

deeplearning.ai

## One hidden layer Neural Network

Gradient descent for neural networks

Gradient descent for neural

networks

Parameters: 
$$(x^{ro}, x^{tos})$$
  $(x^{tos}, b^{tos})$   $(x^{tos}, b^{tos})$   $(x^{tos}, b^{tos})$   $(x^{tos}, b^{tos})$   $(x^{tos}, b^{tos})$   $= \frac{1}{m} \sum_{i=1}^{m} \chi(\hat{y}, y)$ 

Conduct descent:

The epoch of the prediction of the expectation of the expe

 $N_x = N_{\text{tol}}$  ,  $N_{\text{til}}$  ,  $N_{\text{til}} = 1$ 

## Formulas for computing derivatives

Formal bobadquin;  

$$S_{CIJ} = P_{CIJ}(S_{CIJ}) = e(S_{CIJ})$$

$$S_{LSJ} = P_{LSJ}(S_{LSJ}) = e(S_{LSJ})$$

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Book proposition:

$$d^{[2]} = A^{[2]} - Y$$

$$d^{[3]} = \frac{1}{m} d^{[3]} A^{[1]} T$$

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$$d^{[3]} = \frac{1}{m} np. Sum (d^{[2]}, conis = 1, keepdans = True)$$

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$$d^{[3]} = \frac{1}{m} d^{[3]} d^{[3]}$$

**Andrew Ng**