EE2703 Week 2

Vaddiraju Anshul EE21B151

February 8, 2023

1 Libraries

```
[28]: import numpy as np import math
```

2 Factorial and Timeit

2.1 Recursive Algorithm

```
[2]: x = np.random.randint(0,1000)
def factorial(n):
    if n == 0 or n == 1:
        return 1
    else:
        return n*factorial(n-1)
print(x)
%timeit factorial(x)
```

628

210 μ s ± 1.28 μ s per loop (mean ± std. dev. of 7 runs, 1,000 loops each)

2.2 For Loops

```
[3]: def factorial(n):
    fac = 1
    for i in range(2,n+1):
        fac = fac*i
    return fac
print(x)
%timeit factorial(x)
```

628

```
167 \mus ± 432 ns per loop (mean ± std. dev. of 7 runs, 10,000 loops each)
```

We can see that the recursive algorith takes more time than the for loop. This is because the recursion algorithm recalls the function n times which takes more time than iteration because it iterates all lines of code again n times where iteration repeats just a single line n times.

3 Linear Equation Solver

3.1 Shuffle:

```
[29]: def Shuffle(A,B):
          n = len(A)
          f = [k for k in range(n)]
          for i in range(n):
                   max_val = abs(A[i][i])
                   row = i
                   for j in range(i+1,n):
                       if abs(A[j][i]) > max_val:
                           max_val = abs(A[j][i])
                           row = j
                   A[row], A[i] = A[i], A[row]
                   B[row], B[i] = B[i], B[row]
                   f[row], f[i] = f[i], f[row]
          #print(f"A = \{A\}")
          #print(f"B = {B}")
          return A,B
```

I am using shuffle here which takes the maximum value of a column below the current row and pushes it into the current location. This is to avoid any consistent set of eqn being treated inconsistent due to a zero in the diagonal element

3.2 Upper Triangle:

```
[30]: def UpperTriangle(A,B):
    n = len(A)
    for i in range(n):
        for j in range(i+1,n):
            norm = A[j][i] / A[i][i]
            for k in range(len(A[i])): A[j][k] = A[j][k] - A[i][k] * norm
            B[j] = B[j] - B[i] * norm
            #print(A,B)

#print("Resultant Upper Triangle:")
#print(f"A = {A}")
#print(f"B = {B}")
return A,B
```

Creates a upper tringular matrix from the previous matrix

3.3 Normalise:

```
[31]: def Normalise(A,B):
    n = len(A)
    for i in range(n):
        norm = A[i][i]
        for j in range(n):
```

```
A[i][j] = A[i][j]/norm

B[i] = B[i]/norm

#print("Normalised Upper Triangle:")

#print(f"A = {A}")

#print(f"B = {B}")

return A,B
```

It makes all the diagonal elements of the matrix 1 which makes it easier for back substitution in the next step

3.4 Solver:

```
[32]: def Solver(A,B):
    n = len(A)
    for i in reversed(range(n)):
        for j in range(i):
            B[j] = B[j] - B[i]*A[j][i]
            A[j][i] = A[j][i] - A[i][i]*A[j][i]

#print("Final Matrix:")
#print(f"A = {A}")
#print(f"B = {B}")
return B
```

It back substitutes the matrix from the last row to the first to find the solution of equations

3.5 Check Solution:

```
[33]: def CheckSolution(a,b):
          k = \prod
          n = len(a)
          for i in range(n):
              if a[i][i] == 0: k.append(i)
          for j in k:
              for i in range(n):
                  if a[j][i] != 0:
                      norm = a[j][i]/a[i][i]
                      a[j][i] = a[j][i] - a[i][i]*norm
                      b[j] = b[j] - b[i]*norm
              if abs(b[j]) < 1/1000 and b[j] != 0:
                  b[j] = 0
          for j in k:
              if b[j] != 0:
                  print("System is inconsistent and has no solutions")
              else:
```

```
if j == k[len(k)-1]: print("System is inconsistent and has infinite_\(\text{\text{$\sigma}}\) \(\text{\text{$\sigma}}\) obtains ")
```

Here, if the diagonal element of the upper triangular is 0. It means that the matrix is not singular i.e it is not consistent. - If, the row where the diagonal element is 0 has the value of b[row] as 0 that means there are infinite solutions.

- Else, the matrix has no solutions

3.6 Matrix Solver:

```
[34]: def GaussianSolver(A,B):
    a,b = Shuffle(A,B)
    n = len(a)
    try:
        a,b = UpperTriangle(a,b)
        a,b = Normalise(a,b)
    except ZeroDivisionError:
        CheckSolution(a,b)
        return None
    else:
        answer = Solver(a,b)
        return answer
```

If the diagonal element is 0, it gives a ZeroDivisionError in the above steps. Hence, the matrix is checked for consistency.

```
[35]: A = np.random.rand(10,10)
B = np.random.rand(10)
a = A.tolist()
b = B.tolist()
print(GaussianSolver(a,b))
[-0.7790433269159422 1 3704247398840599 -0 10634276872391679]
```

```
[-0.7790433269159422, 1.3704247398840599, -0.10634276872391679, 0.7617050482424133, -0.9423996865564889, 0.3225433121471922, -0.25432069113751293, -0.16572032854599927, 0.7853422000284571, -0.05894843387472958]
```

4 Netlist Conversion

```
[36]: def NetlistConvert(file_path):
    with open(file_path, 'r') as file:
        netlist = file.readlines()
    net =[]
    t = 0
    for line in netlist:
        if line[0:2] == ".a": t = 1
        if line[0:2] == ".e": t = 0
        if t == 1:
```

```
linesplit = line.split("#")[0].split('\n')[0].split(' ')
    net.append(linesplit[0])
    if line[0:2] == ".c": t = 1
    return net
net = NetlistConvert('ckt7.netlist')
print(net)
```

['I1 GND n1 ac 5 0 ', 'C1 GND n1 1', 'R1 GND n1 1000', 'L1 GND n1 1e-6', '.ac I1 1000']

```
[37]: def MatrixSizeInc(MNA,b):
    k = np.zeros((1,MNA.shape[1]))
    m = np.zeros((MNA.shape[0]+1,1))
    1 = [0]
    MNA = np.vstack((MNA,k))
    MNA = np.hstack((MNA,m))
    b = np.vstack((b,1))
    return MNA,b
```

To convert a (n x n) matrix to a (n+1 x n+1) matrix

```
[44]: def create_MNA_matrix(netlist):
          nodes = set()
          components = []
          v_type = set()
          k = 0
          t = complex(0,1)
          freq = 0
          if netlist[-1].startswith(".ac"):
              split = netlist[-1].split()
              freq = float(split[2])*2*math.pi
          for line in netlist:
              split_line = line.split()
              if len(split_line) == 3:
                  continue
              component_type = split_line[0]
              nodes.update([split_line[1], split_line[2]])
              try:
                  components.append((component_type, split_line[1], split_line[2],__

split_line[3],split_line[4]))
```

```
except IndexError:
          try:
              components.append((component_type, split_line[1], split_line[2],__
→split_line[3]))
          except IndexError:
              components.append((component_type, split_line[1], split_line[2],__
node_dict = {node: i for i, node in enumerate(nodes)}
  num_nodes = len(nodes)
  num_components = len(components)
  MNA = np.zeros((num_nodes, num_nodes))
  b = np.zeros((num_nodes,1))
  if freq !=0:
      MNA = np.zeros((num_nodes, num_nodes))*t
      b = np.zeros((num_nodes,1))*t
  for component in components:
      try:
          component_type, node1, node2, acdc ,value = component
      except ValueError:
          try:
              component_type, node1, node2, value = component
          except ValueError:
              component_type, node1, node2, acdc ,value, phase = component
      i = node_dict[node1]
      j = node_dict[node2]
      k = node_dict["GND"]
      if component_type[0] == 'R':
          MNAdc = addRes(MNA, value, i, j)
      elif component_type[0] == 'I':
          v_type.update([acdc])
          if acdc.startswith("dc"):
              b[i] -= float(value)
              b[j] += float(value)
          if acdc.startswith("ac"):
              b[i] -= float(value)
              b[j] += float(value)
```

```
elif component_type[0] == 'V':
           v_type.update([acdc])
           if acdc.startswith("dc"):
               MNA,b = MatrixSizeInc(MNA,b)
               1 = MNA.shape[0]-1
              MNA[1][i] += 1
              MNA[1][i] -= 1
               MNA[i][1] += 1
               MNA[i][1] = 1
               b[1] -= float(value)
           if acdc.startswith("ac"):
              MNA,b = MatrixSizeInc(MNA,b)
               1 = MNA.shape[0]-1
               MNA[1][i] += 1
               MNA[1][j] = 1
               MNA[i][1] += 1
               MNA[j][1] = 1
               b[1] -= float(value)
       elif component_type[0] == 'C':
           if freq == 0:
               print("This function cannot compute DC circuit with a⊔
return None
           MNA[i][i] += t*float(value)*freq
           MNA[j][j] += t*float(value)*freq
           MNA[i][j] -= t*float(value)*freq
           MNA[j][i] -= t*float(value)*freq
       elif component_type[0] == 'L':
           if freq == 0:
               print("This function cannot compute DC circuit with a⊔
⇔capacitance")
              return None
           MNA[i][i] += 1/t*float(value)*freq
           MNA[j][j] += 1/t*float(value)*freq
           MNA[i][j] -= 1/t*float(value)*freq
           MNA[j][i] -= 1/t*float(value)*freq
  b = np.squeeze(b)
  MNA = np.delete(MNA, k, axis=0)
   MNA = np.delete(MNA, k, axis=1)
  b = np.delete(b, k)
```

```
v_type = list(v_type)

if len(v_type) == 1 and v_type[0] == 'dc':
    return MNA, b, node_dict,0

elif len(v_type) == 1 and v_type[0] == 'ac':
    return MNA, b, node_dict,1

else:
    return("The code doesn't work for DC+AC supply")
```

- This code implements a function that reads an electrical netlist and creates MNAac and MNAdc and bac and bdc to solve for the voltages and currents in an AC and DC circuit.
- The function splits each line in the netlist and processes components one-by-one, updating the MNA and b arrays based on the type of component. The MNA matrices contain information about the interconnections between the components and the b arrays contain the independent source information.
- The frequency information is taken from the netlist and used in the calculation of components such as capacitors and inductors.
- The function is implemented to handle resistors, current sources, voltage sources, capacitors, and inductors, and returns None if the function encounters a DC circuit with a capacitor, inductor.

```
DC :[0.0, 0.0, 0.0, 5.0, 0.0005]
Nodes:{'2': 0, '3': 1, '1': 2, 'GND': 3, '4': 4}
```