# D. Bear and Tree Jumps

time limit per test: 2 seconds
memory limit per test: 256 megabytes
input: standard input
output: standard output

A tree is an undirected connected graph without cycles. The distance between two vertices is the number of edges in a simple path between them.

Limak is a little polar bear. He lives in a tree that consists of $n$ vertices, numbered $1$ through $n$.

Limak recently learned how to jump. He can jump from a vertex to any vertex within distance at most $k$.

For a pair of vertices $(s, t)$ we define $f(s, t)$ as the minimum number of jumps Limak needs to get from $s$ to $t$. Your task is to find the sum of $f(s, t)$ over all pairs of vertices $(s, t)$ such that $s < t$.

### Input

The first line of the input contains two integers $n$ and $k$ ($2 \le n \le 200\,000$, $1 \le k \le 5$) — the number of vertices in the tree and the maximum allowed jump distance respectively.

The next $n - 1$ lines describe edges in the tree. The $i$-th of those lines contains two integers $a_i$ and $b_i$ ($1 \le a_i, b_i \le n$) — the indices on vertices connected with $i$-th edge.

It's guaranteed that the given edges form a tree.

### Output

Print one integer, denoting the sum of $f(s, t)$ over all pairs of vertices $(s, t)$ such that $s < t$.

### Examples

**input**

```
6 2
1 2
1 3
2 4
2 5
4 6
```

**output**

```
20
```

**input**

```
13 3
1 2
3 2
4 2
5 2
3 6
10 6
6 7
6 13
5 8
5 9
9 11
11 12
```

**output**

```
114
```

### input

```
3 5
2 1
3 1
```

### output

```
3
```

## Note

In the first sample, the given tree has $6$ vertices and it's displayed on the drawing below. Limak can jump to any vertex within distance at most $2$. For example, from the vertex $5$ he can jump to any of vertices: $1$, $2$ and $4$ (well, he can also jump to the vertex $5$ itself).

There are pairs of vertices $(s, t)$ such that $s < t$. For $5$ of those pairs Limak would need two jumps: $(1, 6), (3, 4), (3, 5), (3, 6), (5, 6)$. For other $10$ pairs one jump is enough. So, the answer is $5 \cdot 2 + 10 \cdot 1 = 20$.

In the third sample, Limak can jump between every two vertices directly. There are $3$ pairs of vertices $(s < t)$, so the answer is $3 \cdot 1 = 3$.