F. k-substrings

time limit per test: 4 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

You are given a string s consisting of n lowercase Latin letters.

Let's denote k-substring of s as a string $subs_k = s_k s_{k+1} .. s_{n+1-k}$. Obviously, $subs_1 = s$, and there are exactly such substrings.

Let's call some string t an **odd proper suprefix** of a string T iff the following conditions are met:

- $|T| > |t|$;
- $|t|$ is an odd number;
- t is simultaneously a prefix and a suffix of T.

For evey k-substring () of s you have to calculate the maximum length of its odd proper suprefix.

Input

The first line contains one integer n $(2 \le n \le 10^6)$ — the length s.

The second line contains the string s consisting of n lowercase Latin letters.

Output

Print integers. i-th of them should be equal to maximum length of an odd proper suprefix of i-substring of s (or -1, if there is no such string that is an odd proper suprefix of i-substring).

Examples

input
15 bcabcabcabcabca
output
9 7 5 3 1 -1 -1 -1

input
24 abaaabaaaabaaabaaaabaaab
output
15 13 11 9 7 5 3 1 1 -1 -1 1

input
19 cabcabbcabcabbcabca
output
5 3 1 -1 -1 1 1 -1 -1 -1

Note

The answer for first sample test is folowing:

- 1-substring: bcabca**bcabcabca**
- 2-substring: cabcab**cabcabc**

- 3-substring: abcabc**abcab**
- 4-substring: bcabca**bca**
- 5-substring: cabcab**c**
- 6-substring: abcab
- 7-substring: bca
- 8-substring: c