

# Optics and Laser Physics

Tiziana Cesca

Master degree in Materials Science

AA. 2020-2021

**Video course online (Moodle DiSC)  
asynchronous mode**

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Dipartimento  
di Fisica  
e Astronomia  
Galileo Galilei



# Time schedule

## L.M. SCIENZA DEI MATERIALI – 2° ANNO 1° SEMESTRE - A.A. 2020/21

Tutto il semestre, a partire dal 21 settembre 2020

### MODALITÀ TELEMATICA

ORE	LUNEDÌ	MARTEDÌ	MERCOLEDÌ	GIOVEDÌ	VENERDÌ
8.30 – 9.15	Optics of Materials <b>MENEGETTI</b>		Tecnologia dei Materiali <b>MARTUCCI</b>		
9.30 – 10.15				Elettrochimica dei Materiali <b>DURANTE</b>	
10.30 – 11.15	Elettroch. Materiali <b>DURANTE</b>	Nanofabbricazione <b>ROMANATO</b>			
11.30 – 12.15			Ott. Fisica Laser <b>CESCA</b>	Tecnologia dei Materiali <b>MARTUCCI</b>	
12.30 – 13.15	Ott. Fisica Laser <b>CESCA</b>				
12.30 – 13.15					
14.30-15.15	Brevettazione e Sviluppo di Prodotti <b>MARETTO, FACHINI, STOCCHIO</b>			Romanato	
15.30-16.15			Nanofabbricazione		
16.30-17.15			Brevettazione e Sviluppo di Prodotti <b>MARETTO, FACHINI, STOCCHIO</b>		
17.30-18.15		Zoom Meeting Moodle DiSC 17:00-19:00			



# Nobel Prize in Physics 2018

The Nobel Prize in Physics 2018 was awarded  
**"for groundbreaking inventions in the field of laser physics"**

**Arthur Ashkin**, born in  
1922 in New York, USA



**Gérard Mourou**, born in  
1944 in Albertville, France.



**Donna Strickland**, born in  
1959 in Guelph, Canada.

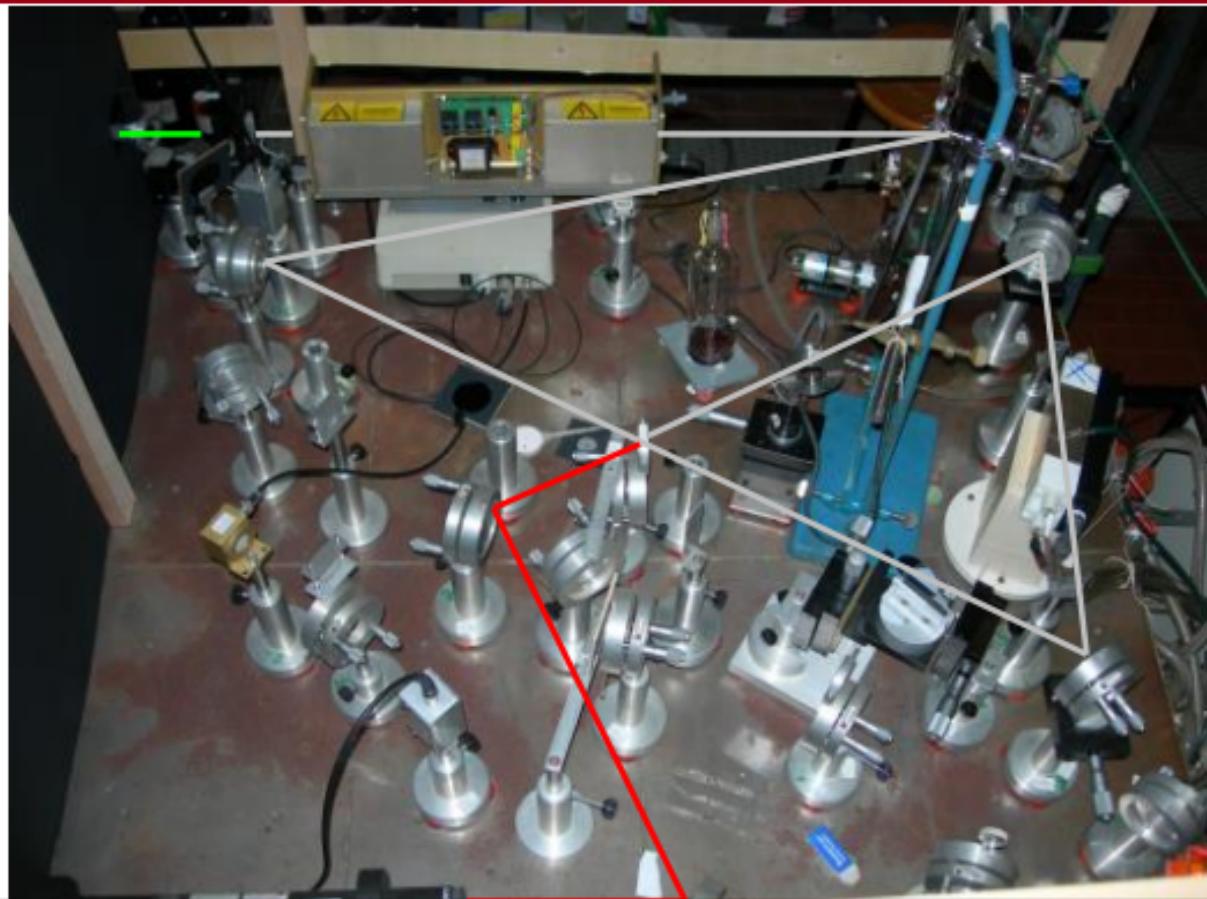


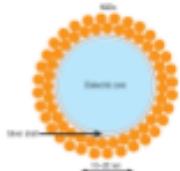
**"for the optical tweezers and  
their application to biological  
systems"**

**"for their method of generating high-intensity,  
ultra-short optical pulses"**

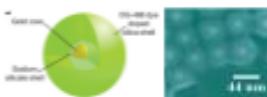
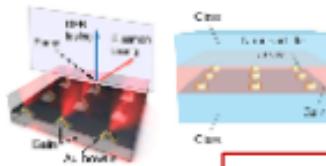
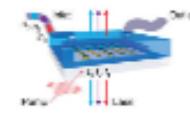
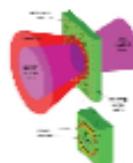
## Mode-locked Nd:YAG (15 ps)

Optics and  
Laser Physics  
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Mode-locked Nd:glass (6 ps)  
Ring cavity

**Spaser**D.J. Bergman & M.I. Stockman,  
PRL 90 027302 (2003)

2003 2004-2007 2008 2009 2010 2011 2012 2013 2014 2015 2018 ...

**Experimental spaser-based nanolaser**M.A. Noginov et al.,  
Nature 460 1110 (2009)W. Zhou et al.,  
Nat. Nanotech. 8 506 (2013)J.Y. Suh et al.,  
Nano Lett. 12 5749 (2012)**Liquid gain nanolaser**A. Yang et al.,  
Nature Comm. 6 6386 (2015)Progress in  
plasmonic cavity  
designs and gain  
mediaN.I. Zheludev et al.,  
Nat. Photon. 2 351 (2008)**Lasing spaser**X. Zhang et al.,  
Nature 461 629 (2009)R.-M. Ma et al.,  
Nature 10 110 (2011)**Hybrid plasmonic nanolasers**X. Meng et al.,  
Nano Lett. 13 4106 (2013)X. Meng et al., Laser Photon.  
Rev. 8 896 (2014)



- **Classical optics:**
  - **geometrical optics:** reflection, rifraction, optical systems, aberrations, ...
  - **wave optics:** propagation, polarization, interference, diffraction, ...
- **Lasers:**
  - **conventional lasers:**
    - Properties, working principle, laser systems and applications...
  - **nanolasers**
- **Quantum optics:**
  - Photons, radiation-matter interaction, atoms in a cavity, strong and weak coupling...



# Textbooks

- “Principles of Physical Optics” C. A. Bennett, Wiley (2008).
- “The light fantastic. A Modern Introduction to Classical and Quantum Optics” I. R. Kenyon, Oxford Press (2008).
- “Introduction to Modern Optics” G. R. Fowels, Dover Publications 2° ed. (1989).
- “Optics” E. Hecth, Addison Wesley, 4° ed. (2002) .
- “Principles of Lasers” O. Svelto, Plenum Press, 5° ed. (2010).
- “Principles of Optics” M. Born and E. Wolf, Cambridge University Press, 7° ed. (1999).
- “Fundamentals of Photonics” B. E. Saleh and M. C. Teich, Wiley Inc., 2° ed. (2007).
- “Quantum Optics: an introduction” M. Fox, Oxford University Press (2006).
- “Quantum Optics” G. S. Agarwal, Cambridge University Press, (2012).



James Clerk Maxwell  
(1831-1879)



$$\left\{ \begin{array}{ll} \vec{\nabla} \cdot \vec{E} = 0 & \text{(I) Gauss' law for field } \vec{E} \\ \vec{\nabla} \cdot \vec{B} = 0 & \text{(II) Gauss' law for field } \vec{B} \\ \vec{\nabla} \times \vec{E} = - \frac{\partial \vec{B}}{\partial t} & \text{(III) Faraday's induction law} \\ \vec{\nabla} \times \vec{B} = \mu_0 \epsilon_0 \frac{\partial \vec{E}}{\partial t} & \text{(IV) Ampère's circuitation law} \end{array} \right.$$

$$\epsilon_0 = 8.854 \times 10^{-12} \text{ F/m}$$

$$\mu_0 = 4\pi \times 10^{-7} \text{ H/m}$$



$$\nabla \cdot \vec{D} = \rho$$

$$\nabla \cdot \vec{B} = 0$$

$$\nabla \times \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

$$\nabla \times \vec{H} = \frac{\partial \vec{D}}{\partial t} + \vec{J}$$

$$\vec{P} = (\epsilon - \epsilon_0) \vec{E} = \chi \epsilon_0 \vec{E}$$

$\epsilon(\omega)$  = **Dielectric function**

Electric displacement vector

$$\vec{D} = \epsilon_0 \vec{E} + \vec{P}$$

Polarization

$$\vec{H} = \frac{\vec{B}}{\mu_0} - \vec{M}$$

Magnetization

$$\vec{D} = \epsilon \vec{E}$$

$$\vec{J} = \sigma \vec{E}$$

linear media

conductivity

$$\chi = \frac{\epsilon}{\epsilon_0} - 1$$

Electric  
susceptibility

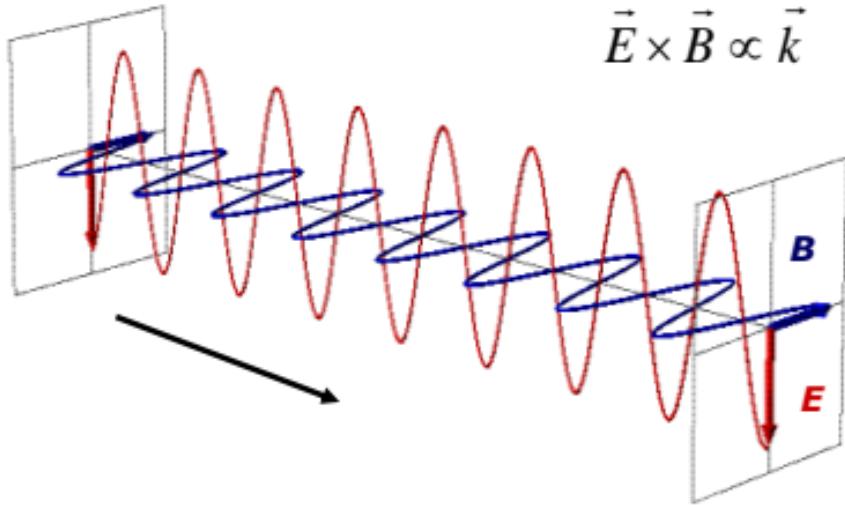


$$\nabla \times (\nabla \times \vec{A}) = \nabla(\nabla \cdot \vec{A}) - \nabla^2 \vec{A}$$

$$\nabla^2 \vec{E} - \mu_0 \epsilon_0 \frac{\partial^2 \vec{E}}{\partial t^2} = 0$$

$$\nabla^2 \vec{B} - \mu_0 \epsilon_0 \frac{\partial^2 \vec{B}}{\partial t^2} = 0$$

Light is a transverse electromagnetic wave.



$$\vec{E} \times \vec{B} \propto \vec{k}$$

$$E = \frac{\omega}{k} B = c B$$

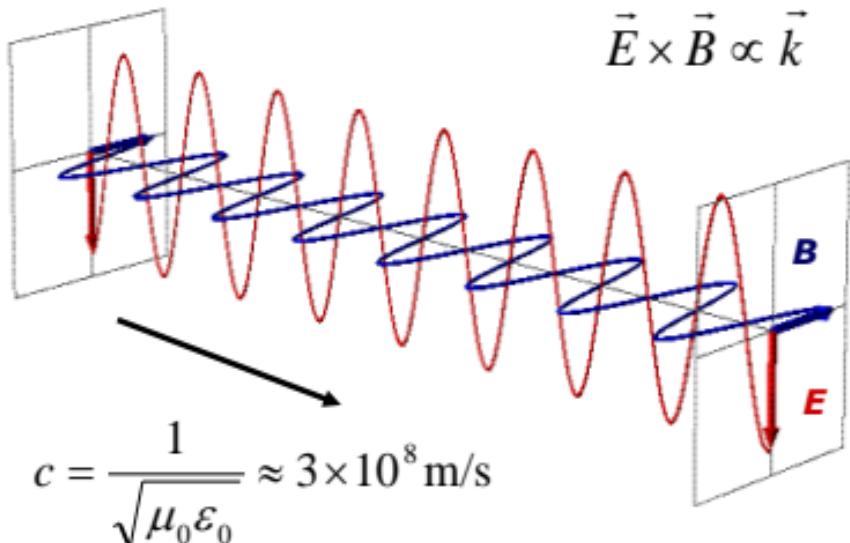
phase velocity

Magnetic field

Electric field

$$c = \frac{1}{\sqrt{\mu_0 \epsilon_0}} = (299792458 \pm 1) \text{ m/s} \approx 3 \times 10^8 \text{ m/s} \quad \text{in vacuum}$$

Light is a transverse electromagnetic wave.



$$\vec{E} \times \vec{B} \propto \vec{k}$$

$$E = \frac{\omega}{k} B = v B$$

phase velocity

Magnetic field

Electric field

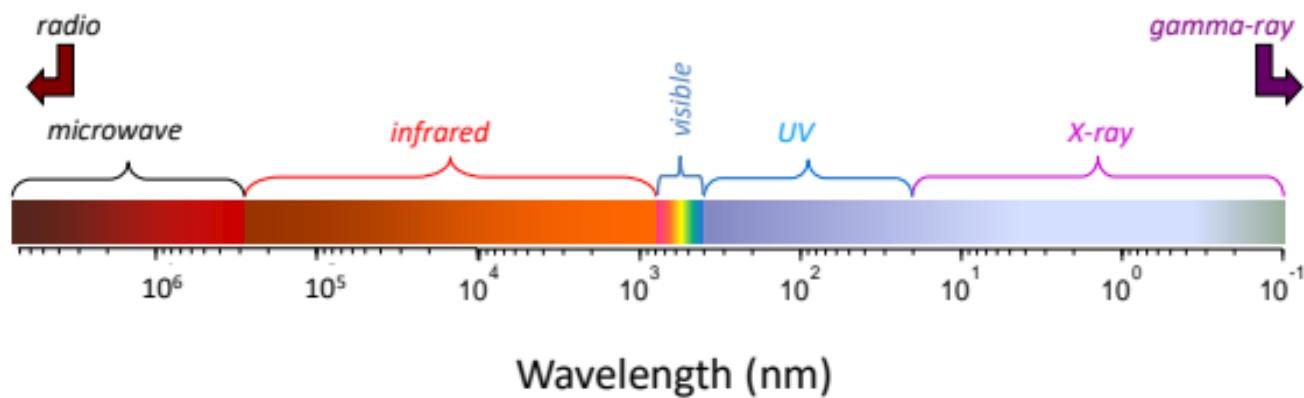
$$c = \frac{1}{\sqrt{\mu_0 \epsilon_0}} \approx 3 \times 10^8 \text{ m/s}$$

$$v = \frac{c}{n} \quad \text{in a medium}$$

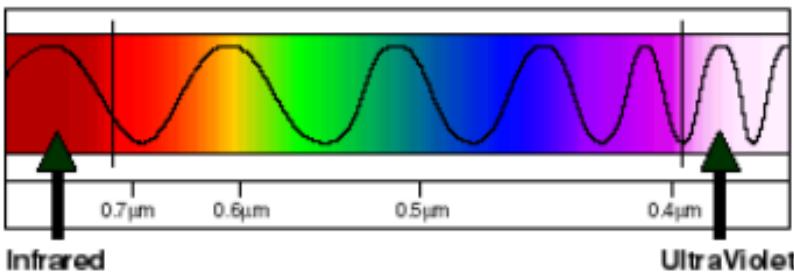
$$n = \sqrt{\epsilon_r \mu_r} \cong \sqrt{\epsilon_r}$$

refractive index

# The spectrum of the electromagnetic radiation



Transition wavelengths are a bit arbitrary ...



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**Approximate Frequency and  
Vacuum Wavelength Ranges for the  
Various Colors**

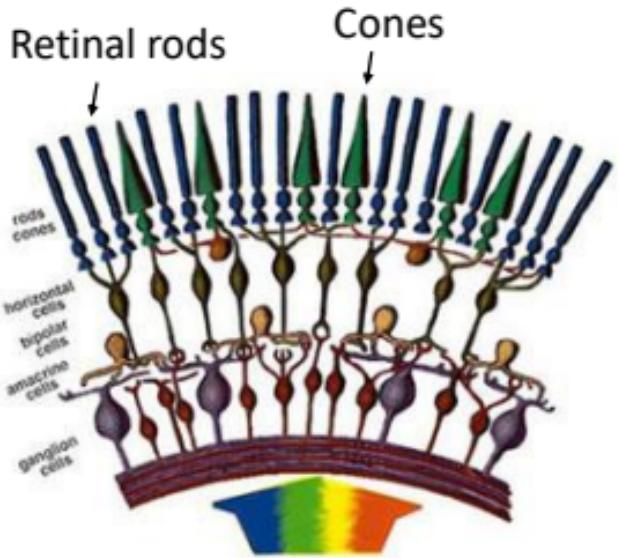
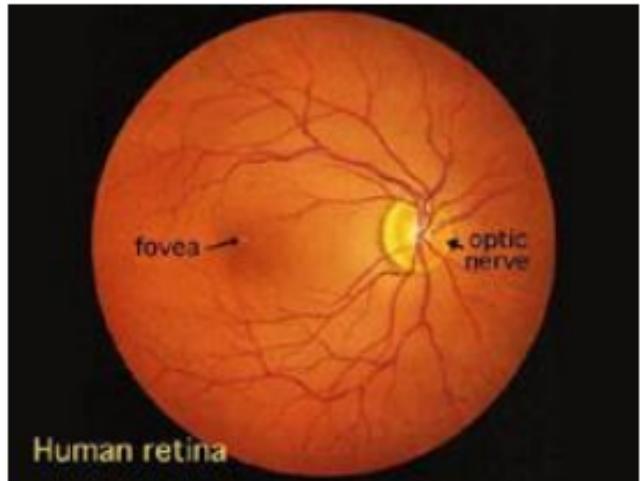
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Color	$\lambda_0$ (nm)	$\nu$ (THz)*
Red	780–622	384–482
Orange	622–597	482–503
Yellow	597–577	503–520
Green	577–492	520–610
Blue	492–455	610–659
Violet	455–390	659–769

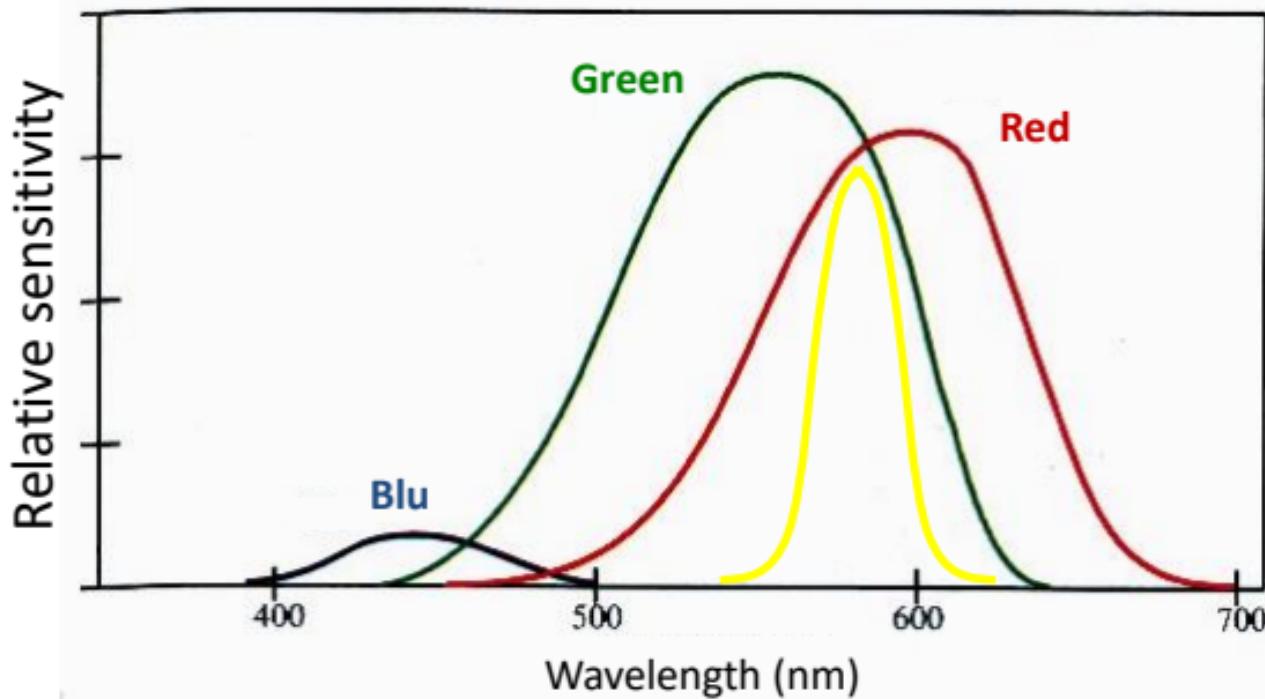
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\*1 terahertz (THz) =  $10^{12}$  Hz, 1 nanometer (nm) =  $10^{-9}$  m.

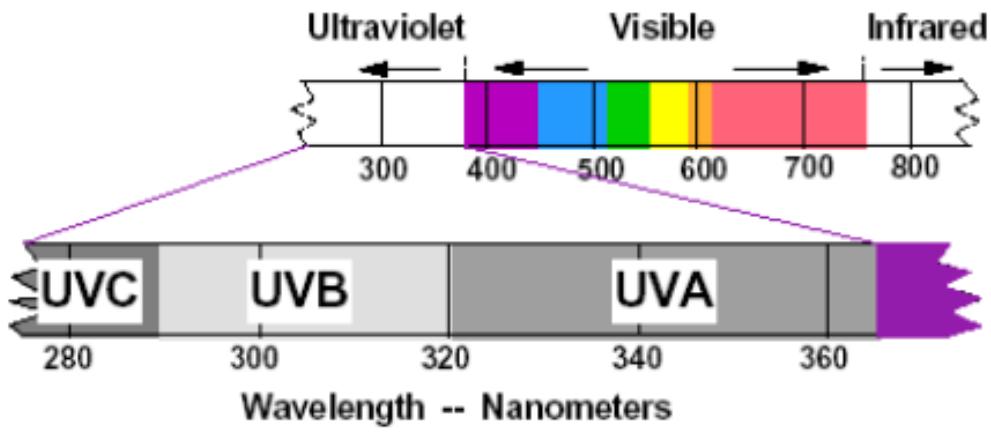
# The human retina



## The color perception



# The ultraviolet (UV)

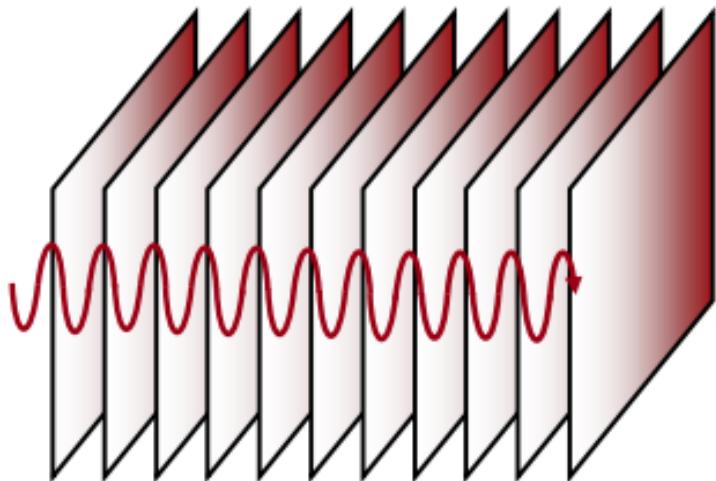


UVC (220-290 nm)

UVB (290-320 nm)

UVA (320-400 nm)

Vectorial complex exponential representation



## Euler's formulas

$$e^{i\vartheta} = \cos\vartheta + i \sin\vartheta$$

$$\cos\vartheta = \frac{e^{i\vartheta} + e^{-i\vartheta}}{2}$$

$$\sin\vartheta = \frac{e^{i\vartheta} - e^{-i\vartheta}}{2i}$$

em plane wave

$$f(\vec{r}, t) = \vec{A} e^{i(\vec{k} \cdot \vec{r} - \omega t)}$$

Polarization vector

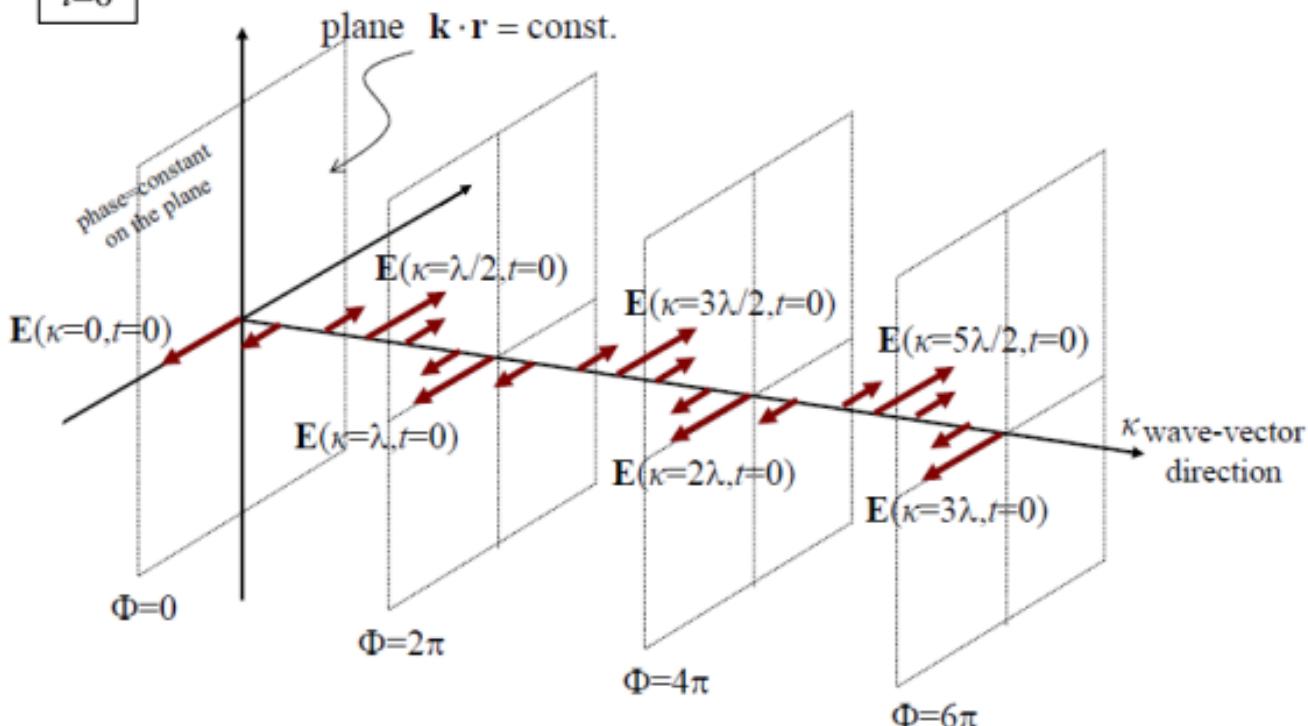
$$\vec{E}(z, t) = \vec{E}_0 e^{i(kz - \omega t)}$$

$$E = v B$$

$$\vec{B}(z, t) = \vec{B}_0 e^{i(kz - \omega t)}$$

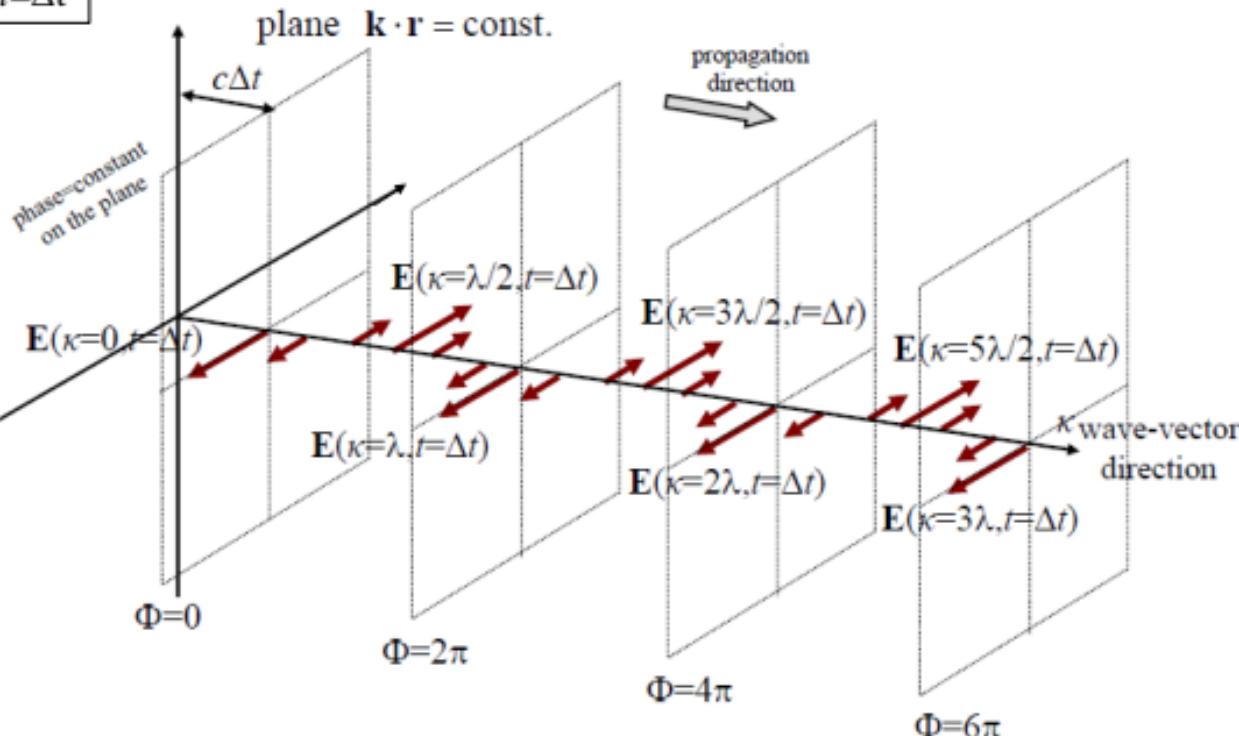
## em plane waves

$$\vec{E}(z, t) = \vec{E}_0 e^{i(kz - \omega t)}$$

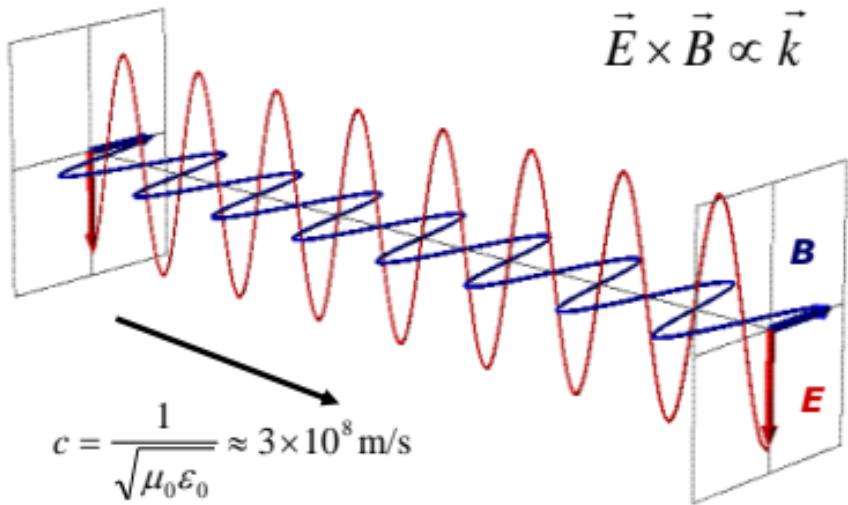
 $t=0$ 

## em plane waves

$$\vec{E}(z, t) = \vec{E}_0 e^{i(kz - \omega t)}$$

 $t = \Delta t$ 

Light is a transverse electromagnetic wave.



$$c = \frac{1}{\sqrt{\mu_0 \epsilon_0}} \approx 3 \times 10^8 \text{ m/s}$$

Poynting vector

$$\vec{S} = \frac{1}{\mu_0} \vec{E} \times \vec{B}$$

Magnetic field

Electric field

Intensity (Irradiance)

$$\langle |\vec{S}| \rangle = \frac{1}{2} n \epsilon_0 c E_0^2 = I \quad (\text{W/m}^2)$$



The term *photon* was coined in 1926 by the American chemist Gilbert N. Lewis

$$E = h\nu \quad \text{Photon energy}$$

$$h = 6.63 \times 10^{-34} \text{ Js} \quad \text{Planck's constant}$$

$$p = \frac{E}{c} = \frac{h}{\lambda} = \hbar k$$

$$\text{Photon momentum}$$

$$\vec{p} = \hbar \vec{k}$$

$$\hbar = \frac{h}{2\pi}$$

$$F = \frac{I}{h\nu}$$

**Photon flux** (number of photons per unit of area and unit of time)

**Radiation pressure**

The momentum transfer per photon is:

$$\Delta p = 2p \quad \text{for complete reflection}$$



$$P = F\Delta p = \frac{2I}{c}$$

$$\Delta p = p \quad \text{for complete absorption}$$



$$P = F\Delta p = \frac{I}{c}$$