

## C. Coin Troubles

time limit per test: 2 seconds  
memory limit per test: 256 megabytes  
input: standard input  
output: standard output

In the Isle of Guernsey there are  $n$  different types of coins. For each  $i$  ( $1 \leq i \leq n$ ), coin of type  $i$  is worth  $a_i$  cents. It is possible that  $a_i = a_j$  for some  $i$  and  $j$  ( $i \neq j$ ).

Bessie has some set of these coins totaling  $t$  cents. She tells Jessie  $q$  pairs of integers. For each  $i$  ( $1 \leq i \leq q$ ), the pair  $b_i, c_i$  tells Jessie that Bessie has a strictly greater number of coins of type  $b_i$  than coins of type  $c_i$ . It is known that all  $b_i$  are distinct and all  $c_i$  are distinct.

Help Jessie find the number of possible combinations of coins Bessie could have. Two combinations are considered different if there is some  $i$  ( $1 \leq i \leq n$ ), such that the number of coins Bessie has of type  $i$  is different in the two combinations. Since the answer can be very large, output it modulo 1000000007 ( $10^9 + 7$ ).

If there are no possible combinations of coins totaling  $t$  cents that satisfy Bessie's conditions, output 0.

### Input

The first line contains three space-separated integers,  $n$ ,  $q$  and  $t$  ( $1 \leq n \leq 300$ ;  $0 \leq q \leq n$ ;  $1 \leq t \leq 10^5$ ). The second line contains  $n$  space separated integers,  $a_1, a_2, \dots, a_n$  ( $1 \leq a_i \leq 10^5$ ). The next  $q$  lines each contain two distinct space-separated integers,  $b_i$  and  $c_i$  ( $1 \leq b_i, c_i \leq n$ ;  $b_i \neq c_i$ ).

It's guaranteed that all  $b_i$  are distinct and all  $c_i$  are distinct.

### Output

A single integer, the number of valid coin combinations that Bessie could have, modulo 1000000007 ( $10^9 + 7$ ).

### Examples

<b>input</b>
4 2 17 3 1 2 5 4 2 3 4
<b>output</b>
3

  

<b>input</b>
3 2 6 3 1 1 1 2 2 3
<b>output</b>
0

  

<b>input</b>
3 2 10 1 2 3 1 2 2 1
<b>output</b>
0

**Note**

For the first sample, the following 3 combinations give a total of 17 cents and satisfy the given conditions:

$\{0 \text{ of type } 1, 1 \text{ of type } 2, 3 \text{ of type } 3, 2 \text{ of type } 4\}$ ,  $\{0, 0, 6, 1\}$ ,  $\{2, 0, 3, 1\}$ .

No other combinations exist. Note that even though 4 occurs in both  $b_i$  and  $c_i$ , the problem conditions are still satisfied because all  $b_i$  are distinct and all  $c_i$  are distinct.