

MATLAB

Brief Introduction to MATLAB

Brief Introduction to Matlab

- 1) Script language
 - Work like a calculate
 - No need to compile
- 2) Platform independent
 - PC, Linux, Luix, Mac
 - Same lines of code

Brief Introduction to Matlab

3) Powerful graphic and Animation utilities

4) Many tool boxes available

- Partial differential equations
- Optimization
- Statistics
- Financing, etc

Brief Introduction to Matlab

5) Popular in Scientific and Engineering

Communities

- User groups

6) Easy to implement

- No declaration of variable type, size, etc (not necessary)

- Vectorized

Vector Formats

Define variables

- `X= [1 3 5]` % x is a row vector
(1x3)
- `Y= [1;2;3]` % y is a column vector
(3x1)

It shows:

- $X =$

1 3 5

- $Y =$

1

3

5

Want A and B are 2x2 matrix:

- `A= [1 2;3 4] %2x2 matrix`
- `B= [5 6;7 8] %2x2 matrix`

Display:

■ A=

1 2

3 4

■ B=

5 6

7 8

Entries of a matrix

- $A(2,1)$ %second row first column entry of $A=3$
- $B(2,2)$ %second row second column entry of $B=8'$
- $C=[A \ B]$ % C is a 2×4

Matlab expressions are:

- `Ans=`
3
- `Ans =`
8
- `Ans=`
1 3
2 4
- `C=`
1 2 5 6
3 4 7 8

Matrix Transpose & Concatenation

- $\text{Transpose}(A)$ is the transpose of A
- A' is the complex conjugate transpose of A
- When A is a real matrix, $\text{transpose}(A)=A'$
- $C=[A' \ B']$ % C is a 2×4
- $D=[A;B]$

C=

1 3 5 7
2 4 6 8

D=

1 2
3 4
5 6
7 8

Some Matlab built in functions

>>length(x) % length of x

Length(y) % length of y

Size(x) % dimensions of x

Size(x,1) % number of rows in x

Size(x,2) % number of column in
x

- >> length(x)

ans =
3

- >> length(y)

ans =
3

- >> size(x)

ans =
1 3

- >> size(x,1)

ans =
1

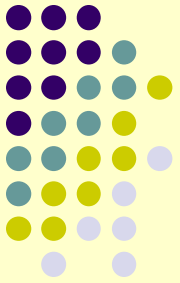
- >> size(x,2)

ans =
3

If you want to know more: type

- Type `help who`
- Type `help whos`
- Type `help size`
- Type `help save`
- `Save result x y` % save x and y into a file called result.mat
- `Clear all` % clear all variables from workspace
- `Load result` % load all variables in file called result.mat
- F5 saves and runs
- F9 executes the selected commands

Functions

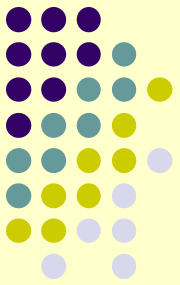


Like C++ or JAVA, MATLAB allows you to write your own functions.

This is done in MATLAB's *Editor*.

Take, for example, the following code:

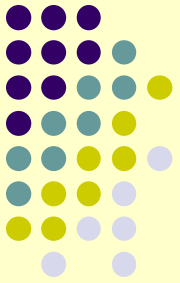
Functions



```
function y = myfunc(x)    %declare functions using the keyword function.  
x = [2 4 6];             %declaring x to be the 1x3 matrix.  
y = 2 * x;               %multiply matrix x by 2.
```

Now you can save the function and run it from the Command Window by calling the function. Typing *myfunc* in the command window or using the F5 shortcut will result in the following output:

Functions



```
function y = myfunc(x)    %declare functions using the keyword function.  
x = [2 4 6];             %declaring x to be the 1x3 matrix.  
y = 2 * x;               %multiply matrix x by 2.
```

Output:

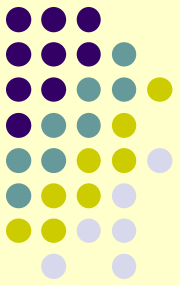
ans =

4

8

12

Functions

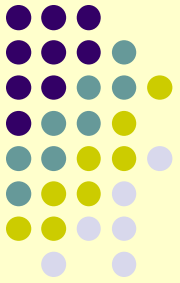


Try substituting $y = x * x$ for $y = 2 * x \dots$

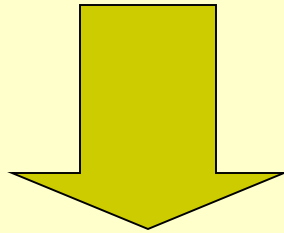
```
function y = myfunc(x)    %declare functions using the keyword function.  
x = [2 4 6];             %declaring x to be the 1x3 matrix.  
y = x * x;               %multiply matrix x by itself.
```

Running this function would result in the following output:

Functions



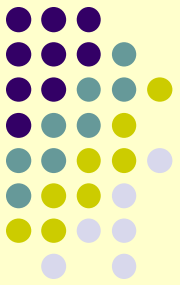
```
function y = myfunc(x)    %declare functions using the keyword function.  
x = [2 4 6];             %declaring x to be the 1x3 matrix.  
y = x * x;               %multiply matrix x by itself.
```



??? Error using ==> mtimes

Inner matrix dimensions must agree

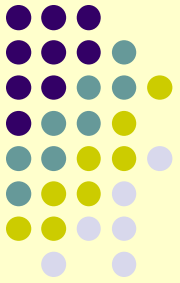
Functions



```
function y = myfunc(x)    %declare functions using the keyword function.  
x = [2 4 6];             %declaring x to be the 1x3 matrix.  
y = x * x;               %multiply matrix x by itself.
```

We are asking our function to multiply a 1x3 matrix by a 1x3 matrix. Is this possible? NO. As we know from Linear Algebra, two matrices A and B can be multiplied together if A is of dimension $m \times n$ and B is of dimension $n \times p$.

Functions

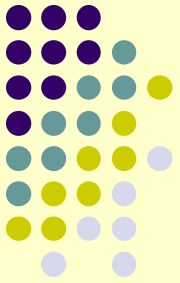


MATLAB provides us with *component multiplication* denoted as:

\cdot

So, we can write $x \cdot x$ to multiply *component by component*.

Functions

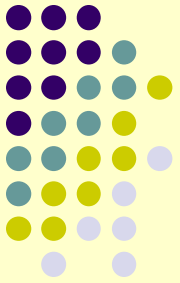


If, for example, we have

$$x = \begin{bmatrix} x1 \\ x2 \\ x3 \end{bmatrix} \quad \text{and} \quad y = \begin{bmatrix} y1 \\ y2 \\ y3 \end{bmatrix}$$

$$\text{Then, } x .* y = \begin{bmatrix} x1y1 \\ x2y2 \\ x3y3 \end{bmatrix}$$

Functions

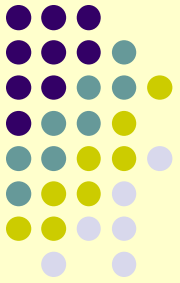


Similarly, we have

\cdot^{\wedge} *component power*

$\cdot /$ *component division*

Functions



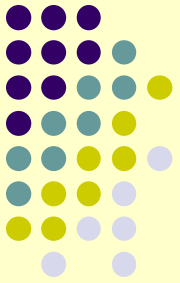
Suppose we wanted our function *myfunc*, to compute

$$f(x) = 1/(1+x^2)$$

The correct way to write this would be:

$$y = 1 ./ (1 + x .^ 2)$$

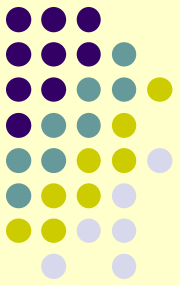
Functions



In our function example we obtain an output containing the x-value.

However, we can also have multiple outputs, as in the following example:

Functions

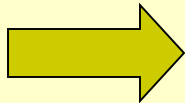


```
function [y, z] = myfunc(x)
y = 1 ./ (1 + x.^ 2);
z = x.^ 3;
```

Back in the Command Window, we can set `x=linspace(0,2*pi,3)`.

Now we can call our function and observe our “two” outputs:

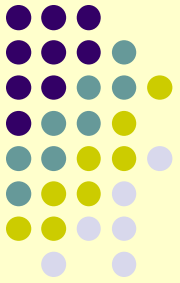
```
[y, z] = myfunc(x)
```



```
y =
    1.0000    0.0920    0.0247

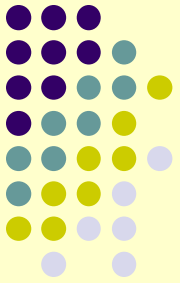
z =
     0    31.0063   248.0502
```

Plots & Subplots



Let's take a look at some examples of code and the outputs to demonstrate *plotting* in MATLAB.

Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

%x axis will be from $-\pi$ to π , graphing
%50 points.

```
y = sin(x);
```

%sine function

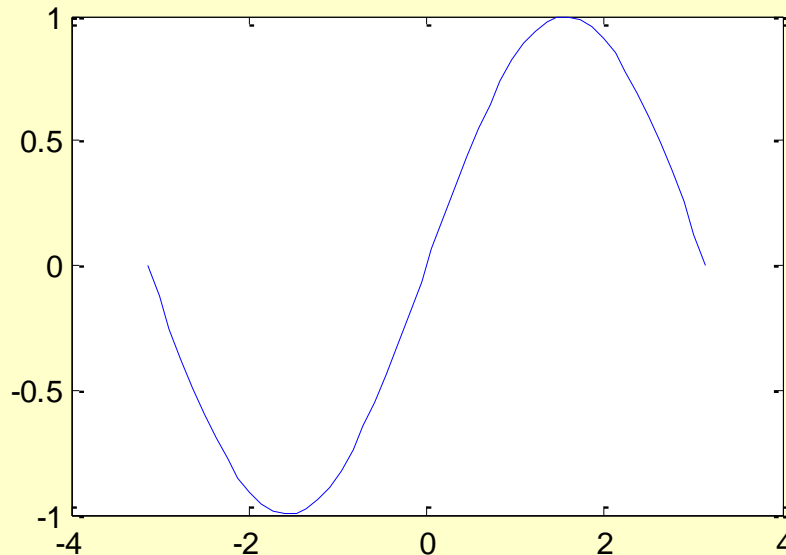
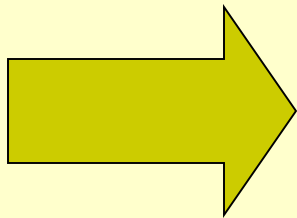
```
z = cos(x);
```

%cosine

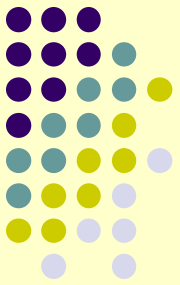
function
function

```
plot(x, y);
```

%will plot the sine



Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

%x axis will be from $-\pi$ to π , graphing
%50 points.

```
y = sin(x);
```

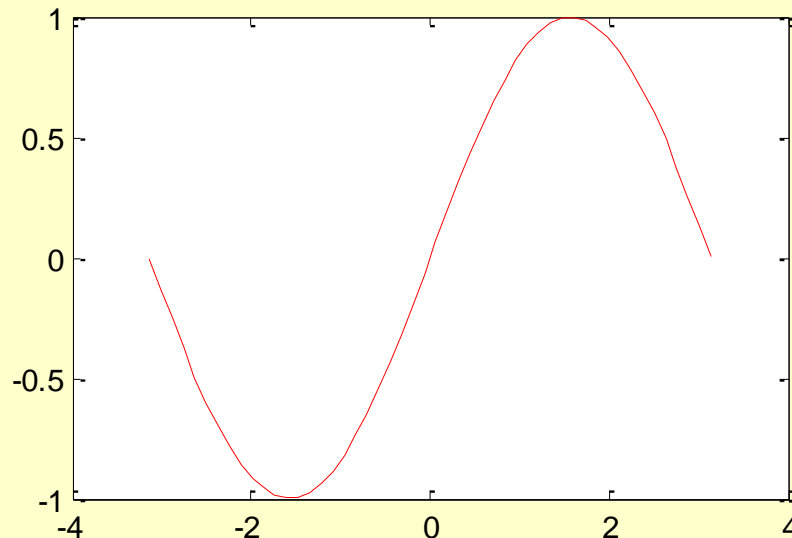
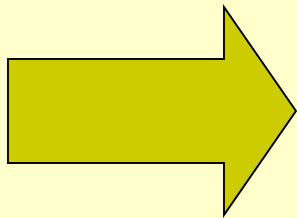
%sine function

```
z = cos(x);
```

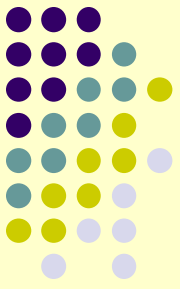
%cosine function

```
plot(x, y, 'r');
```

%your graph can be in a color of your
%choice using the letters r, b, y, g, k,
%m, c, w



Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

%x axis will be from $-\pi$ to π , graphing
%50 points.

```
y = sin(x);
```

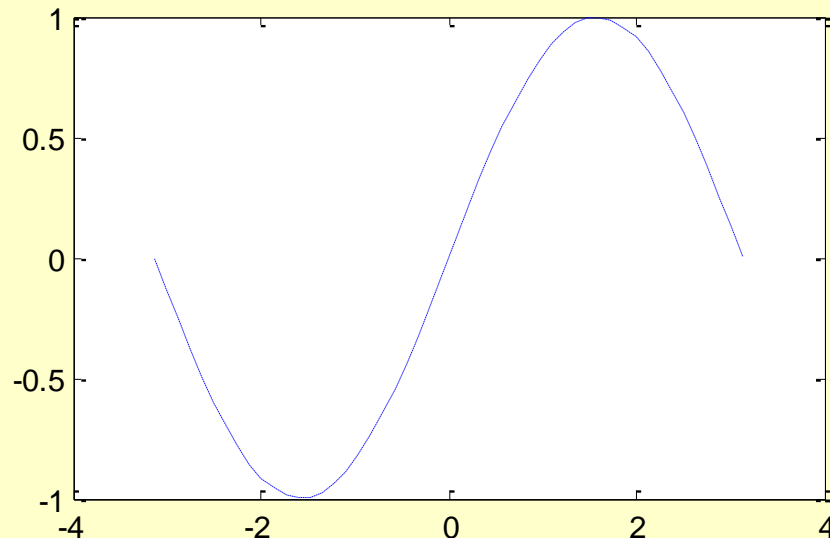
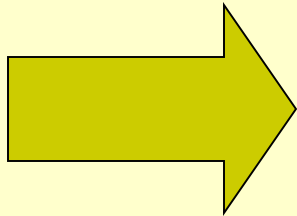
%sine function

```
z = cos(x);
```

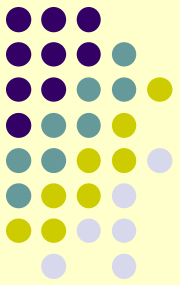
%cosine function

```
plot(x, y, '-');
```

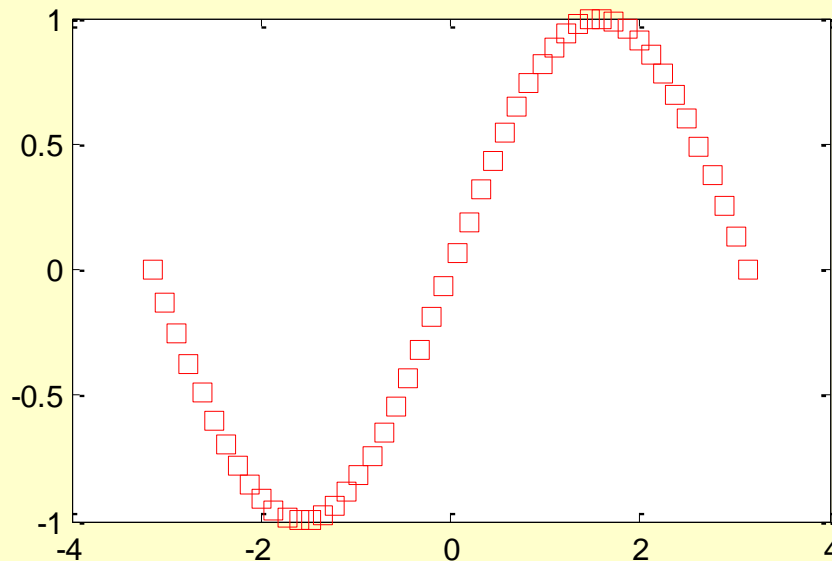
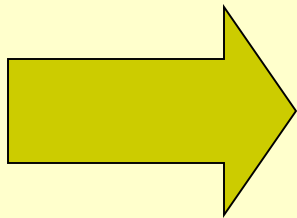
%you can change the “line style” of your
%graph using -, --, -., o(circle), s(square),
%d(diamond), ^, <, >, p(pentagon/star), h



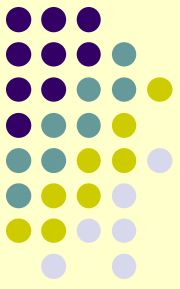
Plots & Subplots



```
x = linspace(-pi, pi, 50);    %x axis will be from -pi to pi, graphing
                               %50 points.
y = sin(x);                  %sine function
z = cos(x);                  %cosine
function                     %you can
have a combination of color
%and line style (i.e. red squares)
```



Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

%x axis will be from $-\pi$ to π , graphing
%50 points.

```
y = sin(x);
```

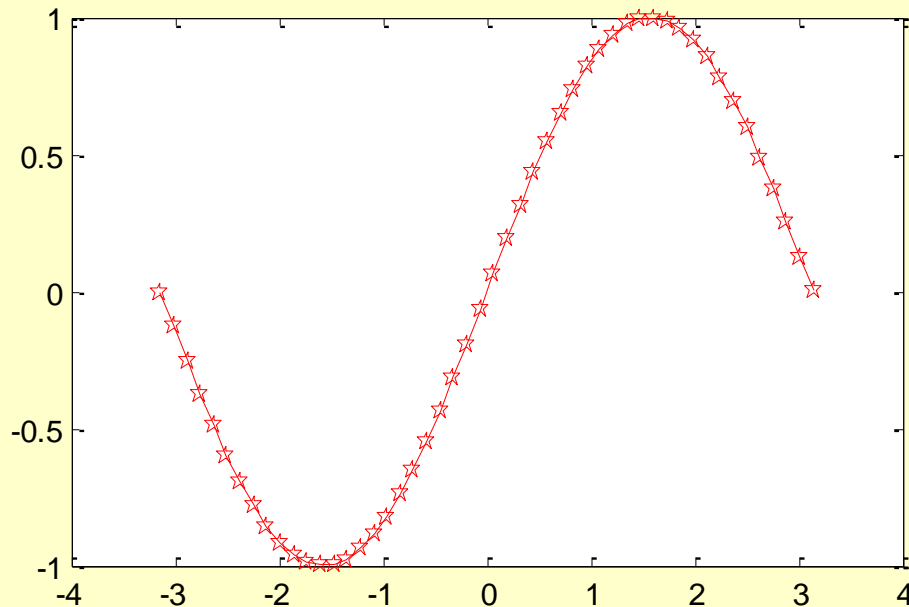
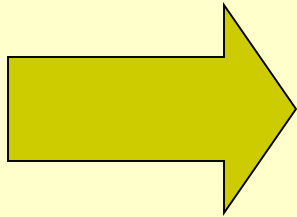
%sine function

```
z = cos(x);
```

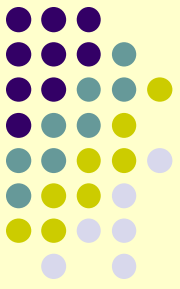
%cosine function

```
plot(x, y, '-rp');
```

%red stars with line going through



Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

%x axis will be from $-\pi$ to π , graphing
%50 points.

```
y = sin(x);
```

%sine function

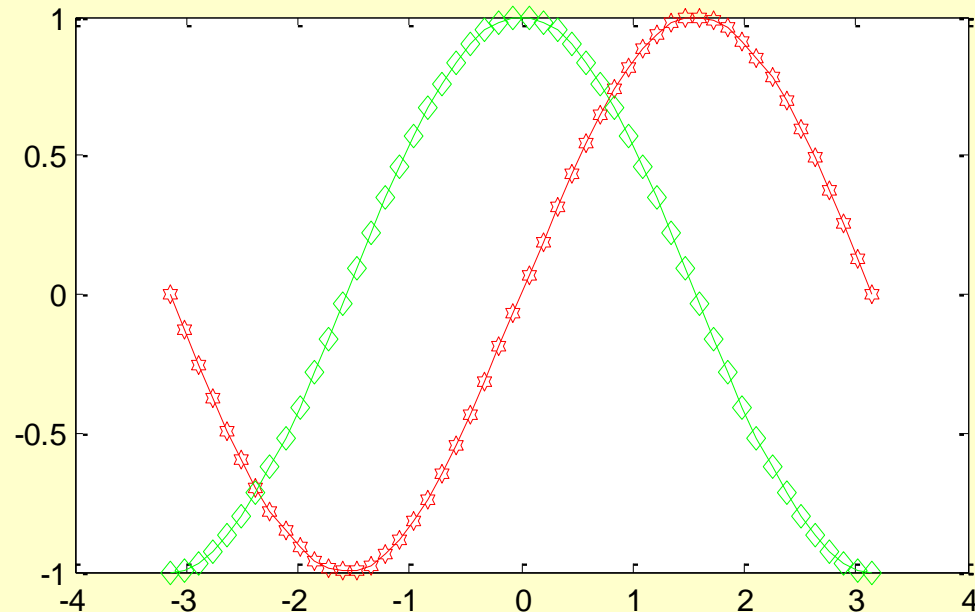
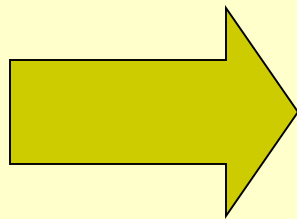
```
z = cos(x);
```

%cosine function

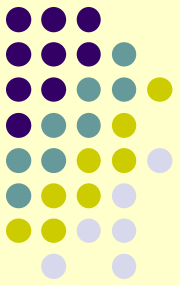
```
plot(x, y, '-rh'); hold on
```

%"hold on" will keep this graph and plot the next
%graph with it. Otherwise, by default, the next
%graph will overwrite the previous graph.

```
plot(x, z, '-gd'); hold off
```

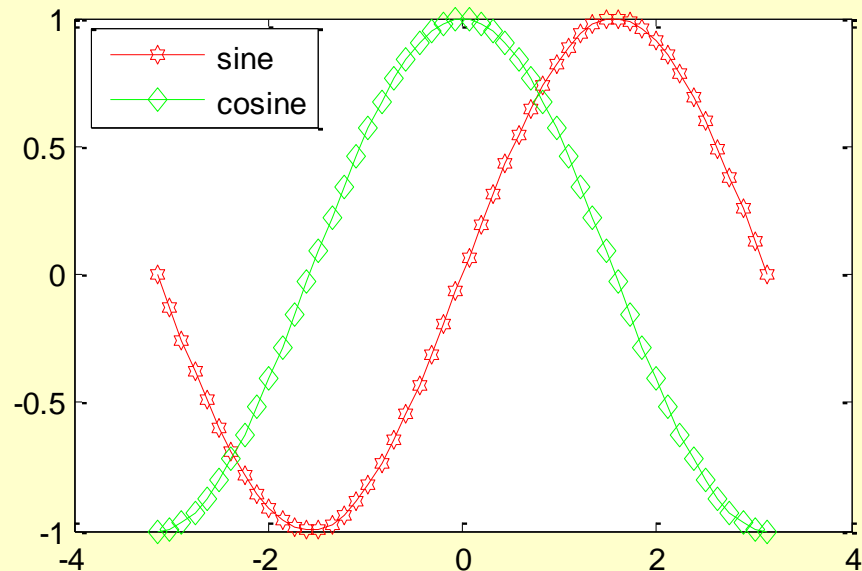
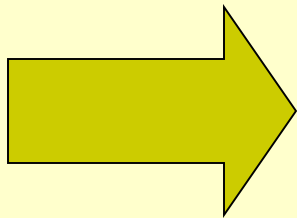


Plots & Subplots

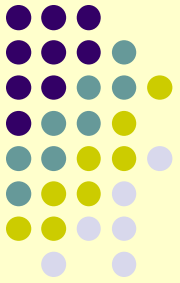


```
x = linspace(-pi, pi, 50);  
y = sin(x);  
z = cos(x);  
plot(x, y, '-rh'); hold on  
plot(x, z, '-gd'); hold off  
legend('sine', 'cosine', 2)
```

%places legend in position 2



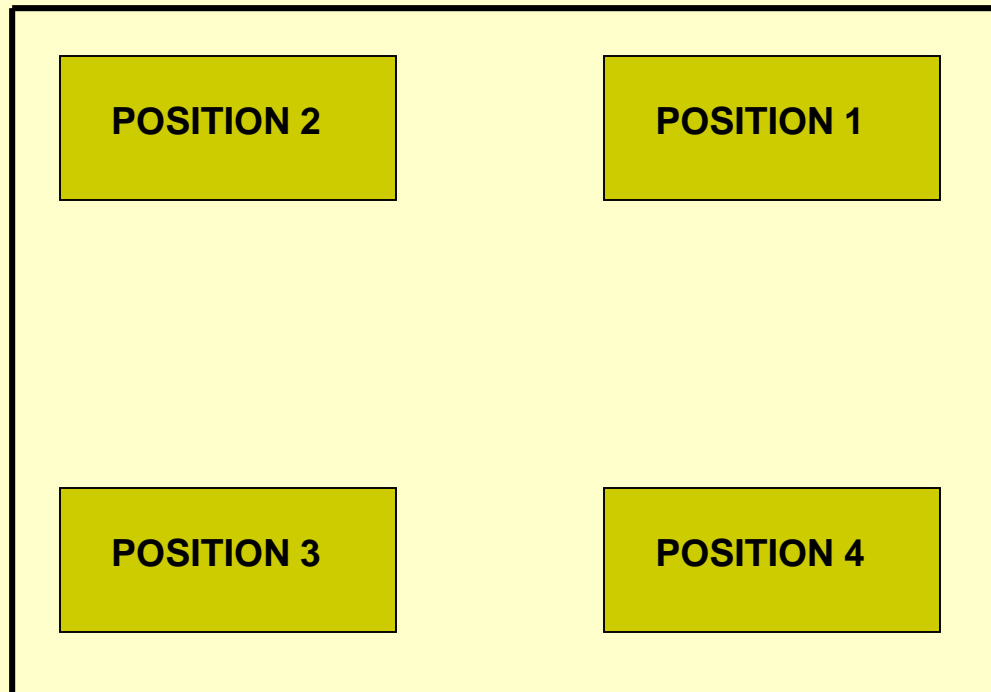
Plots & Subplots



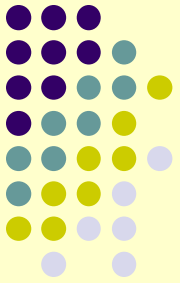
Remark:

If you do not place a position number for the legend, it will, by default, place the legend in position 1. Position 0 tells MATLAB to place the legend in the best location for that graph.

The positions are as followed:

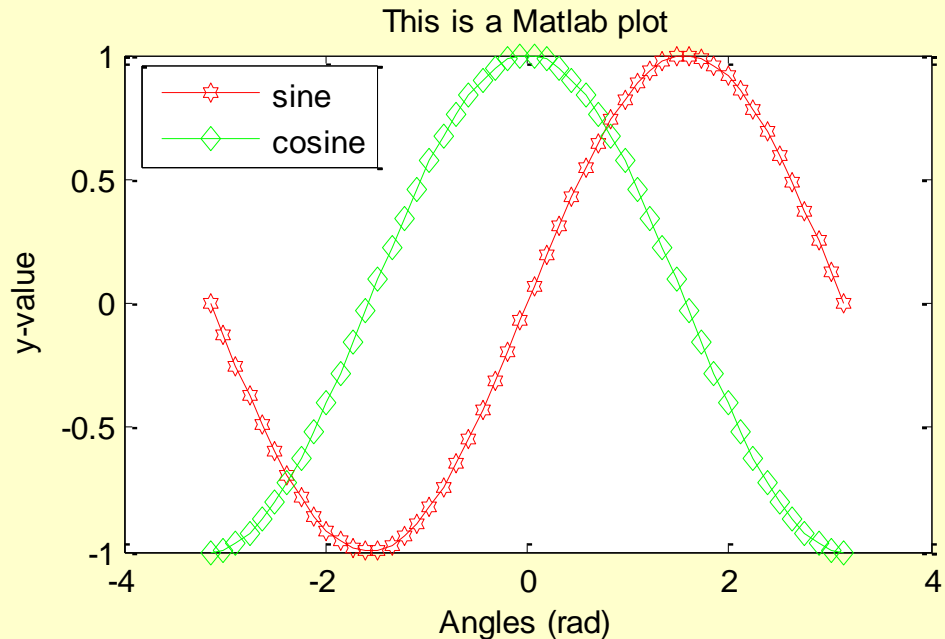
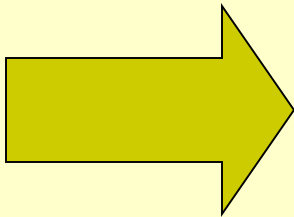


Plots & Subplots

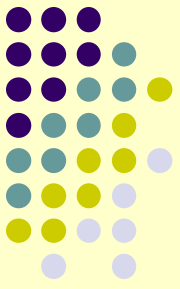


```
x = linspace(-pi, pi, 50);  
y = sin(x);  
z = cos(x);  
plot(x, y, '-rh'); hold on  
plot(x, z, '-gd'); hold off  
legend('sine', 'cosine', 2)  
xlabel('Angles (rad)')  
ylabel('y-value')  
title('This is a Matlab plot')
```

%labeling the x-axis (x-axis is in radians)
%labeling the y-axis
%giving the graph a title

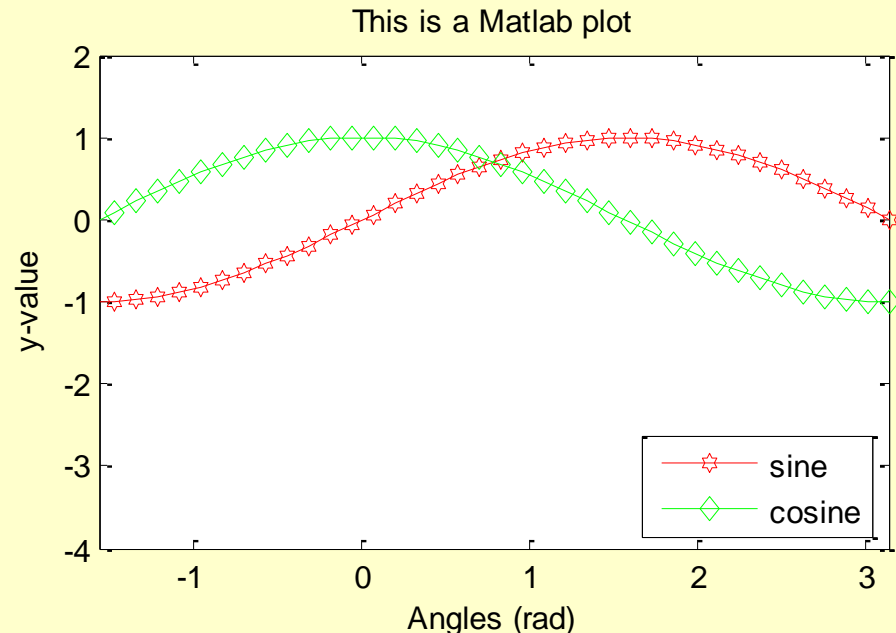
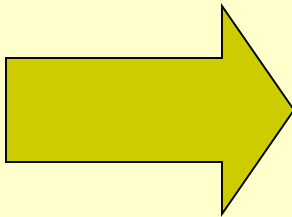


Plots & Subplots

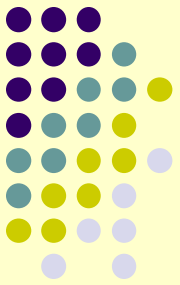


```
x = linspace(-pi, pi, 50);  
y = sin(x);  
z = cos(x);  
plot(x, y, '-rh'); hold on  
plot(x, z, '-gd'); hold off  
legend('sine', 'cosine', 0) %will place legend in best place  
xlabel('Angles (rad)')  
ylabel('y-value')  
title('This is a Matlab plot')  
xlim([-pi/2, pi])  
ylim([-4, 2])
```

%x-axis from $-\pi/2$ to π
%y-axis from -4 to 2



Plots & Subplots



```
x = linspace(-pi, pi, 50);
```

```
y = sin(x);
```

```
z = cos(x);
```

```
subplot(2, 1, 1)
```

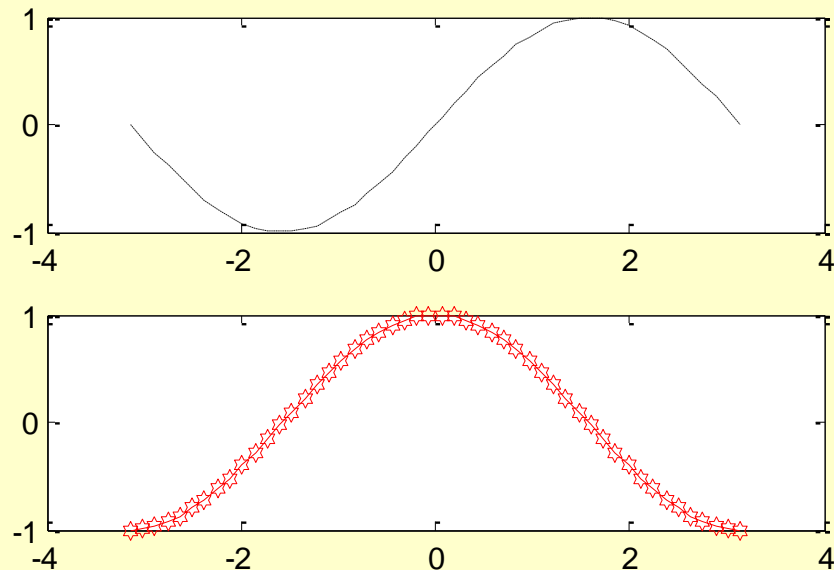
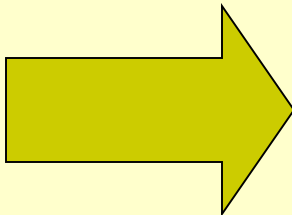
%2 rows, 1 column of plots, will plot the following graph in location 1

```
plot(x, y, '-.k')
```

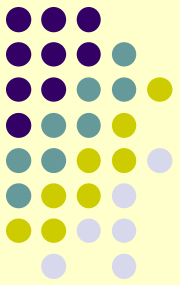
```
subplot(2, 1, 2)
```

%2 rows, 1 column of plots, will plot the following graph in location 2

```
plot(x, z, '-rh')
```



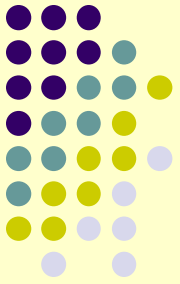
Plots & Subplots



Remark:

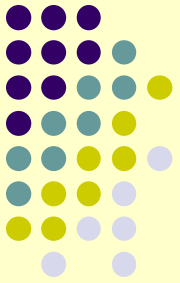
Subplots: When dealing with titles, axis labels, etc., the most recent graph will be effected. If, for example, you want to title the first subplot, you must specify title('title 1').

The following class assignment assigned illustrates subplots, titling subplots, and the other topics discussed in this lecture.



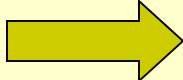
Handling Strings

String Concatenation

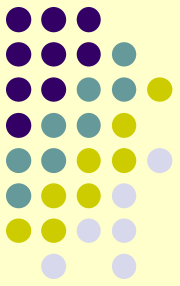


Let $s1 = \text{'My name is '}$

and $s2 = \text{'Charles'}$.

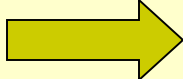
Then $s3 = [s1, s2]$ 

String Concatenation

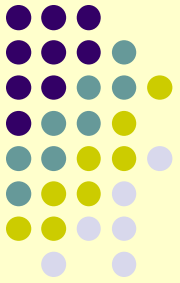


Let $s1 = \text{'My name is '}$

and $s2 = \text{'Charles'}$.

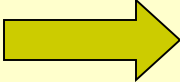
Then $s3 = [s1, s2]$  My name is Charles

String Concatenation

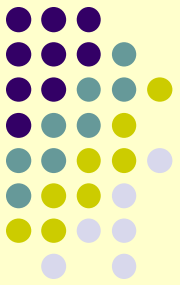


Let s1 = 'My name is '

and s2 = 'Charles'.

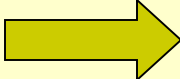
s4 = [s1, 'Linda'] 

String Concatenation

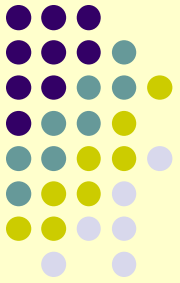


Let s1 = 'My name is '

and s2 = 'Charles'.

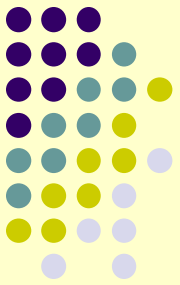
s4 = [s1, 'Linda']  My name is Linda

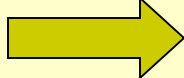
String Concatenation



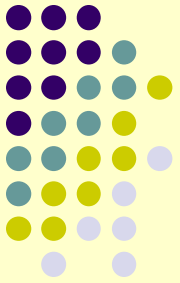
s5 = ['This is' 'a test'] →

String Concatenation



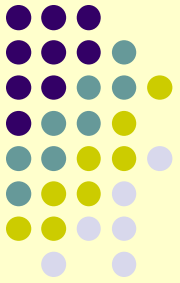
`s5 = ['This is' 'a test']`  `This is a test`

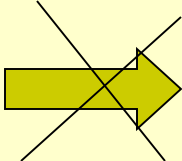
String Concatenation



s6 = ['This is number' 6] →

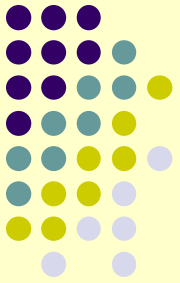
String Concatenation

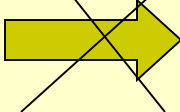


`s6 = ['This is number' 6]` 

This statement would result in an error because of the “6”. You can not just have a number. String concatenation deals with *strings*.

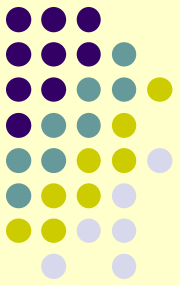
String Concatenation



`s6 = ['This is number' 6]` 

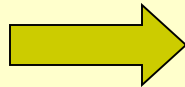
To correct this, the built in MATLAB function, num2str, is used. num2str converts a number into a string.

String Concatenation

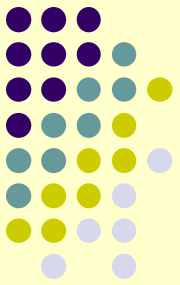


So we have,

```
s6 = ['This is number ' num2str(6)]
```



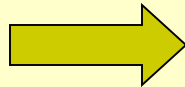
String Concatenation



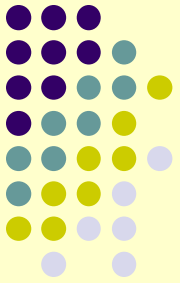
So we have,

```
s6 = ['This is number ' num2str(6)]
```

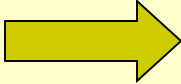
This is number 6



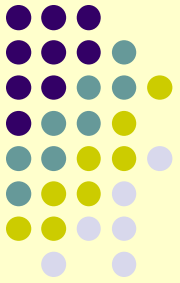
String Concatenation



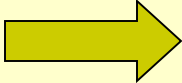
Let $s1 = \text{'My answer is '}$

Then $s2 = [s1, \text{'pi'}]$ 

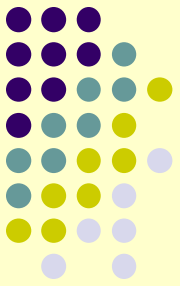
String Concatenation



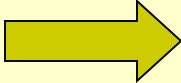
Let $s1 = \text{'My answer is '}$

Then $s2 = [s1, \text{'pi'}]$  My answer is pi

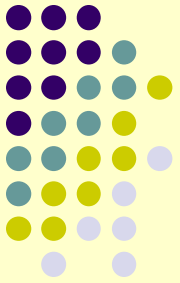
String Concatenation



Let $s1 = \text{'My answer is '}$

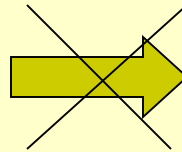
Then $s3 = [s1, 4]$ 

String Concatenation

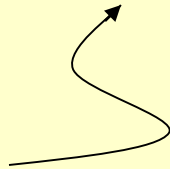


Let $s1 = \text{'My answer is '}$

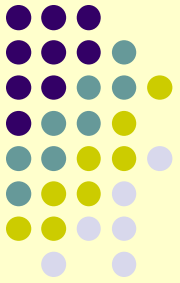
Then $s3 = [s1, 4]$



error

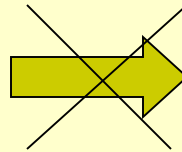


String Concatenation

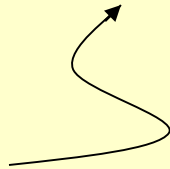


Let `s1 = 'My answer is '`

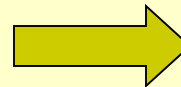
Then `s3 = [s1, 4]`



error

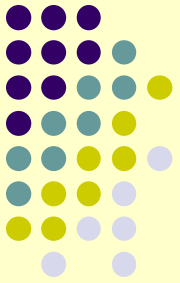


`s3 = [s1, num2str(4)]`

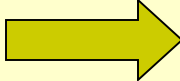


My answer is 4

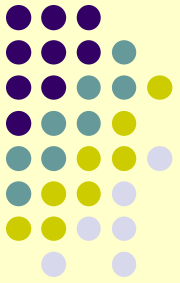
String Concatenation



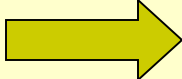
Let `s1 = 'My answer is '`

Then `s4 = [s1, num2str(pi)]` 

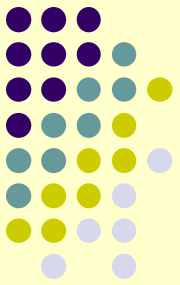
String Concatenation



Let `s1 = 'My answer is '`

Then `s4 = [s1, num2str(pi)]`  `My answer is 3.1416`

Class Assignment



Given $f(x) = e^x$ the Taylor approximation for x near 0 is

$$P_N(x) \cong 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \cdots + \frac{x^N}{N!}$$

Use the FOR loop and MATLAB subplot command

to plot e^x and $P_N(x) \cong 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} + \cdots + \frac{x^N}{N!}$, for $N=1, \dots, 6$ and $-1 < x < 1$. Put the mathematical expression of its approximation on the title of each subplot.