



Course Name:	Design and Analysis of Algorithms	Course Code:	
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Student Name: [REDACTED] Roll No: [REDACTED] Section: [REDACTED]

Instructions: Do Rough Work on the right column.

1) In Counting Sort, which of the following is incorrect regarding its implementation?

- a) It does not involve comparisons between elements
- ☒ b) It modifies the input array in place
- c) It requires an auxiliary array of size $O(k)$
- d) It is stable when implemented correctly

2) Why is Radix Sort not commonly used for general-purpose sorting?

- a) It is asymptotically slower than Quick Sort
- ☒ b) It requires additional space and is inefficient for large data
- c) It is not stable
- d) It does not work for integer sorting

3) If an array contains n elements drawn from a uniform distribution, what is the best way to determine the number of buckets?

- a) Use n buckets
- ☒ b) Use \sqrt{n} buckets
- c) Use $\log(n)$ buckets
- d) Use k buckets

4) Bucket Sort is generally inefficient when applied to:

- ☒ a) Floating-point numbers uniformly distributed between $[0,1]$
- b) Large datasets with arbitrary distributions
- c) Sorting 32-bit integers in a small range
- d) Sorting data with a normal distribution

5) If $k \gg n$ (i.e., k is much larger than n), what is the primary issue when applying Counting Sort?

- a) It still runs in $O(n)$ time
- ☒ b) Excessive memory usage
- c) Requires additional recursive calls
- d) Counting Sort is independent of k

6) What is the worst-case time complexity of Radix Sort for sorting n integers when each integer has d digits and the stable subroutine (Counting Sort) takes $O(n + b)$ time (with b being the base)?

- a) $O(n)$
- ☒ b) $O(d \cdot (n + b))$
- c) $O(n \log n)$
- d) $O(n^2)$

✓
 $O(d(n+b))$
✓

$\frac{100}{10} = 10 \text{ buckets}$
✓

$O(n^2)$
✗

✓

$O(d(n+b))$
✓

- 7) Suppose you need to sort an array of strings where each string consists of only lowercase English letters (a-z). What is the most efficient way to use Counting Sort?
- a) Sort the strings character by character from right to left using Counting Sort
 - b) Use Counting Sort directly on the entire string
 - ☒ c) Convert each string into an integer and then use Counting Sort
 - d) Counting Sort cannot be used for sorting strings

- 8) You are given an array with n elements, where each element is in the range $[0, k]$. If $k = O(n^2)$, what is the time complexity of Counting Sort?
- a) $O(n \log n)$
 - ☒ b) $O(n^2)$
 - c) $O(n + k)$
 - d) $O(n^3)$

- 9) Why must the subroutine in Radix Sort be stable?
- a) To handle negative numbers
 - ☒ b) To preserve previous digit orderings
 - c) To reduce space complexity
 - d) To improve speed

- 10) How can Count Sort handle negative integers?
- ☒ a) Ignore the negative sign
 - b) Split into positive/negative parts
 - c) Shift values to make them non-negative
 - d) Use a hash table

- 11) A bank needs to sort transactions by 3-digit branch codes (0-999). Which algorithm is best?
- ☒ a) Radix Sort
 - b) Bucket Sort
 - c) Count Sort
 - d) QuickSort

- 12) Bucket Sort is generally inefficient when applied to:
- a) Floating-point numbers uniformly distributed between $[0, 1]$
 - ☒ b) Large datasets with arbitrary distributions
 - c) Sorting 32-bit integers in a small range
 - d) Sorting data with a normal distribution



$O(n+k) = O(n+n^2)$
 $O(n^2)$
X

