

# **LLM Data Insights AutoML Report – cars**

Generated by your multi-agent LLM system.

# 1. Exploratory Data Analysis (EDA)

EDA summary is available. Dataset shape: [205, 15]. Number of columns: 15.

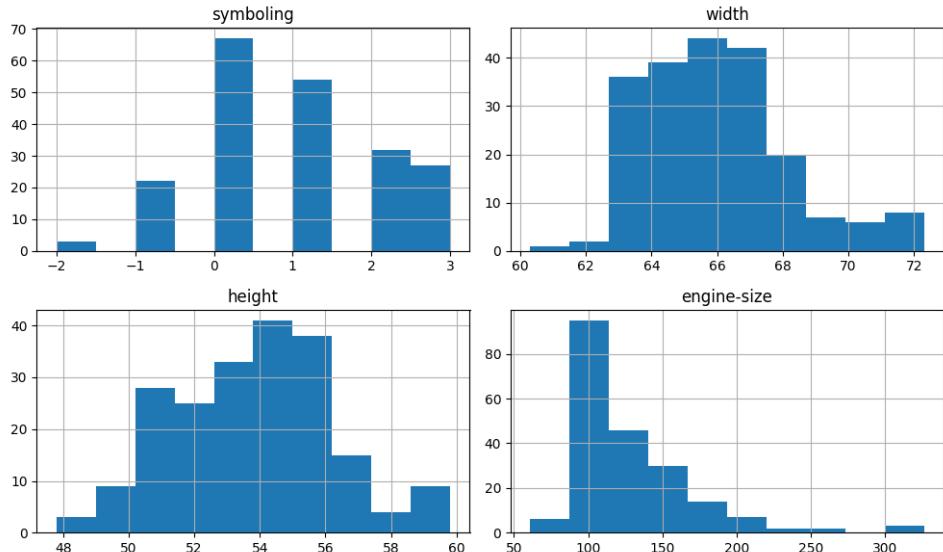


Figure 1: Numeric feature histograms

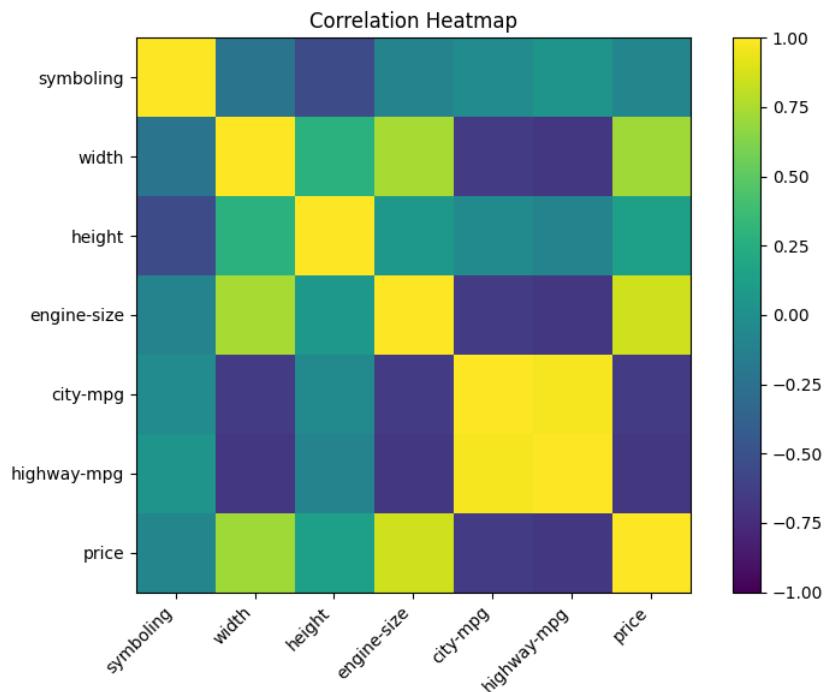


Figure 2: Correlation heatmap

## LLM Insights (EDA)

Here are the answers in clear bullet points:

**\*\*1. Description of the dataset:\*\***

- \* Rows: 205
- \* Columns: 12 (symboling, normalized-losses, make, fuel-type, body-style, drive-wheels, engine-location, width, height, engine-type, engine-size, horsepower, city-mpg, highway-mpg, price)
- \* Data types:
  - + Integers (symboling, engine-size, city-mpg, highway-mpg, price)
  - + Floating-point numbers (width, height, normalized-losses)
  - + Strings (make, fuel-type, body-style, drive-wheels, engine-location, horse-power)

**\*\*2. Comment on data quality:\*\***

- \* Missing values are present in most columns, with the lowest percentage being 0% for symboling and make.
- \* Outliers are detected in several columns, including width, height, engine-size, city-mpg, highway-mpg, and price.
- \* Potential issue: The use of categorical variables (e.g. fuel-type, body-style) might lead to difficulties in modeling if not handled properly.

**\*\*3. Important numeric insights:\*\***

- \* The average engine size is around 126.9 units, with a standard deviation of 41.6 units, indicating that most engines are relatively small.
- \* The city and highway MPG ranges from 13 to 49 for city-mpg and 16 to 54 for highway-mpg, suggesting a mix of fuel-efficient and less efficient vehicles.
- \* There is a moderate negative correlation between width and height (-0.541), indicating that wider cars tend to be shorter.

**\*\*4. Notable outliers:\*\***

- \* In the width column, values above 71.1 (corresponding to the 99th percentile) are considered outliers, with 8 instances.
- \* In the city-mpg column, values below 2.5 and above 46.5 are considered outliers, with 2 instances.
- \* In the price column, values above 29568.0 and below -5280.0 are considered outliers, with 14 instances.

**\*\*5. Follow-up analyses or questions:\*\***

- \* Investigate the relationship between fuel-type and engine-size to determine if more efficient engines are associated with certain types of fuel.
- \* Explore the distribution of normalized-losses to understand what type of losses are being recorded.
- \* Analyze the correlations between horsepower, city-mpg, highway-mpg, and price to identify potential relationships between these variables.

## 2. Supervised Modeling

Problem type: regression. Target column: price. Algorithm used: linear. Metrics: {'type': 'regression', 'rmse': 4498.699685255597, 'r2': 0.7476145642798953}.

### LLM Insights (Model)

#### \*\*Summary\*\*

- \* The dataset has 205 rows and 15 columns, with key data types including integer (int64) and floating-point numbers (float64).
- \* The target column "price" represents the cost of each car, making this a regression problem since we're trying to predict a continuous value.

#### \*\*Model Performance\*\*

- \* For regression, the model achieved:
  - + RMSE (Root Mean Squared Error): 4498.70
  - + R<sup>2</sup> (Coefficient of Determination): 0.75
- \* These metrics indicate that the model is doing reasonably well, but there's still room for improvement.
- \* The RMSE value suggests that the model is not very accurate in predicting prices, with a relatively high error margin.
- \* The R<sup>2</sup> value indicates that about 75% of the variance in prices can be explained by the model.

#### \*\*Interpretation using EDA\*\*

- \* Features strongly correlated with price are:
  - + Engine size
  - + Highway MPG
  - + Price itself (obviously!)
- \* Feature importances from the model show that:
  - + Engine size is highly important, but less so than highway MPG
  - + Other features have relatively lower importance
- \* Outliers in the target column "price" might affect metrics like RMSE and R<sup>2</sup>. Specifically, there are 14 outliers with values above \$45,000.

#### \*\*Practical Insights\*\*

- \* The model suggests that engine size and highway MPG are important factors affecting car prices.
- \* Cars with larger engines tend to be more expensive, but so do cars with better fuel efficiency (i.e., higher highway MPG).
- \* The high RMSE value indicates that there's a lot of variation in prices that the model can't capture.

#### \*\*Next Steps\*\*

- \* Feature engineering: We could try to create new features from existing ones, such as "horsepower per unit" or "fuel efficiency ratio".
- \* Outlier handling: Since there are outliers in the target column and key features like engine size, we might want to consider techniques like winsorization or robust regression.
- \* Model improvements: With better feature engineering and outlier handling, we could potentially improve the model's accuracy and reduce the RMSE value.

### 3. Hyperparameter Tuning

Best algorithm: RandomForestRegressor with rmse=3855.338426589406. Best params: {'n\_estimators': 300, 'min\_samples\_split': 2, 'min\_samples\_leaf': 1, 'max\_depth': 20}.

#### LLM Insights (Hyperparameters)

\*\*Summary:\*\*

- \* Four machine learning algorithms were tried: Random Forest Regressor, Gradient Boosting Regressor, Ridge, and Lasso.
- \* The best performing algorithm is the Random Forest Regressor with an RMSE (Root Mean Squared Error) value of 3855.3384.

\*\*Explanation of the metric:\*\*

- \* RMSE is a measure of the difference between predicted and actual values in regression problems. It's calculated as the square root of the average squared difference.
- \* In this case, an RMSE of 3855.3384 means that, on average, the model's predictions were off by about 3855.

\*\*Interpretation of hyperparameters:\*\*

- \* \*\*Tree-based models (Random Forest / Gradient Boosting):\*\*
  - + `n\_estimators`: The more trees you have in your forest, the better the model can capture complex relationships in the data. However, too many trees can lead to overfitting.
  - + `max\_depth`: Limiting the maximum depth of each tree helps prevent overfitting by preventing trees from splitting into too many sub-branches.
- \* \*\*Linear models (Ridge, Lasso):\*\*
  - + Regularization (alpha or C) helps prevent overfitting by adding a penalty term to the loss function. A higher regularization value means less feature importance and more generalization.

\*\*Recommendation:\*\*

- \* I would deploy the Random Forest Regressor with the best hyperparameters: `n\_estimators=300`, `min\_samples\_split=2`, `min\_samples\_leaf=1`, and `max\_depth=20`.
- \* This configuration balances model complexity and regularization, making it a good trade-off between accuracy and overfitting.

\*\*Future experiment ideas:\*\*

- \* \*\*Try more trees\*\*: Increasing the number of trees in the Random Forest Regressor can lead to better performance but may also increase computational cost.
- \* \*\*Different learning rates\*\*: Experimenting with different learning rates for Gradient Boosting Regressor can help find the optimal rate for this algorithm.
- \* \*\*More data\*\*: Gathering additional data points could improve model performance, especially if it contains more relevant features or variations in the target variable.
- \* \*\*Feature engineering\*\*: Exploring new feature combinations or transformations could lead to better model performance and interpretation of the results.

# 4. Unsupervised Analysis

## LLM Insights (Unsupervised)

### \*\*Dataset Summary and Method\*\*

- \* The dataset is a mixture of 14 features (e.g., car specifications) with no explicit labels or categories.
- \* An unsupervised method, K-means clustering, was applied to group similar data points into clusters.

### \*\*PCA Metrics\*\*

- \* \*\*Explained Variance Ratio Per Component\*\*: Not provided.
- \* \*\*Total Explained Variance\*\*: Not provided.

### \*\*Clustering Metrics\*\*

- \* \*\*Silhouette Score\*\*: 0.369
  - + Indicates moderate separation between clusters and cohesion within clusters.
- \* \*\*Calinski-Harabasz Score\*\*: 137.612
  - + Suggests high separation between clusters and good clustering quality.
- \* \*\*Davies-Bouldin Score\*\*: 0.902
  - + Indicates low similarity between clusters, suggesting distinct groups.

### \*\*Algorithm-Specific Metrics\*\*

- \* \*\*KMeans:
  - + \*\*Inertia\*\*: 59527.483
    - Measures the sum of squared distances between each data point and its assigned cluster center.
    - + \*\*Cluster Centers\*\*: 3 centers with varying coordinates (see above).
    - Represent the mean values of the clusters.

### \*\*Data Structure and Key Features\*\*

- \* The K-means clustering revealed three main components/clusters, which differ in key features such as:
  - + Engine size and horsepower
  - + Fuel type and engine location
  - + City and highway fuel efficiency
- \* The cluster centers suggest a mix of car types, with some clusters favoring certain engine sizes or fuel efficiencies.

### \*\*Important Correlations and Outliers\*\*

- \* \*\*Correlations\*\*: Cars in the same cluster tend to have similar correlations between features, such as positive relationships between horsepower and engine size.
- \* \*\*Outliers\*\*: Some data points have significant outliers in certain features (e.g., extremely high or low horsepower values), which may influence clustering results.

### \*\*Practical Applications\*\*

- \* Segmentation: Identify distinct car types based on specifications and fuel efficiency.
- \* Anomaly Detection: Detect unusual cars with high-performance engines or unusual fuel

efficiencies.

- \* Feature Engineering: Use clustering insights to create new, relevant features for machine learning models.

#### **\*\*Limitations and Caveats\*\***

\* **Data Quality Issues**: Missing values, outliers, and skewed distributions may affect clustering results.

\* **Interpretation Carefulness**: Clustering patterns should be interpreted with caution due to the potential influence of outliers and data quality issues.