B. More Cowbell

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

Kevin Sun wants to move his precious collection of n cowbells from Naperthrill to Exeter, where there is actually grass instead of corn. Before moving, he must pack his cowbells into k boxes of a fixed size. In order to keep his collection safe during transportation, he won't place more than **two** cowbells into a single box. Since Kevin wishes to minimize expenses, he is curious about the smallest size box he can use to pack his entire collection.

Kevin is a meticulous cowbell collector and knows that the size of his i-th ($1 \le i \le n$) cowbell is an integer s_i. In fact, he keeps his cowbells sorted by size, so $s_{i-1} \le s_i$ for any $i > 1$. Also an expert packer, Kevin can fit one or two cowbells into a box of size s if and only if the sum of their sizes does not exceed s. Given this information, help Kevin determine the smallest s for which it is possible to put all of his cowbells into k boxes of size s.

Input

The first line of the input contains two space-separated integers n and k ($1 \le n \le 2 \cdot k \le 100\,000$), denoting the number of cowbells and the number of boxes, respectively.

The next line contains n space-separated integers $s_1, s_2, \ldots, s_n$ ($1 \le s_1 \le s_2 \le \ldots \le s_n \le 1\,000\,000$), the sizes of Kevin's cowbells. It is guaranteed that the sizes s_i are given in non-decreasing order.

Output

Print a single integer, the smallest s for which it is possible for Kevin to put all of his cowbells into k boxes of size s.

Examples

input
2 1 2 5
output
7

input
4 3 2 3 5 9
output
9

input
3 2 3 5 7
output
8

Note

In the first sample, Kevin must pack his two cowbells into the same box.

In the second sample, Kevin can pack together the following sets of cowbells: $\{2, 3\}$, $\{5\}$ and $\{9\}$.

In the third sample, the optimal solution is $\{3, 5\}$ and $\{7\}$.