter $H(z)$ with the inverse of $H_2(z)$. In this part of the study, the filter $H(z)$ will be cascaded with the inverse of $H_2(z)$. With this configuration, the effect of $H_2(z)$ is eliminated from the combined filter $H(z)$, allowing $H_1(z)$ to affect the signal processing.

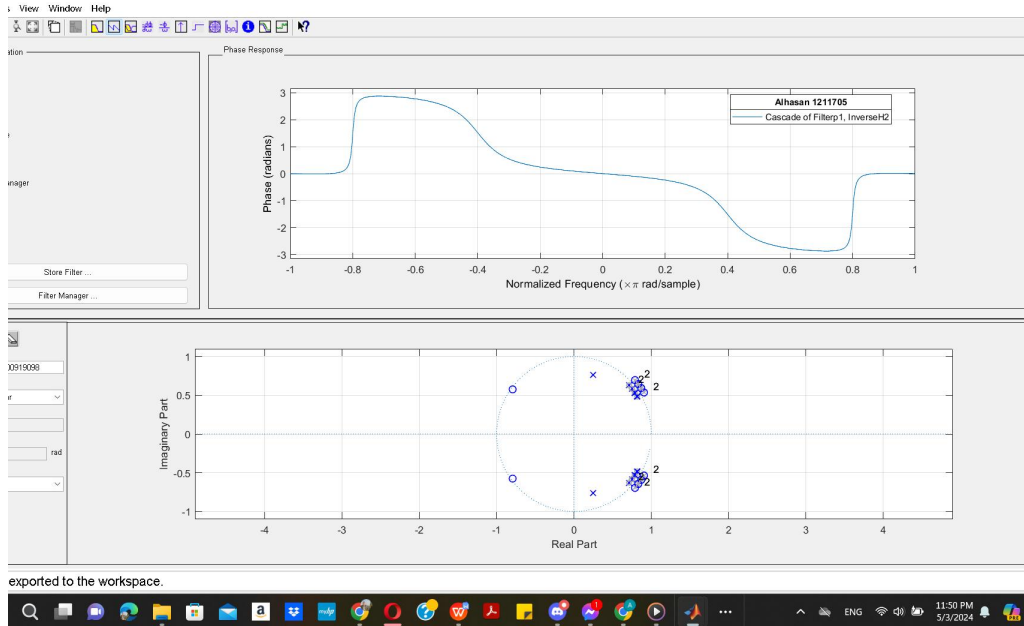
- Inverse of H_2



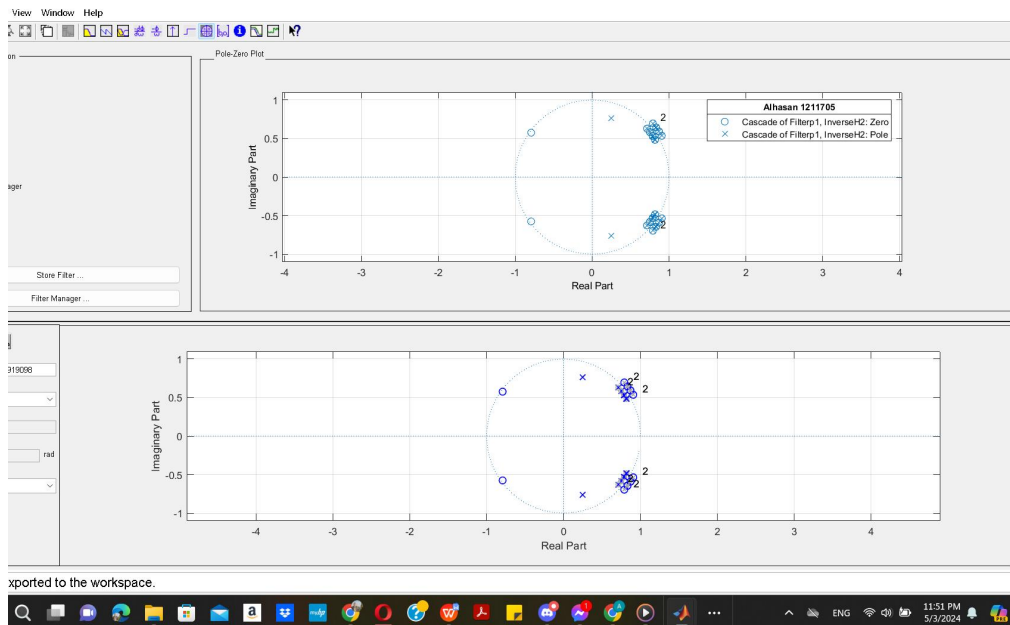
- Magnitude



● Phase



● Poles & zeros



The features of the produced filter $H(z)$, which is cascaded with $H_2(z)$, are detailed in the final figures. The second image illustrates the Magnitude Frequency Response, which describes how specific frequency components are amplified or attenuated by the filter. The third image shows the Phase Response, which is useful for assessing the phase distortion the filter introduces at different frequencies. Understanding the stability and dynamic responsiveness of the filter requires an understanding of the Pole-Zero plot, which is depicted in the last of these images. Since none of its poles are outside the unit circle, we can deduce that the filter is stable based on this information. Finally, the first figure displays the output signal result obtained from this section of the study. It is excellently clear and illustrates the stability and efficacy of the filter in processing the input signal.