

**Problem A. A Story**

Input file:                standard input  
Output file:             standard output  
Balloon Color:         Orange

Once upon a time in a world that looks like ours a story of a person who looks like many of us is about to begin and it unravels like a jigsaw puzzle. Make sure to open your eyes and focus, as things can look like a duplicated version of another person's story but soon you will know that it is exceptionally different than any other story you've experienced.

For it being a great harmonic and very imminent journey where paths may cross. Kudos to those who hone their knowledge and leverage their skills as marching into the future would definitely require them.

Esraa is working as an information security engineer. Every employee in her company has a password which is a permutation of  $N$  integers.

All the passwords are stored on the main server. To ensure their safety, Esraa created an encryption algorithm and named it EsraaCipher, the algorithm works in the following way:

1. The algorithm appends a 0 to the end of the permutation.
2. It generates all the rotations (left cyclic shifts) of the permutation.
3. It sorts the generated rotations in lexicographical increasing order.
4. The encrypted password is constructed by taking the last integer of every generated rotation after sorting lexicographically.

Here is an example on how the algorithm works: suppose the permutation  $\mathcal{P}$  is {2, 1}, first a 0 is appended to the end of  $\mathcal{P}$  so it becomes {2, 1, 0}, now the algorithm will generate all the rotations which are: {2, 1, 0}, {1, 0, 2}, {0, 2, 1}. after sorting the rotations we get: {0, 2, 1}, {1, 0, 2}, {2, 1, 0}. the encrypted password is constructed by taking the last number of every rotation after sorting, so the resulting encrypted password is {1, 2, 0}.

You are hired to try to decrypt and retrieve all the passwords. Can you write a program to decrypt all the  $\mathcal{T}$  passwords (given the encrypted password, restore the original password)?

**Input**

The first line of input contains on integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 10^5$ ), the number of testcases (passwords to decrypt).

The first line of every testcase contains one integer  $N$  ( $1 \leq N \leq 10^5$ ), the length of the  $i_{th}$  password.

The second line of every testcase contains  $N + 1$  integers separated by spaces, which represent the encrypted password.

It's guaranteed that the encrypted password contains distinct integers and any integer  $\chi$  of them in the range  $[0, N]$  ( $0 \leq \chi \leq N$ ).

It's also guaranteed that the sum of lengths of all passwords won't exceed  $3 \times 10^5$

**Output**

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output  $N$  integers separated by spaces which represent the  $i_{th}$  password after decryption. Note that it must be a permutation of size  $N$ .

Example

standard input	standard output
3	1 2 3 4
4	2 1
4 0 1 2 3	3 1 2
2	
1 2 0	
3	
2 3 1 0	

Note

Lexicographical order is defined in the following way. When we compare permutations  $s$  and  $t$ , first we find the leftmost position where  $s_i \neq t_i$ . If there is no such position (i. e.  $s$  is a prefix of  $t$  or vice versa) the shortest permutation is less. Otherwise, we compare  $s_i$  and  $t_i$ .

**Problem B. Begins and it**

Input file:                standard input  
Output file:             standard output  
Balloon Color:         White

Just like any story, it begins with an ambitious person, Hisham. And as it moves forward, paths start to appear and connect. And as it takes two to Tango, Endure Capital, the ACPC Community Partner, believing in the relentless execution to build and achieve hyper-growth, starts investing in Hisham’s future journey.

Hisham has two integer arrays  $\mathcal{A}$  and  $\mathcal{B}$ , both of length  $N$ . He defines the beautiful shifting operations on arrays  $\chi$  of length  $N$  as doing one of two operations:

- Shift all elements to the right, i.e. the new value of  $\chi_i$  is equal to the old value of  $\chi_{i-1}$ , and the new value of  $\chi_1$  is equal to the old value of  $\chi_N$ .
- Shift all elements to the left, i.e. the new value of  $\chi_i$  is equal to the old value of  $\chi_{i+1}$ , and the new value of  $\chi_N$  is equal to the old value of  $\chi_1$ .

Hisham calls index  $I$  beautiful if  $\mathcal{B}_I$  divides  $\mathcal{A}_i$ , i.e.  $(\mathcal{A}_i \bmod \mathcal{B}_I == 0)$ . Also he defines the beauty of the array  $\mathcal{A}$  as the number of beautiful indices.

You can do the beautiful shifting to either  $\mathcal{A}$  or  $\mathcal{B}$  as many times as you want (possibly zero). What is the maximum possible beauty of Array  $\mathcal{A}$ ?

It’s guaranteed that the elements of the array  $\mathcal{B}$  are distinct.

**Input**

The first line of input contains one integer  $\mathcal{T}(1 \leq \mathcal{T} \leq 100)$ , the number of testcases.

The first line of every testcase contains one integer  $N (1 \leq N \leq 10^5)$ , the length of the arrays  $\mathcal{A}, \mathcal{B}$ .

The second line of every testcase contains  $N$  integers separated by spaces, which represent the array  $\mathcal{A} (1 \leq \mathcal{A}_i \leq 10^5)$ .

The third line of every testcase contains  $N$  integers separated by spaces, which represent the array  $\mathcal{B} (1 \leq \mathcal{B}_i \leq 10^5)$ , and all  $\mathcal{B}_i$  are distinct.

It’s guaranteed that the sum of  $N$  over all testcases won’t exceed  $3 \times 10^5$ .

**Output**

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output one integer which represents the maximum possible beauty of arrays  $\mathcal{A}$  for the  $i_{th}$  testcase.

Example

standard input	standard output
4	2
3	1
1 2 4	2
3 2 1	0
4	
3 1 4 1	
5 9 2 6	
2	
1 2	
1 2	
1	
2	
4	

**Problem C. Can look like a**

Input file:           standard input  
Output file:         standard output  
Balloon Color:      Yellow

A deja vu is a French word expressing the feeling that one has lived through the present situation before. It seems that this story of the passionate Hisham can look like a story written by a different self in a different universe, yet something seems to be a bit different.

Hisham is a knight who fights bad monsters. There are  $N$  monsters. Each monster has a power. Hisham needs to neutralized all of bad monsters to be the one true knight of the realm.

Hisham can neutralize the bad monsters in any order. In one operation, he can choose a monster that has a positive power, and neutralize that monster. When Hisham neutralizes a monster with power  $p$ , all the monsters' powers will decrease by  $p_i$  and you earn  $p$  points. A monster is said to be neutralized when its power reaches zero or less.

What is the maximum number of points Hisham can earn after neutralizing all the bad monsters?

**Input**

The first line of input contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 2000$ ), the number of testcases.  
The first line of each testcase contains one integer  $N$  ( $1 \leq N \leq 10^5$ ), the number of bad monsters.  
The second line of each testcase contains  $N$  integers  $p_i$  ( $1 \leq p_i \leq 10^9$ ), the power of the  $i_{th}$  monster.  
It's guaranteed that the sum of  $N$  over all testcases won't exceed  $3 \times 10^5$ .

**Output**

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output one integer which represents the maximum number of points you can earn after killing all the monsters of the  $i_{th}$  testcase.

**Example**

standard input	standard output
2	3
4	10
1 3 2 2	
3	
10 6 2	

**Problem D. Duplicated version but**

Input file:	standard input
Output file:	standard output
Balloon Color:	Silver

A *deja vu* is a French loanword expressing when one feels they have lived through the same situation in the past. It almost looked like a duplicated version and they certainly got us in the first part, but even when things look exactly similar between Kristin and Kareem, the tiniest butterfly movement can make the whole difference.

Kareem was bored so he decided to draw a tree of  $N$  vertices, rooted at vertex 1.

The next day, Ossama came and saw that Kareem’s tree needed more beauty, so he decided to make each vertex  $v$  assigned with a beauty value  $\mathcal{B}_v$ .

The day after that, Ossama woke up and took another look at the tree and found out that it still needs some changes, but he did not know what to do, so he gave the task to you.

You will be given the final tree with assigned beauty values, you need to remove some vertices from the tree (possibly all of them) such that the resulting forest of trees has maximum possible total beauty value, but it should be satisfying 2 main conditions:

- For each pair  $(u, v)$  of the remaining vertices, it must hold that  $dist(u, v)$  is even in the given tree.
- If we insert the remaining vertices in an array and sort it according to their level (depth in the given tree, then for each two adjacent vertices  $u, v$ , it must hold that:  $(Level_u = Level_v)$  or  $(\mathcal{L} \leq |Level_u - Level_v| \leq \mathcal{R})$ .

Note that:

- the beauty value of a tree is equal to the sum of beauty values of all its vertices.
- the beauty value of a forest is equal to the sum of beauty values of all its trees.

**Input**

The first line of input contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 1000$ ), the number of testcases.

The first line of every testcase contains three integers  $N, \mathcal{L}, \mathcal{R}$  ( $1 \leq N \leq 10^5$ ), ( $1 \leq \mathcal{L} \leq \mathcal{R} \leq 10^9$ ), the number of vertices on the tree, the  $\mathcal{L}$  and  $\mathcal{R}$  values on the second condition.

Then  $N - 1$  lines follows. Each line contains two integers  $u, v$   $u \neq v$  separated by spaces, which represents the edges of the tree.

Then one line follows, which contains  $N$  integers separated by spaces, which represents the array  $\mathcal{B}$  ( $-10^9 \leq \mathcal{B}_i \leq 10^9$ ).

It’s guaranteed that the sum of  $N$  over all testcases won’t exceed  $3 \times 10^5$ .

**Output**

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output one integer which represents the maximum possible total beauty value for the  $i_{th}$  testcase.

Example

standard input	standard output
3	6
9 1 3	0
7 3	0
1 6	
5 2	
9 7	
4 9	
8 4	
3 2	
1 8	
1 -1 2 -1 0 -1 0 2 2	
1 1 3	
-1	
9 1 3	
7 3	
1 6	
5 2	
9 7	
4 9	
8 4	
3 2	
1 8	
-3 -1 -4 -1 -5 -9 -2 -6 -5	

Problem E. Exceptionally different

Input file: standard input  
Output file: standard output  
Balloon Color: Red

Reading through others’ lives, Yosri discovers that everything looks so familiar, yet everything is so exceptionally different. Yosri decides that for it being a great harmonic imminent journey, it is worth a little bit of a spoiler alert. But eventually, kudos to those who figure the story out. And as always Coach Academy, the ACPC Training Partner, jumps into the picture with training opportunities to provide guidance and lend a hand to Yosri through his big journey ahead.

Yosri has an array  $\mathcal{A}$  of  $N$  elements. He asks you to find the number of XOR-GOOD triples  $(i, j, k)$   $(1 \leq i < j < k \leq N)$ .

Yosri calls a triple  $(i, j, k)$  XOR-GOOD if and only if:  $(\mathcal{A}_i \oplus \mathcal{A}_j \oplus \mathcal{A}_k)$  is a power of 2. where  $\oplus$  represents the bitwise XOR function.

Note that, according to the Yosri, 1 is not actually a power of 2.

Input

Thee first line of input contains one integer  $\mathcal{T}$   $(1 \leq \mathcal{T} \leq 1000)$ , the number of testcases.

The first line of every testcase contains one integer  $N$   $(3 \leq N \leq 2000)$ , the length of the array  $\mathcal{A}$ .

The second line of every testcase contains  $N$  integers separated by spaces, which represent the array  $\mathcal{A}$   $(1 \leq \mathcal{A}_i \leq 10^6)$ .

It’s guaranteed that the sum of  $N$  over all testcases won’t exceed 2000.

Output

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output one integer which represents the number of XOR-GOOD triples for the array  $\mathcal{A}$  for the  $i_{th}$  testcase.

Example

standard input	standard output
2	8
7	1
4 2 1 2 2 5 1	
3	
2 5 3	



**Problem F. For it being a**

Input file:            standard input  
Output file:         standard output  
Balloon Color:      Blue

It is the year 2708, and people are so excited about the newest inventions. Who could imagine that after so many years we are finally here gathering onsite for the annual Earth Collegiate Programming Championship (ECPC). It is the new era of ECPC. For it being so full of potentials the ECPC family can't wait to pursue their goals and future plans, but first they encourage everyone to enjoy the moment.

It's been 1200 years since the beginning. With the advancement of technology, the Grey Time Operation team is having a journey inviting prodigies from the past. But of course they need to identify which era each team member is heading to.

The Grey team knows that:

- 1508 was the new era for “**pocket watches**”.
- 1608 was the new era for “**telescopes**”.
- 1708 was the new era for “**steam engines**”.
- 1808 was the new era for “**telephones**”.
- 1908 was the new era for “**airplanes**”.
- 2008 was the new era for “**terraforming**”.
- 2108 was the new era for “**exploration**”.
- 2208 was the new era for “**relaxing**”.
- 2308 was the new era for “**going above and beyond**”.
- 2408 was the new era for “**second chances**”.
- 2508 was the new era for “**the origin**”.
- 2608 was the new era for “**empowering the youth**”.
- 2708 was the new era for “**ECPC**”.

Now, before you begin your celebration with the new Era, we need to make sure that history is well documented. We will ask you about a year from the above list of years, and you need to tell us which era was it. See the examples for more clarity.

**Input**

You will be given only one integer number Y.

$Y \in \{1508, 1608, 1708, 1808, 1908, 2008, 2108, 2208, 2308, 2408, 2508, 2608, 2708\}$ .

**Output**

Print what is the era of year Y is famous for.

Examples

standard input	standard output
2708	ECPC
2308	going above and beyond
2608	empowering the youth

**Problem G. Great**

Input file:            standard input  
Output file:         standard output  
Balloon Color:      Rose

What an eventful year, it's 2709, a year since Fouad started his plan supporting the Interstellar Collegiate Programming Championship (ICPC). A pursuit of one's goal has never been so fulfilling. As the impact is so rewarding. The great plan continues with the great support of the Arab Academy for Science and Technology (AAST), the ACPC Headquarter. It is for sure, a base reason for establishing Fouad's future plans.

Fouad is really busy travelling across the universe to accommodate for his ambitious plans for the ICPC. The universe consists of  $N$  galaxies connected by  $N - 1$  bidirectional quantum tunnels and every galaxy is connected to all other galaxies directly or indirectly by following some path.

Fouad asks Ali to plan for his visit. Ali always writes a quantum software for this kind of tasks but also Ali is sometimes random so he implements his software with a touch of randomness.

Ali's software choose (if possible) an unordered pair of 2 **different** galaxies  $(u, v)$  at random with equal probabilities. Pairs  $(u, v)$  and  $(v, u)$  as the same pair. Then it marks all the galaxies along the path between  $u$  and  $v$  including  $u$  and  $v$  as visited and also it marks all the quantum tunnels where at least one of their end points (galaxies) is on that path as visited as well. All other galaxies and quantum tunnels are marked as unvisited. This way, the unvisited galaxies and quantum tunnels are divided into a number of systems (component) which will be easier to plan for the visits.

Fouad wants to find the expected number of systems (components) after dividing the galaxies and quantum tunnels in the previously described way. Ali is so busy right now, and he asks you to take this task. Can you help him compute this answer?

**Input**

The first line contains a single integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 10^5$ ), the number of testcases.

The first line of every testcase contains a single integer  $N$  ( $2 \leq N \leq 10^5$ ) , the number of galaxies.

Followed by  $N - 1$  lines, each line contains two integers  $u, v$  which means there is an undirected quantum tunnel connecting galaxies  $u$  and  $v$  .

Its guaranteed that the galaxies are connected i.e. every galaxy is reachable from any other galaxy, and there are no self loops or multiple edges.

Also it's guaranteed that the sum of  $N$  over all test cases won't exceed  $3 \times 10^5$ .

**Output**

Output  $\mathcal{T}$  lines, the  $i_{th}$  line contains one number, the answer for the  $i_{th}$  testcase.

Your answer will be considered correct if its absolute or relative error doesn't exceed  $10^{-6}$ .

Example

standard input	standard output
2	0.666666667
3	1.700000000
1 2	
1 3	
5	
1 2	
1 3	
2 4	
2 5	

Problem H. Harmonic

Input file: standard input  
Output file: standard output  
Balloon Color: Black

A journey is never the end. It is always only a checkpoint that was completed if you really think about it. As one path comes to an end, it suddenly forks into many. Abeer was just there, her choice of the next move was everything harmonic for our story.

Abeer has a grid of size  $2^N \times 2^N$ . All cells in the grid are empty except for one cell at (X, Y) which has a wall.

Abeer calls a square of size  $2 \times 2$  without one corner cell an L-shaped domino piece. Abeer asks you to fill the grid with  $K = \frac{4^N - 1}{3}$  L-shaped domino pieces, so that no two dominos intersects, nor any cell remains empty.

Print any valid way of filling the grid.

It's guaranteed that **at least one such way exists**.

Input

The first line of input contains one integer  $T$  ( $1 \leq T \leq 1000$ ), the number of testcases.

The first line of each testcase contains one integers  $N$  ( $1 \leq N \leq 8$ ).

The second line of each testcase contains two integers  $X, Y$  ( $1 \leq X, Y \leq 2^N$ ), representing the cell with the wall.

It's guaranteed that the sum of  $2^N \times 2^N$  over all testcases won't exceed  $3 \times 10^5$ .

Output

For each testcase output  $2^N$  lines. Each line contains  $2^N$  integers, representing the filled grid. For the cell (X, Y) it should contain value 0. For every L-shaped domino piece, its cells should contain the same integer. There should be exactly  $K$  L-shaped domino pieces, each piece is represents by an integer from 1 to  $K$ .

Example

standard input	standard output
1	2 2 3 3
2	2 1 0 3
2 3	4 1 1 5
	4 4 5 5

Note

the image below is the answer to the sample, where:

- the black cell (2,3) is the wall.
- the green cells (2,2), (3,2), (3,3) is the piece with id=1 in the output.
- the yellow cells (1,1), (1,2), (2,1) is the piece with id=2 in the output.
- the red cells (1,3), (1,4), (2,4) is the piece with id=3 in the output.
- the purple cells (3,1), (4,1), (4,2) is the piece with id=4 in the output.
- the cyan cells (3,4), (4,3), (4,4) is the piece with id=5 in the output.



**Problem I. Imminent**

Input file:            standard input  
Output file:         standard output  
Balloon Color:      Green

With the upcoming plans, Lili knows that crossing paths again with others' stories is imminent. She knows that even if things appear to take the same turns, it is always different when you look up close and invest in seeing. Lili is very considerate to this when she plans their next move.

Lili has two integer arrays  $\mathcal{A}$  and  $\mathcal{C}$ , both of length  $N$ . Also she has  $M$  segments represented by a left and a right boundaries.

Lili asks you to remove a subset  $\mathcal{S}$  of size  $s$  of indices  $(i_1, i_2, \dots, i_s)$  only once, such that the following should be satisfied:

- Let the remaining indices be  $j_1, j_2, \dots, j_t$ . Values  $(\mathcal{A}_{j_1}, \mathcal{A}_{j_2}, \dots, \mathcal{A}_{j_t})$  must be pair-wise co-prime.
- No two indices  $(\kappa, \ell)$  of the removed indices hold that  $(\kappa \text{ divides } \ell)$  neither  $(\ell \text{ divides } \kappa)$ .
- No two indices  $(\kappa, \ell)$  of the removed indices are covered by the same segment.
- The cost of this removal is  $\max(\mathcal{C}_{i_1}, \mathcal{C}_{i_2}, \dots, \mathcal{C}_{i_s})$ .

Determine if it's possible to remove some subset; if it is possible, find the minimum possible cost to do it.

**Input**

The first line contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 10^5$ ), the number of test-cases. Every test-case consists of the following: The first line of every test-case contains two integers  $N, M$  ( $1 \leq N \leq 10^5, 0 \leq M \leq 10^5$ ), the size of the array  $\mathcal{A}$  and the number of segments.

The second line of each test-case contains  $N$  integers, the  $i_{th}$  integer represents  $\mathcal{A}_i$  ( $1 \leq \mathcal{A}_i \leq 10^7$ ).

The third line of each test-case contains  $N$  integers, the  $i_{th}$  integer represents  $\mathcal{C}_i$  ( $1 \leq \mathcal{C}_i \leq 10^7$ ).

The next  $M$  lines, represent the segments (ranges), each line contains two integers  $\mathcal{L}_i, \mathcal{R}_i$  ( $1 \leq \mathcal{L}_i \leq \mathcal{R}_i \leq N$ ).

It's guaranteed that the sum of  $N$  over all test-cases won't exceed  $3 \times 10^5$ .

It's guaranteed that the sum of lengths of all segments over all test-cases won't exceed  $10^6$ .

**Output**

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line if it's possible to remove some subset, output the minimum possible cost to do it, otherwise output -1.

Example

standard input	standard output
4	10000
5 0	-1
2 4 8 9 16	100000
1 10 100 1000 10000	10000
5 2	
2 3 4 9 8	
1 10000 100 100000 1000	
4 5	
2 3	
5 1	
2 3 4 9 8	
1 10000 100 100000 1000	
2 3	
5 1	
2 3 4 9 8	
1 10000 100 100000 1000	
4 5	



**Problem J. Journey**

Input file:                standard input  
Output file:             standard output  
Balloon Color:         Purple

Have you noticed yet? It’s never been about the end of the journey. There is always what is coming next. It is about what happens throughout the journey with all the paths and turns. It is like an Arena, or to be more specific, a Talents Arena, the place where geeks just like Islam find what they have always been looking for!

Islam found a tree of  $N$  nodes rooted at node 1. He wants to process a number of queries  $Q$  of two types of queries:

- 1  $\chi$   $t_1$   $t_2$ , query of the first type, a magnet appears in node  $\chi$  ( $1 \leq \chi \leq N$ ), between time interval (inclusive  $[t_1, t_2]$  ( $1 \leq t_1 \leq t_2 \leq 10^6$ ) i.e., it appears at time  $t_1$  and disappears after time  $t_2$ . The magnet affects all the nodes in the subtree of node  $\chi$  (including  $\chi$ ).
- 2  $\chi$   $t$  query of the second type, a coin appears at moment  $t$  ( $1 \leq t \leq 10^6$ ) in node  $\chi$  ( $1 \leq \chi \leq N$ ), and disappears after one moment, if there is any active magnet affecting node  $\chi$  at that time, this magnet catches this coin. If there are multiple magnets the closer magnet catches it.

For every query of the second type, print the node containing the magnet that catches this coin, or -1 if no magnet catches it.

**Note that all first type queries will appear first in the input before any second query appears**

**Input**

The first line of input contains one integer  $T$  ( $1 \leq T \leq 200$ ), the number of testcases.

The first line of every testcase contains two integers  $N, Q$  ( $1 \leq N, Q \leq 10^5$ ). The number of vertices of the tree, and the number of queries.

Then  $N - 1$  lines follows, each line contains two integers  $u, v$ , ( $1 \leq u, v \leq N$ ) ( $u \neq v$ ) separated by spaces, which represent the edges of the tree.

Then  $Q$  lines follows, each one represents a query. Each query is either 1  $\chi$   $t_1$   $t_2$  ( $1 \leq \chi \leq N$ ), ( $1 \leq t_1 \leq t_2 \leq 10^6$ ), or 2  $\chi$   $t$  ( $1 \leq \chi \leq N$ ), ( $1 \leq t \leq 10^6$ ).

It’s guaranteed that all first type queries will appear first in the input before any second type query appears.

It’s also guaranteed that the sum of  $N$  over all testcases won’t exceed  $5 \times 10^5$

It’s also guaranteed that the sum of  $Q$  over all testcases won’t exceed  $5 \times 10^5$

**Output**

For every query of the second type, print the number of the node containing the magnet that catches this coin, or -1 if no magnet catches it.

Example

standard input	standard output
1	2
8 11	1
1 2	1
1 3	7
3 7	2
7 8	1
2 4	-1
2 5	
2 6	
1 2 2 5	
1 1 1 10	
1 7 2 10	
1 1 11 20	
2 4 3	
2 5 1	
2 8 1	
2 7 2	
2 6 2	
2 2 15	
2 1 22	

Problem K. Kudos to those who

Input file: standard input  
Output file: standard output  
Balloon Color: Light Blue

Kristin is almost there. A new checkpoint in her story is over there. Kudos to those who seek it. Kristin definitely claims it.

Kristin has  $N$  shiny paper clips. She wants to count the number of ways to distribute these clips into some number of boxes.

Kristin defines some rules for distribution. If she has  $k$  boxes and each box has some size  $s_i$ , then she must have  $(s_1 \leq s_2 \leq s_3 \leq \dots s_k \leq (s_1 + 1))$ . (which means that box sizes are **at most** 2 distinct consecutive integers). For example,  $\{2,2\}$  is a valid distribution of 4 objects, while  $\{1,3\}$  is not.

Also, boxes of size between  $L$  and  $R$  are forbidden to use.

She wants to find the number of ways to distribute the  $N$  clips taking into account the above conditions. Can you help her?

Input

The first line on input contains one integer  $T$  ( $1 \leq T \leq 10^5$ ), the number of testcases.

Each testcase contains one line, each line contains three integers  $N, L, R$  ( $1 \leq N \leq 10^{18}$ ,  $(1 \leq L \leq R \leq N)$ ).

Output

Output  $T$  lines, in the  $i_{th}$  line output the answer of the  $i_{th}$  testcase.

Example

standard input	standard output
3	2
4 1 1	2
5 2 4	4
6 3 6	

Note

In the first testcase we have  $N = 4$ ,  $L = 1$  and  $R = 1$ , and there are exactly two ways to distribute the objects,  $(2,2)$ ,  $(4)$ .

In the second testcase we have  $N = 5$ ,  $L = 2$  and  $R = 4$ , and there are exactly two ways to distribute the objects,  $(1,1,1,1,1)$ ,  $(5)$ .

**Problem L. Leverage their skill**

Input file:            standard input  
Output file:         standard output  
Balloon Color:      Bronze

The future is certainly uncertain. But throughout the story, knowledge is gained. Building a book of wisdom, Amr knows how to leverage his skill for one more chapter of the story of lifetime from another verse.

*“ No problemset is complete without a geometry problem ”*  
*— not a single one, ever .. Amr*

Amr is great at geometry problems and he certainly knows how to leverage his skill there. He has a closed non-intersecting polygon of size  $N$ . Amr challenges you to find all the vertices of the Polygon that can be connected to the origin (0,0) by a straight line segment that has no common point with the polygon other than the vertex itself.

Amr defines a closed non-intersecting polygon of size  $N$  , as a polygon that consists of  $N$  vertices numbered from 1 to  $N$  . Vertices  $u$  and  $u + 1$  are connected by a straight line segment and vertex  $N$  is connected to vertex 1 by a straight line segment too.

Line segments are non-crossing, that is for any pair of line segments if they share a common point then this point must be an endpoint of both segments, and each vertex is the endpoint of exactly two segments.

**Input**

The first line on input contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 100$ ), the number of testcases.

The first line of every testcase contains one integer  $N$  ( $3 \leq N \leq 2 \times 10^5$ ), the number of vertices of the polygon.

Then  $N$  lines follows, the  $i_{th}$  line contains two integers separated by spaces  $x_i, y_i$  ( $1 \leq x_i, y_i \leq 10^6$ ), which represent the coordinates of the  $i_{th}$  vertex.

It's guaranteed that the given polygon is closed and non-intersecting.

It's also guaranteed that the sum of  $N$  over all testcases won't exceed  $5 \times 10^5$ .

**Output**

Output  $2 \times \mathcal{T}$  lines, two lines for each testcase.

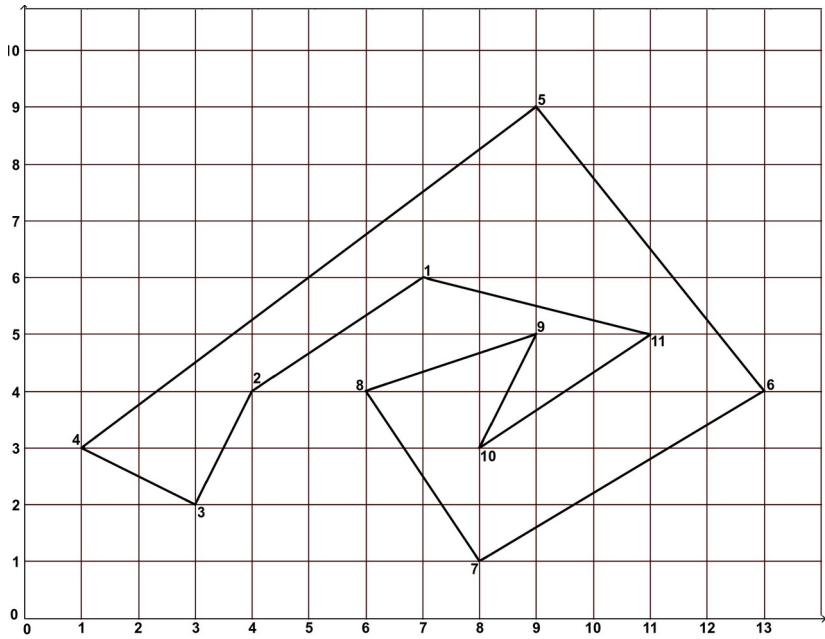
For the the  $i_{th}$  testcase, output in the first line one integer  $\mathcal{M}$  which represents the number of vertices of the Polygon that can be connected to the origin (0,0), the second line should contain  $\mathcal{M}$  integers representing these vertices separated by spaces **in increasing order**.

Example

standard input	standard output
2	3
11	3 4 7
7 6	5
4 4	1 2 3 6 7
3 2	
1 3	
9 9	
13 4	
8 1	
6 4	
9 5	
8 3	
11 5	
9	
1 4	
5 4	
4 2	
5 3	
6 3	
7 1	
8 1	
6 4	
2 5	

Note

the image below represents the first testcase:



Problem M. Marching into the future

Input file: standard input  
Output file: standard output  
Balloon Color: Light Green

Have you seen it yet? It has been there along. Sometimes it takes an outsider point of view, to notice what is really there. Stories of people’s lives have never been so similar. It only requires a thoughtful look. And the difference are suddenly clear.

Amira is working on a new type of cures for trees. She is testing how fast it can give all trees immunity to climate changes.

Amira found that this cure spreads in the following way: for each moment  $t$  starting from 0, for every node  $u$  if it’s cured at moment  $t$  then at moment  $t + 1$  the cure chooses only one node  $v$  that is adjacent to node  $u$  and hasn’t been cured yet, and cure node  $v$ . Note that at moment  $t + 1$  both nodes  $u$  and  $v$  are now cured.

The cure experiment usually starts at moment 0 in two nodes  $x, y$ . Can you help Amira to calculate the minimum time needed to cure all the nodes of the tree if the cure spreads optimally?

Input

The first line on input contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 3 \times 10^4$ ), the number of testcases.

The first line of every testcase contains three integer  $N, x, y$  ( $1 \leq N \leq 10^5$ ), ( $1 \leq x, y \leq N$ ), the number of vertices in the tree, the nodes  $x, y$  that are infected at moment 0, note that  $x, y$  could be the same node.

Then  $N - 1$  lines follows. Each line contains two integers separated by spaces, which represent the edges of the tree.

It’s guaranteed that the sum of  $N$  over all testcases won’t exceed  $3 \times 10^5$

Output

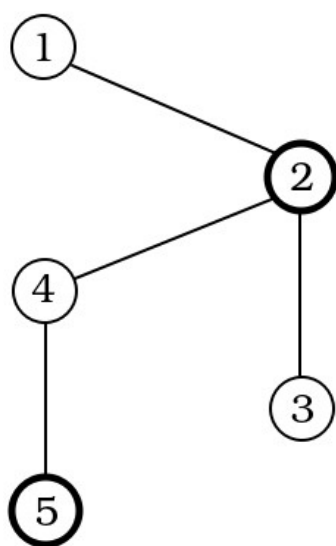
Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output one integer, the answer for the  $i_{th}$  testcase which represents the minimum time needed to infect all the nodes of the tree if the cure spreads optimally.

Example

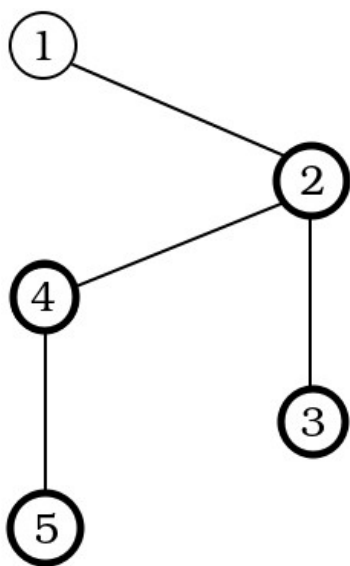
standard input	standard output
1 5 2 5 1 2 2 3 2 4 4 5	2

Note

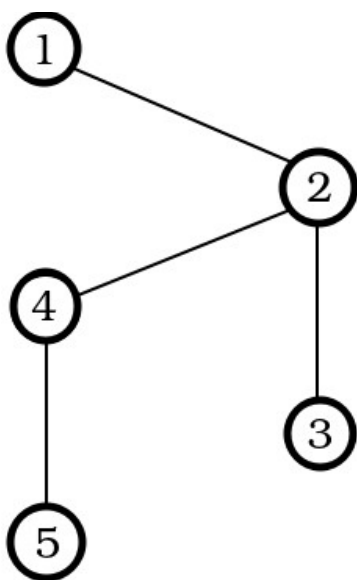
Here is an illustration for the sample:



The tree at moment 0, nodes 2 and 5 with bold shape are infected.



At moment 1, node 2 infects node 3 and node 5 infects node 4.



At moment 2, node 2 infects node 1, now all the nodes are infected, hence the answer is 2.

Problem N. Now and next

Input file:            standard input  
Output file:         standard output  
Balloon Color:      Gold

As the future is unknown, it is hard to guess what is coming next. But we are living in the current moment, now, and it should be utilized for the best. It is a great imminent journey all of us need to take. It is all about now, then, and what is next.

Emy has a row of  $N$  colored balloons. Each of them has some color  $C_i$ . Emy has some colored darts which she can shoot the balloons with. In one move, Emy chooses some consecutive balloons **of the same color** and shoot them with a dart of that exact same color. This causes the balloons to pop and the remaining balloons to move next to each other in the same order.

The problem is that Emy has only one dart of every possible color! She can't use a dart of the same color twice. She wants to know if she can pop all balloons. Can you help her determine if there is a way shoot the given darts in some order and pop all balloons?

Input

The first line on input contains one integer  $\mathcal{T}$  ( $1 \leq \mathcal{T} \leq 10^5$ ), the number of test cases.

Every test case consists of 2 lines.

The first line of every level contains a single integer  $N$  ( $1 \leq N \leq 10^5$ ), the number of balloons. The second line of every level contains  $N$  integers, the  $i_{th}$  integer  $C_i$  ( $1 \leq C_i \leq 10^9$ ) represents the color of the  $i_{th}$  balloon.

It's guaranteed that the sum of  $N$  over all levels won't exceed  $3 \times 10^5$ .

Output

Output  $\mathcal{T}$  lines, in the  $i_{th}$  line output “YES” if Emy can pop all balloons in the  $i_{th}$  test case, otherwise output “NO” (without quotes).

Example

standard input	standard output
3	YES
5	NO
1 2 3 1 1	YES
5	
1 2 3 2 3	
1	
2	

Note

In the first test case, Emy can first shoot the balloon with color 2, the remaining balloons will be [1,3,1,1], next she can shoot balloon with color 3, the remaining balloons are [1,1,1], finally she can shoot the three remaining balloons of color 1, so the answer is YES.

Note that no matter what order Emy shoots the balloons at, it's impossible to clear the second level.