D. Birthday

time limit per test: 2 seconds memory limit per test: 256 megabytes

input: standard input output: standard output

Ali is Hamed's little brother and tomorrow is his birthday. Hamed wants his brother to earn his gift so he gave him a hard programming problem and told him if he can successfully solve it, he'll get him a brand new laptop. Ali is not yet a very talented programmer like Hamed and although he usually doesn't cheat but this time is an exception. It's about a brand new laptop. So he decided to secretly seek help from you. Please solve this problem for Ali.

An n-vertex weighted rooted tree is given. Vertex number 1 is a root of the tree. We define d(u,v) as the sum of edges weights on the shortest path between vertices u and v. Specifically we define d(u,u)=0. Also let's define S(v) for each vertex v as a set containing all vertices u such that d(1,u)=d(1,v)+d(v,u). Function f(u,v) is then defined using the following formula:

The goal is to calculate f(u, v) for each of the q given pair of vertices. As the answer can be rather large it's enough to print it modulo $10^9 + 7$.

Input

In the first line of input an integer n ($1 \le n \le 10^5$), number of vertices of the tree is given.

In each of the next n - 1 lines three space-separated integers a_i , b_i , c_i ($1 \le a_i$, $b_i \le n$, $1 \le c_i \le 10^9$) are given indicating an edge between a_i and b_i with weight equal to c_i .

In the next line an integer q ($1 \le q \le 10^5$), number of vertex pairs, is given.

In each of the next q lines two space-separated integers u_i , v_i ($1 \le u_i$, $v_i \le n$) are given meaning that you must calculate $f(u_i, v_i)$.

It is guaranteed that the given edges form a tree.

Output

Output q lines. In the i-th line print the value of $f(u_i, v_i)$ modulo $10^9 + 7$.

Examples

```
input

5
1 2 1
4 3 1
3 5 1
1 3 1
5
1 1
1 5
2 4
2 1
3 5

output

10
1000000005
1000000002
22
```

input

1000000002

8			
1 2 100			
1 3 20			
2 4 2			
2 5 1			
3 6 1			
3 7 2			
6 8 5			
6			
1 8			
2 3			
5 8			
2 6			
4 7			
6 1			
output			
999968753			
49796			
999961271			