

B. Clique in the Divisibility Graph

time limit per test: 1 second

memory limit per test: 256 megabytes

input: standard input

output: standard output

As you must know, the maximum clique problem in an arbitrary graph is *NP*-hard. Nevertheless, for some graphs of specific kinds it can be solved effectively.

Just in case, let us remind you that a clique in a non-directed graph is a subset of the vertices of a graph, such that any two vertices of this subset are connected by an edge. In particular, an empty set of vertexes and a set consisting of a single vertex, are cliques.

Let's define a divisibility graph for a set of positive integers $A = \{a_1, a_2, \dots, a_n\}$ as follows. The vertices of the given graph are numbers from set A , and two numbers a_i and a_j ($i \neq j$) are connected by an edge if and only if either a_i is divisible by a_j , or a_j is divisible by a_i .

You are given a set of non-negative integers A . Determine the size of a maximum clique in a divisibility graph for set A .

Input

The first line contains integer n ($1 \leq n \leq 10^6$), that sets the size of set A .

The second line contains n distinct positive integers a_1, a_2, \dots, a_n ($1 \leq a_i \leq 10^6$) — elements of subset A . The numbers in the line follow in the ascending order.

Output

Print a single number — the maximum size of a clique in a divisibility graph for set A .

Examples

input
8 3 4 6 8 10 18 21 24
output
3

Note

In the first sample test a clique of size 3 is, for example, a subset of vertexes $\{3, 6, 18\}$. A clique of a larger size doesn't exist in this graph.