

# Data Mining Course - Project #2

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1.

```
In [1]: import numpy as np
import pandas as pd
import matplotLib.pyplot as plt
import seaborn as sns
from scipy import stats
 In [2]: hearts = pd.read_csv("heart.csv")
               display(hearts.shape)
hearts.head(10)
              (303, 14) age sex cp trestbps chol fbs restecg thalach exang oldpeak slope ca thal target
```

	0	63	1	3	145	233	1	0	150	0	2.3	0	0	1	1
	1	37	1	2	130	250	0	1	187	0	3.5	0	0	2	1
	2	41	0	1	130	204	0	0	172	0	1.4	2	0	2	1
	3	56	1	1	120	236	0	1	178	0	0.8	2	0	2	1
	4	57	0	0	120	354	0	1	163	1	0.6	2	0	2	1
	5	57	1	0	140	192	0	1	148	0	0.4	1	0	1	1
	6	56	0	1	140	294	0	0	153	0	1.3	1	0	2	1
	7	44	1	1	120	263	0	1	173	0	0.0	2	0	3	1
	8	52	1	2	172	199	1	1	162	0	0.5	2	0	3	1
	9	57	1	2	150	168	0	1	174	0	1.6	2	0	2	1

In [3]: hearts.info()

hearts.info()

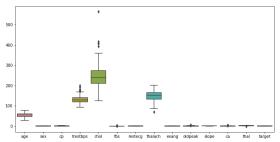
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 303 entries, 0 to 302
Data columns (total 14 columns):

7 Column
Non-Null Count Dtype

10 age 303 non-null inf64
12 cp 303 non-null inf64
42 cp 303 non-null inf64
44 chol 303 non-null inf64
45 fbs 303 non-null inf64
6 restecp 303 non-null inf64
6 restecp 303 non-null inf64
6 restecp 303 non-null inf64
10 tage 304
10 slope 305
10 slope 307
10 # Column # C

In [4]: fig = plt.figure(figsize=(12,6))
 sns.boxplot(data=hearts)

Out[4]: <matplotlib.axes.\_subplots.AxesSubplot at 0x7f7d40333438>



Data Normalization:

$$X_{norm} = \frac{X - X_{min}}{X_{max} - X_{min}}$$

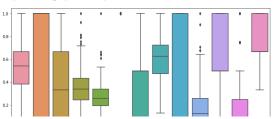
lets normalize data based on "target" column.

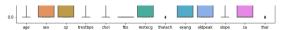
[6]:		age	sex	ср	trestbps	chol	fbs	restecg	thalach	exang	oldpeak	slope	ca	thal
	0	0.708333	1.0	1.000000	0.481132	0.244292	1.0	0.0	0.603053	0.0	0.370968	0.0	0.00	0.333333
	1	0.166667	1.0	0.666667	0.339623	0.283105	0.0	0.5	0.885496	0.0	0.564516	0.0	0.00	0.666667
	2	0.250000	0.0	0.333333	0.339623	0.178082	0.0	0.0	0.770992	0.0	0.225806	1.0	0.00	0.666667
	3	0.562500	1.0	0.333333	0.245283	0.251142	0.0	0.5	0.816794	0.0	0.129032	1.0	0.00	0.666667
	4	0.583333	0.0	0.000000	0.245283	0.520548	0.0	0.5	0.702290	1.0	0.096774	1.0	0.00	0.666667
	298	0.583333	0.0	0.000000	0.433962	0.262557	0.0	0.5	0.396947	1.0	0.032258	0.5	0.00	1.000000
	299	0.333333	1.0	1.000000	0.150943	0.315068	0.0	0.5	0.465649	0.0	0.193548	0.5	0.00	1.000000
	300	0.812500	1.0	0.000000	0.471698	0.152968	1.0	0.5	0.534351	0.0	0.548387	0.5	0.50	1.000000
	301	0.583333	1.0	0.000000	0.339623	0.011416	0.0	0.5	0.335878	1.0	0.193548	0.5	0.25	1.000000
	202	0.502222	0.0	0 222222	0.220622	0.051140	0.0	0.0	0.706260	0.0	0.000000	0.5	0.25	0.000007

303 rows × 13 columns

In [7]: fig = plt.figure(figsize=(12,6))
 sns.boxplot(data=norm\_data)

<matplotlib.axes.\_subplots.AxesSubplot at 0x7f7cffcecc88>





outlier data in trestbps, chol, fbs, oldpeak

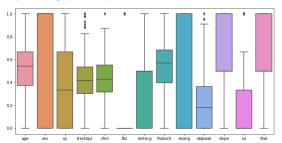
now, lets remove them with z\_score scale!

```
In [8]: z_scores = stats.zscore(hearts)
z_scores
abs_z_scores = np.abs(z_scores)
filtered_entries = (abs_z_scores < 3).all(axis=1)
clean_data = hearts[filtered_entries]</pre>
```

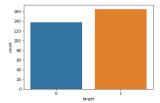
16 rows removed.

```
In [9]: fig = plt.figure(figsize=(12,6))
y = clean_data.target.values
x_data = clean_data.drop(['target'], axis = 1)
                       \label{eq:norm_data} \mbox{norm\_data} = (\mbox{x\_data} - \mbox{np.min}(\mbox{x\_data})) \ / \ (\mbox{np.max}(\mbox{x\_data}) - \mbox{np.min}(\mbox{x\_data})) \ . \mbox{values} \\ \mbox{sns.boxplot}(\mbox{data=norm\_data})
```

Out[9]: <matplotlib.axes.\_subplots.AxesSubplot at 0x7f7cfc1bcfd0>



In [10]: sns.countplot(x="target", data=hearts)
 plt.show()



In [11]: countNoDisease = len(hearts[hearts.target == 0]) countHaveDisease = len(hearts[hearts.target == 1]) print("Percentage of Patients Haven't Heart Disease: {:.2f}%".format((countNoDisease / (len(hearts.target))\*100))) print("Percentage of Patients Have Heart Disease: {:.2f}%".format((countNoDisease / (len(hearts.target))\*100)))

So, data are almost balanced!

If we have imbalanced data it can make problems on our calculations and accuracy but we can balancing by exploiting one of the following techniques:

- oversamplingundersampling
- · class weight threshold

# 2.

Spliting Data:

In [12]: from sklearn.model\_selection import train\_test\_split

 $y = clean\_data.target.values \\ x\_train, \ x\_test, \ y\_train, \ y\_test = train\_test\_split(clean\_data,y,test\_size = 0.2,random\_state=42)$ 

3.

Bayes' theorem is stated mathematically as the following equation:

$$P(A \mid B) = \frac{P(B \mid A)P(A)}{P(B)}$$

where A and B are events and  $P(B) \neq 0$ .

- $P(A \mid B)$  is a conditional probability: the probability of event A occurring given that B is true. It is also called the posterior probability of A given B.
    $P(B \mid A)$  is also a conditional probability: the probability of event B occurring given that A is true. It can also be interpreted as the likelihood of A given a fixed B because  $P(B \mid A) = L(A \mid B)$ .
- P(A) and P(B) are the probabilities of observing A and B respectively without any given conditions; they are known as the marginal probability or prior probability
- · A and B must be different events.

Bernoulli Naive Bayes; It assumes that all our features are binary such that they take only two values, like "target" which means 0 = "have not disease" and 1 = "have disease"

Multinomial Naive Bayes: Its is used when we have discrete data (e.g. movie ratings ranging 1 and 5 as each rating will have certain frequency to represent).

Gaussian Naive Bayes: Because of the assumption of the normal distribution, Gaussian Naive Bayes is used in cases when all our features are continuous.

4.

Gaussian Naive Bayes Implementation

Gaussian Naive Bayes is an algorithm having a Probabilistic Approach. It involves prior and posterior probability calculation of the classes in the dataset and the test data given a class respectively.

$$Prior Probability(c) = \frac{\text{No. of instances of class } c}{\text{Total No. of instances in the dataset}}$$

The conditional probabilities of the test data features given a class the conditional probabilities of the test data features given a class is given by the probability obtained from Gaussian (Normal) Distribution

$$P(x_i \mid c) = \frac{1}{\sqrt{2\pi\sigma^2}} e(-\frac{(x_i - mean_{x_i,c})^2}{2\sigma^2})$$

Finally, the conditional probability of each class given an instance (test instance) is calculated using Bayes Theorem.

$$P(c_i \mid x) = \frac{P(x \mid c_i)P(c_i)}{\sum_j P(x \mid c_j)P(c_j)}$$

In [13]: import math ATTR\_NAMES = ["thalach", "trestbps", "chol"]
FIELD\_NAMES = ["Num"] + ATTR\_NAMES + ["target"] class GNB classifier(object): def \_\_init\_\_(self, training.set, test\_set):
 self.\_training.set = training.set
 self.\_test\_set = test\_set
 self.\_n = len(self.\_training.set)
 self.\_prior()
 self.\_\_calculate\_mean\_variance() def \_\_prior(self):
 counts = self\_\_training\_set["target"].value\_counts().to\_dict()
 self\_\_priors = f(k\_\_w /\_\_self\_\_n) for k\_\_w in\_counts itame()).

```
self._training.set('target') == c)]
m_v = {}
for attr_name in ATTR_NAMES:
    m_vlattr_name) = []
    m_vlattr_name] = i]
    m_vlattr_name] = ipapend(filtered_set[attr_name].mean())
    m_vlattr_name].append(
    math.pow(filtered_set[attr_name].std(), 2))
self._mean_variance[c] = m_v
                                 def print_info(self):
    print("Priors for each class: ", self.__priors)
    print("Means and variance for each class: ", self.__mean_variance)
                        def calculate_accuracy(test_set, predictions):
    correct = 0
    for _, t in test_set.iterrows():
        if t["target"] == predictions[t._name]:
                                 correct += 1
return (correct / len(test_set)) * 100.0
 In [14]: classifier = GNB_classifier(x_train, x_test)
      classifier.print_info()
                      Priors for each class: {1, 0.537117903930131}, (0, 0.462820960696969)}
Means and variance for each class: {1: ('thalach': [18.609756097561, 386.3054778088764], 'trestbps': [129.08130081300814, 251.4851392776223], 'chol': [244.7560975609756, 2221.3170731707323]}, 0: {'thalach': [139.78301886792454
479.37151814808625], 'trestbps': [134.08062775548095, 234.5384546271339], 'chol': [247.10377358490567, 2161.6557951482478]]}
In [15]: predictions = classifier.predict()
print("Predictions in the form (number, predicted class): ", predictions)
                      Predictions in the form (number, predicted class): {9: 1, 269: 0, 148: 1, 224: 0, 241: 0, 205: 1, 101: 0, 75: 1, 113: 1, 34: 0, 143: 1, 216: 0, 147: 1, 282: 0, 5: 1, 234: 0, 249: 1, 268: 0, 46: 1, 285: 0, 250: 0, 58: 1, 159: 1, 160: 1, 117: 1, 112: 0, 156: 1, 150: 0, 115: 1, 43: 1, 116: 1, 151: 0, 180: 0, 222: 1, 47: 1, 84: 0, 65: 1, 122: 1, 77: 1, 172: 1, 152: 0, 31: 1, 22: 1, 24: 1, 191: 0, 267: 0, 87: 1, 183: 1, 284: 0, 97: 1, 214: 1, 179: 0, 185: 1, 171: 1, 171: 1, 172: 1, 152: 0, 31: 1, 22: 1, 24: 1, 191: 0, 267: 0, 87: 1, 183: 1, 284: 0, 97: 1, 214: 1, 179: 0, 185: 1, 171: 1, 171: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 172: 1, 1
In [16]: accuracy = calculate_accuracy(x_test, predictions)
print("Accuracy : ", accuracy)
                      Accuracy : 72.41379310344827
 In [17]: from sklearn.metrics import precision_score, recall_score, f1_score
                        y_pred = [ value for key,value in predictions.items()]
                        print("Precision:")
my_p_score = precision_score(y_test, y_pred)
my_p_score * 100
Out[17]: 75.67567567568
In [18]: print("Recall:")
my_recall_score = recall_score(y_test, y_pred)
my_recall_score * 100
Recall:
Out[18]: 80.0
In [19]: print("F1 Score:")
    my_f1_score = f1_score(y_test, y_pred)
    my_f1_score * 100
F1 Score:
Out[19]: 77.777777777779
                    6.
In [20]: from sklearn.naive_bayes import GaussianNB
from sklearn.metrics import accuracy_score
                        x = clean_data["thalach", "trestbps", "chol"]]
y = clean_data.target.values
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.2,random_state=0)
                      model = GaussianNB()
model.fit(x_train, y_train)
sk_y_pred = model.predict(x_test)
In [21]: accuracy = accuracy_score(y_test, sk_y_pred)
print("Accuracy : ", accuracy * 100)
                      Accuracy : 72.41379310344827
                    7.
In [22]: print("Precision:")
    p_score = precision_score(y_test, sk_y_pred)
    print(p_score * 100)
                        print("\nMy Precision:")
print(my_p_score * 100)
                       Precision:
67.56756756756
                      My Precision:
75.67567567567568
In [23]: print("Recall:")
    recall_score = recall_score(y_test, sk_y_pred)
    print(recall_score * 100)
                        print("\nMy Recall:")
print(my_recall_score * 100)
                      Recall:
86.20689655172413
                      My Recall:
80.0
In [24]: print("F1 Score:")
    f1_score = f1_score(y_test, sk_y_pred)
    print(f1_score * 100)
                       F1 Score:
75.75757575757575
                      My F1 Score:
77.777777777779
                    8.
In [25]: from sklearn.svm import SVC from sklearn.metrics import classification_report
                        svc = SVC()
svc.fit(x_train, y_train)
svc_pred = svc.predict(x_test)
svc_acc_score = accuracy_score(y_test, svc_pred)
                         accuracy = accuracy_score(y_test, svc_pred)
print("Accuracy : ", accuracy * 100)
```

print(classification\_report(y\_test,svc\_pred))

Accuracy: 72.41379310344827

```
recall f1-score support

    0 0.88 0.52 0.65 29
    1 0.66 0.93 0.77 29

    accuracy
    accuracy
    weighted aug 0.77 0.72 0.71 58
    weighted aug 0.77 0.72 0.71 58
```

9.

The SVM algorithm is implemented in practice using a kernel. A kernel transforms an input data space into the required form. SVM uses a technique called the kernel trick. Here, the kernel takes a low-dimensional input space and transforms it into a higher dimensional space. In other words, you can say that it converts nonseparable problem to separable problems by adding more dimension to it. It is most useful in non-linear separation problem. Kernel trick helps you to build a more accurate classifier.

Radial Basis Function Kernel The Radial basis function kernel is a popular kernel function commonly used in support vector machine classification. RBF can map an input space in infinite dimensional space

Linear Kernel A linear kernel can be used as normal dot product any two given observations. The product between two vectors is the sum of the multiplication of each pair of input values.

Polynomial Kernel A polynomial kernel is a more generalized form of the linear kernel. The polynomial kernel can distinguish curved or nonlinear input space

### 10.

## 11.

```
In [29]: from sklearn.model_selection import cross_val_score
    svc = SVC(kernel="linear")
    cv5 = cross_val_score(svc, x_train, y_train, cv=5)
    print(cv5)
    print("Accuracy: ", round(cv5.mean(), 2) * 100)
    [0.86956522 0.82608696 0.7826087 0.82608696 0.82222222]
    Accuracy: 83.0
```

# 12.

```
In [30]: from sklearn.neighbors import KNeighborsClassifier

knn = KNeighborsClassifier(n_neighbors=13)
knn_nfit(x_train, y_train)
knn_pred = knn_predict(x_test)
knn_acc_score = accuracy_score(y_test, knn_pred)
print('Accuracy; 'knn_acc_score'180)
print('Accuracy; 'knn_acc_score'180)
print(\assign*)
print(\assign*)
Accuracy: 77.58620689655173
```

	precision	recall	f1-score	support	
0	0.83 0.74	0.69 0.86	0.75 0.79	29 29	
accuracy macro avg weighted avg	0.78 0.78	0.78 0.78	0.78 0.77 0.77	58 58 58	

# 13.

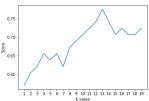
In KNN, finding the value of k is not easy. A small value of k means that noise will have a higher influence on the result and a large value make it computationally expensive. Data scientists usually choose as an odd number if the number of classes is 2 and another simple approach to select k is set k=sqrt(n).

```
In [31]: scoreList = []
for i in range(1,20):
    knn2 = KNelghborsClassifier(n_neighbors = i)
    knn2.fit(x_train, y_train)
    scoreList.append(knn2.score(x_test, y_test))

plt.plot(range(1,20), scoreList)
    plt.xticks(np.arange(1,20,1))
    plt.xtlcks(np.arange(1,20,1))
    plt.xtlabel("X_value")
    plt.ylabel("Score")
    plt.show()

acc = max(scoreList)*100

print("Maximum KNN Score is {:.2f}%".format(acc))
```



Maximum KNN Score is 77.59%

```
In [32]: x = clean_data[["thalach", "trestbps", "chol"]]
y = clean_data.target.values
x_train, x_test, y_train, y_test = train_test_split(x, y, test_size = 0.2,random_state=0)
                       knn = KNeighborsClassifier(n_neighbors=13)
knn.fit(x_train, y_train)
knn.pred = knn.predict(x_test)
knn.acc_score = accuracy_score(y_test, knn_pred)
print("Accuracy: ",knn_acc_score*100)
print("accuracy: ",knn_acc_score*100)
                        print("Accuracy:",knn_acc_score*100)
print("\n")
print(classification_report(y_test,knn_pred))
                       Accuracy: 72.41379310344827
```

	precision	recall	fl-score	support
0	0.78 0.69	0.62 0.83	0.69 0.75	29 29
accuracy macro avg weighted avg	0.73 0.73	0.72 0.72	0.72 0.72 0.72	58 58 58

### 15.

#### Parametric Methods

A learning model that summarizes data with a set of parameters of fixed size (independent of the number of training examples) is called a parametric model. No matter how much data you throw at a parametric model, it won't change its mind about how many parameters it needs.

Some examples of parametric algorithms include:

- Logistic Regression
- Linear Discriminant Analysis
- · Naive Bayes
- · Simple Neural Networks

### Benefits of Parametric Algorithms:

- Simpler: These methods are easier to understand and interpret results.
- · Speed: Parametric models are very fast to learn from data.
- Less Data: They do not require as much training data and can work well even if the fit to the data is not perfect.

### Limitations of Parametric Algorithms:

- Constrained: By choosing a functional form these methods are highly constrained to the specified form.
- · Limited Complexity: The methods are more suited to simpler problems.
- . Poor Fit: In practice the methods are unlikely to match the underlying mapping function.

Nonparametric methods are good when you have a lot of data and no prior knowledge, and when you don't want to worry too much about choosing just the right features.

An easy to understand nonparametric model is the k-nearest neighbors algorithm that makes predictions based on the k most similar training patterns for a new data instance. The method does not assume anything about the form of the mapping function other than patterns that are close

Some more examples of popular nonparametric algorithms are:

- · k-Nearest Neighbors
- · Decision Trees like CART and C4.5
- Support Vector Machines

#### Benefits of Nonparametric Algorithms:

- Flexibility: Capable of fitting a large number of functional forms.
- Power: No assumptions (or weak assumptions) about the underlying function.
   Performance: Can result in higher performance models for prediction.

### Limitations of Nonparametric Algorithms:

- More data: Require a lot more training data to estimate the mapping function.
- . Slower: A lot slower to train as they often have far more parameters to train.
- Overfitting: More of a risk to overfit the training data and it is harder to explain why specific predictions are made.

# 16.

MCC is a correlation coefficient between target and predictions. It generally varies between -1 and +1. -1 when there is perfect disagreement between actuals and prediction, 1 when there is a perfect agreement between actuals and predictions. 0 when the prediction may as well be random with respect to the actuals. As it involves values of all the four quardants of a confusion matrix, it is considered as a balanced measure.

Let's consider a case where the number of cases for either positive or negative is too low and the classifier returns either of the TP or TN as 0, then averaging TPR and TNR will return a score without any direction. We cannot judge a model based on this score. MCC involves values of all the four quardants of a confusion matrix and being a balanced measure will return a value with a direction (+ve and -ve)

There is a great explanation on MCC and accuracy measures here:

https://lettier.github.io/posts/2016-08-05-matthews-correlation-coefficient.html