

## C. Arpa's loud Owf and Mehrdad's evil plan

time limit per test: 1 second

memory limit per test: 256 megabytes

input: standard input

output: standard output

*As you have noticed, there are lovely girls in Arpa's land.*

People in Arpa's land are numbered from 1 to  $n$ . Everyone has exactly one crush,  $i$ -th person's crush is person with the number  $crush_i$ .

Someday Arpa shouted Owf loudly from the top of the palace and a funny game started in Arpa's land. The rules are as follows.

The game consists of rounds. Assume person  $x$  wants to start a round, he calls  $crush_x$  and says: "Oww . . . ww" (the letter w is repeated  $t$  times) and cuts off the phone immediately. If  $t > 1$  then  $crush_x$  calls  $crush_{crush_x}$  and says: "Oww . . . ww" (the letter w is repeated  $t - 1$  times) and cuts off the phone immediately. The round continues until some person receives an "Owf" ( $t = 1$ ). This person is called the *Joon-Joon* of the round. There can't be two rounds at the same time.

Mehrdad has an evil plan to make the game more funny, he wants to find smallest  $t$  ( $t \geq 1$ ) such that for each person  $x$ , if  $x$  starts some round and  $y$  becomes the Joon-Joon of the round, then by starting from  $y$ ,  $x$  would become the Joon-Joon of the round. Find such  $t$  for Mehrdad if it's possible.

Some strange fact in Arpa's land is that someone can be himself's crush (i.e.  $crush_i = i$ ).

### Input

The first line of input contains integer  $n$  ( $1 \leq n \leq 100$ ) — the number of people in Arpa's land.

The second line contains  $n$  integers,  $i$ -th of them is  $crush_i$  ( $1 \leq crush_i \leq n$ ) — the number of  $i$ -th person's crush.

### Output

If there is no  $t$  satisfying the condition, print  $-1$ . Otherwise print such smallest  $t$ .

### Examples

input
4 2 3 1 4
output
3

input
4 4 4 4 4
output
-1

input
4 2 1 4 3
output
1

## Note

In the first sample suppose  $t = 3$ .

If the first person starts some round:

The first person calls the second person and says " $O_{wwwf}$ ", then the second person calls the third person and says " $O_{wf}$ ", then the third person calls the first person and says " $O_{wf}$ ", so the first person becomes Joon-Joon of the round. So the condition is satisfied if  $x$  is 1.

The process is similar for the second and the third person.

If the fourth person starts some round:

The fourth person calls himself and says " $O_{wwwf}$ ", then he calls himself again and says " $O_{wff}$ ", then he calls himself for another time and says " $O_{wf}$ ", so the fourth person becomes Joon-Joon of the round. So the condition is satisfied when  $x$  is 4.

In the last example if the first person starts a round, then the second person becomes the Joon-Joon, and vice versa.