

University of Bahrain College of Information Technology Department of Computer Engineering

EXPERIMENT 1

Introduction to MATLAB

Prepared By

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Sec: 01

Course Number: ITCE340/272

Objective:

The objective of this lab is to know how to use MATLAB

What is MATLAB?

MATLAB® is a high-performance language for technical computing. It integrates computation, visualization, and programming in an easy-to-use environment where problems and solutions are expressed in familiar mathematical notation.

Typical uses include:

Math and computation

Algorithm development

Data acquisition Modeling, simulation, and prototyping

Data analysis, exploration, and visualization

Scientific and engineering graphics

Application development, including graphical user interface building

MATLAB is an interactive system whose basic data element is an array that does not require dimensioning. This allows you to solve many technical computing problems, especially those with matrix and vector formulations, in a fraction of the time it would take to write a program in a scalar non-interactive language such as C or FORTRAN.

The name MATLAB stands for matrix laboratory. MATLAB was originally written to provide easy access to matrix software developed by the LINPACK and EISPACK projects.

Today, MATLAB engines incorporate the LAPACK and BLAS libraries, embedding the state of the art in software for matrix computation.

MATLAB has evolved over a period of years with input from many users. In university environments, it is the standard instructional tool for introductory and advanced courses in mathematics, engineering, and science. In industry, MATLAB is the tool of choice for high-productivity research, development, and analysis.

MATLAB features a family of add-on application-specific solutions called toolboxes. Very important to most users of MATLAB, toolboxes allow you to learn and apply specialized technology. Toolboxes are comprehensive collections of MATLAB functions (M-files) that extend the MATLAB environment to solve particular classes of problems. Areas in which toolboxes are available include signal processing, control systems, neural networks, fuzzy logic, wavelets, simulation, and many others.

Report

1- Consider the following 8x8 input block:

```
A= [450 150 350 200 125 134 32 150 250 250 150 200 123 134 32 50 130 50 250 100 120 10 32 50 50 15 250 120 123 13 32 150 220 15 250 200 120 14 32 20 250 10 50 40 13 134 32 40 50 10 20 20 12 13 32 30 150 10 250 200 20 16 32 150]
```

2- Calculate the sum of matrix A.



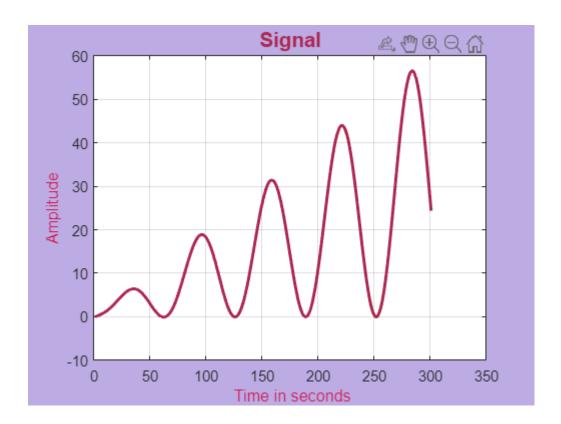
3- Calculate the DCT matrix A.

```
T =
  548.0078
           180.3122
                     555.0788
                              381.8377
                                         231.9310
                                                  165.4630
                                                              90.5097 226.2742
  180.3479
           179.5427
                     158.6418
                                83.6958
                                         127.6534
                                                  73.6273
                                                                        23.7734
  137.1328
            98.3205
                      21.3196
                                52.2625
                                         -44.8874
                                                    57.3926
                                                                    0
                                                                       58.1388
  211.2820
           15.1763 -69.1859
                              -24.7589
                                        -20.4807
                                                    98.3402
                                                                    0 -42.9669
   67.1751 -45.9619 222.7386 127.2792
                                          42.4264 -40.3051
                                                                    0 106.0660
  -97.1233 -74.9025 -16.4635 -115.6768
                                         -13.5816
                                                  -39.0702
                                                                    0
                                                                        45.2131
  100.0979
          -67.5135
                      79.1863 -21.6478
                                        -19.6754
                                                    22.1492
                                                                        29.4938
    7.1851
           -36.3827
                      56.7894
                                                                      -65.1494
                                14.1742
                                          22.4205
                                                  -73.1624
```

4- Plot the function $y = \sin(x) + x - x \cos(x)$ in two separate figures for the intervals: 0 < x < 30 and 100 < x < 100. Add a title and axes description.

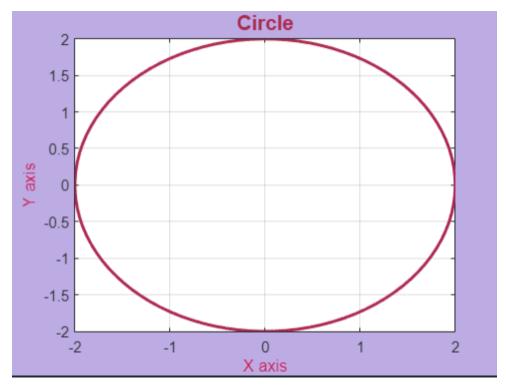
```
Question 4 part 1

f14=figure(1)
x=0:0.1:30;
y=sin(x)+x-x.*cos(x);
set(f14,'color','#BDACE4');
plot(y,'lineWidth',2,'color','#AD2851');grid on;
title('Signal','FontSize',14,'Color','#AD2851')
xlabel('Time in seconds','color','#D21D55');
ylabel('Amplitude','color','#D21D55');
```



5- Plot a circle with the radius r = 2, knowing that the parametric equation of a circle is $[x(t), y(t)] = [r \cos(t); r \sin(t)]$ for t = [0; 2pi].

```
Preserved to the control of the
```

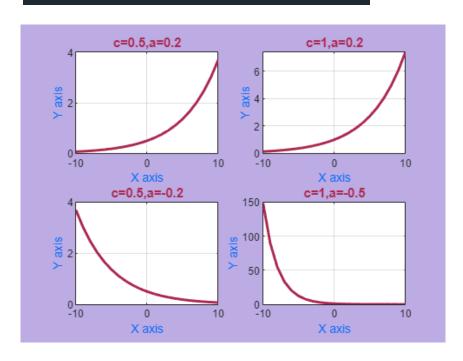


```
6- Plot X(t)=Ce^{at}
```

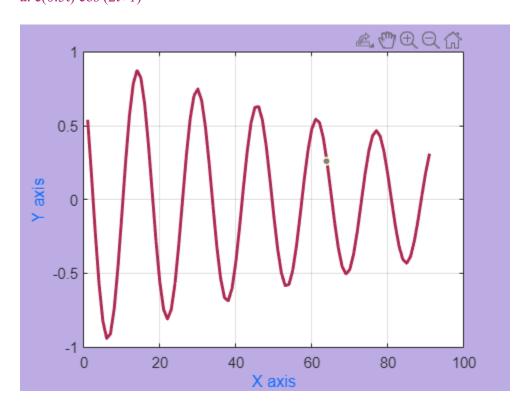
```
C=0.5, a=0.2
b- C=1, a=0.2
c- C= 0.5, a=-0.2
d- C=1, a= -0.5
```

```
t=-10:10;
c=0.5;
a=0.2;
subplot(2,2,1);
plot(t,c*exp(a*t), 'lineWidth',2,'color', '#AD2851');grid on
title('c=0.5,a=0.2', 'FontSize',10,'Color', '#AD2851')
xlabel('X axis', 'color', '#0d6efd');

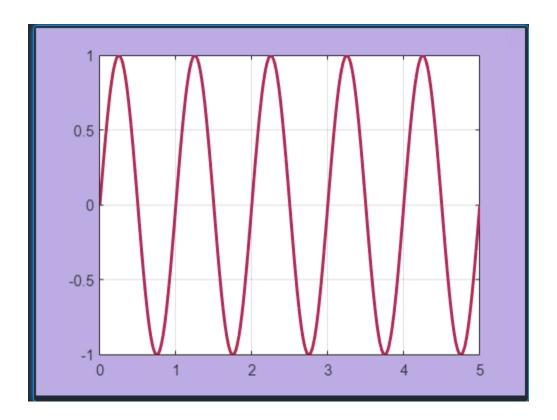
cl=1;
al=0.2;
subplot(2,2,2);
plot(t,c1*exp(a1*t), 'lineWidth',2,'color', '#AD2851');grid on
title('c=1,a=0.2', 'FontSize',10,'Color', '#AD2851');ylabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
xlabel('X axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
xlabel('X axis', 'color', '#0d6efd');
xlabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
xlabel('Y axis', 'color', '#0d6efd');
xlabel('X axis', 'color', '#0d6efd');
xlabel('Y axis', 'color', '#0d6efd');
ylabel('Y axis', 'color', '#0d6efd');
```

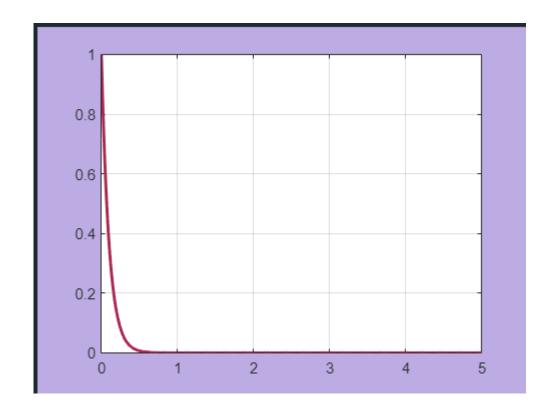


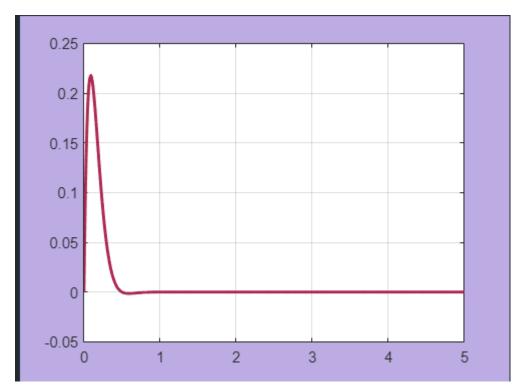
7- Plot:
a. e(0.5t) cos (2t+1)



8- If x(t)=sin (2 Π t) and y(t) = e-10t z= x(t) * y(t)







```
Plot x(t), y(t), z(t)
9- If x(t) = \exp(t)
Draw:
a. x(t)
b. x(-t)
c. \exp(|t|)
d. \exp(-|t|)
```

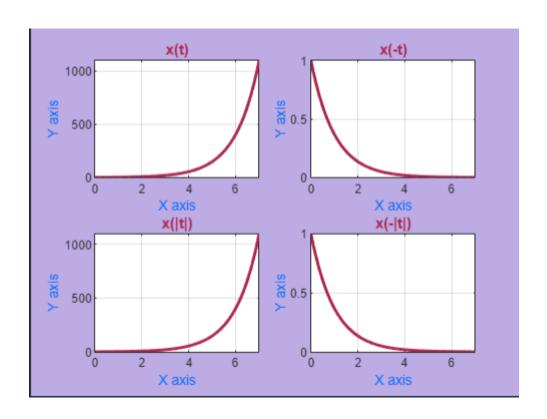
```
t=0:0.1:7
subplot(2,2,1);
x=exp(t);
plot(t,x','lineWidth',2,'color','#AD2851');grid on
title('x(t)','FontSize',10,'Color','#AD2851');
xlabel('X axis','color','#0d6efd');

subplot(2,2,2);
xl=exp(-t);
plot(t,x1,'lineWidth',2,'color','#AD2851');grid on
title('x(-t)','FontSize',10,'Color','#AD2851');
xlabel('Y axis','color','#0d6efd');

subplot(2,2,3);
x2=exp(abs(t));
plot(t,x2,'lineWidth',2,'color','#AD2851');grid on
title('x(|t|)','FontSize',10,'Color','#AD2851');
xlabel('Y axis','color','#0d6efd');

subplot(2,2,3);
x2=exp(abs(t));
plot(t,x2,'lineWidth',2,'color','#AD2851');grid on
title('x(|t|)','FontSize',10,'Color','#AD2851');
xlabel('Y axis','color','#0d6efd');

subplot(2,2,4);
x3=exp(-abs(t));
plot(t,x3,'lineWidth',2,'color','#AD2851');grid on
title('x(-|t|)','FontSize',10,'Color','#AD2851');
xlabel('Y axis','color','#0d6efd');
ylabel('Y axis','color','#0d6efd');
ylabel('Y axis','color','#0d6efd');
```



Conclusion:

In this lab I learned a lot of things which are

- Basic of MATLAB function
- Properties of signals
- What affects signals
- How signal will change if we change the variables