Lec. (4) PHYSICS 1 1 ST LEVEL 2020 - 2021

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The bulk modulus is a proportionality constant that relates the pressure acting on an object to:	1
A. the shear B the fractional change in volume C. the fractional change in length D. Young's modulu sE. the spring constant ans: B	
2. A cube with edges exactly 2 cm long is made of material with a bulk modulus of 3.5×10° N/m². When it is subjected to a pressure of 3.0 × 10 <sup>5</sup> Pa its volume is:  A. 7.31 cm³ B 7.99931 cm³ C. 8.00069 cm³ D. 8.69 cm³ E. none of these  ans: B  13-A cube with 2.0-cm sides is made of material with a bulk modulus of 4.7 × 10 <sup>5</sup> N/m². When it is subjected to a pressure of 2.0 × 10 <sup>5</sup> Pa the length of its any of its sides is:	
A. 0.85 cm B. 1.15 cm C 1.66 cm D. 2.0 cm E. none of these	
To shear a cube-shaped object, forces of equal magnitude and opposite directions might be:  A. to opposite faces, perpendicular to the faces  B. to opposite faces, parallel to the faces  C. to adjacent faces, perpendicular to the faces  D. to adjacent faces, neither parallel or perpendicular to the faces  E. to a single face, in any direction  ans: B	
A shearing force of 50 N is applied to an aluminum rod with a length of 10 m, a cross-sectional area of 1.0 × 10 <sup>-5</sup> m, and a shear modulus of 2.5 × 10 <sup>10</sup> N/m <sup>2</sup> . As a result the rod is sheared through a distance of:  A. zero  B 1.9 mm  C. 1.9.cm  D. 19 cm  E. 1.9 m	
EX.2.1. a metal cube loca side, shearing force lo Calculate the modulus of rigidity(s), if DX = 0.02 C	m ·
answer: $S = \frac{F/A}{\Delta X/h} = \frac{Fh}{\Delta X A}$ $= \frac{10^6 \times 0.1}{5 \times 10^6 \text{ N/m}^2} = \frac{10000}{10000}$	7 0.1m

Calculate Young's motulus of a wire 1,00 cm Long and 3 mm radius, Which increase by 1 mm when Pulled (m) With a Mass 64.1 Kg.

answer a  $\Upsilon = \frac{F/A}{\Delta L/L} = \frac{FL}{A\Delta L}$ F=mg=64.1×9.8=628.18N L=100cm  $A = \pi r^2 = \pi (3x/\bar{b}^3)^2 = 2.83x/\bar{b}^{\frac{5}{2}}$ r=3mm DL = IMM  $Y = \frac{(628.18) \times (100 \times 10^{-2})}{(2.83 \times 10^{-5}) \times (1 \times 10^{-3})}$ M= 64.1kg J = 5.5 $= 2 \cdot 22 \times 10^{10} \, \text{N/m}^2$ 

[2-3] A Steel rod (edal) occupa) 2M Long has a cross-section area 0.30 cm², it is hung (color) by one end from a SUPPORT (and), and 550 kg MILLing Machine 15 hung from its other out

Determine the stress on the rod and the resulting strain elongation.

answer II = 20×10 Pa

L=2M,  $A=0.30 Cm^2 = 0.30 \chi lo^4 m^2$ M=550 kg, Stress=?,  $\Delta L=?$ 

\*  $Stress = \frac{F}{A} = \frac{Mg}{A}$ =  $\frac{550 \times 9.8}{0.30 \times 10^4} = \frac{1.8 \times 10^8 N/m^2}{1.8 \times 10^8 N/m^2}$ 

\* ·· Y = Stress Strain

 $\frac{5 \pm Vain}{Y} = \frac{5 \pm Vess}{20 \times 10^{10}}$   $= 9 \times 10^{-4}$ 

· · Strain = AL

A hydraulic Press (Juguas muso) Contains 0.25 m3 of oil, Find the decrease in the Volume When it is SUBJECTED to AP=1.6x/07 Pa. The bulk modulus of oil B = 5 X/09 Parand its compressibility  $K = \frac{1}{B} = 20 \times 10^6 atm'$ answer - $B = \frac{stress}{strain} = \frac{\Delta P}{-\Delta V/V} = -\frac{\Delta P}{\Delta V}$  $\Delta V = \frac{-\Delta P V}{\beta} = \frac{-(1.6 \times 10^7) \times (0.26)}{5 \times 10^9}$  $= [-8 \times 10^{-4} \text{ m}^3] = [-0.8 \text{ L}]$ Note of 1 m3 = 1,000 Liter Prepared By Eng/Ismail Gomaa

2-5] one end of a steel rod of radius R=9.5mm is held in a lise airly critical in a lise airly critical in  $L=81\,Cm$ ,  $F=62\,KN$ ,  $Y=20\,X/o$ 

Find: Stress, Strain and elongation answer (AL)

$$\Rightarrow Stress = \frac{F}{A} = \frac{62 \times 10^3}{77 \left(9.5 \times 10^3\right)^2} = \frac{2.2 \times 10^3}{10^3}$$

$$\Rightarrow Stress = \frac{52 \times 10^3}{10^3} = \frac{2.2 \times 10^3}{10^3}$$

$$\Rightarrow \Delta L = (SEVain) \times L = 8.9 \times 10^{-4}$$

2-6) A Solid Read sphere of Volume o.5 m³, dropped in ocean, sinks to depth 2x10 m, where the Pressure increases by 2x10 pa, Lead has a bulk modulus of 4.2 x 10 pa, What is the change in the Volume?

$$B = -\frac{\Delta P}{\Delta V/V} = \frac{-V \Delta P}{\Delta V}$$

$$\Delta V = \frac{-V\Delta P}{B} = \frac{-0.5 \times (2 \times 10^{7})}{4.2 \times 10^{10}} = \frac{-2.4 \times 10^{13}}{2.2 \times 10^{10}}$$

2-7 A Vertical steel beam in a building SUPPORTS a Load 6 X10 N.

(a) If the Length of the beam is 4 m and closs-section area 8X10 3 m2, Find the distance the beam is compressed along its Length ( Isteel = 2X10 Pa)

(b) Find the Maximum Road in Newtons Could the Steel beam support, if the Maximum stress is 5x10 Pa

(4)  $T = \frac{F/A}{\Delta L/L} = \frac{FL}{A\Delta L}$ 

 $A = \frac{FL}{A} = \frac{(6 \times 10^{4}) \times 4}{(8 \times 10^{3}) \times (2 \times 10^{11})} = \frac{-4}{1.5 \times 10^{11}}$ 

(b) Stress = F

:  $F = (Stress) X A = (5X/6^8) X (8X/6^3) = [4X/6N]$ 

# Chapter 2: Elastic Properties of Solids

PH10:

Example 2.7

دعامة ملب عودية

Problem A vertical steel beam in a building supports a load of  $6.0 \times 10^4$  N. (a) If the length of the beam is 4.0and its cross-sectional area is  $8.0 \times 10^{-3}$  m<sup>2</sup>, find the distance the beam is compressed along its length. (b) Wh maximum load in newtons could the steel beam support before failing?

Solution

A) Find the amount of compression in the beam

$$\frac{F}{A} = Y \frac{\Delta L}{L_0}$$

$$\Delta L = \frac{FL_0}{YA} = \frac{(6.0 \times 10^4 \text{ N})(4.0 \text{ m})}{(2.0 \times 10^{11} \text{ Pa})(8.0 \times 10^{-3} \text{ m}^2)}$$

$$= 1.5 \times 10^{-4} \text{ m}$$

B) Find the maximum load that the beam can support.

$$\frac{F}{A} = \frac{F}{8.0 \times 10^{-3} \,\text{m}^2} = 5.0 \times 10^8 \,\text{Pa}$$
$$F = 4.0 \times 10^6 \,\text{N}$$

Example 2.8

Problem A solid lead sphere of volume  $0.50 \text{ m}^3$ , dropped in the ocean, sinks to a depth of  $2.0 \times 10^3 \text{ m}$  (about 1 mile), where the pressure increases by  $2.0 \times 10^7$  Pa. Lead has a bulk modulus of  $4.2 \times 10^{10}$  Pa. What is the change in volume of the sphere?

Solution

$$B = -\frac{\Delta P}{\Delta V/V}$$

$$\Delta V = -\frac{V\Delta P}{B}$$

$$\Delta V = -\frac{(0.50 \text{ m}^3)(2.0 \times 10^7 \text{ Pa})}{4.2 \times 10^{10} \text{ Pa}} = \frac{13}{10} 2.4 \times 10^{-4} \text{ m}^3$$

Example: 2.9 Calculate the change in length of the upper leg bone (the femur) when a 70.0 kg man supports 62.0 kg of his mass on it, assuming the bone to be equivalent to a uniform rod that is 40.0 cm long and 2.00 cm in radius. Solution:

The force is equal to the weight supported, or

$$F = mg = (62.0 \text{ kg}(9.80 \text{ m/s}^2) = 607.6 \text{ N}.$$

and the cross-sectional area is  $\pi r^2 = 1.257 \times 10^{-3} \text{ m}^2$ . The equation  $\Delta L = \frac{1.F}{YA} L_0$  can be used to find the change in length.

All quantities except  $\Delta L$  are known. Note that the compression value for Young's modulus for bone must be used here. Thus,

$$\Delta L = \left(\frac{1}{9 \times 10^9 \text{ N/m}^2}\right) \left(\frac{607.6 \text{ N}}{1.257 \times 10^{-3} \text{ m}^2}\right) (0.400 \text{ m})$$
$$= 2 \times 10^{-3} \text{ m}.$$

# Example:2.10

Calculate the fractional decrease in volume (  $\frac{\Delta V}{V_a}$  ) for seawater at 5.00 km depth, where the force per unit area is  $5.00 \times 10^7 \, \mathrm{N/m}^2$ .

Equation  $\Delta V = \frac{1}{B} \frac{F}{A} V_0$  is the correct physical relationship. All quantities in the equation except  $\frac{\Delta V}{V_0}$  are known.

Solving for the unknown  $rac{\Delta V}{V_{
m O}}$  gives

$$\frac{\partial V}{V_0} = \frac{1}{HA}.$$

for the bulk modulus B from Table 5.3.

$$\frac{\Delta V}{V_0} = \frac{5.00 \times 10^7 \,\text{N/m}^2}{2.2 \times 10^9 \,\text{N/m}^2}$$
$$= 0.023 = 2.3\%.$$

A metal wire 75.0 cm long and 0.130 cm in diameter stretches 0.0350 cm when a load of 8.00 kg is hung on its end. Find the stress, the strain, and the Young's modulus for the material of the

$$\sigma = \frac{F}{A} = \frac{(8.00 \text{ kg})(9.81 \text{ m/s}^2)}{\pi (6.50 \times 10^{-4} \text{ m})^2} = 5.91 \times 10^7 \text{ N/m}^2 = 5.91 \times 10^7 \text{ Pe}$$

$$\varepsilon = \frac{\Delta L}{L_0} = \frac{0.0350 \text{ cm}}{75.0 \text{ cm}} = 4.67 \times 10^{-4}$$

$$Y = \frac{\sigma}{\varepsilon} = \frac{5.91 \times 10^7 \text{ Pa}}{4.67 \times 10^{-4}} = 1.27 \times 10^{11} \text{ Pa} = 127 \text{ GPa}$$

# chapter 2: Elastic Properties of Solids

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#### 2.12

A solid cylindrical steel column is 4.0 m long and 9.0 cm in diameter. What will be its decrease in We first find

Then, from  $Y = (F/A)/(\Delta L/L_0)$  we have

$$\Delta L = \frac{FL_0}{AY} = \frac{[(8.00 \times 10^4)(9.81) \text{ N}](4.0 \text{ m})}{(6.36 \times 10^{-3} \text{ m}^2)(1.9 \times 10^{11} \text{ Pa})} = 2.6 \times 10^{-3} \text{ m} = 2.6 \text{ mm}$$

### 2.13

A box-shaped piece of gelatin dessert has a top area of 15 cm<sup>2</sup> and a height of 3.0 cm. When a shearing force of 0.50 N is applied to the upper surface, the upper surface displaces 4.0 mm modulus for the gelatin?

$$\sigma_{I} = \frac{\text{tangential force}}{\text{area of face}} = \frac{0.50 \text{ N}}{15 \times 10^{-4} \text{ m}^{2}} = 0.33 \text{ kPs}$$

$$\varepsilon_{E} = \frac{\text{displacement}}{\text{height}} = \frac{0.40 \text{ cm}}{3.0 \text{ cm}} = 0.13$$

$$S = \frac{0.33 \text{ kPs}}{0.13} = 2.5 \text{ kPs}$$

## Quick Quiz

- 1- A block of iron is sliding across a horizontal floor. The friction force between the block and the floor causes the block to deform. To describe the relationship between stress and strain for the block, you would use
- (a) Young's modulus (b) shear modulus (c) bulk modulus (d) none of these.
- 2- A trapeze artist swings through a circular arc. At the bottom of the swing, the wires supporting the trapeze are longer than when the trapeze artist simply hangs from the trapeze, due to the increased tension in them. To describe the relationship between stress and strain for the wires, you would use
- Young's modulus (b) shear modulus (c) bulk modulus (d) none of these.
- 3- A spacecraft carries a steel sphere to a planet on which atmospheric pressure is much higher than on the Earth. The higher pressure causes the radius of the sphere to decrease. To describe the relationship between stress and strain for the sphere, you would use ^BULK Modulus \*