

D. Merge Sort

time limit per test: 2 seconds

memory limit per test: 256 megabytes

input: standard input

output: standard output

Merge sort is a well-known sorting algorithm. The main function that sorts the elements of array a with indices from $[l, r)$ can be implemented as follows:

1. If the segment $[l, r)$ is already sorted in non-descending order (that is, for any i such that $l \leq i < r - 1$ $a[i] \leq a[i + 1]$), then end the function call;
2. Let $mid = \lfloor (l + r) / 2 \rfloor$;
3. Call $mergesort(a, l, mid)$;
4. Call $mergesort(a, mid, r)$;
5. Merge segments $[l, mid)$ and $[mid, r)$, making the segment $[l, r)$ sorted in non-descending order. The merge algorithm doesn't call any other functions.

The array in this problem is 0-indexed, so to sort the whole array, you need to call $mergesort(a, 0, n)$.

The number of calls of function $mergesort$ is very important, so Ivan has decided to calculate it while sorting the array. For example, if $a = \{1, 2, 3, 4\}$, then there will be 1 call of $mergesort$ — $mergesort(0, 4)$, which will check that the array is sorted and then end. If $a = \{2, 1, 3\}$, then the number of calls is 3: first of all, you call $mergesort(0, 3)$, which then sets $mid = 1$ and calls $mergesort(0, 1)$ and $mergesort(1, 3)$, which do not perform any recursive calls because segments $(0, 1)$ and $(1, 3)$ are sorted.

Ivan has implemented the program that counts the number of $mergesort$ calls, but now he needs to test it. To do this, he needs to find an array a such that a is a permutation of size n (that is, the number of elements in a is n , and every integer number from $[1, n]$ can be found in this array), and the number of $mergesort$ calls when sorting the array is exactly k .

Help Ivan to find an array he wants!

Input

The first line contains two numbers n and k ($1 \leq n \leq 100000$, $1 \leq k \leq 200000$) — the size of a desired permutation and the number of $mergesort$ calls required to sort it.

Output

If a permutation of size n such that there will be exactly k calls of $mergesort$ while sorting it doesn't exist, output -1 . Otherwise output n integer numbers $a[0], a[1], \dots, a[n - 1]$ — the elements of a permutation that would meet the required conditions. If there are multiple answers, print any of them.

Examples

input
3 3
output
2 1 3

input
4 1
output
1 2 3 4

input

5 6

output

-1