B. Fish Weight

time limit per test: 1 second
memory limit per test: 256 megabytes
input: standard input
output: standard output

It is known that there are k fish species in the polar ocean, numbered from 1 to k. They are sorted by non-decreasing order of their weight, which is a positive number. Let the weight of the i-th type of fish be w_i, then $0 < w_1 \leq w_2 \leq ... \leq w_k$ holds.

Polar bears Alice and Bob each have caught some fish, and they are guessing who has the larger sum of weight of the fish he/she's caught. Given the type of the fish they've caught, determine whether it is possible that the fish caught by Alice has a **strictly larger** total weight than Bob's. In other words, does there exist a sequence of weights w_i (not necessary integers), such that the fish caught by Alice has a strictly larger total weight?

Input

The first line contains three integers n, m, k ($1 \leq n, m \leq 10^5$, $1 \leq k \leq 10^9$) — the number of fish caught by Alice and Bob respectively, and the number of fish species.

The second line contains n integers each from 1 to k, the list of fish type caught by Alice. The third line contains m integers each from 1 to k, the list of fish type caught by Bob.

Note that one may have caught more than one fish for a same species.

Output

Output "YES" (without quotes) if it is possible, and "NO" (without quotes) otherwise.

Examples

input
3 3 3 2 2 2 1 1 3

output
YES

input
4 7 9 5 2 7 3 3 5 2 7 3 8 7

output
NO

Note

In the first sample, if $w_1 = 1, w_2 = 2, w_3 = 2.5$, then Alice has a total of $2 + 2 + 2 = 6$ weight units, while Bob only has $1 + 1 + 2.5 = 4.5$.

In the second sample, the fish that Alice caught is a subset of Bob's. Therefore, the total weight of Bob’s fish is always not less than the total weight of Alice’s fish.