E. Tree or not Tree

time limit per test: 5 seconds memory limit per test: 256 megabytes

input: standard input output: standard output

You are given an undirected connected graph G consisting of n vertexes and n edges. G contains no self-loops or multiple edges. Let each edge has two states: on and off. Initially all edges are switched off.

You are also given m queries represented as (v, u) — change the state of all edges on the shortest path from vertex v to vertex u in graph G. If there are several such paths, the lexicographically minimal one is chosen. More formally, let us consider all shortest paths from vertex v to vertex u as the sequences of vertexes v, $v_1, v_2, ..., u$. Among such sequences we choose the lexicographically minimal one.

After each query you should tell how many connected components has the graph whose vertexes coincide with the vertexes of graph G and edges coincide with the switched on edges of graph G.

Input

The first line contains two integers n and m ($3 \le n \le 10^5$), $1 \le m \le 10^5$). Then n lines describe the graph edges as a b ($1 \le a$, $b \le n$). Next m lines contain the queries as v u ($1 \le v$, $u \le n$).

It is guaranteed that the graph is connected, does not have any self-loops or multiple edges.

Output

Print m lines, each containing one integer — the query results.

Examples

input
5 2
2 1
4 3
2 4
2 5
4 1
5 4
1 5
output
3
3

```
input

6 2
4 6
4 3
1 2
6 5
1 5
1 4
2 5
2 6

output

4 3
```

Note

Let's consider the first sample. We'll highlight the switched on edges blue on the image.

- The graph before applying any operations. No graph edges are switched on, that's why there initially are 5 connected components.
- The graph after query v = 5, u = 4. We can see that the graph has three components if we only consider the switched on edges.
- The graph after query v = 1, u = 5. We can see that the graph has three components if we only consider the switched on edges.

Lexicographical comparison of two sequences of equal length of k numbers should be done as follows. Sequence x is lexicographically less than sequence y if exists such i ($1 \le i \le k$), so that $x_i < y_i$, and for any j ($1 \le j < i$) $x_j = y_i$.