C. Property

time limit per test: 0.5 seconds memory limit per test: 256 megabytes input: standard input

output: standard output

Bill is a famous mathematician in BubbleLand. Thanks to his revolutionary math discoveries he was able to make enough money to build a beautiful house. Unfortunately, for not paying property tax on time, court decided to punish Bill by making him lose a part of his property.

Bill's property can be observed as a convex regular 2n-sided polygon $A_0 A_1 \dots A_{2n-1} A_{2n}$, $A_{2n} = A_0$, with sides of the exactly 1 meter in length.

Court rules for removing part of his property are as follows:

- Split every edge $A_k A_{k+1}$, k=0...2n-1 in n equal parts of size 1/n with points $P_0, P_1, ..., P_{n-1}$
- On every edge $A_{2k}A_{2k+1}$, k=0... n-1 court will choose one point $B_{2k}=P_i$ for some i=0,...,n-1 such that
- On every edge $A_{2k+1}A_{2k+2}$, k=0...n 1 Bill will choose one point $B_{2k+1}=P_i$ for some i=0,...,n-1 such that
- Bill gets to keep property inside of 2n-sided polygon B_0 B_1 ... B_{2n-1}

Luckily, Bill found out which B_{2k} points the court chose. Even though he is a great mathematician, his house is very big and he has a hard time calculating. Therefore, he is asking you to help him choose points so he maximizes area of property he can keep.

Input

The first line contains one integer number n ($2 \le n \le 50000$), representing number of edges of 2n-sided polygon.

The second line contains n distinct integer numbers B_{2k} ($0 \le B_{2k} \le n - 1$, k = 0... n - 1) separated by a single space, representing points the court chose. If $B_{2k} = i$, the court chose point P_i on side A_{2k} A_{2k+1} .

Output

Output contains n distinct integers separated by a single space representing points $B_1, B_3, ..., B_{2n-1}$ Bill should choose in order to maximize the property area. If there are multiple solutions that maximize the area, return any of them.

Example

input
3
0 1 2

output
0 2 1

Note

To maximize area Bill should choose points: $B_1 = P_0$, $B_3 = P_2$, $B_5 = P_1$