# D. Office Keys

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

There are $n$ people and $k$ keys on a straight line. Every person wants to get to the office which is located on the line as well. To do that, he needs to reach some point with a key, take the key and then go to the office. Once a key is taken by somebody, it couldn't be taken by anybody else.

You are to determine the minimum time needed for all $n$ people to get to the office with keys. Assume that people move a unit distance per $1$ second. If two people reach a key at the same time, only one of them can take the key. A person can pass through a point with a key without taking it.

## Input

The first line contains three integers $n$, $k$ and $p$ ($1 \le n \le 1\,000$, $n \le k \le 2\,000$, $1 \le p \le 10^9$) — the number of people, the number of keys and the office location.

The second line contains $n$ distinct integers $a_1, a_2, ..., a_n$ ($1 \le a_i \le 10^9$) — positions in which people are located initially. The positions are given in arbitrary order.

The third line contains $k$ distinct integers $b_1, b_2, ..., b_k$ ($1 \le b_j \le 10^9$) — positions of the keys. The positions are given in arbitrary order.

Note that there can't be more than one person or more than one key in the same point. A person and a key can be located in the same point.

## Output

Print the minimum time (in seconds) needed for all $n$ to reach the office with keys.

### Examples

| input |
| --- |
| 2 4 50<br>20 100<br>60 10 40 80 |

| output |
| --- |
| 50 |

| input |
| --- |
| 1 2 10<br>11<br>15 7 |

| output |
| --- |
| 7 |

## Note

In the first example the person located at point $20$ should take the key located at point $40$ and go with it to the office located at point $50$. He spends $30$ seconds. The person located at point $100$ can take the key located at point $80$ and go to the office with it. He spends $50$ seconds. Thus, after $50$ seconds everybody is in office with keys.