

## F. Level Generation

time limit per test: 1 second  
memory limit per test: 256 megabytes  
input: standard input  
output: standard output

Ivan is developing his own computer game. Now he tries to create some levels for his game. But firstly for each level he needs to draw a graph representing the structure of the level.

Ivan decided that there should be exactly  $n_i$  vertices in the graph representing level  $i$ , and the edges have to be bidirectional. When constructing the graph, Ivan is interested in special edges called *bridges*. An edge between two vertices  $u$  and  $v$  is called a *bridge* if this edge belongs to every path between  $u$  and  $v$  (and these vertices will belong to different connected components if we delete this edge). For each level Ivan wants to construct a graph where at least half of the edges are *bridges*. He also wants to maximize the number of edges in each constructed graph.

So the task Ivan gave you is: given  $q$  numbers  $n_1, n_2, \dots, n_q$ , for each  $i$  tell the maximum number of edges in a graph with  $n_i$  vertices, if at least half of the edges are *bridges*. **Note that the graphs cannot contain multiple edges or self-loops.**

### Input

The first line of input file contains a positive integer  $q$  ( $1 \leq q \leq 100\,000$ ) — the number of graphs Ivan needs to construct.

Then  $q$  lines follow,  $i$ -th line contains one positive integer  $n_i$  ( $1 \leq n_i \leq 2 \cdot 10^9$ ) — the number of vertices in  $i$ -th graph.

*Note that in hacks you have to use  $q = 1$ .*

### Output

Output  $q$  numbers,  $i$ -th of them must be equal to the maximum number of edges in  $i$ -th graph.

### Example

input
3 3 4 6
output
2 3 6

### Note

In the first example it is possible to construct these graphs:

- 1 - 2, 1 - 3;
- 1 - 2, 1 - 3, 2 - 4;
- 1 - 2, 1 - 3, 2 - 3, 1 - 4, 2 - 5, 3 - 6.