

# A. Lucky Permutation Triple

time limit per test: 2 seconds  
memory limit per test: 256 megabytes  
input: standard input  
output: standard output

Bike is interested in permutations. A permutation of length  $n$  is an integer sequence such that each integer from 0 to  $(n - 1)$  appears exactly once in it. For example,  $[0, 2, 1]$  is a permutation of length 3 while both  $[0, 2, 2]$  and  $[1, 2, 3]$  is not.

A permutation triple of permutations of length  $n$   $(a, b, c)$  is called a Lucky Permutation Triple if and only if  $a_i + b_i \equiv c_i \pmod n$ . The sign  $a_i$  denotes the  $i$ -th element of permutation  $a$ . The modular equality described above denotes that the remainders after dividing  $a_i + b_i$  by  $n$  and dividing  $c_i$  by  $n$  are equal.

Now, he has an integer  $n$  and wants to find a Lucky Permutation Triple. Could you please help him?

## Input

The first line contains a single integer  $n$  ( $1 \leq n \leq 10^5$ ).

## Output

If no Lucky Permutation Triple of length  $n$  exists print  $-1$ .

Otherwise, you need to print three lines. Each line contains  $n$  space-seperated integers. The first line must contain permutation  $a$ , the second line — permutation  $b$ , the third — permutation  $c$ .

If there are multiple solutions, print any of them.

## Examples

input
5
output
1 4 3 2 0 1 0 2 4 3 2 4 0 1 3

input
2
output
-1

## Note

In Sample 1, the permutation triple  $([1, 4, 3, 2, 0], [1, 0, 2, 4, 3], [2, 4, 0, 1, 3])$  is Lucky Permutation Triple, as following holds:

- $1 + 1 \equiv 2 \pmod 5$ ;
- $4 + 0 \equiv 4 \pmod 5$ ;
- $3 + 2 \equiv 0 \pmod 5$ ;
- $2 + 4 \equiv 1 \pmod 5$ ;
- $0 + 3 \equiv 3 \pmod 5$ .

In Sample 2, you can easily notice that no lucky permutation triple exists.