

```

import numpy as np

def call_option_payoff(S, K):
    # Option payoff function (European call option)
    return np.maximum(S - K, 0)

def put_option_payoff(S, K):
    # Option payoff function (European put option)
    return np.maximum(K - S, 0)

def monte_carlo_sims(S0, T, r, sigma, K, n_t, n_sims, option_type):
    # This function generates monte carlo paths for the risky asset
    # using
    # geometric Brownian motion and uses arithmetic average to
    # estimate the option (call or put) price.

    # Simulate the risky asset's price path using geometric Brownian
    # motion
    dt = T / n_t
    risky_returns = np.exp((r - 0.5 * sigma**2) * dt + sigma *
np.sqrt(dt) * np.random.randn(n_sims, n_t))
    risky_prices = S0 * np.cumprod(risky_returns, axis=1)

    # Compute the option's payoff at expiration for each simulation
    if option_type == 'call':
        option_payoffs = call_option_payoff(risky_prices[:, -1], K)
    else:
        option_payoffs = put_option_payoff(risky_prices[:, -1], K)

    # Calculate the expected option payoff and discount it to present
    # value
    expected_payoff = np.mean(option_payoffs) # arithmetic mean

    # Evaluate the present value of the option
    option_price = np.exp(-r * T) * expected_payoff

    return option_price

np.random.seed(0)

# Define option parameters
stock_price = 100 # Current price of the underlying asset
strike_price = 105 # Strike price of the option
expiry_time = 1.0 # Time to expiration (in years)
risk_free_rate = 0.05 # Risk-free interest rate
volatility = 0.25 # Volatility of the underlying asset

n_simulations = 50000 # number of monte carlo simulations (i.e. risky
asset paths)
n_steps = 252 # Number of time steps (daily steps for one year)

```

```
# Price of a call option
call_option_price = monte_carlo_sims(stock_price, expiry_time,
risk_free_rate, volatility, strike_price, n_steps, n_simulations,
'call')
print(f"European call option price: {call_option_price:.2f}")
```

```
# Price of a put option
put_option_price = monte_carlo_sims(stock_price, expiry_time,
risk_free_rate, volatility, strike_price, n_steps, n_simulations,
'put')
print(f"European put option price: {put_option_price:.2f}")
```

European call option price: 10.09

European put option price: 9.87