Traffic Light Controller



Prepared by

Ali Abdel Aleem Ali

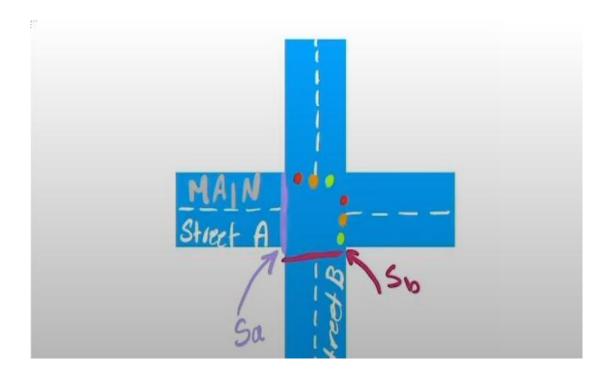
Overview:

This project presents the design and implementation of a Traffic Light Controller based on a Finite State Machine (FSM) model. The controller is developed to manage traffic flow at a typical intersection by providing systematic switching between red, yellow, and green lights. Using FSM ensures a structured representation of states, transitions, and timing sequences, enabling efficient and predictable operation. The design is modeled in Verilog HDL and thoroughly verified through a testbench, which simulates different traffic scenarios to validate timing accuracy, correctness of state transitions, and overall system reliability. This FSM-based approach demonstrates how digital design techniques can be effectively applied to real-world traffic management systems, ensuring safety, robustness, and scalability for more complex intersections.

Design Procedure:

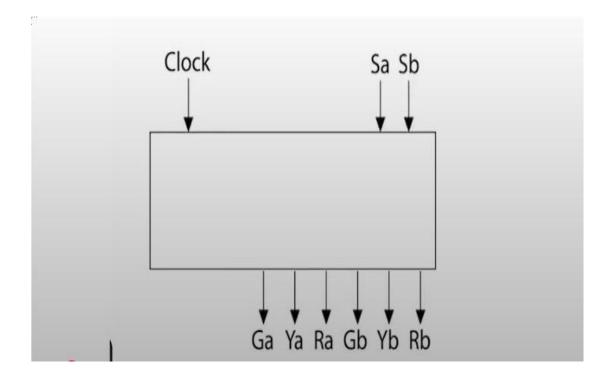
Design a traffic light controller for the intersection of Street A and Street B.

The controller uses a single synchronous clock domain. A clock divider produces a low-frequency tick, that enables the FSM to advance only once per tick, so green/yellow/red duration's map directly to real seconds. A synchronous, active-high reset initializes the system, and any asynchronous inputs are passed through a two-flip-flop synchronizer. This scheme improves timing predictability, simplifies simulation/testbench checks, and avoids metastability issues.



Each street has traffic sensors, which detect the presence of vehicles approaching or stopped at the intersection.

The controller has 6 outputs (Ga, Ya, and Ra) drive the green, yellow and red lights on street A, and (Gb, Yb, and Rb) drive the corresponding lights on street B.

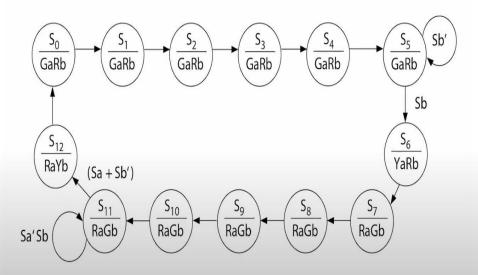


specification:

- If Sa = 1 means a vehicle approaching on street A.
- Sb = 1 means a vehicle is approaching on street B
- Street A is a main street and has a green light until a car approaches approaches on B, then the lights change, and B has a green light.
- At the end of 50 seconds, the lights change back unless there is a car on street B and none on A, in which case the B cycle is extended for 10 additional seconds.
- If cars continue to arrive on street B and no car appears on street A, B continues to have a green light.
- When A is green, it remains green at least 60 seconds, and then the lights change only when a car approaches on B.

FSM State Diagram:

Traffic Light FSM



Inputs and Outputs ports:

Sequential State:

Next State:

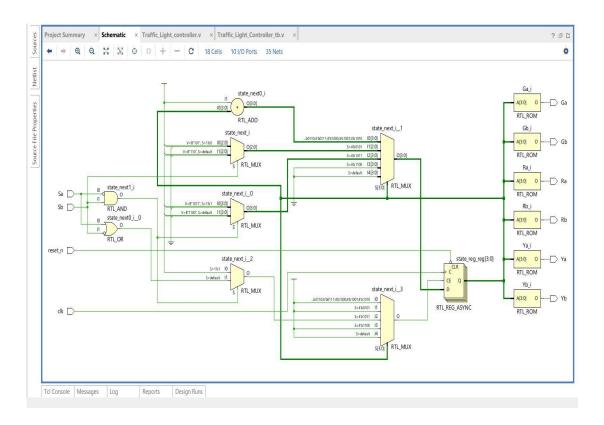
```
// Next state logic
always @(*)
begin
   state_next = state_reg;
    case(state_reg)
       s0, s1, s2, s3, s4, s6, s7, s8, s9, s10:
            state_next = state_reg + 1;
        s5: if (~Sb)
                state_next = s5;
            else
                state_next = s6;
        s11: if (~Sa & Sb)
                state_next = s11;
             else if(Sa | ~Sb)
                state_next = s12;
        s12: state_next = s0;
        default: state_next = s0;
    endcase
end
```

Output Logic:

```
// Output logic
always @(*)
begin

Ra = 1'b0;
Ya = 1'b0;
Rb = 1'b1;
Rb = 1'b1
```

RTL analysis:



Testbench parameter:

Assign new values to simpler the outputs:

```
// To make the output of the simulator simpler to read
// reduce the 6 different lights into light_A and light_B
// with values R, Y, G
wire [1:0] light_A, light_B;

localparam R = 0;
localparam Y = 1;
localparam G = 2;

assign light_A = Ra? R: Ya ? Y: Ga? G: light_A;
assign light_B = Rb? R: Yb ? Y: Gb? G: light_B;
```

Generate Clock

Reset condition and no cars in both street A, B:

No cars at A, there is a car in B:

```
81

82 #80;

83

84 // No cars at A, Some cars at B

85 Sa = 0;

86 Sb = 1;

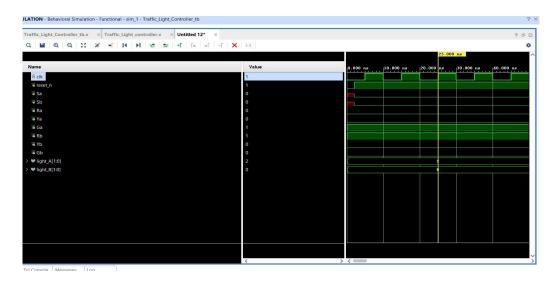
87 #100
```

Cars at both streets:

Car appears at B, then no cars at either streets:

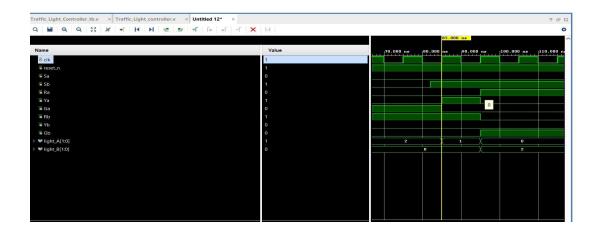
Simulation:

• At the beginning no cars on both streets but A is main Street.



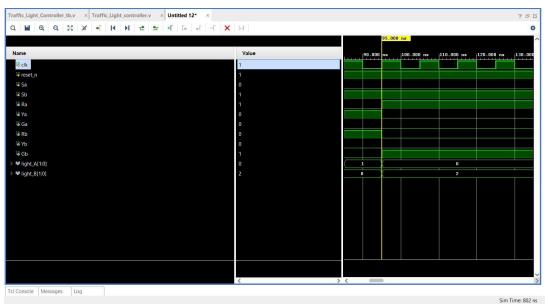
So: $GA\sqrt{}$ and $RB\sqrt{}$

• After, cars approach B:



So, $YA\sqrt{}$ and $RB\sqrt{}$

No cars at A, car approach B:



So, RA $\sqrt{}$ and GB $\sqrt{}$