

Column

```

<!DOCTYPE html>
<html lang="en">
<head>
  <meta charset="UTF-8">
  <meta name="viewport" content="width=device-width, initial-scale=1.0">
  <title>Document</title>
  <style>
    #d1{
      width: 300px;
      height: 100px;
      border: 1px solid black;
    }
  </style>
</head>
<body>
  <div id="d1">
    Given a binary tree, the task is to find the maximum height of the
  </div>
</body>
</html>

```

Given a binary tree, the task is to find the maximum height of the tree. The height of the tree is the number of edges in the tree from the root to the deepest node. For a tree with just one node, the root node, the height of a binary tree is defined to be zero; if there are 2 levels of nodes, the height is 1 and so on. Binary search tree is built according to the usual rules with the following six keys, inserted one at a time given: B, I, N, A, R, Y.

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  <title>Document</title>
  <style>
    #d1{
      width: 300px;
      height: 100px;
      border: 1px solid black;
      -webkit-column-count: 3;
    }
  </style>
</head>
<body>
  <div id="d1">
    Given a binary tree, the task is to find the maximum height of the
  </div>
</body>
</html>

```

Given a binary tree, the task is to find the maximum	height of the tree. The height of the tree is the number of	edges in the tree from the root to the deepest node. For a tree
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with just one node, the root node, the height of a binary tree is

defined to be zero; if there are 2 levels of nodes, the height is 1

and so on. Binary search tree is built according to the usual

rules with the following six keys, inserted one at a time

given: B, I, N, A, R, Y.

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      overflow: auto;
    }
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Given a binary tree, the task is to find the	maximum height of the tree. The height of the	tree is the number of edges in the tree from the
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    #d1{
      width: 300px;
      height: 100px;
      border: 1px solid black;
      -webkit-column-count: 3;
      overflow: auto;
      -webkit-column-gap: 3px;
    }
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      -webkit-column-count: 3;
      overflow: auto;
      -webkit-column-gap: 3px;
      -webkit-column-rule-style: dashed;
    }
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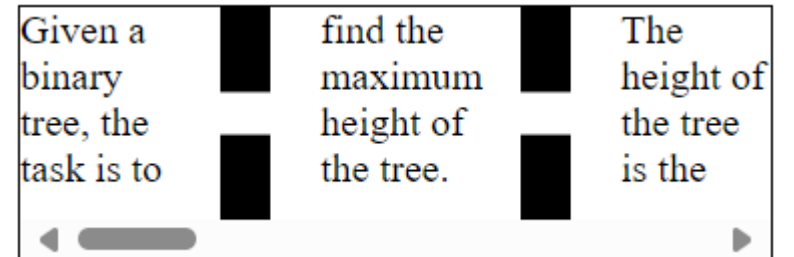
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  <style>
    #d1{
      width: 300px;
      height: 100px;
      border: 1px solid ■ black;
      -webkit-column-count: 3;
      overflow: auto;
      -webkit-column-gap: 60px;
      -webkit-column-rule-style: dashed;
      -webkit-column-rule-width: 20px;
    }
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<body>
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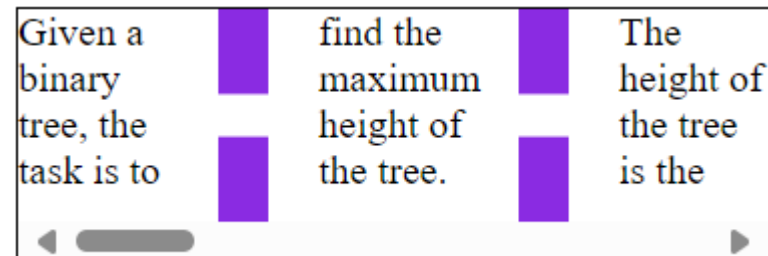
```



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      height: 100px;
      border: 1px solid black;
      -webkit-column-count: 3;
      overflow: auto;
      -webkit-column-gap: 60px;
      -webkit-column-rule-style: dashed;
      -webkit-column-rule-width: 20px;
      -webkit-column-rule-color: blueviolet;
    }
  </style>
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      border: 1px solid black;
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      overflow: auto;
      -webkit-column-gap: 60px;
      -webkit-column-rule: dashed 20px blueviolet;
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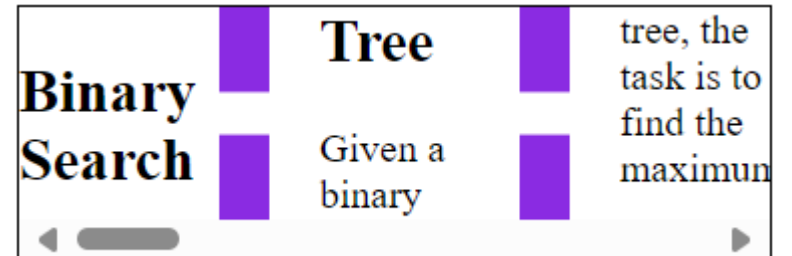
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Given a binary tree, the task is to		find the maximum height of the tree.		The height of the tree is the
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      border: 1px solid ■black;
      -webkit-column-count: 3;
      overflow: auto;
      -webkit-column-gap: 60px;
      -webkit-column-rule: dashed 20px ■blueviolet;
    }
  </style>
</head>
<body>
  <div id="d1">
    <h2> Binary Search Tree</h2>
    Given a binary tree, the task is to find the maximum
  </div>
</body>
</html>

```



```

    h2{
      -webkit-column-span: all;
    }
  </style>
</head>
<body>
  <div id="d1">
    <h2> Binary Search Tree</h2>
    Given a binary tree, the task is to find the
  </div>
</body>

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## Binary Search Tree

Given a binary tree, the task is to find the maximum height of the tree. The height of the tree is the number of edges in the tree from the root to the deepest node. For a tree with just one node, the root node, the height of a binary tree is defined to be zero; if there are 2 levels of nodes, the height is 1 and so on. Binary search tree is built according to the usual rules with the following six keys, inserted one at a time given: B, I, N, A, R, Y.

```

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  #d1{
    width: 300px;
    height: 500px;
    border: 1px solid black;
    -webkit-column-count: 3;
    overflow: auto;
    -webkit-column-gap: 30px;
    -webkit-column-rule: dashed 20px blueviolet;
    -webkit-column-width: 40px;
  }

  h2{
    -webkit-column-span: all;
  }

```

## Binary Search Tree

Given a binary tree, the task is to find the maximum height of the tree. The height of the tree is the number of edges in the tree from the root to the deepest

node. For a tree with just one node, the root node, the height of a binary tree is defined to be zero; if there are 2 levels of nodes, the height is 1 and so on.

Binary search tree is built according to the usual rules with the following six keys, inserted one at a time given: B, I, N, A, R, Y.