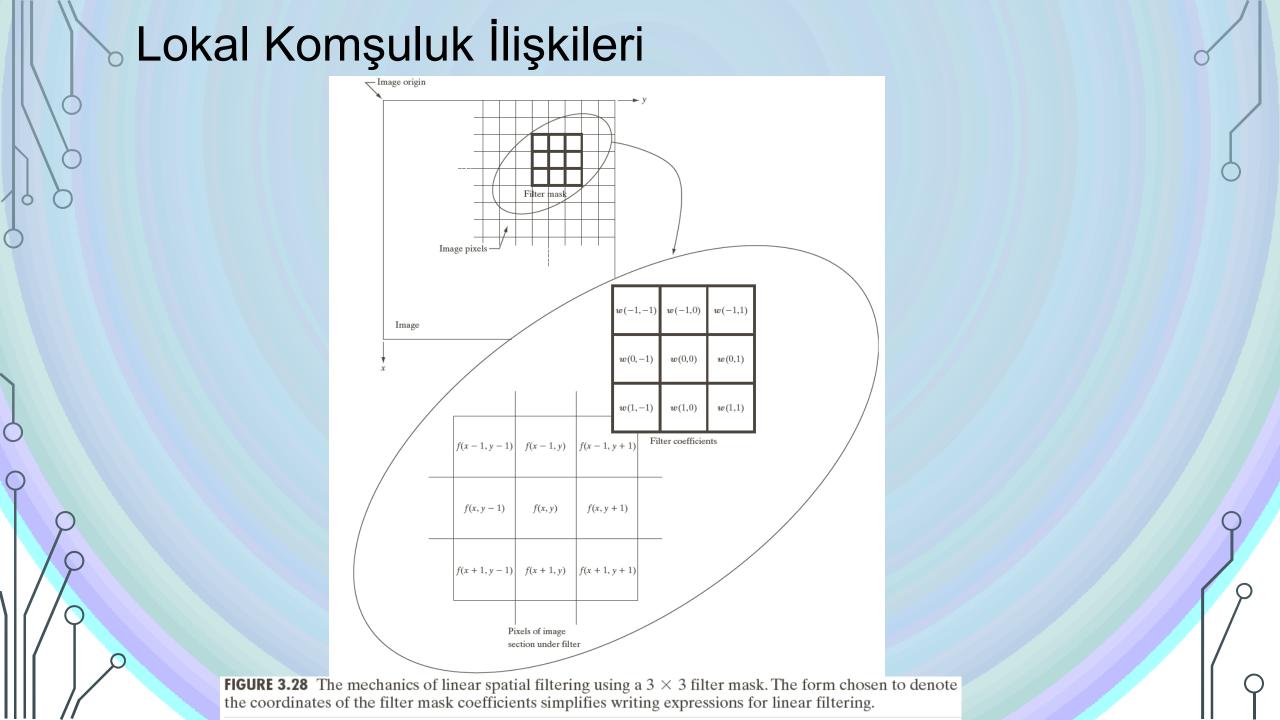
AREL ÜNİVERSİTESİ BİYOMEDİKAL GÖRÜNTÜ İŞLEME

UZAYSAL FİLTRELEME

DR. GÖRKEM SERBES



Filtre Maskesi

w_1	w_2	w_3	
w_4	w_5	w_6	
w_7	w_8	w_9	

FIGURE 3.31
Another
representation of
a general 3 × 3
filter mask.

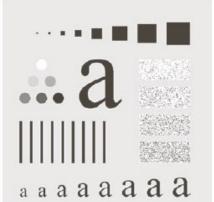
	1	1	1		1	2	1
$\frac{1}{9}$ ×	1	1	1	$\frac{1}{16}$ ×	2	4	2
	1	1	1		1	2	1

a b

FIGURE 3.32 Two 3 × 3 smoothing (averaging) filter masks. The constant multiplier in front of each mask is equal to 1 divided by the sum of the values of its coefficients, as is required to compute an average.

Filtre Boyutu Etkisi

FIGURE 3.33 (a) Original image, of size 500×500 pixels. (b)–(f) Results of smoothing with square averaging filter masks of sizes m = 3, 5, 9, 15, and 35, respectively. The black squares at the top are of sizes 3, 5, 9, 15, 25, 35, 45, and 55 pixels, respectively; their borders are 25 pixels apart. The letters at the bottom range in size from 10 to 24 points, in increments of 2 points; the large letter at the top is 60 points. The vertical bars are 5 pixels wide and 100 pixels high; their separation is 20 pixels. The diameter of the circles is 25 pixels, and their borders are 15 pixels apart; their intensity levels range from 0% to 100% black in increments of 20%. The background of the image is 10% black. The noisy rectangles are of size 50×120 pixels.



a b

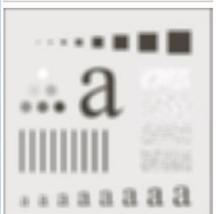
c d

e f











Ortalama Alan Filtre Örneği

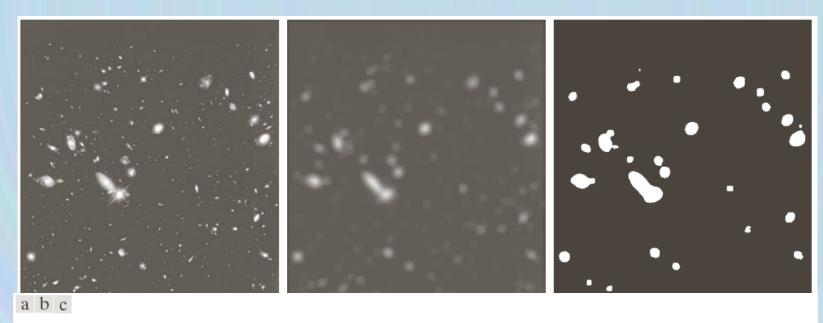


FIGURE 3.34 (a) Image of size 528 × 485 pixels from the Hubble Space Telescope. (b) Image filtered with a 15 × 15 averaging mask. (c) Result of thresholding (b). (Original image courtesy of NASA.)

Konvolüsyon

$$S(N_{11}N_{2}) \longrightarrow LSI \longrightarrow h(N_{11}N_{2}) \stackrel{d}{=} |mpulse | +esponse of the LSI system$$

$$X(N_1,N_2) \longrightarrow h(n_1,n_2) \longrightarrow Y(N_1,N_2) = X(N_1,N_2) \underset{2D}{\times} h(N_1,N_2)$$

$$y(N_{11}N_{2}) = \chi(N_{1}N_{2}) * \chi h(N_{11}N_{2}) = \sum_{k_{1}=-\infty}^{\infty} \sum_{k_{2}=-\infty}^{\infty} \chi(k_{1},k_{2}) h(N_{1}-k_{1},N_{2}-k_{2})$$

$$= h(N_{1},N_{2}) * \chi k(N_{11}N_{2}) k_{1}=-\infty k_{2}=-\infty$$

Konvolüsyon Formül Çıkarımı

$$\underbrace{x(n_{1},n_{2})}_{k_{1}=-\infty} = \sum_{k_{2}=-\infty}^{\infty} \underbrace{\sum_{k_{2}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}}}_{N_{1}=-\infty} \underbrace{\sum_{k_{2}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}}}_{N_{1}=-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{\sum_{k_{2}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}+-\infty}}_{N_{1}=-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{\sum_{k_{2}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{2}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})\delta(n_{1}-k_{1},n_{2}-k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty} \underbrace{\sum_{k_{1}=-\infty}^{\infty} \underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty}}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x(k_{1},k_{2})}_{N_{1}+-\infty}\underbrace{x($$



Lokal Olmayan Ortalama

Lokal Olmayan Ortalama - Demo





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Non-Local Means Denoising

Antoni Buades, Bartomeu Coll, Jean-Michel Morel

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reference Antoni Buades, Bartomeu Coll, and Jean-Michel Morel, Non-Local Means Denoising, Image Processing On Line, 1 (2011), pp. 208-212. https://doi.org/10.5201/ipol.2011.bcm nlm

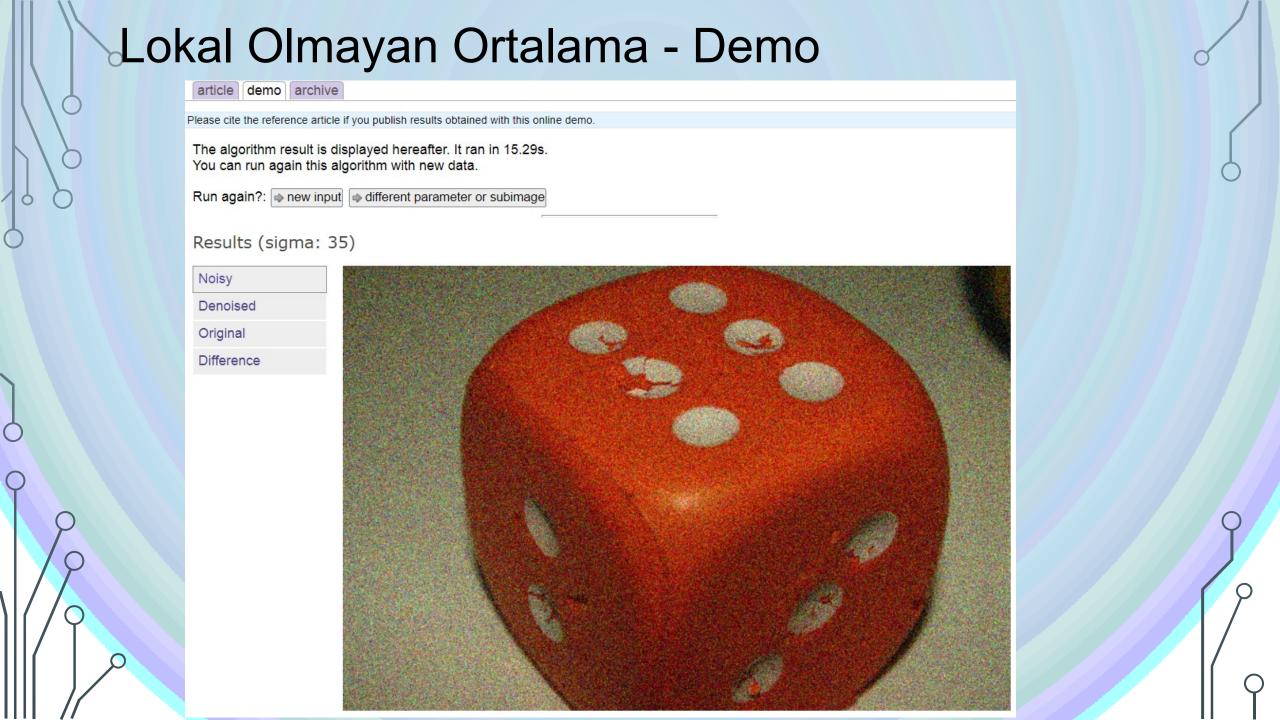
Communicated by Guoshen Yu Demo edited by Miguel Colom

Abstract

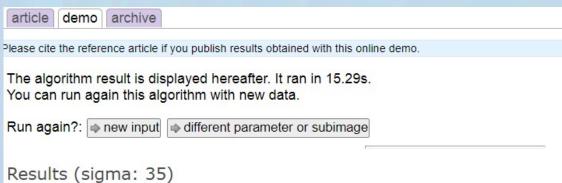
We present in this paper a new denoising method called non-local means. The method is based on a simple principle: replacing the color of a pixel with an average of the colors of similar pixels. But the most similar pixels to a given pixel have no reason to be close at all. It is therefore licit to scan a vast portion of the image in search of all the pixels that really resemble the pixel one wants to denoise. The paper presents two implementations of the method and displays some results.

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Noisy

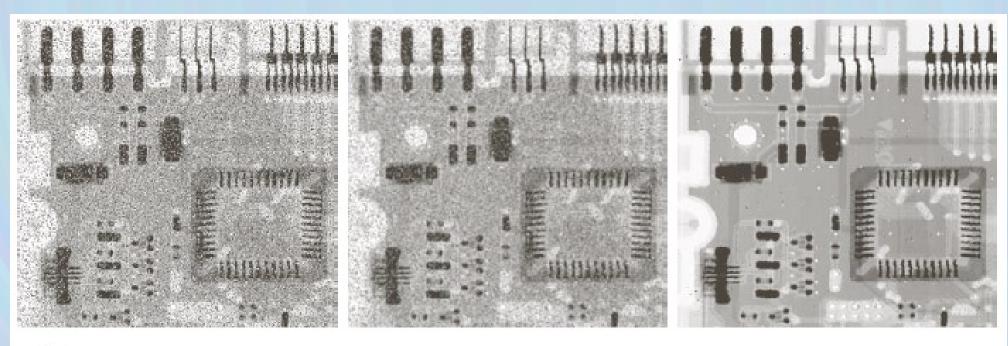
Denoised

Original

Difference



Medyan Filtre

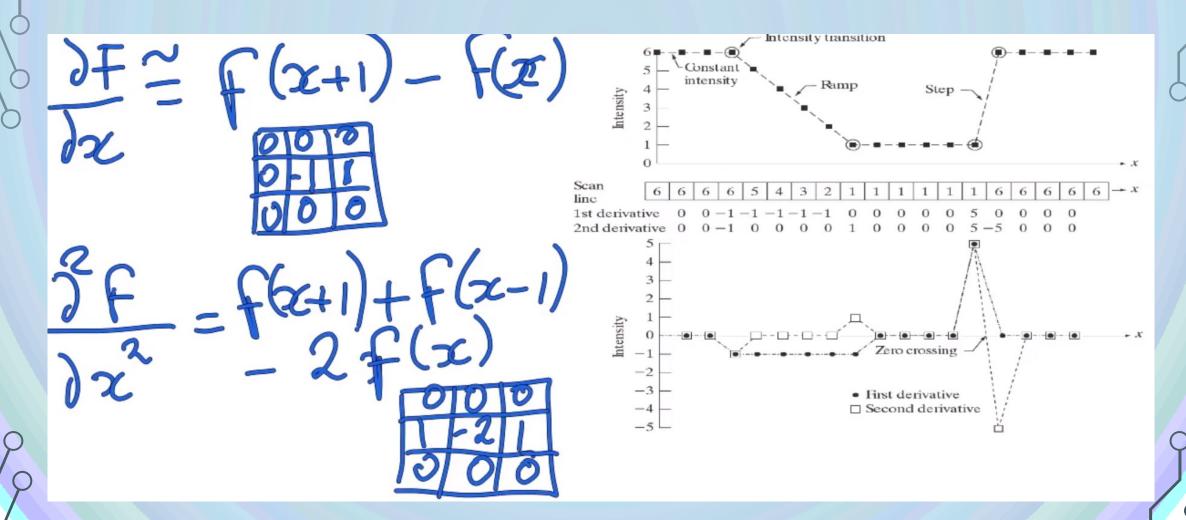


a b c

FIGURE 3.35 (a) X-ray image of circuit board corrupted by salt-and-pepper noise. (b) Noise reduction with a 3 × 3 averaging mask. (c) Noise reduction with a 3 × 3 median filter. (Original image courtesy of Mr. Joseph E. Pascente, Lixi, Inc.)

Medyan Filtre Demo I = imread('eight.tif'); J = imread('eight.tif'); j = imread('eight.tif'); j = imread('eight.tif'); pepper',0.09); K = medfilt2(J);figure, imshow(I); figure, imshow(J), figure, imshow(K) t's New Figure 2 File Edit View Insert Tools Desktop Window Help Figure 3 Insert Tools Desktop Window Q Q 0 5 4 6 - 3 = imread('eight.tif') >> K = medfilt2(J);

Türev ve Laplacian



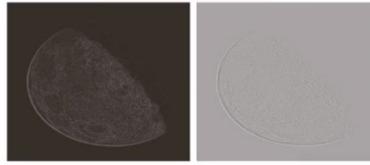
Türev ve Laplacian

$$\frac{3f}{3nc^{2}} + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}} = 4 + \frac{3}{3c^{2}}$$

Türev ve Laplacian

0	1	0	1	1	1
1	-4	1	1	-8	1
0	1	0	1	1	1
0	-1	0	-1	-1	-1
-1	4	-1	-1	8	-1
0	-1	0	-1	-1	-1









b c d c

FIGURE 3.38

(a) Blurred image of the North Pole of the moon.

(b) Laplacian without scaling.

(c) Laplacian with scaling. (d) Image sharpened using the mask in Fig. 3.37(a). (e) Result of using the mask in Fig. 3.37(b).

(Original image courtesy of NASA.)

Türev ve Laplacian - Demo

>> J = imnoise(I,

```
I = imread('eight.tif');
J = imnoise(I, 'salt & pepper', 0.09);
K = medfilt2(J);
figure, imshow(I); figure, imshow(J), figure, imshow(K), figure, imshow(I-K), figure, imshow((I-K).^(2));
                                                                  Figure 1
     File Edit View Insert Tools Desktop Window Help
                                   File Edit View Insert Tools Desktop Window Help
     File Edit View Insert Tools Desktop Window Help
                                                                 Figure 3
                                   File Edit View Insert Tools Desktop Window
                                   Select a file to view details
                          >> I = imread('eig
```