

## B. Seating On Bus

time limit per test: 1 second

memory limit per test: 256 megabytes

input: standard input

output: standard output

Consider  $2n$  rows of the seats in a bus.  $n$  rows of the seats on the left and  $n$  rows of the seats on the right. Each row can be filled by two people. So the total capacity of the bus is  $4n$ .

Consider that  $m$  ( $m \leq 4n$ ) people occupy the seats in the bus. The passengers entering the bus are numbered from 1 to  $m$  (in the order of their entering the bus). The pattern of the seat occupation is as below:

1-st row left window seat, 1-st row right window seat, 2-nd row left window seat, 2-nd row right window seat, ... ,  $n$ -th row left window seat,  $n$ -th row right window seat.

After occupying all the window seats (for  $m > 2n$ ) the non-window seats are occupied:

1-st row left non-window seat, 1-st row right non-window seat, ... ,  $n$ -th row left non-window seat,  $n$ -th row right non-window seat.

All the passengers go to a single final destination. In the final destination, the passengers get off in the given order.

1-st row left non-window seat, 1-st row left window seat, 1-st row right non-window seat, 1-st row right window seat, ... ,  $n$ -th row left non-window seat,  $n$ -th row left window seat,  $n$ -th row right non-window seat,  $n$ -th row right window seat.

The seating for  $n = 9$  and  $m = 36$ .

You are given the values  $n$  and  $m$ . Output  $m$  numbers from 1 to  $m$ , the order in which the passengers will get off the bus.

### Input

The only line contains two integers,  $n$  and  $m$  ( $1 \leq n \leq 100$ ,  $1 \leq m \leq 4n$ ) — the number of pairs of rows and the number of passengers.

### Output

Print  $m$  distinct integers from 1 to  $m$  — the order in which the passengers will get off the bus.

### Examples

<b>input</b>
2 7
<b>output</b>
5 1 6 2 7 3 4

  

<b>input</b>
9 36
<b>output</b>
19 1 20 2 21 3 22 4 23 5 24 6 25 7 26 8 27 9 28 10 29 11 30 12 31 13 32 14 33 15 34 16 35 17 36 18