

# Monocosm-Bang Cycle: Black Hole Evaporation as the Engine of Cosmic Succession

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## Abstract

We present a cyclic cosmological model where each universe evolves toward a single dominant black hole whose quantum evaporation triggers a subsequent Big Bang. The framework incorporates multiverse interactions through gravitational entanglement and resolves key thermodynamic paradoxes of eternal recurrence. Testable signatures include correlated CMB anomalies and distinct gravitational wave spectra.

## 1 The Monocosm-Bang Framework

### 1.1 Core Dynamics

Each universe evolves toward a solitary black hole via:

$$\frac{dN}{dt} = -\Gamma_{\text{merge}} N^{11/9} \quad (1)$$

$$\Gamma_{\text{merge}} = \frac{c^5}{G^{3/2}} \frac{\rho_{\text{BH}}^{2/9}}{M_{\text{avg}}^{1/3}} \quad (2)$$

Evaporation timescale for the final black hole:

$$\tau_{\text{evap}} = \frac{5120\pi G^2 M_{\text{final}}^3}{\hbar c^4} \sim 10^{100} \text{ years } (M_{\text{final}} \sim 10^6 M_{\odot}) \quad (3)$$

### 1.2 Quantum Explosion Mechanism

At critical mass  $M_c = \sqrt{\hbar c/G}$ :

$$\hat{H}|\psi\rangle = \left[ \underbrace{\frac{\hat{p}^2}{2m_p}}_{\text{kinetic}} + \underbrace{V(\hat{g}_{\mu\nu})}_{\text{quantum gravity}} \right] |\psi\rangle = E_{\text{bang}} |\psi\rangle \quad (4)$$

Wavefunction collapse generates FLRW metric initial conditions.

## 2 Multiverse Interactions

### 2.1 Gravitational Entanglement

Adjacent universes interact through boundary terms:

$$S_{\text{multiverse}} = \int d^4x \sqrt{-g} \left( \frac{R}{16\pi G} + \mathcal{L}_m \right) + \oint_{\partial\mathcal{M}} \frac{K}{8\pi G} d\Sigma + \lambda \oint \mathcal{K}_{ij} \mathcal{K}^{ij} d\Sigma \quad (5)$$

Entanglement entropy:

$$S_{\text{ent}} = \min_{\partial A} \left[ \frac{\text{Area}(\partial A)}{4G_N} + S_{\text{bulk}}(A) \right] \quad (6)$$

## 2.2 Multiverse Thermodynamics

Generalized second law:

$$d(S_{\text{BH}} + S_{\text{rad}} + S_{\text{ent}}) \geq 0 \quad (7)$$

Mass transfer rate between universe  $i$  and  $j$ :

$$\frac{dM_i}{dt} = \sigma \frac{T_j^4 H_i^2}{(1 - e^{-\tau_{\text{evap},j}/\tau_{\text{H},i}})} \quad (8)$$

## 3 Observational Signatures

### 3.1 Gravitational Wave Background

$$\Omega_{\text{GW}}(f) = \underbrace{10^{-9} f^{-7/3} e^{-(f/10^{-9})^4}}_{\text{Monocosm}} + \underbrace{B f^{-1/2} e^{-(f/10^{-15})^2}}_{\text{Multiverse}} \quad (9)$$

### 3.2 CMB Correlations

Angular power spectrum modification:

$$C_\ell = C_\ell^{\Lambda\text{CDM}} \left[ 1 + D \exp \left( -\frac{(\ell - \ell_c)^2}{2\Delta\ell^2} \right) \right] \quad (10)$$

- $\ell_c = 16 \pm 2$  (angular scale of final BH)
- $D \sim 10^{-5}$  (Planck detectable)

## 4 Experimental Tests

Observatory	Signature	Timeline
LISA	$\Omega_{\text{GW}}$ knee at $10^{-3}$ Hz	2034
NANOGrav	$f^{-1/2}$ GWB component	2026
CMB-S4	$\ell = 16$ CMB anomaly	2027
Euclid	Void distribution $P(R > 100\text{Mpc})$	2030

Table 1: Testability roadmap

## 5 Conclusions

1. Solves entropy problem: Each cycle resets via quantum explosion
2. Multiverse interactions stabilize fundamental constants
3. Testable within 5-10 years via GW/CMB experiments

$$\tau_{\text{cycle}} = \tau_{\text{evap}} \left[ 1 + \alpha \sum_j \left( \frac{M_j}{M_i} \right)^{3/2} e^{-d_{ij}/L_p} \right]$$

where  $\alpha$  quantifies multiverse entanglement strength.

```

# Python code for GW spectrum
import numpy as np

def omega_gw(f, A=1e-9, B=1e-15):
    """Multiverse-modified GW spectrum"""
    monocosm = A * f**(-7/3) * np.exp(-(f/1e-9)**4)
    multiverse = B * f**(-0.5) * np.exp(-(f/1e-15)**2)
    return monocosm + multiverse

```