

## C. Magic Five

time limit per test: 1 second

memory limit per test: 256 megabytes

input: standard input

output: standard output

There is a long plate  $s$  containing  $n$  digits. Iahub wants to delete some digits (possibly none, but he is not allowed to delete all the digits) to form his "magic number" on the plate, a number that is divisible by 5. Note that, the resulting number may contain leading zeros.

Now Iahub wants to count the number of ways he can obtain magic number, modulo  $1000000007$  ( $10^9 + 7$ ). Two ways are different, if the set of deleted positions in  $s$  differs.

Look at the input part of the statement,  $s$  is given in a special form.

### Input

In the first line you're given a string  $a$  ( $1 \leq |a| \leq 10^5$ ), containing digits only. In the second line you're given an integer  $k$  ( $1 \leq k \leq 10^9$ ). The plate  $s$  is formed by concatenating  $k$  copies of  $a$  together. That is  $n = |a| \cdot k$ .

### Output

Print a single integer — the required number of ways modulo  $1000000007$  ( $10^9 + 7$ ).

### Examples

input
1256 1
output
4

input
13990 2
output
528

input
555 2
output
63

### Note

In the first case, there are four possible ways to make a number that is divisible by 5: 5, 15, 25 and 125.

In the second case, remember to concatenate the copies of  $a$ . The actual plate is 1399013990.

In the third case, except deleting all digits, any choice will do. Therefore there are  $2^6 - 1 = 63$  possible ways to delete digits.