

# **Artificial Intelligence**

## **Assignment 1**

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# How to run the code

To run the code you need to open terminal and launch `swipl Alisa_Martyanova.pl`.

Then first of all you need to run `?- main(_)`. It will print the list of all possible commands that you can run to see the work of different algorithms.

```
?- main(_).  
| Run 'map_i(_).' (where i is from 1 to 6) to create a map.  
| Run 'call_backtracking_search_first([0,0],[X,Y]).' to see first way found with backtracking.  
| Run 'see_all_ways([0,0],[X,Y]).' to see all ways found with backtracking.  
| Run 'call_search_shortest([0,0],[X,Y]).' to see shortest way found with backtracking.  
| Run 'call_random_search([0,0],[X,Y],0).' to see first way found with random search.  
| Run 'check_300_random([0,0],[X,Y],0).' to see 300 ways found with random search.  
| Run 'call_heuristic([0,0],[X,Y]).' to see way found with heuristic search.  
true.
```

Then you need to run `?-map_i(_)`. (where **i** is number from 1 to 6). This function will create a field with orcs, humans and touchdown.

Then you can run one of the following functions:

**`call_backtracking_search_first([0,0],[X,Y])`**. - to see first way found with backtracking.

**`see_all_ways([0,0],[X,Y])`**. - to see all ways found with backtracking.

**`call_search_shortest([0,0],[X,Y])`**. - to see shortest way found with backtracking.

**`call_random_search([0,0],[X,Y],0)`**. - to see first way found with random search.

**`check_300_random([0,0],[X,Y],0)`**. - to see 300 ways found with random search.

**`call_heuristic([0,0],[X,Y])`**. - to see way found with heuristic search.

(after each execution, it is better to run `halt`. and recompile)

[0,0] is starting point

[X,Y] will be finish point

0 is for Cycle, need for random search.

## How to changing parameters

```
32  
33 map_2(_):-  
34     retractall(touchdown(X,U)),  
35     retractall(wall_1(Y)),  
36     retractall(orc(W,E)),  
37     retractall(human(Z,S)),  
38  
39     assert(touchdown(3,2)),  
40     assert(wall_1(4)),  
41     assert(orc(3,1)),  
42     assert(orc(2,3)),  
43     assert(orc(2,2)),  
44  
45     assert(human(0,0)),  
46     assert(human(0,3)).  
47  
48
```

There are six map functions, which creates six different fields with different sizes and distributions of characters.

*map\_2(\_)* - example of one of them.

Lines (34) - (37) - clear old distribution.

Line (39) - coordinates of touchdown.

Line (41) - upper wall.

Lines (43) - (45) - coordinates of orcs.

Lines (47) - (48) - coordinates of humans.

The field described above will look like this:

4					
3	H		O		
2			O	T	
1				O	
0	H				
	0	1	2	3	4

## Basic functions

```
21  is safe(X,Y) :-  
22      \+orc(X,Y).  
23  
24  
25  win([X,Y]) :-  
26      touchdown([X,Y]).  
27  
28
```

**is\_safe(*X, Y*)** - checks that at point [X, Y] there is no orc

**win([*X, Y*])** - check if a point [X, Y] is touchdown

```
146  left([X,Y], [X2,Y2]) :-  
147      \+wall_2(X),  
148      X2 is X-1,  
149      Y2 is Y,  
150      is_safe(X2,Y2).  
151
```

**left(*[X, Y], [X2, Y2]*)** - [X, Y] is starting point, [X2, Y2] is ending point. **\+ wall\_2(*X*)** - it checks that player is not near left wall, **is\_safe(*X2, Y2*)** - checks that yard where we want to move is without orc. If both conditions hold, player makes move.

Functions for **right()**, **forward()** and **back()** are done in the same way.

```
105 pass_right([X,Y], [X2,Y2]) :-  
106     right([X,Y], [X3,Y3]) -> (human(X3, Y3) -> (X2 is X3, Y2 is Y3); pass_right([X3, Y3], [X2,Y2])); false.  
107  
108 pass_left([X,Y], [X2,Y2]) :-  
109     \left([X,Y], [X3,Y3]) -> (human(X3, Y3) -> (X2 is X3, Y2 is Y3); pass_left([X3, Y3], [X2,Y2])); false.  
110  
111
```

**pass\_right(*[X, Y], [X2, Y2]*)** - also make move from [X, Y] to [X2, Y2]. It calls function **right()**, if on new position there is a human, he catch the ball and these coordinates returns into [X2, Y2], if there is no human, no orc and no wall, function continues with recursive call. In such a way, if a ball moved till the wall and found nobody, no coordinates are returned and no move is done.

Functions **pass\_left()**, **pass\_back()** and **pass\_forward()** are done in the same way.

```
117 pass_right_up_diag([X,Y], [X2,Y2]) :-  
118     (\+wall_1(X),  
119      \+wall_1(Y),  
120      X3 is X + 1,  
121      Y3 is Y + 1,  
122      is_safe(X3,Y3)) -> (human(X3, Y3) -> (X2 is X3, Y2 is Y3); pass_right_up_diag([X3, Y3], [X2,Y2])); false.  
123  
124
```

**pass\_right\_up\_diag(*[X, Y], [X2, Y2]*)** - make diagonal moves, so here it also needs to check to walls. If ball is placed in the right upper corner it cannot move by right upper diagonal. The rest implementation is as in previous functions.

**pass\_right\_down\_diag(), pass\_left\_up\_diag() and pass\_left\_down\_diag()** works in the same way.

```
196 move([X,Y], [X2,Y2]) :-  
197     nb_getval(pass_possible, T), T = 0 -> (pass_back([X,Y], [X2,Y2]), retractall(pass_possible), nb_setval(pass_possible, 1)); false.  
198  
199 move([X,Y], [X2,Y2]) :-  
200     \left([X,Y], [X2,Y2]).  
201  
202
```

**move(*[X, Y], [X2, Y2]*)** - choose and make one of the 12 possible moves. For pass it checks can pass be made or not (cause only one pass can be made per a round).

# Part 1

## Random search

```
65 random_search(Start, Finish, Cycle):-  
66     (Cycle <= 100 -> true; (writeln("Number of tries is over"), false)),  
67  
68     Cycle2 is Cycle + 1,  
69     random(0..12,R),  
70  
71     (R = 2 -> (left(Start,Finish) -> (write(Start), write(">"), writeln(Finish)); (writeln("Game over"),false));  
72     (R = 0 -> (right(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
73     (R = 1 -> (forward(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
74     (R = 3 -> (back(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
75         (R = 4 -> (pass_right(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
76         (R = 5 -> (pass_left(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
77         (R = 6 -> (pass_back(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
78         (R = 7 -> (pass_forward(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
79             (R = 8 -> (pass_right_up_diag(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
80             (R = 9 -> (pass_right_down_diag(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
81             (R = 10 -> (pass_left_up_diag(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false));  
82             (R = 11 -> (pass_left_down_diag(Start,Finish)-> (write(Start), write(">"),writeln(Finish)); (writeln("Game over"),false))))  
83     (win(Finish) -> (writeln("You won the game!"), false);  
84     random_search(Finish, [X2,Y2],Cycle2)).  
85  
86
```

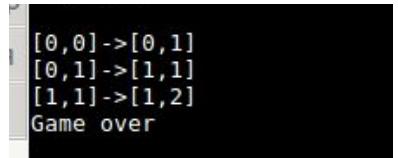
The idea is that it takes random number from 0 to 11 which are correspondent to moves (left, right, diagonal, etc.) and makes this move. If a player moves into touchdown point, he wins the game and algorithm shows his path.

```
1 Random search:  
[0,0]->[0,1]  
[0,1]->[0,2]  
You won the game!  
false.  
?- □
```

(for touchdown in [0,2])

If player moves into yard with orc or outside the field - the game is over (as moves are random, the algorithm does not prevent such cases). He can lose either from the first move, or does more and lose at some point in the middle.

```
1 Random search:  
Game over  
false.  
?- □
```



```
[0,0]->[0,1]  
[0,1]->[1,1]  
[1,1]->[1,2]  
Game over
```

If player did 100 moves and did not find the touchdown the game is also over.

# Backtracking search

```
50
51     backtracking(Start,Finish):-  
52         nb_setval(pass_possible, 0),  
53         dpth([Start],Finish,Way),  
54         find_shortest(Way).  
55  
56     see_all_ways(Start,Finish):-  
57         dpth([Start],Finish,Way),  
58         show_answer(Way),  
59         nl,  
60         fail.  
61  
62     backtracking_search_first(Start,Finish):-  
63         backtracking(Start,Finish) -> true.  
64  
65  
66     backtracking_search_shortest(Start,Finish):-  
67         backtracking(Start,Finish),  
68         fail.  
69  
70     find_shortest(Way):-  
71         length(Way, L),  
72         L1 is L-1,  
73         nb_getval(array_len,L2),  
74         L1<L2 -> (nb_setval(array, Way), nb_setval(array_len,L1)); true.  
75  
76     prolong([Temp|Tail],[New,Temp|Tail]) :-  
77         move(Temp,New),  
78         \+member(New,[Temp|Tail]).  
79  
80     dpth([Finish|Tail],Finish,[Finish|Tail]) :-  
81         win(Finish).  
82  
83     dpth(TempWay,Finish,Way) :-  
84         prolong(TempWay,NewWay),  
85         dpth(NewWay,Finish,Way).  
86  
87     show_answer([_]) :- !.  
88  
89     show_answer([A,B|Tail]) :-  
90         show_answer([B|Tail]),  
91         nl,  
92         write(B),  
93         write(" -> "),  
94         write(A).  
95
```

The idea of **backtracking search** is that it is trying to find the path going in depth. If it moves on the yard with wall or orc, it goes back on one step and tries to find another way. Search starts in function **backtracking(Start, Finish)**. It calls functions **dpth()** and **prolong()** recursively, which in turn go in depth and remember visited yards. Function **backtracking\_search\_first(Start, Finish)** returns first found way in backtracking search, which is not necessarily the shortest.

```
Backtracking first found path:  
[0,0] -> [1,1]  
[1,1] -> [2,1]  
[2,1] -> [3,1]  
[3,1] -> [3,2]  
[3,2] -> [2,2]  
[2,2] -> [2,3]  
[2,3] -> [3,3]  
Number of steps: 7  
  
Backtracking shortest path:  
[0,0] -> [1,1]  
[1,1] -> [2,1]  
[2,1] -> [3,1]  
[3,1] -> [3,2]  
[3,2] -> [3,3]  
Number of steps: 5
```

Function **see\_all\_ways(Start, Finish)** shows all the found ways using backtracking.

Function **backtracking\_search\_shortest(Start, Finish)** goes through the whole tree of solutions of backtracking and every iteration remember only the shortest path.

Backtracking will definitely find a path (if it exists).

(example for touchdown at [3,3])

# Heuristic search

```
404 bdth([[Finish|Tail]|_],Finish,[Finish|Tail]):-  
405     win(Finish).  
406  
407 bdth([TempWay|OtherWays],Finish,Way):-  
408     findall(W,prolong(TempWay,W),Ways),  
409     append(OtherWays,Ways,NewWays),  
410     bdth(NewWays,Finish,Way).  
411  
412  
413 search_bdth(Start,Finish):-  
414     nb_setval(pass_possible, 0),  
415     bdth([[Start]],Finish,Way),  
416     length(Way, L1),  
417     nb_setval(arr_h_l,L1),  
418     nb_setval(arr_h,Way).  
419  
420 heuristic(Start, Finish):-  
421     search_bdth(Start, Finish) -> true.  
422  
423  
424 call_heuristic(Start,Finish):-  
425     nb_setval(array_len,1000000),  
426     writeln("Heuristic path:"),  
427     statistics(runtime,[Start_t|_]), /*to count time*/  
428     (\+heuristic(Start,Finish) -> statistics(runtime,[Stop|_]),Runtime is Stop - Start_t,writeln("No possible way"),write(Runtime), writeln("ms"),nl;  
429     (statistics(runtime,[Stop|_]),  
430      Runtime is Stop - Start_t,  
431      nb_getval(arr_h, T), show_answer(T), nl, write("Number of steps: "), nb_getval(arr_h_l, L), writeln(L),  
432      write(Runtime), writeln("ms"),  
433      nl)).  
434  
435
```

The idea is that the algorithm checks neighbour yards, chose one and at further steps it will not consider neighbours of previously visited yards, which decreases the number of steps to find touchdown.

```
?- call_heuristic([0,0],[X,Y]).  
Heuristic path:  
[0,0] -> [0,3]  
[0,3] -> [1,3]  
[1,3] -> [1,4]  
[1,4] -> [2,4]  
[2,4] -> [3,4]  
[3,4] -> [3,3]  
[3,3] -> [3,2]  
Number of steps: 7  
18ms
```

# Testing

## Example of map and comparison of algorithms

```
?- call_backtracking search first([0,0],[X,Y]).  
Backtracking first found path:  
  
[0,0] -> [1,1]  
[1,1] -> [2,1]  
[2,1] -> [3,1]  
[3,1] -> [4,1]  
[4,1] -> [5,1]  
[5,1] -> [6,1]  
[6,1] -> [7,1]  
[7,1] -> [8,1]  
[8,1] -> [9,1]  
[9,1] -> [10,1]  
[10,1] -> [11,1]  
[11,1] -> [11,2]  
[11,2] -> [10,2]  
[10,2] -> [9,2]  
[9,2] -> [8,2]  
[8,2] -> [7,2]  
[7,2] -> [6,2]  
[6,2] -> [5,2]  
[5,2] -> [4,2]  
[4,2] -> [3,2]  
[3,2] -> [2,2]  
[2,2] -> [1,2]  
[1,2] -> [0,2]  
[0,2] -> [0,3]  
[0,3] -> [0,4]  
[0,4] -> [1,4]  
[1,4] -> [2,4]  
[2,4] -> [3,4]  
[3,4] -> [4,4]  
[4,4] -> [5,4]  
[5,4] -> [6,4]  
[6,4] -> [7,4]  
[7,4] -> [8,4]  
[8,4] -> [9,4]  
[9,4] -> [10,4]  
[10,4] -> [11,4]  
[11,4] -> [11,5]  
[11,5] -> [10,5]  
[10,5] -> [9,5]  
[9,5] -> [8,5]  
[8,5] -> [7,5]  
[7,5] -> [6,5]  
[6,5] -> [5,5]  
[5,5] -> [5,6]  
[5,6] -> [4,6]  
[4,6] -> [3,6]  
[3,6] -> [2,6]  
[2,6] -> [2,7]  
[2,7] -> [3,7]  
Number of steps: 49  
35ms  
true.
```

11											
10											
9										O	
8											
7			T							O	
6		O									
5		O		O							
4											
3		O									
2											
1	O	H									
0	H										
	0	1	2	3	4	5	6	7	8	9	10 11

```
?- call_random_search([0,0],[X,Y],0).  
Random search:  
Game over  
42ms  
true.
```

```
?- call_heuristic([0,0],[X,Y]).  
Heuristic path:  
  
[0,0] -> [1,1]  
[1,1] -> [2,1]  
[2,1] -> [3,1]  
[3,1] -> [3,2]  
[3,2] -> [3,3]  
[3,3] -> [3,4]  
[3,4] -> [3,5]  
[3,5] -> [3,6]  
[3,6] -> [3,7]  
Number of steps: 9  
128ms
```

(example of quite big field, with smaller fields it works better)

Backtracking shortest path: 9 steps, more than 30 mins

Backtracking first path: 49 steps, 35 ms

Heuristic: 9 steps, 128 ms

Random search: failed, 42 ms

As we can see, the fastest was finding the first path of backtracking, the shortest path of backtracking was the slowest of all. Heuristic worked a bit slower than first backtracking but found shortest path. Random search failed.

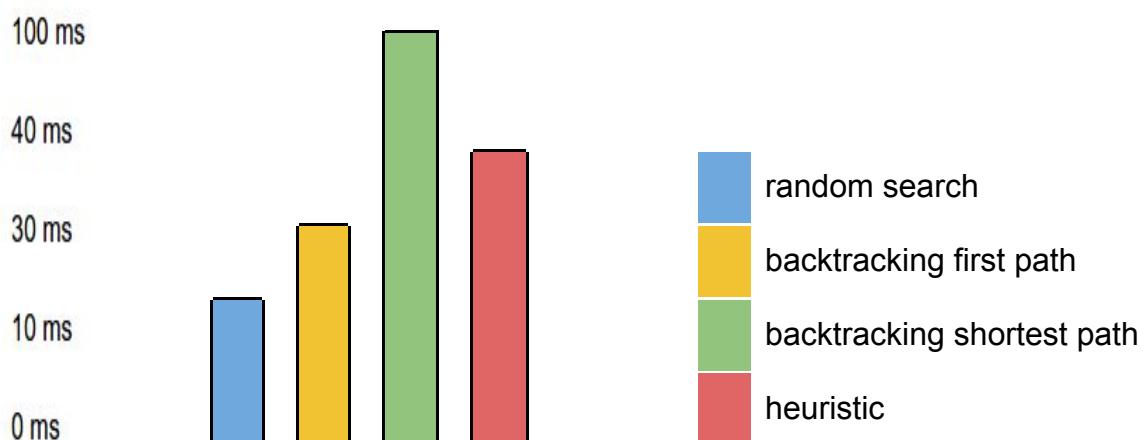
So, comparing the time and number of steps, heuristic algorithm works best of all.

By the way, the chance of getting success and finding touchdown point with random search is very small (too much conditions for fail). For 4x4 field and touchdown located at [0,2] (which is very close to starting position) only 1-2 trials out of 100 are successful. So, for field 20x20 and touchdown located somewhere in the middle of the field the chance to find path is about 1 out of 1 000 000 trials.

## Statistics

### **Average algorithm's execution time**

(for fields no more than 7x7 yards)



In general, Backtracking first path and Heuristic work quite good for most of maps. Backtracking shortest path works good for relatively small fields or for fields with small number of paths. For fields of size more than 10x10, it can take more than 20-30 mins to find the shortest path of backtracking algorithm.

## Part 2

The ability to see orcs in two yards is not really helpful. The only case is when orc is placed between two humans, so if one human makes pass, the algorithm, for example backtracking, will understand that pass is not possible at earlier step, and cut this path, saving time. But if orc is placed near the touchdown, this ability will not help, cause player all the same will need to go near the orc.

H			T
O			
H			

Save time on pass

T			
O	H		
H			

Useless, needs to go near orc

The ability to see touchdown in two yards is really helpful, it reduces the time and sometimes the number of steps to find a path, especially for backtracking.

```
?- map_6(_).
true.

?- call_backtracking_search_first([0,0],[X,Y]).
Backtracking first found path:

[0,0] -> [1,0]
[1,0] -> [2,0]
[2,0] -> [3,0]
[3,0] -> [4,0]
[4,0] -> [4,1]
[4,1] -> [4,2]
[4,2] -> [3,2]
Number of steps: 7
20ms

true.
```

1 yard before touchdown

```
?- map_6(_).
true.

?- call_backtracking_search_first([0,0],[X,Y]).
Backtracking first found path:

[0,0] -> [1,0]
[1,0] -> [2,0]
[2,0] -> [3,0]
[3,0] -> [4,0]
[4,0] -> [4,1]
[4,1] -> [4,2]
[4,2] -> [3,2]
Number of steps: 7
15ms

true.
```

2 yards before touchdown

```
prolong([Temp|Tail],[New,Temp|Tail]):-
((left(Temp, [X,Y]), win([X,Y]));(left(Temp, [X,Y]),left([X,Y],[X2,Y2]), win([X2,Y2])) -> left(Temp, New);      /*if player is near
 ((right(Temp, [X,Y]), win([X,Y]));(right(Temp, [X,Y]),right([X,Y],[X2,Y2]), win([X2,Y2])) -> right(Temp, New);
 ((back(Temp, [X,Y]), win([X,Y]));(back(Temp, [X,Y]),back([X,Y],[X2,Y2]), win([X2,Y2])) -> back(Temp, New);
 ((forward(Temp, [X,Y]), win([X,Y]));(forward(Temp, [X,Y]),forward([X,Y],[X2,Y2]), win([X2,Y2])) -> forward(Temp, New);
 (move(Temp,New)))),
\n+member(New,[Temp|Tail]).
```

## Part 3

Map is impossible when orcs are placed in circle around the initial position of human or in circle around the touchdown. Also the case when the only free way to touchdown is diagonal.

H		O	
		O	T
		O	O
H			

H		O	
		O	T
			O
H			

H			
			T
O	O		
H	O		

```
Backtracking first found path:  
No possible way  
  
Random search:  
Game over
```

It is hard to say which map can be considered as difficult. I looked at two different cases: when the field is big and there is a little number of orcs, so there are a lot of possible paths and field when there are a lot of obstacles and there is only one way to go.

O				
O		O	O	
O		O	T	
O	H	O	O	O
H	O	O	O	O

backtracking: 10 steps, 15 ms  
heuristic: 10 steps, 35ms  
random: failed

				T
				O
H				

backtracking (first path): 7 steps, 35 ms  
heuristic: 5 steps, 20ms  
random: failed

As we can see, backtracking and heuristic algorithms behave differently. But both of them find a path. Random search failed as usual.

```
?- call_backtracking_search_first([0,0],[X,Y]).  
Backtracking first found path:  
  
[0,0] -> [1,1]  
[1,1] -> [1,2]  
[1,2] -> [1,3]  
[1,3] -> [1,4]  
[1,4] -> [2,4]  
[2,4] -> [3,4]  
[3,4] -> [4,4]  
[4,4] -> [4,3]  
[4,3] -> [4,2]  
[4,2] -> [3,2]  
Number of steps: 10  
15ms  
  
true.
```

```
?- call_backtracking_search_first([0,0],[X,Y]).  
Backtracking first found path:  
  
[0,0] -> [1,0]  
[1,0] -> [2,0]  
[2,0] -> [3,0]  
[3,0] -> [4,0]  
[4,0] -> [4,1]  
[4,1] -> [4,2]  
[4,2] -> [3,2]  
Number of steps: 7  
35ms  
  
true.
```

```
?- call_heuristic([0,0],[X,Y]).  
Heuristic path:  
  
[0,0] -> [1,1]  
[1,1] -> [1,2]  
[1,2] -> [1,3]  
[1,3] -> [1,4]  
[1,4] -> [2,4]  
[2,4] -> [3,4]  
[3,4] -> [4,4]  
[4,4] -> [4,3]  
[4,3] -> [4,2]  
[4,2] -> [3,2]  
Number of steps: 10  
35ms
```

```
?- call_heuristic([0,0],[X,Y]).  
Heuristic path:  
  
[0,0] -> [1,0]  
[1,0] -> [2,0]  
[2,0] -> [2,1]  
[2,1] -> [2,2]  
[2,2] -> [3,2]  
Number of steps: 5  
20ms
```