

B. Pasha and Phone

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

Pasha has recently bought a new phone `Pager` and started adding his friends' phone numbers there. Each phone number consists of exactly n digits.

Also Pasha has a number k and two sequences of length n / k (n is divisible by k) $a_1, a_2, \dots, a_{n/k}$ and $b_1, b_2, \dots, b_{n/k}$. Let's split the phone number into blocks of length k . The first block will be formed by digits from the phone number that are on positions $1, 2, \dots, k$, the second block will be formed by digits from the phone number that are on positions $k+1, k+2, \dots, 2k$ and so on. Pasha considers a phone number `good`, if the i -th block doesn't start from the digit b_i and is divisible by a_i if represented as an integer.

To represent the block of length k as an integer, let's write it out as a sequence c_1, c_2, \dots, c_k . Then the integer is calculated as the result of the expression $c_1 \cdot 10^{k-1} + c_2 \cdot 10^{k-2} + \dots + c_k$.

Pasha asks you to calculate the number of `good` phone numbers of length n , for the given k, a_i and b_i . As this number can be too big, print it modulo $10^9 + 7$.

Input

The first line of the input contains two integers n and k ($1 \leq n \leq 100\,000$, $1 \leq k \leq \min(n, 9)$) — the length of all phone numbers and the length of each block, respectively. It is guaranteed that n is divisible by k .

The second line of the input contains n / k space-separated positive integers — sequence $a_1, a_2, \dots, a_{n/k}$ ($1 \leq a_i < 10^k$).

The third line of the input contains n / k space-separated positive integers — sequence $b_1, b_2, \dots, b_{n/k}$ ($0 \leq b_i \leq 9$).

Output

Print a single integer — the number of good phone numbers of length n modulo $10^9 + 7$.

Examples

input
6 2 38 56 49 7 3 4
output
8

input
8 2 1 22 3 44 5 4 3 2
output
32400

Note

In the first test sample `good` phone numbers are: 000000, 000098, 005600, 005698, 380000, 380098, 385600, 385698.