

## D. Varying Kibibits

time limit per test: 3 seconds  
memory limit per test: 256 megabytes  
input: standard input  
output: standard output

You are given  $n$  integers  $a_1, a_2, \dots, a_n$ . Denote this list of integers as  $T$ .

Let  $f(L)$  be a function that takes in a non-empty list of integers  $L$ .

The function will output another integer as follows:

- First, all integers in  $L$  are padded with leading zeros so they are all the same length as the maximum length number in  $L$ .
- We will construct a string where the  $i$ -th character is the minimum of the  $i$ -th character in padded input numbers.
- The output is the number representing the string interpreted in base 10.

For example  $f(10, 9) = 0$ ,  $f(123, 321) = 121$ ,  $f(530, 932, 81) = 30$ .

Define the function

Here,  $G(x)$  denotes a subsequence.

In other words,  $G(x)$  is the sum of squares of sum of elements of nonempty subsequences of  $T$  that evaluate to  $x$  when plugged into  $f$  modulo 1 000 000 007, then multiplied by  $x$ . The last multiplication is not modded.

You would like to compute  $G(0), G(1), \dots, G(999\,999)$ . To reduce the output size, print the value  $\bigoplus_{i=0}^{999\,999} G(i)$ , where  $\oplus$  denotes the bitwise XOR operator.

### Input

The first line contains the integer  $n$  ( $1 \leq n \leq 1\,000\,000$ ) — the size of list  $T$ .

The next line contains  $n$  space-separated integers,  $a_1, a_2, \dots, a_n$  ( $0 \leq a_i \leq 999\,999$ ) — the elements of the list.

### Output

Output a single integer, the answer to the problem.

### Examples

input
3 123 321 555
output
292711924

input
1 999999
output
997992010006992

input
10 1 1 1 1 1 1 1 1 1 1
output

**Note**

For the first sample, the nonzero values of  $G$  are  $G(121) = 144\,611\,577$ ,  $G(123) = 58\,401\,999$ ,  $G(321) = 279\,403\,857$ ,  $G(555) = 170\,953\,875$ . The bitwise XOR of these numbers is equal to  $292\,711\,924$ .

For example,  $f(123, 555)$ , since the subsequences  $[123]$  and  $[123, 555]$  evaluate to  $123$  when plugged into  $f$ .

For the second sample, we have

For the last sample, we have  $f(123, 555)$ , where  $\binom{n}{k}$  is the binomial coefficient.