

$$\overline{I}_{\phi} = \overline{I}_{r} - \overline{I}_{r'}$$

$$\left\{ \begin{array}{l} -9\% + \omega I_{1} + 1\omega(I_{1} - I_{1}) + 1\omega(I_{1} - I_{1}) = 0 \\ -\% (I_{1} - I_{1}) + 1\omega(I_{1} - I_{1}) + \omega \circ (I_{1} - I_{1}) = 0 \end{array} \right.$$

$$\left\{ \begin{array}{l} -\% (I_{1} - I_{1}) + 1\omega(I_{1} - I_{1}) = 0 \\ -\% (I_{1} - I_{1}) + 1\omega(I_{1} - I_{1}) = 0 \end{array} \right.$$

=> LVIL-dIL - LI I" = ILL => IL = LL Th-11LL

1) (\frac{1 \text{1} \text{1}

=> FFIr = 9x14r=9x8xrr => Ir = NA

 $\Rightarrow I_1 = YA$, $I_Y = YA$

$$\Rightarrow P = VI = (Y \cdot J_0)(I_1) = Y \cdot x \cdot \Delta x \cdot YV = Y \cdot V \cdot W = Y \cdot V \cdot KW$$

$$\overrightarrow{\text{Column 2}}$$

$$\overrightarrow{\text{Tolumn 2}}$$

$$\begin{cases} \sqrt{I_1} - I_1 - \sqrt{I_1} = -\sqrt{1} \\ \sqrt{I_1} - \omega I_1 + \sqrt{I_1} = -W \end{cases} \Rightarrow VI_{1+} \omega I_{1} = -W \Rightarrow I_{1} = \frac{-W - \omega I_{1}}{Y}$$

$$I_{1} = I_{1} + W$$

$$\sqrt{2} \Gamma_{r} - \omega \left(-\frac{1}{\sqrt{r}} - \omega \left(-\frac{1}{\sqrt{r}} - \omega \right) \right) + \Gamma \left(\Gamma_{r} + \Gamma_{r} \right) = -1$$

$$\Rightarrow \forall \alpha I_{r} = -1\% \Rightarrow I_{r} = \frac{-\cancel{r}}{\cancel{\omega}} \qquad \Rightarrow I_{1} = \frac{-\cancel{N} - \cancel{\omega} \left(\frac{-\cancel{r}\cancel{s}}{\cancel{\omega}}\right)}{\cancel{r}} = \frac{-\cancel{r}}{\cancel{\omega}}$$

$$\Rightarrow i_{o} = I_{r} - I_{1} = \frac{-r9}{10} - \frac{-r}{r} = \frac{-r9 + r}{10} = \frac{-r9}{10}$$

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V_{o} = -Y_{o}\left(\overline{I}_{1} - \overline{I}_{Y}\right)
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                   (), (r: +\alpha i' +\alpha (i' - In) + \alpha (i' - In) + \forall (i' - I) + \forall (i' - I) = .
            \Rightarrow \begin{cases} \sqrt{I_{1}} - \sqrt{i.'} = 1 \Rightarrow I_{1} = \frac{1 + \sqrt{i.'}}{\sqrt{1 + \sqrt{i.'}}} \\ \forall I_{1} = \forall i.' \Rightarrow \overline{I_{1}} = \frac{i.'}{\sqrt{1 + \sqrt{i.'}}} \\ \forall \forall i.' - \forall I_{1} = 0 \Rightarrow \forall \forall i.' - \forall \left(\frac{i.'}{\sqrt{1 + \sqrt{i.'}}}\right) = 0 \end{cases}
                                 \Rightarrow (YV-1-1Y)i' = Y \Rightarrow i' = 0,Y \Rightarrow I_1 = \frac{11}{12} \Rightarrow V' = -1,0
                        (a), (T): Fωi" + ω(i" - Ir) + ω(Ir - Ir) + ν· (Ir - I) + ν· (i"-I) = ·
       V=v.+v"=-17,0/, i=i.+i."=0,1" : ,[i] € €
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$$S(1): V_{10} - V_{1} = V_{0} \quad D \implies V_{2} = V_{2} + V_{0}$$

$$KCL^{\circ} - idc + \frac{V_{1-0}}{1000} + \frac{V_{1}}{V_{00}} + \frac{V_{0}}{1000} = 0 \Rightarrow idc = \frac{V_{1} + V_{0}}{1000}$$

$$\Rightarrow VV_{r} + V(V_{r} + V_{o}) - 9V_{l} = -V_{o} \Rightarrow VV_{r} - 9V_{l} = -1/0 \Rightarrow V_{r} - V_{l} = -V_{o}$$

$$\frac{\text{KCL}: V_r - V_1}{\omega_{00}} + \frac{V_r - V_1}{r\omega_{0}} + \frac{V_r - 0}{1r\omega_{0}} = 0 \Rightarrow \omega V_r + 17V_r - 1\Delta V_1 = 0$$

$$\Rightarrow VV_{r} = -VO_{0} + VO_{0} = 10.0 \Rightarrow V_{r} = 0.0$$

$$\Rightarrow i_{\text{olc}} = \frac{V_1 + K_0}{1000} = \frac{\Lambda_0 + K_0}{1000} = \frac{1}{100} = 0, |Y| A = |Y| MA$$