

## C. Lucky Permutation

time limit per test: 2 seconds  
memory limit per test: 256 megabytes  
input: standard input  
output: standard output

Petya loves lucky numbers. Everybody knows that lucky numbers are positive integers whose decimal representation contains only the lucky digits **4** and **7**. For example, numbers **47**, **744**, **4** are lucky and **5**, **17**, **467** are not.

One day Petya dreamt of a lexicographically  $k$ -th permutation of integers from 1 to  $n$ . Determine how many lucky numbers in the permutation are located on the positions whose indexes are also lucky numbers.

### Input

The first line contains two integers  $n$  and  $k$  ( $1 \leq n, k \leq 10^9$ ) — the number of elements in the permutation and the lexicographical number of the permutation.

### Output

If the  $k$ -th permutation of numbers from 1 to  $n$  does not exist, print the single number "-1" (without the quotes). Otherwise, print the answer to the problem: the number of such indexes  $i$ , that  $i$  and  $a_i$  are both lucky numbers.

### Examples

input
7 4
output
1

input
4 7
output
1

### Note

A permutation is an ordered set of  $n$  elements, where each integer from 1 to  $n$  occurs exactly once. The element of permutation in position with index  $i$  is denoted as  $a_i$  ( $1 \leq i \leq n$ ). Permutation  $a$  is lexicographically smaller than permutation  $b$  if there is such a  $i$  ( $1 \leq i \leq n$ ), that  $a_i < b_i$ , and for any  $j$  ( $1 \leq j < i$ )  $a_j = b_j$ . Let's make a list of all possible permutations of  $n$  elements and sort it in the order of lexicographical increasing. Then the lexicographically  $k$ -th permutation is the  $k$ -th element of this list of permutations.

In the first sample the permutation looks like that:

1 2 3 4 6 7 5

The only suitable position is 4.

In the second sample the permutation looks like that:

2 1 3 4

The only suitable position is 4.