



Digital Design Verification

C Module Project

Data Compression Algorithm using Huffman Tree Encoder in C

Release Date: 26-Feb-2024

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Revision History

Revision Number	Revision Date	Revision By	Nature of Revision	Approved By
1	26/02/2024	Hira Sohail, Muhammad Bilal	Complete manual	-



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Objective

The purpose of this lab is to:

Implement a practical example using C program.

Write a comprehensive C program covering advance topics on pointers and link list.

Tools

- GC Compiler
- GDB

Introduction

Huffman Coding is a technique of compressing data to reduce its size without losing any of the details. It was first developed by David Huffman.

Overview

Huffman Coding is generally useful to compress the data in which there are frequently occurring characters.

Assume that the data consists of stream of symbols from a finite alphabet. Compression algorithms encode this data such that it can be transmitted/stored with minimum size. Huffman coding is a lossless data compression algorithm developed by David A. Huffman while he was a PhD student at MIT. It forms the basis of the 'zip' file format. It has several interesting properties:

- It is a variable length code. Frequent symbols are encoded using shorter codes.
- It is a prefix code. No code occurs as a prefix of another code. This property is also called instant decoding. The code can be decoded using current and past inputs only.
- It is the best possible prefix code (on an average)—it produces the shortest prefix code for a given symbol frequency.

Generating Code

Assume that we know the frequency of occurrence of each symbol. We also assume that the symbols are sorted according to the frequency of their occurrence (lowest first). The procedure to generate the code involves constructing a tree that proceeds as follows:

- Initially all symbols are leaf nodes.
- The pair of symbols with the smallest frequency are joined to form a composite symbol whose frequency of occurrence is sum of their individual frequencies. This forms the parent node in the binary tree with the original pair as its children. This new node is now treated as a new symbol.
- The symbols are re-arranged according to the new frequency and the procedure is repeated until there is a single root node corresponding to the composition of all the original symbols.

After N-1 (N being the number of symbols) iterations the tree building is complete. Now, each branch is labelled with '1' (if right) or '0' (if left). The code for each symbol is the string of 1s and 0s formed when traversing the tree from the root to the leaf node containing the symbol.



Consider the following example:

Let, $\{('a',0.01),('b',0.04),('c',0.05),('d',0.11),('e',0.19),('f',0.20),('g',0.4)\}$

be the exhaustive set of symbols and their corresponding frequency of occurrence. We can represent the code formation through the following table and the corresponding tree.

iteration	tree
1	$\{('a',0.01),('b',0.04),('c',0.05),('d',0.11),('e',0.19),('f',0.20),('g',0.4)\}$
2	$\{('ab',0.05),('c',0.05),('d',0.11),('e',0.19),('f',0.20),('g',0.4)\}$
3	$\{('abc',0.1),('d',0.11),('e',0.19),('f',0.20),('g',0.4)\}$
4	$\{('e',0.19),('f',0.20),('abcd',0.21),('g',0.4)\}$
5	$\{('abcd',0.21),('ef',0.39),('g',0.4)\}$
6	$\{('g',0.4),('abcdef',0.6)\}$
7	$\{('abcdefg',1.00)\}$

Table 1: The table illustrates the formation of the tree from bottom-up.

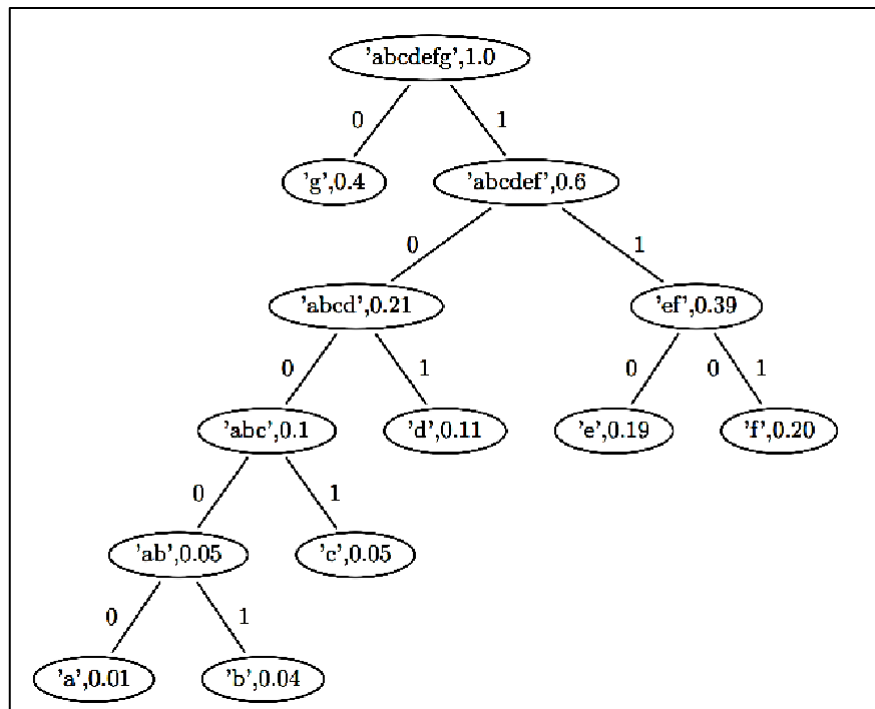


Fig 1: Huffman code tree corresponding to the given symbol frequencies.

TASK1 - Implementing a Huffman decoder

Instructions

- Please copy the sample code (decode.c) from the attached file.
- Please go through the code to understand the overall structure and how it implements the algorithm.

Things to do:



(a) The symbol tree has to be recreated given the mapping between symbols and its binary string (see code.txt). The function build tree() implements this functionality. Please fill in missing code.

(b) Given the encoded string and symbol tree, write the missing code to generate the decoded output.

Hint: for each string, traverse the tree and output a symbol only when you encounter a leaf node.

(c) Finally fill in the missing code(if any) to free all resources and memory before exiting the code. Output The program outputs a file 'decoded.txt' containing the decoded output. The output should be "abbacafebad".

Output

The program outputs a file 'decoded.txt' containing the decoded output. The output should be "abbacafebad".

TASK 2 - Implementing a Huffman encoder

In this part, we will implement a Huffman encoder. For simplicity, we assume that the symbols can be one of 'a','b','c','d','e','f','g'. We also assume that the symbols frequencies are known.

Instructions

a) Please copy the sample code (encode.c) from attached file.

(b) Please go through the code to understand the overall structure and how it implements the algorithm. Pay attention to the use of a priority queue and how the code tree is built from the bottom-up.

Things to do:

(a) During each iteration, we need to keep track of the symbol (or composite) with the lowest frequency and second lowest frequency of occurrence. This can be done easily using a priority queue (a linked list where elements are always inserted in the correct position). The file 'encode.c' contains template code (pq insert()) that implements the priority queue. You are required to fill in the missing sections. Make sure you take care of the following conditions:

(i) queue is empty

(ii) new element goes before the beginning and

(iii) new element goes at the end or in the middle of the queue.

(b) Symbols are removed from the priority queue using 'pq pop()' function. In a priority queue, elements are always removed from the beginning. The file 'encode.c' contains template code to implement this. Please fill in the missing parts. Make sure you update the pointers for the element to be removed.

(c) Once the code tree is built in memory, we need to generate the code strings for each symbol. Fill in the missing code in 'generate code()'.



(d) Finally fill in the missing code to free all resources and memory before exiting the code.

Output

The program outputs two files 'encoded.txt' containing the encoded output and also 'code.txt' that displays the Huffman code. Your output should match the reference values shown below:

Symbol	Code
A	10000
B	10001
C	1001
D	101
E	110
F	111
G	0

Table 2: Reference Huffman code

TASK 3 - Compressing a large file

Thus far, we have assumed the symbols, and their frequencies are given. In this part, you will be generating the symbol frequencies from a text file.

Instructions

(a) Please copy the text file (book.txt) from the provided repository.

Things to do:

(a) Update encode.c to read from this file to generate the frequency of occurrence.

(b) Generate an updated 'code.txt' and 'encoded.txt'

(c) Update decode.c (if required).

(d) Measure the compression ratio. Assume each character('1'/'0') in encoded stream (encoded.txt) takes one bit. Assume each character in book.txt takes 8 bits.

Output

The decoded file decoded.txt and book.txt has to be identical.

Submission:

Please submit all the .c files of all the tasks along with the screenshots of outputs on LMS in a proper report. No flow charts required.