Simulate Partial Directed Coherence – Schizophrenia EEG

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PDC estimation – Main Function

```
• [ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
• fc=128
• nfft=7680
• idMode=0 : Least Squares covariance
• p=5
• show
ePDC
• p e
```

PDC estimation - Read Data

```
• %% Read DATA %%
     Y=schizo eeg converter func(folder address, file name);
• function EEG=schizo eeg converter func(address, name)
     X=importdata([address,'\' ,name]);
     num sample=numel(X)/16;
     EEG=zeros(16, num sample);
     for j=1:16
          Start=(j-1)*num sample + 1;
          End=j*num sample;
          EEG(j,:) = X(Start:End,1)';
     end
end
```

PDC estimation – Order Estimator

```
• [ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
• %% Estimate Order %%
     pcrit='aic';
     if pcrit(1) == 'a' || pcrit(1) == 'm'
         [pottaic, pottmdl, aic, mdl] = mos idMVAR(Y, 20, idMode);
         if pcrit(1) == 'a', p e=pottaic; else p e=pottmdl; end
     else
         p e=pcrit; % p estimation
     end
```

PDC estimation – Estimate Coeff MVAR

```
• [ePDC, f, p e] = CONNECTIVITY PDC (
• folder address, file name, fc, nfft, idMode, p, show
• %% Estimate Coeeff %%
      [eAm, eSu, \sim, \sim] = idMVAR(Y, p, idMode);
• [Am, S, Yp, Up] = idMVAR(Y, p, Mode) → Use INTERNET
• % Y, M*N matrix of time series (each time series is in a row)
• % p, model order
• % Mode, determines estimation algorithm (0:builtin least squares, else
 other methods [see mvar.m from biosig package])
```

PDC estimation – Estimate PDC from MVAR

```
• [ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
• %% %%% Estimated spectral functions
      [\sim,\sim,\sim, \text{gpdc2},\sim,\sim,\sim,\sim,\sim,\sim] = \text{fdMVAR}(\text{eAm},\text{eSu},\text{nfft},\text{fc});
      ePDC=abs(qpdc2).^2; % partial directed coherence
• [DC, DTF, PDC, GPDC, COH, PCOH, PCOH2, H, S, P, f] = fdMVAR(Am, Su, N, Fs) → INTERNET
• % Am=[A(1)...A(p)]: M*pM matrix of the MVAR model coefficients (strictly
 causal model)
• % Su: M*M covariance matrix of the input noises
• % N= number of points for calculation of the spectral functions (nfft)
• % Fs= sampling frequency
• % GPDC= Generalized Partial Directed Coherence
• PDC= Partial Directed Coherence
```

PDC estimation – Plot PDC (Frequency Domain)

```
• [ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
• %% SHOW %%
• %% reshape in order to plot %%
        mydata=zeros(4,4,nfft,16);
        k=1;
        for i=0:3
            for j=0:3
                mydata(:,:,:,k) = ePDC((4*i+1):(4*i+4),...
                                    (4*j+1):(4*j+4),...
                k=k+1;
            end
         end
```

PDC estimation – Computational Cost

```
[ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
•
         M=size(eAm, 1);
         for k=1:16
            figure(k)
            sgtitle(['Block', num2str(k) ,'th'])
            q=1;
            for i=1:M/4
                 for j=1:M/4
                    subplot(4,4,q);
                    plot(f, squeeze(mydata(i,j,:,k)),'r'); hold on;
                    grid on;
                    axis([0 fc/2 -0.05 1.05]);
                    title(['PDC : ', num2str(j), '\rightarrow', num2str(i)])
                    q=q+1;
```

PDC estimation – Convert PDC signals to Matrix

```
• [ePDC, f, p e]=CONNECTIVITY PDC(
• folder address, file name, fc, nfft, idMode, p, show
• %% Connectivity Matrix %%
• freq range=[1,4;4,7;8,13;14,30;30,64];

    connectivity matrix=zeros(16,16,5);

• for k=1:5
     for i=1:16
          for j=1:16
              freq indx=(find(f>=freq range(k,1) & f<=freq range(k,2)));
              connectivity matrix(i,j,k)=mean(squeeze(ePDC(i,j,freq indx)));
 connectivity_matrix(:,:,k)=connectivity_matrix(:,:,k)-
diag(diag(connectivity_matrix(:,:,k)));
          end
     end
end
```

PDC estimation – Save and Transfer to Python

```
[ePDC, f, p_e]=CONNECTIVITY_PDC(
folder_address, file_name, fc, nfft, idMode, p, show
)
%% Save and Plot %%
figure()
imagesc(connectivity_matrix(:,:,3))
title('Normal/Subject_1/Alpha')
save('A:\Term 5th\Paper\MVAR&PDC - MatLab\connectivity matrix for python\subject schizo 2')
```

Matrix & Graph – import Libraries

- !pip install nilearn
- import tensorflow as tf
- import tensorflow.compat.v1 as tf
- tf.disable v2 behavior()
- from tensorflow.keras.datasets import mnist
- import matplotlib.pyplot as plt
- import numpy as np
- import pandas as pd
- import glob
- import os
- import sklearn.preprocessing
- from nilearn.input data import NiftiMapsMasker
- from nilearn.connectome import ConnectivityMeasure
- from nilearn import plotting
- import scipy.io

Matrix & Graph – Manual Parameters

```
#parameters
type_class='normal' # 'normal'/'schizo'
sub=2 # 1/2
band_sel='alpha'
```

Matrix & Graph – Load Data from Google Drive and Plot Matrix

```
X = scipy.io.loadmat('subject_'+type_class+'_'+str(sub)+'.mat')
band={'delta':0 , 'theta':1 , 'alpha' : 2 , 'beta' : 3, 'gamma' : 4}
labels=['1 - F7','2 - F3','3 - F4','4 - F8','5 - T3','6 - C3','7 - Cz','8 - C4','9 - T4','10 - T5','11 - P3','12 - Pz','13 - P4','14 - T6','15 - O1','16 - O2']
X= X['connectivity_matrix']
plotting.plot_matrix(X[:,:,band[band_sel]], labels=labels, colorbar=True)
plt.title('Class: {} - Subject: {}th - Band: {}'.format(type_class, sub, band_sel))
```

Matrix & Graph – Plot Graph

```
• coords=[(-68.423 , 49.871 , -7.4895),
            , 57.551 , 39.87 ) ,
• (-48.2
• (48.143 , 57.584 , 39.892 ) ,

    (68.384 , 49.927 , -7.4851 ),

 (-84.539

• (-63.171
           , 0 , 56.872 ),
• (63.167 , 0 , 56.876 ) ,

    (84.539 , 0 , -8.8451 ),

    (-49.709 , -68.691, -5.9589 ),

           , -57.551, 39.87),
         , -60.738, 59.463),

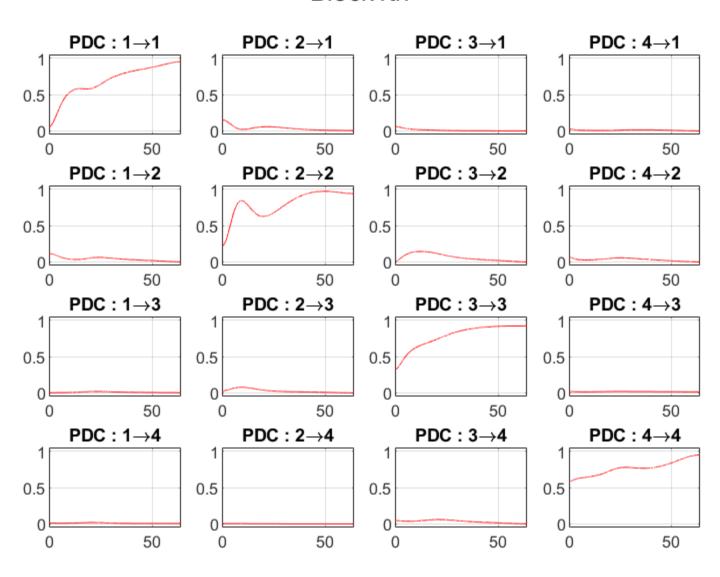
    (48.143 , -57.584, 39.892 ),

• (49.669 , -68.721, -5.953 ) ,
• (-26.133, -80.784, -4.0011),
• (26.133, -80.784, -4.0011)
  plotting.plot connectome(X[:,:,band[band sel]], coords,
                         edge threshold="80%", colorbar=True,
                         title='Class: {} - Subject: {}th - Band: {}'.format(type class, sub, band sel) )
  plotting.show()
```

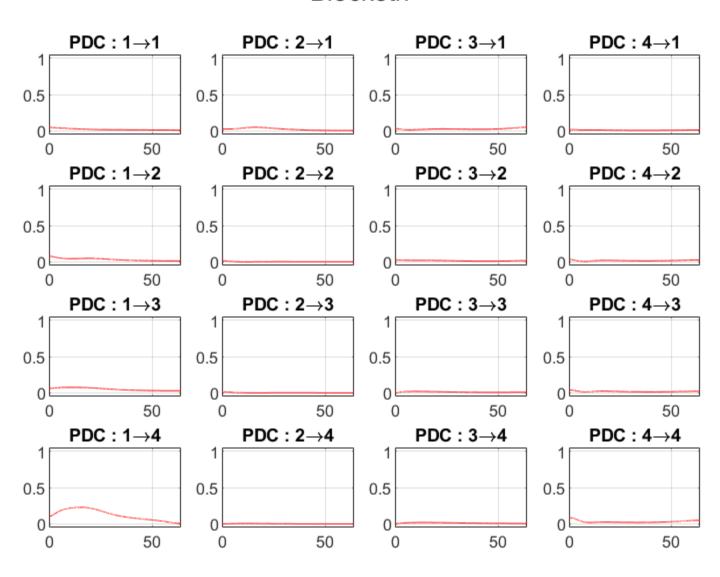
Matrix & Graph – View 3D Graph

```
view = plotting.view_connectome(X[:,:,band[band_sel]], coords, edge_threshold='80%')
# In a Jupyter notebook, if ``view`` is the output of a cell, it will
# be displayed below the cell
view
```

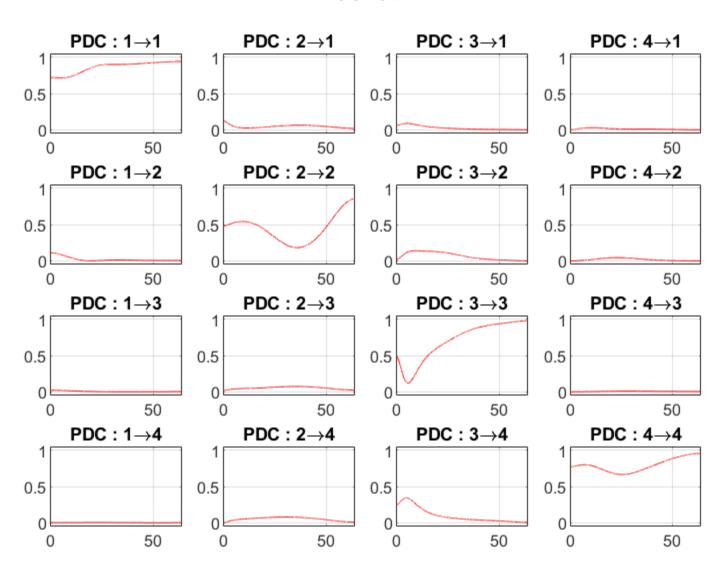
Block1th



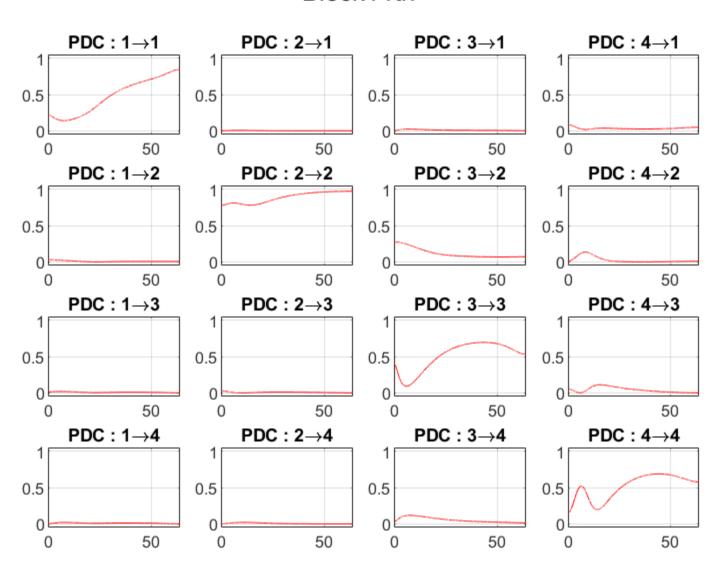
Block3th



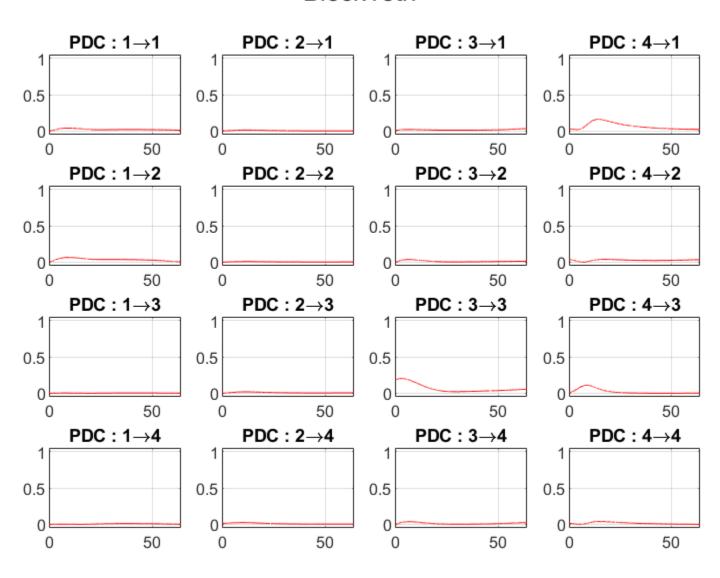
Block6th



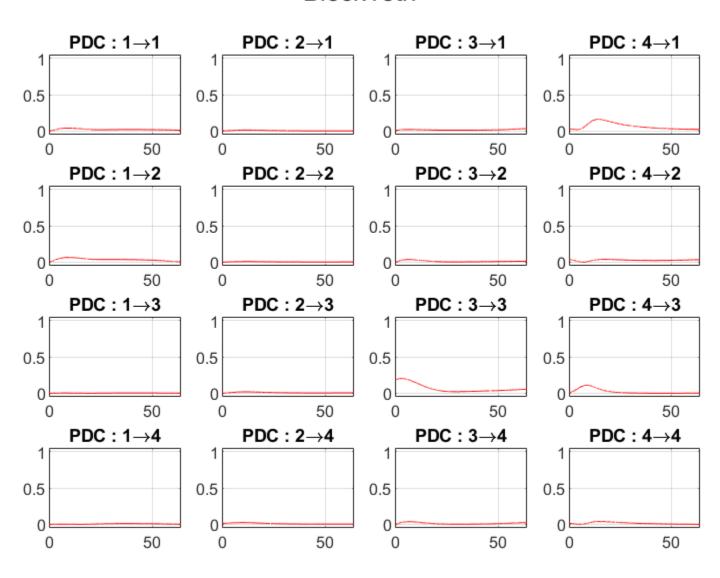
Block11th



Block15th



Block15th



Block16th

